

**INVESTIGATION OF ON-SITE DIAGNOSTIC TESTING  
TECHNIQUES FOR METAL OXIDE SURGE ARRESTERS**

By

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A Thesis

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In Partial Fulfillment of the Requirements

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**Investigation of On-site Diagnostic Testing Techniques for  
Metal Oxide Surge Arresters**

**BY**

**Hanxin Zhu**

**A Thesis/Practicum submitted to the Faculty of Graduate Studies of The University  
of Manitoba in partial fulfillment of the requirements of the degree  
of  
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## ABSTRACT

Metal Oxide Surge Arresters (MOSA) degrade in service due to the combined effects of transient overvoltage, temperature and moisture ingress. As a MOSA ages, its resistive leakage current increases with accompanying increase in the third harmonic component, which is used as indicator of ageing in the probe method, the compensation method and neutral current method. Test errors with these three most widely used on-site diagnostic test techniques are investigated in this thesis.

Test error associated with probe method is due to its inherent assumptions. In this method, researchers have developed a technique to account for the third harmonic component of capacitive current in deriving the resistive third harmonic current from the leakage current. However, the influence of voltage harmonics on the magnitude of the resistive current has not been considered which aspect is explored in this thesis. The introduction of the probe and an assumption of a constant field factor will also result in errors. This aspect will be verified by the laboratory test results.

In the compensation method, the capacitive current is directly compensated by the introduction of the system voltage. But, the existence of voltage harmonics and interphase interferences will render the criteria of compensation invalid and thus result in the uncompleted compensation of the capacitive current. To improve this method for field use, the criteria of compensation should be modified and a soft phase shifter should be introduced as discussed in this thesis.

It is known that by using neutral current method for on-site test one can not tell the real condition of three phase MOSA. In order to enable its use as a diagnostic indicator, slight modifications, discussed in fair detail in this thesis, are necessary.

Finally, test results show that the simplified representation model of MOSA is questionable. This aspect is also briefly discussed.

The results of this investigation could be applied to on-site diagnostic test of MOSA. The proposals made for improving the compensation method and the neutral current method may be realized and should be implemented for future use.

## SYMBOLS, DEFINITIONS, UNITS AND TYPICAL VALUES OF PARAMETERS

### English Symbols

Symbol	Definition	Unit	Typical Value
$L$	Inductance of metal oxide disc	H	
$R_z$	Resistance of ZnO grains	$\Omega$	
$R_i$	Resistance of the granular layers	$\Omega$	
$C$	Capacitance between granular layers	F	
$i_t$	Total current of MOSA	mA	
$i_c, I_c$	Capacitive current of MOSA	mA	1mA
$i_r, I_r, I_R$	Resistive leakage current of MOSA	mA	200 $\mu$ A
$V_s$	System voltage	kV	
$V_{s0}$	System voltage with 90° shift ahead	kV	
$G$	Constant corresponds to $\omega C$		
$V_{a,b,c}$	Phase to ground voltage of phase A,B,C	kV	
$C_{ab}$	Stray capacitance between phase A and B	F	
$C_{bc}$	Stray capacitance between phase B and C	F	
$I_{ca}$	Capacitive current of phase A	mA	
$I_{cba}$	Coupling current from phase B to phase A	mA	
$I_{cax}$	Phasor sum of $I_{ca}$ and $I_{cba}$	mA	
$V_I$	Input voltage of the phase shifter	kV	
$V_O$	Output voltage of the phase shifter	kV	

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$G'$	Constant corresponds to $\omega C$	
$I_0$	Neutral current	mA
$I_{r3}$	3 <sup>rd</sup> harmonic resistive current	mA
$I_{t3}$	Total 3 <sup>rd</sup> harmonic leakage current	mA
$I_{c3}$	3 <sup>rd</sup> capacitive harmonic current	mA
$I_{p1}$	Fundamental component of the Probe current	mA
$I_{t1}$	Fundamental component of total current	mA
$I_{p3}$	3 <sup>rd</sup> harmonic of the probe current	mA
$I_{t3}$	3 <sup>rd</sup> harmonic of total current	mA
$k_1$	Ratio of $I_{t1}$ to $I_{p1}$	
$k_3$	Ratio of $I_{t3}$ to $I_{p3}$	
$t$	Time	second
$i'_{r3}$	Resistive 3 <sup>rd</sup> harmonic current due to voltage harmonics	mA
$V_3$	3 <sup>rd</sup> harmonic voltage	kV
$V_5$	5 <sup>th</sup> harmonic voltage	
$V_7$	7 <sup>th</sup> harmonic voltage	
$V_N$	Rated voltage of MOSA	kV
$v_n$	$n^{\text{th}}$ harmonic voltage	
$i_{cn}$	$n^{\text{th}}$ harmonic capacitive current	mA
$i_{rn}$	$n^{\text{th}}$ harmonic resistive current	mA
$v_{1s0}$	Fundamental component of $v_{s0}$	kV

Greek Symbols

$\rho$	Resistivity	$\Omega\text{m}$	
$\epsilon_r$	Relative dielectric constant		
$\alpha$	Rate of change of $\ln i_r$ with respect to $\ln v$		
$\tau$	discretized time interval	second	
$\omega$	Angular frequency	rad/s	376.8
$\Phi_3$	Phase angle of 3 <sup>rd</sup> harmonic voltage	rad	
$\Phi_5$	Phase angle of 5 <sup>th</sup> harmonic voltage	rad	



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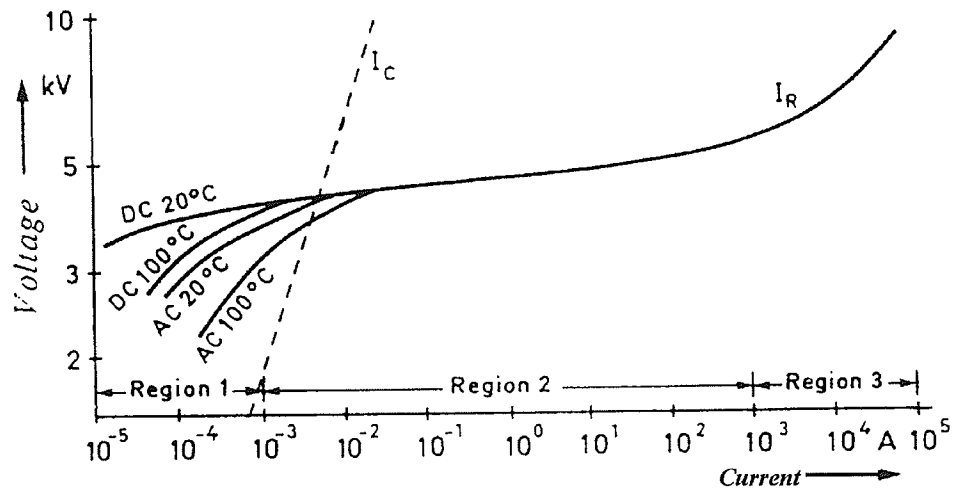
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## Chapter 1

### Introduction

Metal oxide arrester valve elements (MOSA) consist primarily of zinc oxide and other selected metal oxide additives. When examined under an electron microscope, it is seen that the low resistive Zinc Oxide grains are surrounded and separated by a strongly bonded high resistive oxide granular layer, which serves to produce the desired highly non-linear resistive characteristics, shown in Fig.1.1.



**Figure 1.1:** Typical V-I Characteristics of a typical metal oxide disc (80mm diameter, 20mm height) [1].

Note: ac voltage is the instantaneous value.

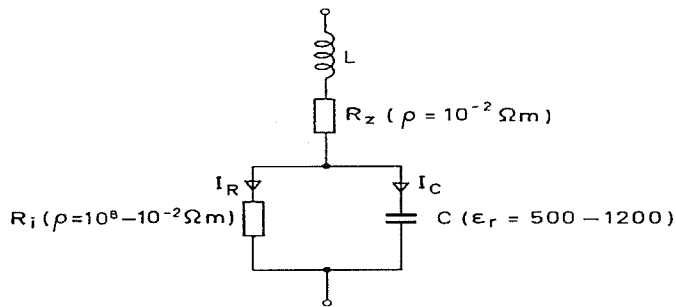
As shown in Fig.1.1, the characteristics of the resistive leakage current may be divided into three regions, i.e. the low electric field region (region 1), the medium electric field region (region 2) and the high electric field region (region 3).

In the low electric field region, the current is dominated by the capacitive component. The resistive component depends not only on the applied voltage, but also on the temperature. It can also be seen from Fig.1.1 that the V-I characteristics of a MOSA element is remarkably different under dc and ac applied voltages in the low voltage region. This suggests quite different conducting mechanisms in these two cases. Usually, the conduction mechanism of MOSA is explained by consideration of energy barriers in the granular layers [2]. According to this theory, the barriers prevent movements of electrons from one grain to another; but Schottky emission causes a small current flow through the material and this current is the resistive leakage current. A higher temperature causes higher electron energy and in turn causes more electrons to pass over the barrier. The V-I characteristic curves shown in Fig.1.1 reinforce this explanation.

In the middle and high electric field regions, the conduction mechanism of MOSA can be explained by the tunnel-effect and reversed-biased Schottky emission respectively. The voltage drop across the resistor  $R_z$  (Fig.1.2) will gradually dominate and the V-I characteristic curve will approach linearity [1].

In order to keep the power dissipation in a MOSA small when it operates in the normal state, the continuous operating voltage (MCOV) of the MOSA is chosen in the low voltage region. The protection characteristics of the MOSA are determined by the v-i characteristics in Medium and High Electric field regions, and the influences of the capacitive component and temperature disappear in these regions.

The non-linear V-I characteristics of a MOSA valve element is usually represented by the equivalent circuit shown in Fig.1.2 [1]. In Fig.1.2,  $R_i$  represents the non-linear resistance of the granular layers, whose resistivity  $\rho$  changes from  $10^8 \Omega\text{m}$  for low electric stress to just below  $0.01 \Omega\text{m}$  for high electric stress. The resistor,  $R_z$ , with a much lower resistance value than  $R_i$  at below  $0.01 \Omega\text{m}$ , represents the resistance of the Zinc Oxide grains. The equivalent capacitor  $C$  represents the capacitance between the granular layers with a relative dielectric constant between 500-1200. The inductance  $L$  represents the inductance of the metal oxide disc and is determined by the geometry of the current flow path. As  $R_z \ll R_i$ , the influence of  $R_z$  is often neglected in normal operation.



**Figure 1.2.**Equivalent representation of MOSA [1]

### 1.1. Deterioration of MOSA

MOSA degrades in service under the influence of constant working voltage, internal partial discharges, uneven heating and solar irradiation, possible moisture ingress and the occurrence of transient over-voltage; all of the above result in an increased value of resistive leakage current.

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Internal partial discharges cause degradation of MOSA. It is known that some gases may be formed in service because of partial discharge inside the MOSA housing. The granular layer of MOSA reacts chemically with the surrounding unstable gas molecules, which results in the deterioration of the electrical property of the combination of ZnO and its granular layers. To limit this effect, measures may be taken in the process of selection of MOSA and sealing techniques.

Uneven heating and irradiation also degrades MOSA. A simple example of these effects is due to the heat from the sun. In service, a MOSA will not be evenly warmed; the warming effect also varies from season to season. The hot portion of the MOSA will draw more leakage current as compared with the cold portion. This causes non-uniformity of current distribution and ageing.

A high transient voltage, hence a high current stress on MOSA, will cause the degradation of MOSA too. High current through MOSA results in an excessive local current density through the granular layers, and this may partially destroy them.

Thus, with the passage with time, a MOSA may exhibit ageing. The aged MOSA manifests itself in an increased component of resistive leakage current, especially the 3<sup>rd</sup> harmonic component. A serious consequence of this increased leakage current is that the energy absorption capability decreases which in turn may lead to thermal runaway and cause failure of MOSA. Therefore, it is very important to periodically check the condition of MOSA in service to ensure that its operating characteristics are acceptable.

## 1.2. An Introduction to Existing On-site Diagnostic Testing Techniques

Over the years, diagnostic testing techniques have been proposed, which are based on the measurement of radio interference, partial discharge and emitted electromagnetic radiation. These methods, because of interference from other sources on-site, cannot detect the real operating condition of MOSA.

On the other hand, diagnostic testing techniques based directly on the measurement of leakage current have offered the most promise. These methods which are currently widely used for on-site diagnostics include: measurement of the total leakage current, the resistive leakage current, higher order harmonic currents in the leakage current and the zero sequence current measuring method.

### 1.2.1. Total Leakage Current Method [3, 4]

This is a method commonly implemented by means of a permanently installed milliamperemeter in the ground connection of a MOSA. The reading of this meter indicates the total current  $I_t$ .

As shown in Fig.1.2,

$$i_t = i_c + i_r \quad (1-1)$$

The degradation of a MOSA results in the increase of its resistive leakage current  $i_r$ , and hence the total leakage current  $i_t$ . This will result in an increased reading of the milliamperemeter. Thus, the condition of a MOSA can be assessed from the reading of this meter.

However, experience tells us that this method is not sensitive to the change in the magnitude of the resistive leakage current. Depending on the diameter of the MOSA discs, the peak value of the capacitive current of MOSA ranges from 0.5 to 3mA. The capacitive current of a MOSA depends on the number of valve elements in

parallel, the stray capacitance between the MOSA column and other MOSA or charged objects and the voltage applied across the MOSA. The resistive leakage current component, on the other hand, is in the range of 50-500  $\mu\text{A}$  (peak), depending on the temperature, applied voltage and the condition of a MOSA.

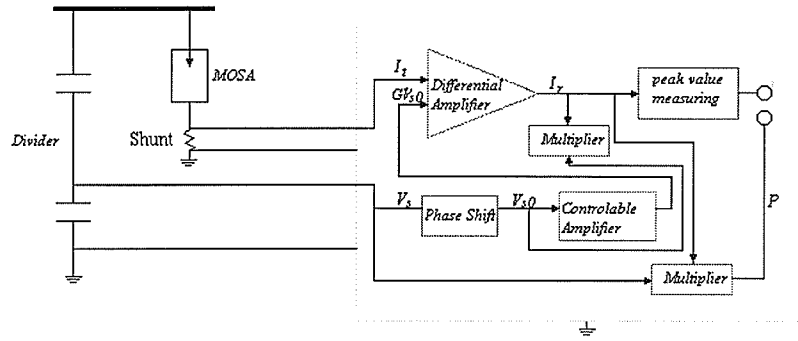
Suppose that for an unaged MOSA, its original resistive leakage current is 50 $\mu\text{A}$  and that the capacitive component is 1 mA. Suppose now that the MOSA ages and the resistive leakage current reaches a value of 500 $\mu\text{A}$ , which is an increase of 1000% in the resistive leakage current; the corresponding increase in the reading of the milliamperemeter is only 10%. According to operating experience, an obvious change in the reading of the milliamperemeter will be noticed only if moisture ingress is very serious or the MOSA has aged considerably. This method fails as a diagnostic method if the arrester is aged only slightly. Therefore, this method is unsuitable for on-site checks of the condition of MOSA.

### **1.2.2. Resistive Leakage Current and Power Loss Method [5, 6]**

In order to investigate the ageing process of MOSA, a compensation method, which uses the resistive leakage current  $I_r$  and power loss  $P$  as indicators, has been proposed.

#### **1.2.2.1. The Principle of the Resistive Leakage Current and Power Loss Method**

The structure of this kind of instrument is illustrated in Fig.1.3.



**Figure 1.3.** Schematic diagram of the resistive leakage current measuring instrument [4].

Two channels of signals, the total current  $I_t$  and the system voltage  $V_s$ , are obtained from a CT and a voltage divider (or a PT) respectively. The voltage  $V_s$  is shifted  $90^\circ$  ahead in order to keep it in phase with the capacitive component of  $I_t$ . The phase shifted voltage signal  $V_{s0}$  is then sent to the controllable amplifier. The output  $GV_{s0}$  is input into a differential amplifier and to obtain the signal  $(I_t - GV_{s0})$ . The amplifier and the multiplier form an automatic feedback system to control the controllable amplifier.

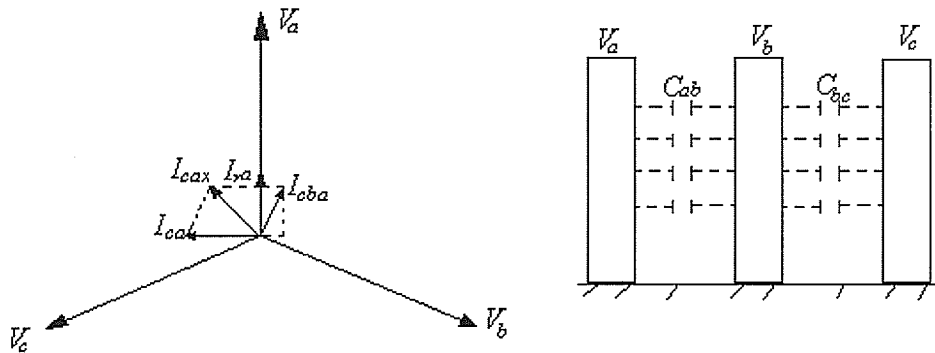
Suppose that  $V_s$  is purely sinusoidal, the value of  $G$  is changed until the magnitude of  $(I_t - GV_{s0})$  reaches zero, i.e. the capacitive component in  $I_t$  has been completely compensated; the resistive component,  $I_r$ , which equals to  $(I_t - GV_{s0})$ , can then be obtained. The peak value of  $I_r$  and the power loss  $P$  can be obtained through a peak value measurement unit and a multiplier and can be displayed.



### 1.2.2.2. Errors Associated With Resistive Leakage Current and Power Loss Method

The resistive leakage current and power loss method is a quite straightforward method. For on-site monitoring, the errors associated with it are due to the following aspects.

First, errors result due to inter-phase interference.

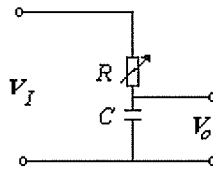


**Figure 1.4.** Phasor diagram showing the influence of the neighbouring phases

Fig.1.4 shows the phasor diagram of three-phase voltages and phase A current.  $I_{ra}$  is the resistive leakage current component of phase A, and  $I_{ca}$  is the capacitive current component while  $I_{cba}$  is the current coupled through  $C_{ab}$  from the neighbouring phase B. In this case, we suppose that the MOSA works under pure sinusoidal voltage. The phasor sum of  $I_{ca}$  and  $I_{cba}$  is  $I_{cax}$ , which lags  $I_{ca}$ . The phasor  $I_{cax}$  is not at  $90^\circ$  with respect to  $V_a$ . If the compensation criteria mentioned above is implemented, the capacitive current can not be totally compensated for and a larger resistive reading will be obtained for phase A.

Measurements in phases B and C may be analysed similarly. The resistive leakage current in the middle phase, phase B, will not be influenced by the neighbouring phases while the value in phase C will be lower than its real value.

In order to exclude the influence of neighbouring phases, a phase shifter [5] [7], as shown in Fig.1.5, was introduced, which is inserted ahead of the testing instrument for on-site diagnostic testing.



**Fig.1.5.** Schematic diagram of a phase shifter [5] [7]

Let the input voltage be  $V_I$ , and the output voltage from the phase shifter be  $V_O$ . Then,

$$\bar{V}_O = \left[ \frac{1}{j\omega C} / \left( R + \frac{1}{j\omega C} \right) \right] \bar{V}_I = \bar{V}_I (1 + (\omega CR)^2)^{-\frac{1}{2}} \angle -\arctg(\omega CR) \quad (1-2)$$

As mentioned above, the phase angle of the capacitive current will change because of the influence of the neighbouring phase. Since the coupling current is quite small compared with  $I_{ca}$ , the change in phase angle should be very small. The magnitude of the shift in the angle is given by Eq.1-3.

$$\theta = -\arctg(\omega CR) \approx -\omega CR \quad (1-3)$$

and the shift in angle of the  $n^{\text{th}}$  order harmonic component will be  $n$  times the shift of the fundamental component. Due to the insertion of the phase shifter, the change in

magnitude is given by  $(1 + (\omega CR)^2)^{\frac{1}{2}} \approx 1$ , i.e. the magnitude after shifting is almost the same as the pre-shift magnitude.

After shifting of the phase angle, by selecting a suitable  $G'$ , the value of  $(I_{\text{cax}} - G'V_{s0})$  may be made to equal zero. The resistive leakage current can then be calculated as

$$I_r = I_t - G'V_{s0} \quad (1-4)$$

In Eq.1-4,  $I_t$  is the total leakage current, which includes interphase interference.

The second aspect of error introduced from the measurement is from harmonic voltages. This influence manifests itself in two ways.

On the one hand, as will be discussed in Chapter 2, the harmonic voltages, their magnitude and phase angle, will greatly influence the value of  $I_r$  and will cause very misleading results.

On the other hand, as discussed above, if a phase shifter and the testing instrument are used together, test errors will result as well. Suppose that the system voltage comprises of the fundamental, 3<sup>rd</sup> and 5<sup>th</sup> harmonic voltages only. The magnitude of the phase angle shift can be obtained from Eq.1-3. For higher order harmonics, the phase shift angle will be  $n$  times that of the fundamental component. But, for the zero sequence 3<sup>rd</sup> harmonic voltage component, its phase angle does not need shifting; and for the negative 5<sup>th</sup> harmonic voltage component, its phase angle should be shifted in the opposite direction, and the magnitude of the shifting angle will not be linear with that of the fundamental component. Thus, a fixed phase shifter will cause an incomplete compensation of the total capacitive component.

Finally, the errors, especially the phase angle error, introduced by the clamp type CT should not be neglected.

In order to minimize the influences mentioned above, this technique needs some modification which will be discussed in Chapter 3.

### 1.2.3. Probe Method [3]

This is a compensation technique originally proposed by Scandinavian researchers [3]. It uses the 3<sup>rd</sup> harmonic component of the resistive leakage current as the indicator. An instrument based on this technique is manufactured by a Norwegian company and is still in use. According to the company's internet advertisement of this instrument [<http://www.Transinor.st.no/products/lcm/teclcm.html>], this instrument is not sensitive to system harmonics, and the test result will not be influenced by the position of the probe. As discussed in Chapters 2 and 3, these claims may be misleading.

#### 1.2.3.1. Principle of Probe Method

The schematic diagram of this method is shown in Fig.1.6. A detailed discussion of this method has been included in chapter 3.

As shown in Fig.1.6, from the ground connection of MOSA, the total current  $I_t$  can be obtained with a shunt or a clamp type CT. The probe current  $I_p$ , on the other hand, can be obtained by introducing a capacitive probe.

The capacitive current should be known to enable the calculation of  $I_{r3}$  as shown in Eq.1-4.

$$\bar{I}_{r3} = \bar{I}_{t3} - \bar{I}_{c3} \quad (1-4)$$

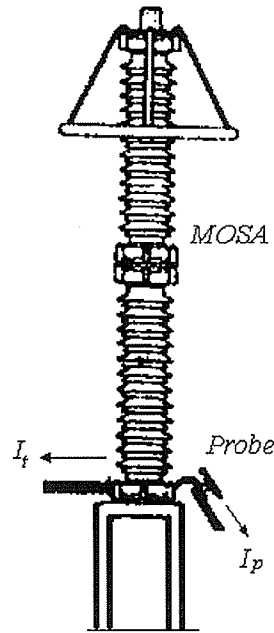
Because of the difficulties in obtaining the capacitive current component directly, the probe current is used to derive  $I_{e3}$  in Eq.1-4 by introduction of the ratio of two factors,  $k_1$  and  $k_3$ .

$$k_1 = \frac{I_{t1}}{I_{p1}} \quad (1-5)$$

and

$$k_3 = \frac{I_{t3}}{I_{p3}} \quad (1-6)$$

In Eqs.1-5 and 1-6.  $I_{t1}$ ,  $I_{t3}$  are the fundamental and 3<sup>rd</sup> harmonic leakage currents, and  $I_{p1}$  and  $I_{p3}$  are the fundamental and 3<sup>rd</sup> harmonic probe currents.



**Figure 1.6** Probe Method [3]

It is implied that although  $k_1$  and  $k_3$  are sensitive to the configuration of MOSA, their ratio may be practically constant. The value of this ratio, according to a Boundary Element Method simulation, is in the range of 0.69-0.82 for a variety of

MOSA configurations as illustrated in [3]. Taking the average of this ratio,  $I_{r3}$  can be calculated from Eq.1-7.

$$\bar{I}_{r3} = \bar{I}_{t3} - 0.75 \bar{I}_{p3} \frac{I_{t1}}{I_{p1}} \quad (1-7)$$

### 1.2.3.2. Test Error Inherent with Probe Method

The probe picks up the 3<sup>rd</sup> harmonic voltage component, which is then used to compensate for the influence of the 3<sup>rd</sup> harmonic voltage. As shown in Chapter 2, in detail, the 3<sup>rd</sup> harmonic resistive leakage current component will not only be influenced by the fundamental and 3<sup>rd</sup> harmonic voltages, but also by higher order harmonic voltages such as 5<sup>th</sup>, 7<sup>th</sup>, and so on. In practice, the magnitude of these higher order harmonic voltages may be larger than that of the third order harmonic content, as shown in Chapter 3. The influence of higher order harmonic voltages can not be neglected. Although the probe does pick up the 5<sup>th</sup>, 7<sup>th</sup> and other harmonic voltages, they can not be compensated for using the technique proposed in [3].

Another error in this method lies in the introduction of the constant ratio of the two factors,  $k_1$  and  $k_3$ , as mentioned in 1.2.3.1. However, this error can be eliminated if a user resorts to a real 3-D electric field analysis for every real configuration of MOSA. The 3-D electric field analysis exceeds the scope of the investigation of this project. In order to verify whether or not the measured results are influenced by probe position, tests were conducted using a three-phase configuration in which the probe position was varied; these tests and results are reported in chapter 3.

### 1.2.4. Neutral Current Method [4, 7]

#### 1.2.4.1. The Principle of Neutral Current Method

As shown in Fig.1.7, the zero sequence leakage current of MOSA,  $I_0$ , can be obtained from the neutral line using a shunt or a suitable clamp type CT. If the MOSA in three phases are identical and three-phase voltage is pure sinusoidal voltage and balanced, the sum of the positive and negative components of the leakage current will be zero, and the neutral current  $I_0$  equals to  $3I_3$ .

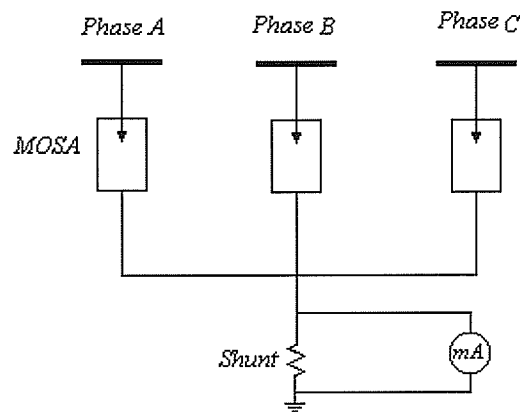


Fig.1.7.Schematic diagram of Neutral Current Method

#### 1.2.4.2. Errors with Neutral Current Method

First, the errors will be caused by unbalanced three-phase voltage. Unbalance of the three phase voltages will result in quite misleading results, even with identical MOSA in three phases. In this case, the sum of positive and negative components will not be zero. The non-zero sum will add to the zero sequence components, and an unacceptable neutral current will be displayed by the milliammeter, even if the MOSAs are unaged.

If the ageing of the MOSA in the three phases are not identical, as will be discussed in Chapter 3, the extra sum from the negative and positive leakage current components will result in quite confusing results.

The harmonic voltages will also greatly influence the test result. Due to the non-linear characteristics of MOSA valve elements, not only will the fundamental component of the applied voltage result in the 3<sup>rd</sup> harmonic resistive leakage current, but also the 3<sup>rd</sup>, 5<sup>th</sup>, 7<sup>th</sup>, etc. Besides, the 3<sup>rd</sup> harmonic voltage components will result in  $3I_{e3}$ , which will add up to the neutral current. This will result in a much greater reading in the milliamperere meter. This aspect is more fully discussed in Chapter 2.

Besides, non-pulsating leakage current due to the lowered surface resistance of the housing will influence the reading of the milliamperere meter. Furthermore, if the MOSA in the three phases age identically, this method can not distinguish whether the increased current is due to MOSA ageing or due to external effects.

Thus, in order to make full use of the advantage of this method, modifications need to be introduced and the testing technique needs to be improved. The suggested modifications of this method are discussed in Chapter 3.

### **1.3. Scope of Present Investigation**

For the currently used techniques mentioned above, the influence of voltage harmonics on the resistive leakage current and its 3<sup>rd</sup> harmonic component of MOSA are studied first. The results of the diagnostic testing techniques obtained by using a laboratory set-up are reported. Finally, the validity of the simple representation model of MOSA is discussed.



### **1.3.1. Study of the Influence of Harmonic Voltage on On-site Testing of MOSA**

In this study, the representation of  $v$ - $i_r$  characteristics of MOSA in the low electric field region is first discussed. The harmonic components of resistive leakage current of aged and unaged MOSA under pure sinusoidal voltage are simulated. The effects of non-sinusoidal voltage on the harmonic component of the leakage resistive current are then studied. Finally, the results of the resistive leakage current under non-sinusoidal voltage are compared with those from the aged MOSA under pure sinusoidal voltage.

### **1.3.2. Investigation of the Techniques for On-site Diagnostic Testing of MOSA**

(1). First, the  $v$ - $i_r$  characteristics of some aged and unaged MOSA are derived experimentally.

(2). Secondly, three kinds on-site diagnostic testing techniques are investigated; i.e. investigation of the resistive leakage current method, probe method and the neutral current method. The test results of each technique are discussed and analysed. Possible improvements are suggested for the resistive leakage current and the neutral current methods.

### **1.3.3. Brief Discussion of the Simple Representative Model of MOSA**

The test results show that the present practice of using a simple representation of MOSA, which consists of a constant capacitor and a non-linear resistor in parallel is questionable. This aspect is discussed briefly in Chapter 3.

## **CHAPTER 2**

### **Influence of Voltage Harmonics on MOSA Resistive Current Used as a Diagnostic Indicator**

As mentioned in Chapter 1, in order to ascertain the condition of a MOSA many on-site methods have been suggested of which leakage current based methods are the most popular. These methods utilize the resistive portion of the leakage current which is non-sinusoidal because of the non-linear volt-ampere characteristics of the MOSA. Either the magnitude of the resistive current or its harmonic component, notably the third order component, may be used as a diagnostic indicator on a long-time basis. In either case, the total current has to be measured.

Consider the case where the applied voltage is a pure sinusoid i.e.,  $V = \sqrt{2} V_1 \cos(\omega t)$ . In this case, the measured current,  $i_r$ , may be resolved into its resistive and capacitive components  $i_r$  and  $i_c$ . The component  $i_r$  is resolved into its spectral components of which the third harmonic  $i_{r,3}$  is used as an indicator. The

current  $i_c$  is of fundamental frequency only, i.e.  $i_c = i_{c1}$ . It should be noted that  $i_{r3}$  exists because of the nonlinear characteristics of the MOSA.

Suppose the applied voltage contains a third harmonic component  $V_3$ . In this case

$$v = \sqrt{2}V_1 \cos(\omega t) + \sqrt{2}V_3 \cos(3\omega t + \Phi_3) \quad (2-1)$$

The total current,

$$i_t = i_r + i_c \quad (2-2)$$

The current  $i_c$  consists of fundamental and third harmonic components, i.e.,

$$i_c = i_{c1} + i_{c3} \quad (2-3)$$

The component  $i_{c3}$  arises due to the presence of the 3<sup>rd</sup> harmonic in voltage.

The current  $i_r$  is also composed of fundamental and harmonics. Neglecting all harmonics of order greater than 3.

$$i_r = i_{r1} + i_{r3} + i'_{r3} \quad (2-4)$$

In Eq.2-4,  $i_{r3}$  arises due to the non-linearity of MOSA volt-amp characteristics whereas  $i'_{r3}$  arises due to the presence of the third harmonic in voltage,

$V_3$ . The magnitude of  $i'_{r3}$  depends on the magnitude of  $V_3$  and its phase angle  $\Phi_3$ . The above suggests that it is not only necessary to account for  $i_{r3}$  as has been done in [3] but also to take into effect the influence of  $i'_{r3}$ . This aspect has been explored in this chapter.

## 2.1. Representation of MOSA v- $i_r$ Characteristics in the Low

### Electric Field Region

#### 2.1.1. Exponential Representation

An exponential representation of the type

$$i_r = cv^\alpha \quad (2-5)$$

has been proposed in literature [8] which is similar to that used to characterize the behavior of a SiC arrester [10]. In equation (2-5),  $i_r$  is the instantaneous value of resistive current and  $v$  is the instantaneous value of the phase-ground voltage acting across the MOSA. The constant  $C$  is material dependent and  $\alpha$  is the rate of change of  $\ln(i_r)$  with respect to  $\ln(v)$ , which is a function of temperature and voltage,  $\alpha = \alpha(v, T)$ .

Figure 2.1 shows the experimentally obtained v- $i_r$  [9] characteristics pertaining to a new unaged arrester rated at 120kV ( $V_N=120$ kV) at a temperature of 20°C; the points denoted by "x" represent experimental data. The best fit to the experimental data of Eq.2.1 obtained by use of the Least-Square-Technique is described by:

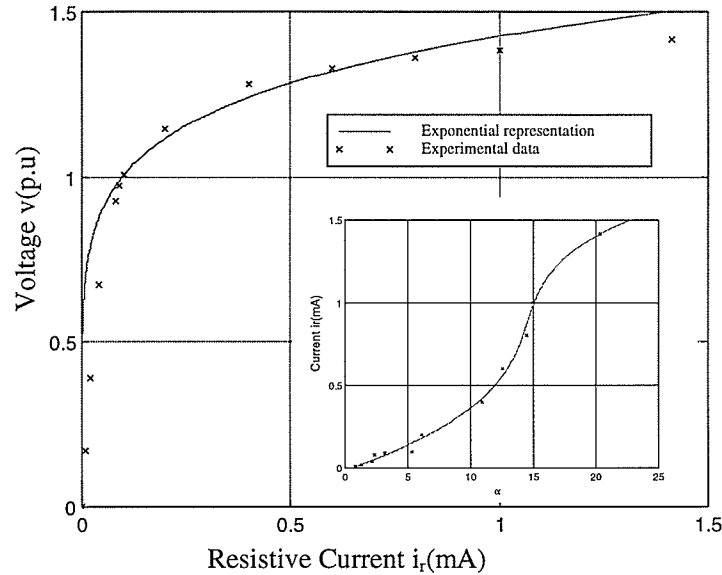
$$i_r = 0.096135v^{6.6088} (mA) \quad (2-6)$$

which is shown in Fig. 2.1 by the solid line. In Eq.2-6,  $v$  is in p.u (p.u.  $v =$  actual voltage/arrester rated voltage). From Figure 2.1, it is apparent that the exponential

representation is not very accurate. The reason for this can be explained as follows.

From equation (2-5),  $\alpha$  can be expressed as:

$$\alpha = \frac{d(\ln(i_r))}{d(\ln(v))} \quad (2-7)$$



**Figure 2.1.** 120kV MOSA voltage  $v$ – resistive current  $i_r$  relation

xxx: experimental data

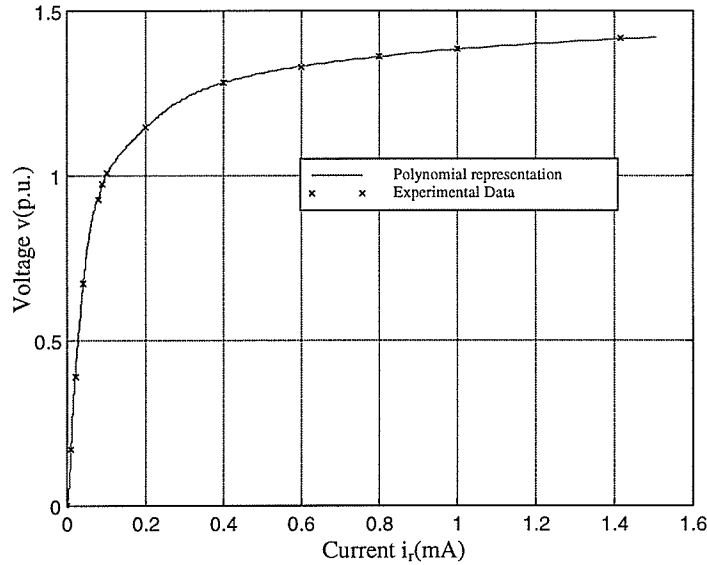
---: exponential representation according to Eq. 2.1

Inset:  $\alpha$  -  $i_r$  relation in low electric field region

As shown in the inset of Fig. 2.1, the value of  $\alpha$ , for a fixed temperature, changes with  $i_r$ , varying from about 0.5 at low  $i_r$  to about 20 at a high value of  $i_r$ . Use of a constant  $\alpha$  value therefore results in considerable error. Eq. 2-5 with constant  $\alpha$  value can only be used to represent MOSA  $v$ - $i_r$  characteristics in the medium electric field region where  $\alpha$  value is relatively constant [8].

### 2.1.2. Polynomial Representation

As pointed out above, simulation of MOSA behavior in the low electric field region using an exponential representation results in serious error. In order to achieve an accurate fit, a multi-segment polynomial representation is proposed as follows.



**Figure 2.2:** 120KV MOSA voltage  $v$  – resistive current  $i_r$  relation

xxx: experimental data

---: Polynomial representation according to Eqs.2-8 and 2-9

From examination of the data in Figure 2.1, it is obvious that the  $v$ - $i_r$  relationship is markedly nonlinear for  $v \geq 0.8$ p.u. For  $v \leq 0.8$ p.u the nonlinearity, although evident, is not as pronounced. A two segment polynomial representation is therefore proposed. It was found that a good fit could be achieved by using a fifth order polynomial representation. In the voltage range 0-0.8p.u, the polynomial representation is given by:

$$i_r = 0.8765v^5 - 1.9491v^4 + 1.6014v^3 - 0.5401v^2 + 0.1130v \quad (2-8)$$

and for voltage greater than 0.8p.u, the representation is:

$$i_r = 208.2v^5 - 1107.8v^4 + 2347.2v^3 - 2476v^2 + 1300.3v - 271.9 \quad (2-9)$$

The polynomial representation and the original experimental data are shown in Fig. 2.2. Comparison of Figs.2.1 and 2.2 shows that the polynomial representation is more accurate than the exponential representation.

## 2.2. Harmonic Components of Resistive Current of Aged and Unaged

### MOSA under Pure Sinusoidal Voltage

#### 2.2.1. Case 1: Unaged MOSA, Pure Sinusoidal Applied Voltage

In this case, the ac voltage across the unaged arrester is assumed to be a pure sinusoid of the following form:

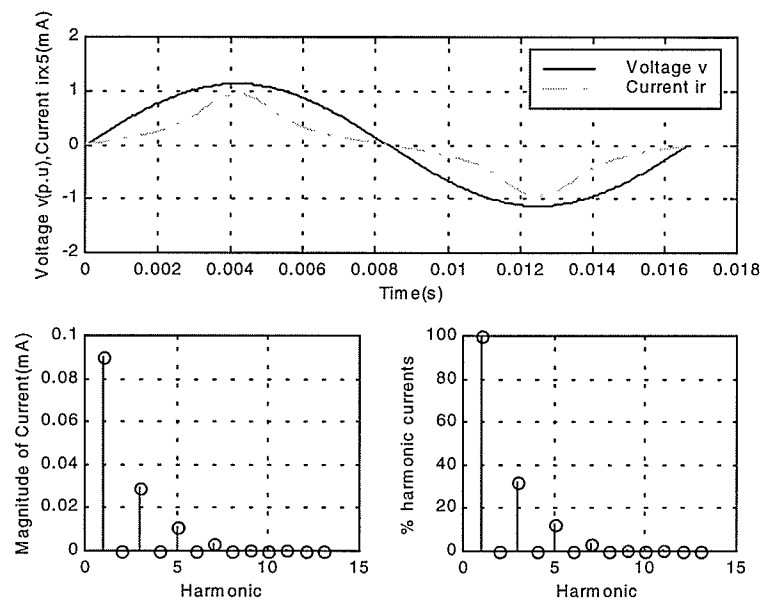
$$v(t) = \sqrt{2}V \sin(\omega t) \quad (2-10)$$

In equation (2-10),  $v(t)$  is the instantaneous operating voltage at time  $t$ ;  $V$  is the MCOV (RMS) value, which is about 0.6-0.8 of the reference voltage,  $V_{\text{ref}}$ , of MOSA. According to the ANSI/IEEE Standard, the reference voltage, which is situated near the knee point of the  $v$ - $i_r$  characteristic curve, is almost equal to the rated voltage  $V_N$  of most high-voltage arresters. Therefore, the MCOV value lies in the range of 0.6-0.8 $V_N$ . In the following, the MCOV is defined to be equal to 0.8 $V_N$ .

When the sine wave of period  $T$  ( $T = 1/60 = 0.01667''$ ) in Eq.2-10 is discretized with 256 points, i.e.  $N=256$ , the discretization interval,  $\tau$ , is equal to  $T/256$ . The discrete representation of Eq.2-10 is:

$$v(k) = \sqrt{2}V \sin(k\omega\tau), k = 0,1,2,\dots,N-1 \quad (2-11)$$

For every value of  $v(k)$ , the corresponding  $i_r(k)$  can be calculated from Eqs.2-8 and 2-9. The magnitude spectrum of the harmonic components in  $i_r$  can be calculated easily by employing the FFT algorithm.



**Figure 2.3:** Spectrum of resistive harmonic current in unaged 120kV MOSA for pure sinusoidal applied voltage of 96kV(RMS)( Eq. 2-10)

The waveform of applied voltage and resistive leakage current and the corresponding magnitude spectrum of resistive harmonic current are shown in Fig 2.3.

It is obvious that the resistive current  $i_r(t)$  is non-sinusoidal. For the arrester under consideration, the RMS value of the resistive current,  $I_r$ , is 95.3 $\mu$ A. The RMS value of the fundamental,  $I_{r1}$ , and 3<sup>rd</sup> harmonic component,  $I_{r3}$ , are 88.9 $\mu$ A, 31.8 $\mu$ A respectively. The 3<sup>rd</sup> harmonic content amounts up to 35.78% of the fundamental component. It is seen that, even with a pure sinusoidal voltage acting across an unaged MOSA, the resistive current is not sinusoidal which results in the presence of a 3<sup>rd</sup> harmonic current.

### 2.2.2. Case 2: Aged MOSA, Pure Sinusoidal Applied Voltage

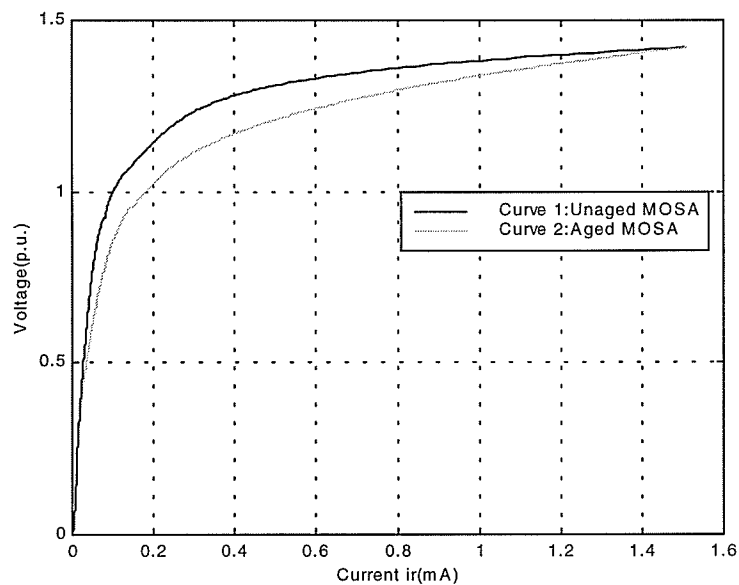
For reasons mentioned in Chapter 1, a MOSA ages with time in service. Due to ageing, the magnitude of resistive leakage current increases with resulting increase in



harmonic components. The  $v-i_r$  characteristics of an aged and unaged MOSA are shown in Fig.2.4. For the aged MOSA, the voltage required to cause 1mA peak resistive current is taken to be 90% or less of the value of the unaged MOSA.

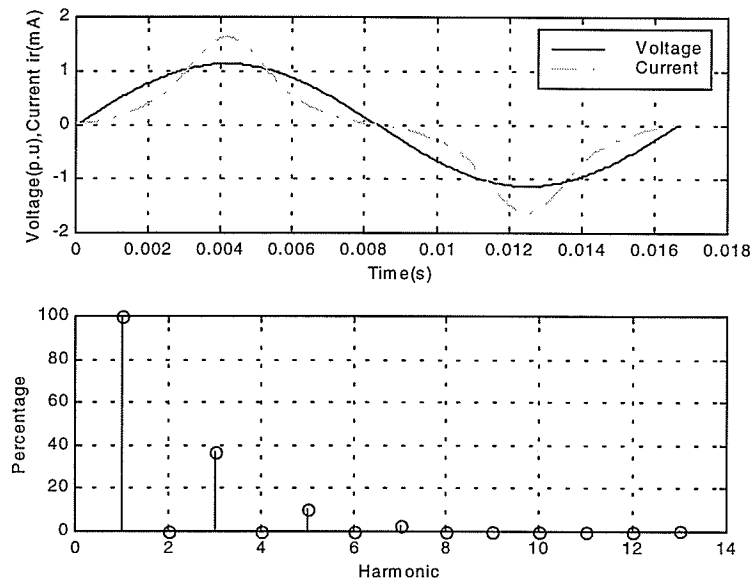
In practice, under this condition, the MOSA is normally removed from service.

For the aged MOSA, the waveform of applied voltage and resistive leakage current and the corresponding magnitude spectrum of resistive harmonic current are shown in Fig 2.5.



**Figure 2.4.**  $v-i_r$  characteristics of aged and unaged MOSA

From Figs 2.3 and 2.5, the resistive leakage current of a MOSA increases considerably due to ageing. For the aged arrester, at its MCOV,  $I_r$  increases to 163.8  $\mu\text{A}$ , which is almost 1.7 times of those obtained under the unaged condition. The 3<sup>rd</sup> harmonic component  $I_{r3}$  is now 56.8  $\mu\text{A}$ , which is almost 1.8 times the unaged value. Monitoring the total resistive current or the third order harmonic current enables one to find out the operational condition of MOSA.



**Figure 2.5:** Spectrum of resistive harmonic current in an aged 120kV MOSA for pure sinusoidal applied voltage of 96kV(RMS)(Eq.2-10)

### 2.3. Harmonic Content of Voltage in Power Systems [11]

In a power system, harmonic components are present in the voltage due to many reasons. Harmonic voltages are introduced at the generation end and in transmission and distribution systems due to unbalanced faults, non-linear excitation of power transformers, and increased use of power electronic technology. Even the synchronous generator itself injects harmonic voltage components into a power system. At the customer end, the use of arc furnaces in the iron-steel industry, TV sets, fluorescent lighting installations and the increasing use of Pulse Width Modulation (PWM) drives for ac motors, etc, are very common. All these loads will result

in the injection of harmonic current into the power system and will result in the further distortion of the voltage of the bus at which such loads are connected.

The spread of harmonic currents in power system depends on the power system configuration and results in a very complicated harmonic voltage distribution pattern. Because of the harmonic power flow the harmonic components and content will be rather different in different portions of the same power system i.e. low voltage, medium voltage system, etc. Furthermore, the harmonic contents and their magnitude in a power system will vary with time. The same can be said for the phase angles of the harmonic components. Therefore, in practice, the voltage across a MOSA will never be a pure sinusoid. The harmonic distortion will affect the wave shape and magnitude of the resistive leakage current, which in turn affects the harmonic spectral components. This aspect is investigated in Section 2.4.

#### **2.4. Effect of Nonsinusoidal Voltage on Harmonic Components of the Resistive Current of the unaged 120kV MOSA**

As discussed above, the harmonic components in the voltage will never be constant. In the following, the effects of the 3<sup>rd</sup> and the 5<sup>th</sup> harmonic components acting alone and in various combinations are discussed.

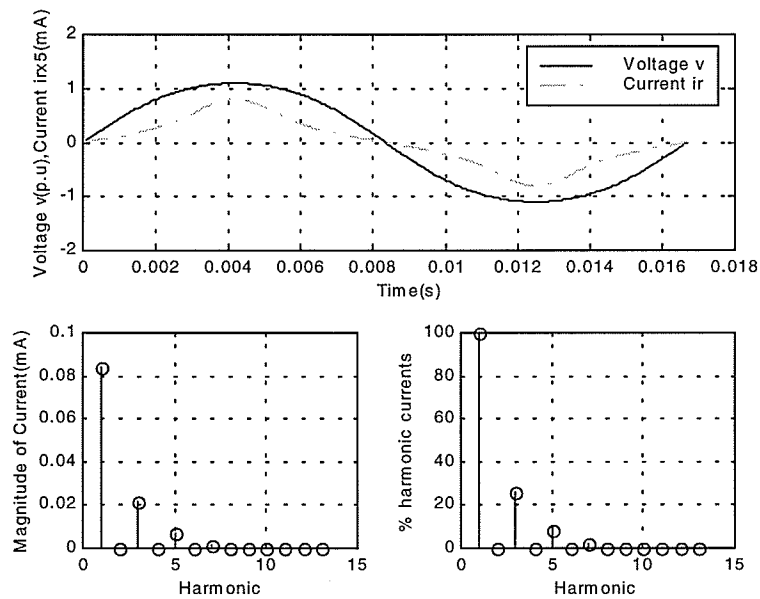
##### **2.4.1. Effects of 3<sup>rd</sup> Harmonic in Voltage on the 3<sup>rd</sup> Harmonic Component of Resistive Leakage Current**

In the following, the magnitude of the 3<sup>rd</sup> harmonic voltage component and its phase angle are designated by  $V_3$  and  $\Phi_3$  respectively. The actual voltage across the MOSA is obtained by addition of the fundamental and the 3<sup>rd</sup> harmonic voltage, components i.e.,

$$v = V_1 \cos(\omega t) + V_3 \cos(3\omega t + \Phi_3). \quad (2-12)$$

**Case1:**  $\Phi_3=0^\circ$ ,  $V_3=3\%V_1$

The resulting voltage waveform,  $v$ , was discretized and the resistive leakage current  $i_r$  calculated from the polynomial representation Eqs.2.8 and 2.9. Next, the FFT was performed on the discretized current waveform and the spectral components obtained. The waveform of applied voltage and resistive leakage current and the corresponding magnitude spectrum of resistive harmonic current are shown in Fig. 2.6. Comparison with the results obtained from the unaged MOSA under pure sinusoidal voltage (Fig. 2.3) shows that  $I_r$  decreases to  $86.6\mu\text{A}$ , its fundamental component  $I_{r1}$  is  $82.6\mu\text{A}$ , and its 3<sup>rd</sup> harmonic component  $I_{r3}$  is  $24.5\mu\text{A}$  which is 29.66% of the fundamental component  $I_{r1}$ .

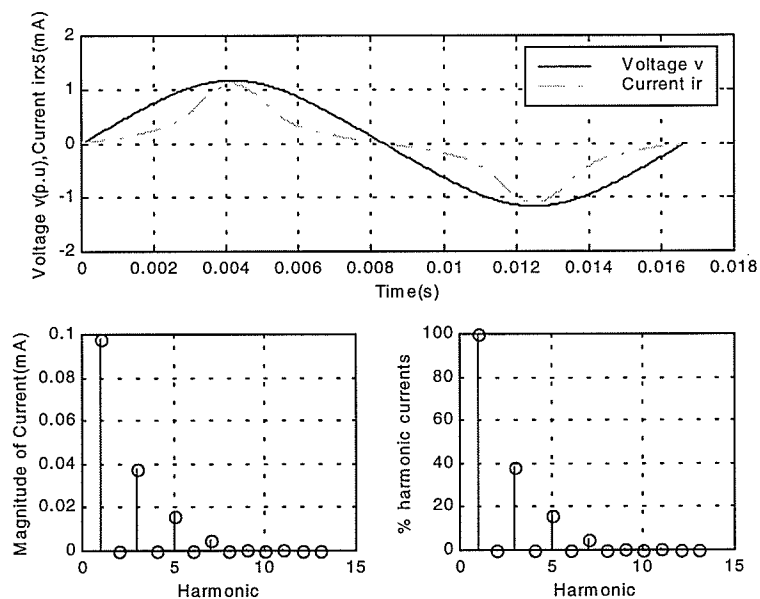


**Figure 2.6.** Spectrum of resistive harmonic current in unaged 120kV MOSA for applied voltage of 96kV(RMS) contaminated with 3% of 3<sup>rd</sup> harmonic voltage,  $\Phi_3=0^\circ$  (Eq.2-12)

**Case 2:**  $\Phi_3=180^\circ$ ,  $V_3=3\%V_1$

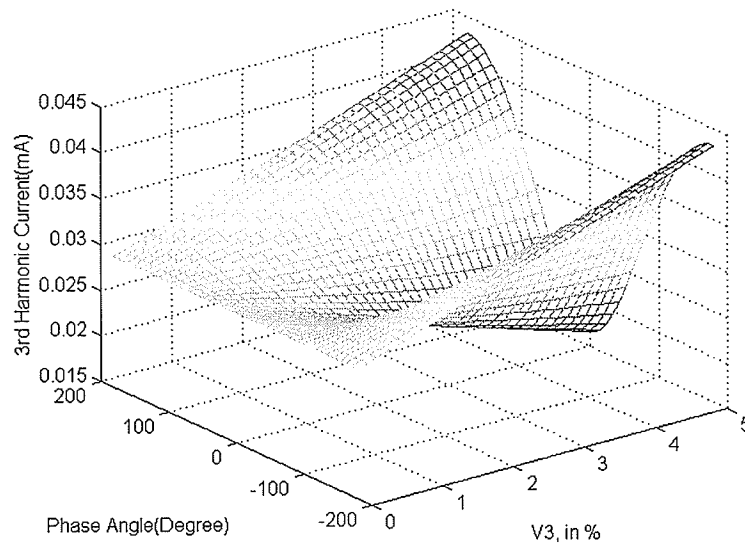
The waveform of applied voltage and resistive leakage current and the corresponding magnitude spectrum of resistive harmonic current are shown in Fig 2.7.

For this case,  $I_r = 105.1\mu\text{A}$ ,  $I_{r1} = 95.8\mu\text{A}$  and  $I_{r3} = 39.4\mu\text{A}$  (41.13% of  $I_{r1}$ ). Also, as shown in Fig. 2.7, the peak value of  $i_r$  is approximately  $250\mu\text{A}$ , compared with  $125\mu\text{A}$  obtained under a pure sinusoidal voltage. This increase can be explained by the increase in the peak value of the voltage when the fundamental component  $V_1$  is added to the triple frequency component  $V_3$  with phase shift  $\Phi_3 = 180^\circ$ .



**Figure 2.7.** Spectrum of resistive harmonic current in unaged 120kV MOSA for applied voltage of 96kV(RMS) contaminated with 3% of 3<sup>rd</sup> harmonic voltage,  $\Phi_3 = 180^\circ$  (Eq.2-12)

Figure 2.8 shows the variation in the percent content of the resistive 3<sup>rd</sup> harmonic leakage current  $I_{r3}$  as a function of the magnitude and phase angle of 3<sup>rd</sup> harmonic component in the applied voltage.



**Figure 2.8.** Showing dependence of resistive 3<sup>rd</sup> harmonic current on 3<sup>rd</sup> harmonic voltage,  $V_3$ , and its phase angle,  $\Phi_3$  (Eq.2-12)

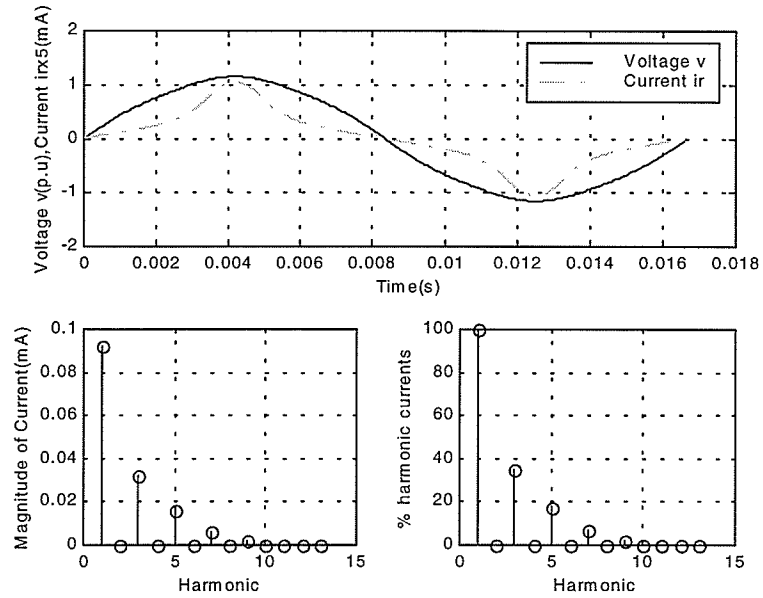
#### 2.4.2 Effect of 5<sup>th</sup> Harmonic Voltage on Spectral Components of the Resistive Leakage Current

When only the fifth harmonic is assumed to be present in the voltage, the voltage waveform is described:

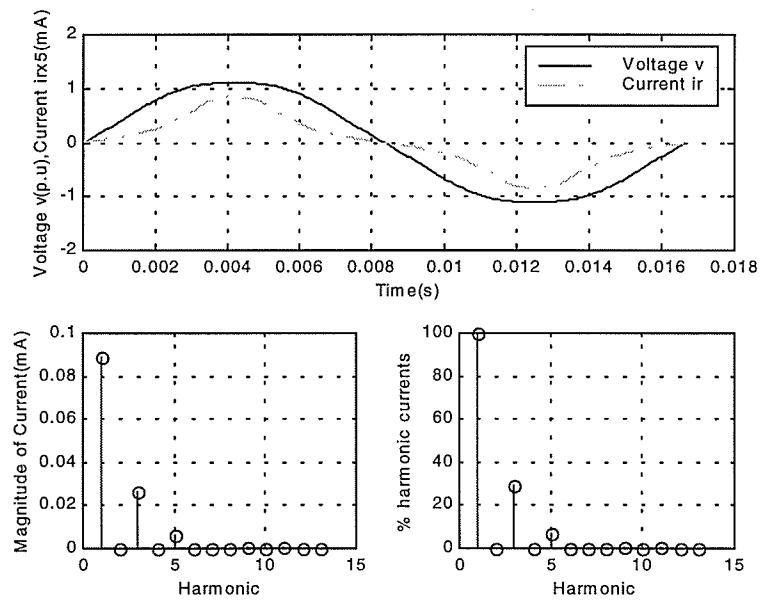
$$v = V_1 \cos(\omega t) + V_5 \cos(5\omega t + \Phi_5). \quad (2-13)$$

Case 1:  $\Phi_5 = 0^\circ$  and  $V_5 = 2\% V_1$ .

The waveform of applied voltage and resistive leakage current and the corresponding magnitude spectrum of resistive harmonic current are shown in Fig 2.9. Comparison with the results obtained from the unaged MOSA under pure sinusoidal voltage Fig.2.3 shows that  $I_r$  increases to  $98.5\mu\text{A}$ .  $I_{r1}$  is now  $90.4\mu\text{A}$ , and  $I_{r3}$  is  $34.7\mu\text{A}$  which is 38.38% of the fundamental component,  $I_{r1}$ .



**Figure 2.9.** Spectrum of resistive harmonic current in unaged 120kV MOSA for applied voltage of 96kV(RMS) contaminated with 2% of 5<sup>th</sup> harmonic voltage,  $\Phi_5=0^\circ$  (Eq.2-13)



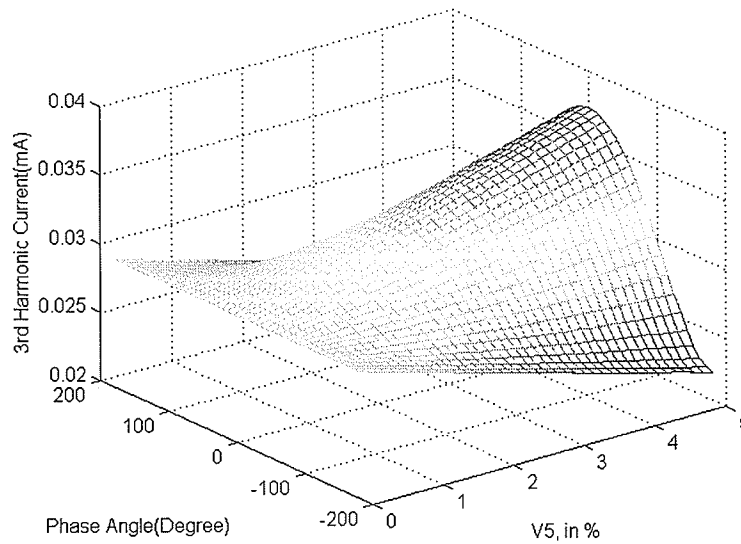
**Figure 2.10.** Spectrum of resistive harmonic current in unaged 120kV MOSA for applied voltage of 96kV(RMS) contaminated with 2% of 5<sup>th</sup> harmonic voltage,  $\Phi_5=180^\circ$  (Eq.2-13)

**Case 2:**  $\Phi_5 = 180^\circ$ ,  $V_5 = 2\%V_1$

The corresponding results are shown in Figure 2.10.

For this case,  $I_r = 92.9\mu\text{A}$ ,  $I_{r1} = 87.9\mu\text{A}$  and  $I_{r3} = 29.0\mu\text{A}$  which is 32.99% of the fundamental component,  $I_{r1}$ .

Figure 2.11 shows the variation in the percentage content of the resistive 3<sup>rd</sup> harmonic leakage current  $I_{r3}$  as a function of the magnitude and phase angle of 5<sup>th</sup> harmonic component in the applied voltage.



**Figure 2.11.** Showing dependence of resistive 3<sup>rd</sup> harmonic current on 5<sup>th</sup> harmonic voltage,  $V_5$ , and its phase angle,  $\Phi_5$  (Eq.2-13)

#### 2.4.3. Influence of Combined 3<sup>rd</sup> and 5<sup>th</sup> Harmonic Voltage on the 3<sup>rd</sup> Harmonic Component of the Leakage Current

Five cases are considered as shown in Table 2.1:

The actual voltage across the MOSA is obtained by addition of the fundamental, 3<sup>rd</sup> and 5<sup>th</sup> harmonic components, i.e.,

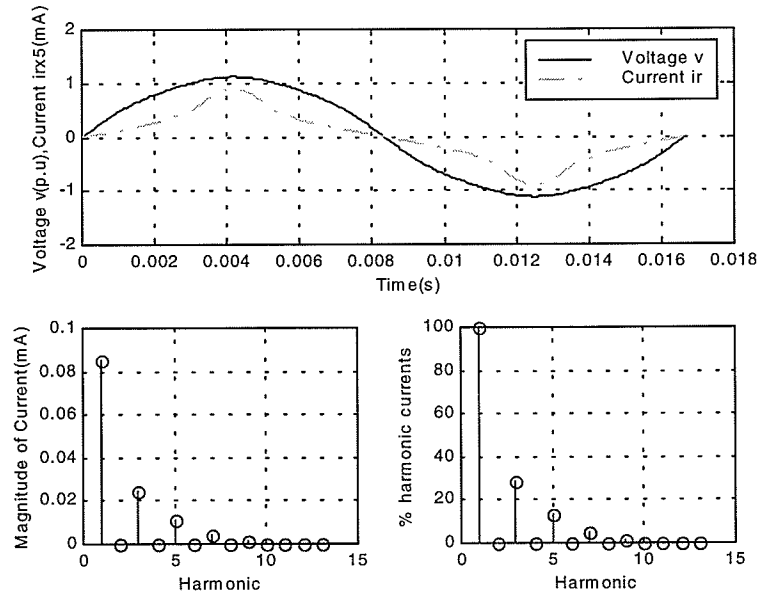
$$v(t) = V_1 \cos(\omega t) + V_3 \cos(3\omega t + \Phi_3) + V_5 \cos(5\omega t + \Phi_5). \quad (2-14)$$



Table 2.1: Summary of Simulation Results

Case Number	% of 3 <sup>rd</sup> harmonic voltage	% of 5 <sup>th</sup> harmonic voltage	Phase Angle of $V_3 \Phi_3$ (°)	Phase Angle of $V_5 \Phi_5$ (°)
1	3	2	0	0
2	3	2	0	180
3	3	2	180	0
4	3	2	180	180
5	5	5	180	0

Case 1:  $\Phi_3 = 0^\circ, \Phi_5 = 0^\circ, \%V_3=3, \%V_5=2$



**Figure 2.12.** Spectrum of resistive harmonic current in unaged 120kV MOSA for applied voltage of 96kV(RMS) contaminated with 3% of 3<sup>rd</sup> and 2% of 5<sup>th</sup> harmonic voltage components,  $\Phi_3=0^\circ, \Phi_5=0^\circ$ (Eq.2-14)

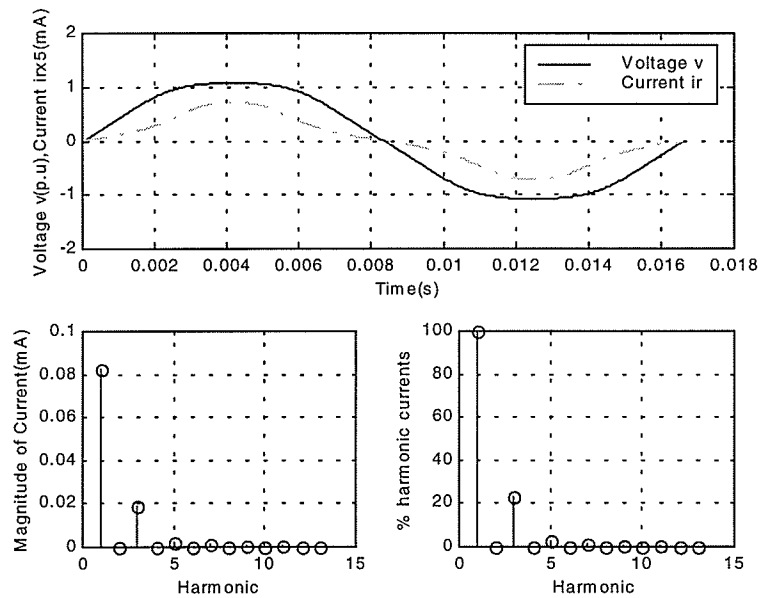
The waveform of applied voltage and resistive leakage current and the corresponding magnitude spectrum of resistive harmonic current are shown in Fig

2.12. In this case,  $I_r=89.2\mu\text{A}$ ,  $I_{r1}=83.9\mu\text{A}$ , and  $I_{r3}=27.3\mu\text{A}$  (32.54% of the fundamental component).

**Case 2:**  $\Phi_3 = 0^\circ, \Phi_5 = 180^\circ, \%V_3=3, \%V_5=2$

The waveform of applied voltage and resistive leakage current and the corresponding magnitude spectrum of resistive harmonic current are shown in Fig

2.13. In this case,  $I_r=84.8\mu\text{A}$ ,  $I_{r1}=82.6\mu\text{A}$ , and  $I_{r3}=18.8\mu\text{A}$  (22.76% of the fundamental component).

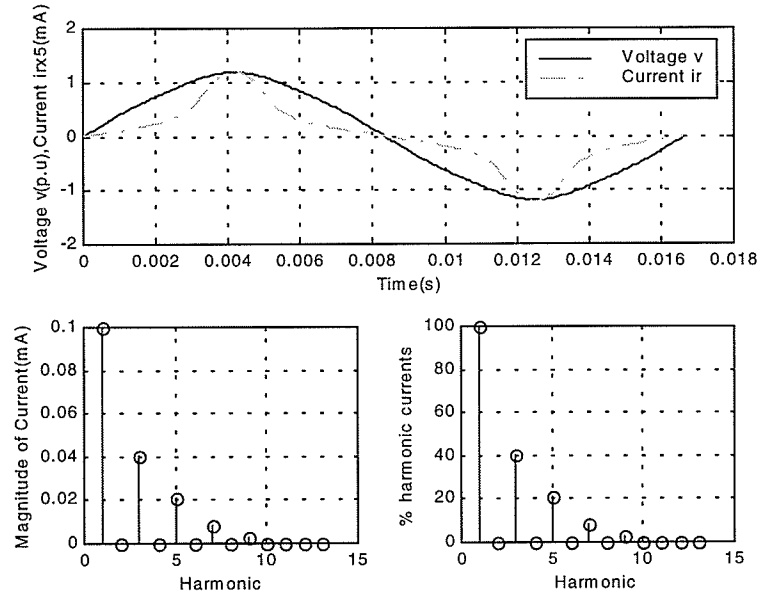


**Figure 2.13.** Spectrum of resistive harmonic current in unaged 120kV MOSA for applied voltage of 96kV(RMS) contaminated with 3% of 3<sup>rd</sup> and 2% of 5<sup>th</sup> harmonic voltage components,  $\Phi_3=0^\circ, \Phi_5=180^\circ$ (Eq.2-14)

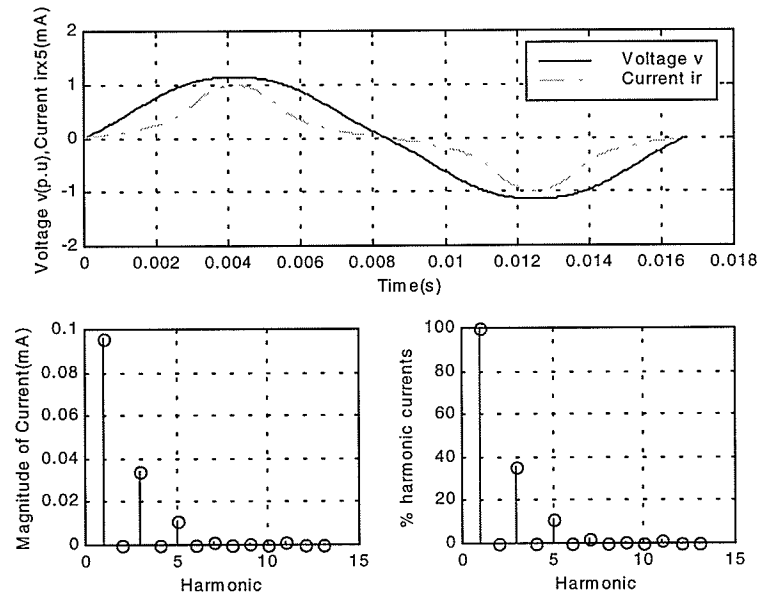
**Case 3:**  $\Phi_3 = 180^\circ, \Phi_5 = 0^\circ, \%V_3=3, \%V_5=2$

The results are shown Fig 2.14.

In this case,  $I_r=110.1\mu\text{A}$ ,  $I_{r1}=99.8\mu\text{A}$ , and  $I_{r3}=40.8\mu\text{A}$  (40.88% of the fundamental component).



**Figure 2.14.** Spectrum of resistive harmonic current in unaged 120kV MOSA for applied voltage of 96kV(RMS) contaminated with 3% of 3<sup>rd</sup> and 2% of 5<sup>th</sup> harmonic voltage components,  $\Phi_3=180^\circ, \Phi_5=0^\circ$  (Eq.2-14)



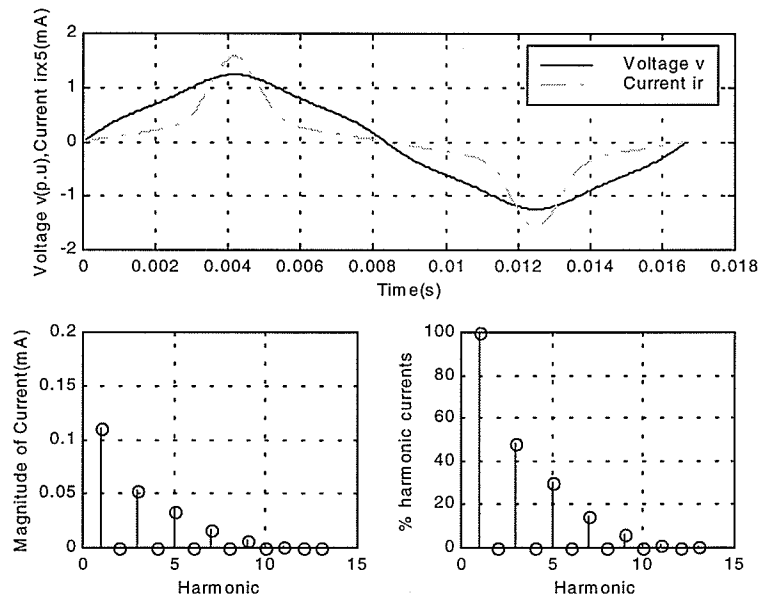
**Figure 2.15.** Spectrum of resistive harmonic current in unaged 120kV MOSA for applied voltage of 96kV(RMS) contaminated with 3% of 3<sup>rd</sup> and 2% of 5<sup>th</sup> harmonic voltage components,  $\Phi_3=180^\circ, \Phi_5=180^\circ$  (Eq.2-14)

**Case 4:**  $\Phi_3 = 180^\circ, \Phi_5 = 180^\circ, \%V_3=3, \%V_5=2$

The results are shown in Fig 2.15.

In this case, the  $I_T=102.0\mu A$ ,  $I_{r1}=94.5\mu A$ , and  $I_{r3}=36.4\mu A$  which is 38.52% of the fundamental component,  $I_{r1}$ .

**Case 5:**  $\Phi_3 = 180^\circ, \Phi_5 = 0^\circ, \%V_3=5, \%V_5=5$



**Figure 2.16.** Spectrum of resistive harmonic current in unaged 120kV MOSA for applied voltage of 96kV(RMS) contaminated with 5% of 3<sup>rd</sup> and 5<sup>th</sup> harmonic voltage components,  $\Phi_3=0^\circ, \Phi_5=180^\circ$ (Eq.2-14)

In this case, the phase angles are the same as that in Case 4 but both the 3<sup>rd</sup> and 5<sup>th</sup> harmonic components in voltage are increased to 5%. The waveform of applied voltage and resistive leakage current and the corresponding magnitude spectrum of resistive harmonic current are shown in Fig 2.16.

As shown in Figure 2.16, there is an obvious distortion of the voltage wave shape. For this case  $I_T=128.8\mu A$ ,  $I_{r1}=110.8\mu A$  and the  $I_{r3}$  increases to 53.6 $\mu A$ .

## 2.5. Summary of the Simulation Results for Unaged MOSA

A summary of the simulation results for the unaged MOSA is listed in Table 2.2.

**Table 2.2:** Simulation Results for Unaged MOSA

Harmonic Voltage(%)	Phase Angle(°)			$I_{r1}$	$I_{r3}$	$I_{r3}/I_{r1}$	$I_{r5}$	$I_{r5}/I_{r1}$	$I_{rRMS}$
	$V_5$	$\Phi_3$	$\Phi_5$	( $\mu A$ )	( $\mu A$ )	(%)	( $\mu A$ )	(%)	( $\mu A$ )
$V_3$	$V_5$	$\Phi_3$	$\Phi_5$						
5	5	180	0	110.8	53.6	48.38	33.3	30.05	128.8
3	2	180	180	94.5	36.4	38.52	11.9	12.59	102.0
3	2	180	0	99.8	40.8	40.88	20.8	20.84	110.1
3	2	0	180	82.6	18.8	22.76	2.2	2.66	84.8
3	2	0	0	83.9	27.3	32.54	12.7	15.14	89.2
0	2	-	180	87.9	29.0	32.99	7.6	8.65	92.9
0	2	-	90	89.1	32.0	35.92	13.4	15.04	95.7
0	2	-	0	90.4	34.7	38.38	17.0	18.81	98.5
3	0	180	-	95.8	39.4	41.13	16.9	17.64	105.1
3	0	90	-	89.5	32.7	36.54	13.1	14.64	96.2
3	0	0	-	82.6	24.5	29.66	8.2	9.93	86.6
0	0	-	-	88.9	31.8	35.77	12.4	13.95	95.3

Examination of Table 2.2 shows that the magnitude of  $I_{r3}$  depends not only on the harmonic content in voltage, but also on its phase angle.

For example, with only 3% of the 3<sup>rd</sup> harmonic voltage present,  $I_{r3}$  varies in the range of 24.5 $\mu A$  to 39.4 $\mu A$  depending on the value of  $\Phi_3$ . A similar statement may be made with regard to the 5<sup>th</sup> harmonic voltage,  $V_5$ . When both  $V_3$  and  $V_5$  (content 3% and 2% respectively) are present, the results show that  $I_{r3}$  varies in the range of 18.8 $\mu A$  to 36.4 $\mu A$ .

---

From section 2.2.2, with a pure sinusoidal voltage applied on the aged 120kV MOSA,  $I_{r3}=56.8\mu\text{A}$ , and  $I_r=163.8\mu\text{A}$ . From Table 2.2, with 5% of 3<sup>rd</sup> and 5<sup>th</sup> harmonic voltage present, the maximum value of  $I_{r3}$  is  $53.6\mu\text{A}$ (Row 1, Table 2.2) for the unaged MOSA which is almost the same as that obtained for an aged MOSA under pure sinusoidal voltage.

Should the harmonic content in voltage decrease to 3% of 3<sup>rd</sup> harmonic voltage and 2% of the 5<sup>th</sup> harmonic voltage,  $I_{r3}$  has a maximum value of  $40.8\mu\text{A}$ (Row 3, table 2.2) which is comparable to  $53.6\mu\text{A}$  - the value of  $I_{r3}$  obtained with an aged MOSA under purely sinusoidal voltage.

From the above, it is clear that the use of 3<sup>rd</sup> harmonic of the resistive leakage current as an indicator may result in error if the voltage across the arrester in service is not a pure sinusoid.

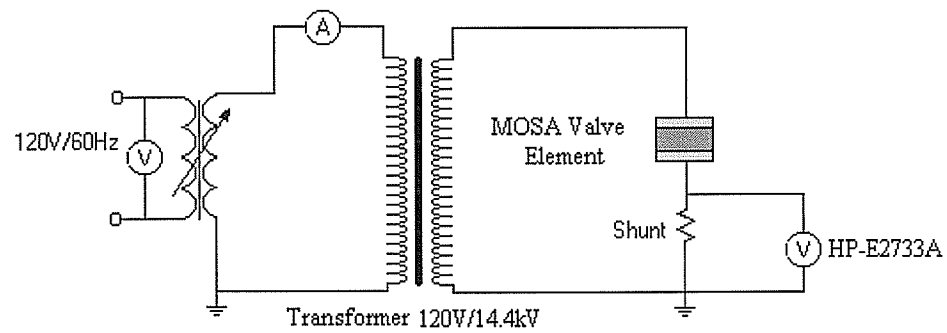
## *Chapter 3*

### **Investigation of On-site Diagnostic Testing Techniques of MOSA**

In Chapter 2, the influence of harmonic voltages on the resistive leakage current and its 3<sup>rd</sup> harmonic component, which are commonly used to indicate the condition of MOSA, has been investigated. In addition to the influence of power system conditions, the limitations of each on-site diagnostic testing method should not be ignored either. In this chapter, the resistive leakage current method, probe method and neutral current method are examined.

#### **3.1. Investigation of the $v$ - $i_r$ Characteristics of MOSA**

In order to investigate the on-site diagnostic techniques, it is necessary to use MOSA valve elements with nearly identical  $v$ - $i_r$  characteristics. In order to choose the elements, the setup of Fig.3.1 was used.



**Figure 3.1.** Circuit to determine MOSA parameters

In the above test circuit, the shunt is a  $10\text{k}\Omega$  non-inductive resistor. From a reading of the voltage across this shunt, the RMS value of the total current was determined. The test results are listed in Table 3.1.

From the data in Table 3.1, it is found that MOSA elements #5 and #12 are damaged, #04 and #06 are aged, and #02, #09, #10, #11, #14 and #16 have almost identical V-I characteristics which is shown in Fig.3.2.

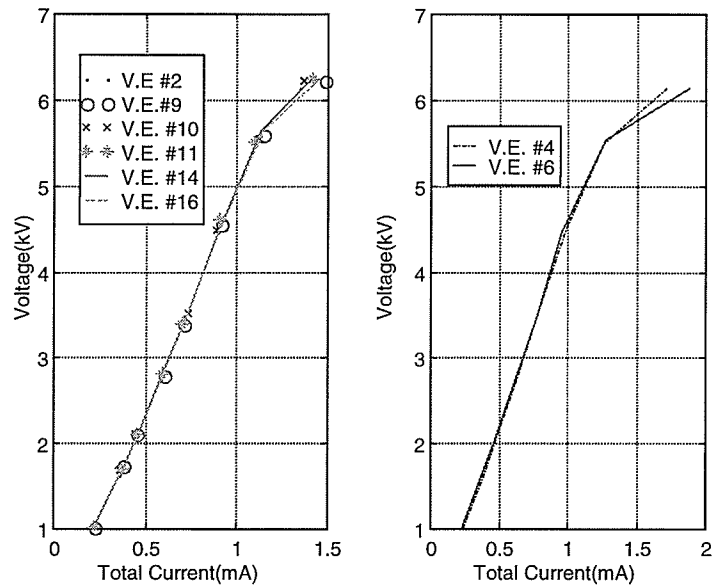
The aged MOSA elements were used in the experiment to ascertain the sensitivity of on-site diagnostic methods.



**Table 3.1:** Test data of MOSA valve elements #1 to #16

		Test #1	Test #2	Test #3	Test #4	Test #5	Test #6	Test #7	Test #8
V.E #1	V(kV)	1.02	1.63	2.06	2.78	3.49	4.49	5.54	6.14
	I(mA)	0.233	0.375	0.461	0.612	0.747	0.937	1.183	1.480
V.E #2	V(kV)	1.01	1.63	2.07	2.78	3.49	4.47	5.59	6.14
	I(mA)	0.218	0.356	0.444	0.581	0.712	0.888	1.108	1.343
V.E #3	V(kV)	1.02	1.66	2.07	2.79	3.49	4.49	5.54	6.14
	I(mA)	0.221	0.365	0.444	0.581	0.712	0.888	1.108	1.343
V.E #4	V(kV)	1.02	1.60	2.08	2.77	3.49	4.57	5.06	6.21
	I(mA)	0.241	0.380	0.485	0.637	0.782	0.992	1.265	1.713
V.E #5	V(kV)	1.01	1.68	2.06	2.71	3.60	4.50	--	--
	I(mA)	0.231	0.394	0.486	0.627	0.977	2.014	--	--
V.E #6	V(kV)	1.01	1.71	2.05	2.77	3.50	4.47	5.54	6.13
	I(mA)	0.231	0.298	0.472	0.631	0.778	0.954	1.279	1.878
V.E #7	V(kV)	1.02	1.73	2.07	2.78	3.52	4.55	5.50	6.11
	I(mA)	0.228	0.388	0.456	0.591	0.753	0.973	1.300	1.723
V.E #8	V(kV)	1.04	1.71	2.08	2.80	3.52	4.54	5.60	6.26
	I(mA)	0.231	0.279	0.458	0.603	0.740	0.932	1.172	1.555
V.E #9	V(kV)	1.02	1.74	2.10	2.80	3.40	4.56	5.60	6.23
	I(mA)	0.224	0.383	0.456	0.602	0.711	0.914	1.148	1.487
V.E #10	V(kV)	1.01	1.69	2.10	2.81	3.52	4.49	5.54	6.22
	I(mA)	0.219	0.367	0.444	0.592	0.730	0.888	1.119	1.368
V.E #11	V(kV)	1.02	1.70	2.10	2.81	3.40	4.60	5.50	6.24
	I(mA)	0.222	0.371	0.454	0.595	0.697	0.909	1.093	1.415
V.E #12	V(kV)	1.01	1.70	2.08	2.74	3.64	4.34	--	--
	I(mA)	0.247	0.420	0.509	0.676	1.076	1.994	--	--
V.E #13	V(kV)	1.01	1.67	2.10	2.76	3.50	4.52	5.53	5.95
	I(mA)	0.183	0.314	0.400	0.528	0.673	0.867	1.092	1.276
V.E #14	V(kV)	1.04	1.69	2.08	2.77	3.54	4.47	5.63	6.24
	I(mA)	0.227	0.372	0.451	0.586	0.730	0.894	1.131	1.412
V.E #15	V(kV)	1.02	1.72	2.07	2.75	3.52	4.52	5.53	6.21
	I(mA)	0.223	0.375	0.450	0.590	0.733	0.923	1.165	1.556
V.E #16	V(kV)	1.03	1.68	2.08	2.79	3.53	4.51	5.65	6.23
	I(mA)	0.226	0.377	0.450	0.592	0.730	0.905	1.143	1.440

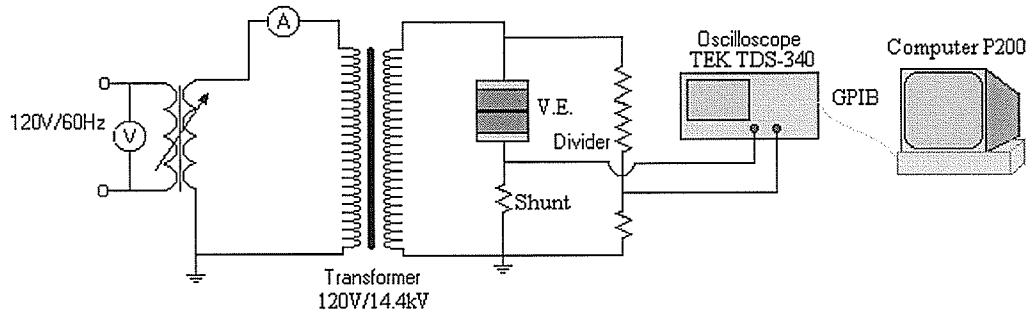
V.E: Valve Element, V, I are RMS values



**Figure 3.2.** V-I Characteristic Curves of the tested MOSA valve elements  
(V.E: MOSA valve element)

### 3.2. On-site Diagnostic Test Method Comparison Strategy

This thesis investigates two on-site diagnostic test methods of MOSA, i.e. the neutral current method and the probe method. In order to check the accuracy of these two methods, it is necessary to compare the test results from these two methods with that from a direct method, using a single phase setup. In the direct method, two signals, i.e.  $v$  and  $i$ , are used to determine the equivalent  $C$  of MOSA. With the known  $C$  value,  $I_r$  and  $I_{r3}$  can then be obtained using the compensation technique. Moreover, the single phase setup does not introduce the effects associated with three-phase interference. Thus, the results obtained by use of this method produce a benchmark for comparison with the two on-site diagnostic test techniques considered in this work.

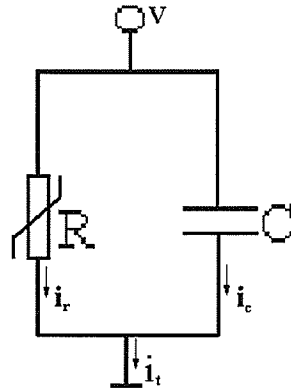


**Figure 3.3.** Schematic diagram of single phase laboratory set-up to obtain MOSA leakage current (V.E.: MOSA valve element)

Fig.3.3 shows the setup for single phase tests. Two MOSA valve elements in series were used. The shunt is purely resistive with a resistance value of  $9.94\text{k}\Omega$ . The divider is a purely resistive divider with a ratio of 2500:1 ( $50\text{M}\Omega/20\text{k}\Omega$ ). The total current signal was obtained from the shunt while the voltage was obtained from the divider. These two signals were input into the digital oscilloscope, TEK TDS-340. Through a GPIB interface, the signals were then sent from the oscilloscope to a computer, P200. With the obtained voltage and current signals, the resistive leakage current and its 3<sup>rd</sup> harmonic component were calculated using the compensation technique discussed in section 3.3.

### 3.3. Compensation Technique [5, 6, 7]

As shown in Fig.1.2, because  $R_z \ll R_i$ , the influence of  $R_z$  can be neglected for normal operation. The simplified MOSA representation is shown in Fig.3.4.



**Figure 3.4.** Simplified electrical representation of MOSA

As shown in Fig.3.4,  $i_t = i_r + i_c$ .

If the applied voltage is pure sinusoidal, i.e.,  $v = v_1$ , then  $i_c = i_{c1}$ . If a suitable  $k$  is selected to satisfy

$$i_r = i_t - Gv_{s0} \quad (3-1)$$

where  $v_{s0}$  is the voltage  $v$  phase shifted forward by  $90^\circ$ ,  $G$  is a constant which corresponds  $\omega C$  where  $C$  is the capacitance in Fig.3.4, then [95Cha]

$$\int_0^{2\pi} v_{s0}(i_t - Gv_{s0})d(\omega t) = 0 \quad (3-2)$$

In Eqs.3-1 and 3-2,  $G = 1000\omega CV_N$

Eq.3-2 can be taken as the criteria for the complete compensation of the capacitive component in a R-C circuit, and the resistive component  $i_r$  can be calculated from Eq.3-1.

Applying FFT to the discretized  $i_r$ , another indicator  $i_{r3}$  may be obtained as well.

Unfortunately, as stated in Chapter 2, the system voltage is seldom a pure sinusoid. Suppose

$$v = \sum_n v_n \quad (3-3)$$

For the capacitive branch of the representation shown in Fig.3.4, the corresponding capacitive current can be written as

$$i_c = \sum_n i_{cn} \quad (3-4)$$

In Eq.3-4, the harmonic components  $i_{cn}$  correspond to the same order of harmonic voltage  $v_n$ , i.e.  $I_{c1} = \omega CV_1$ ,  $I_{c3} = 3\omega CV_3$  and so on. In other words, the magnitude of  $I_{c3}$  depends only on  $V_3$ .

For the resistive branch, as discussed in Chapter 2,  $i_m$ , however, the above is not true. For example, the magnitude of  $I_{r3}$  depends not only on  $V_3$  but also on other components. The current  $i_r$  is

$$i_r = \sum_n i_{rn} \quad (3-5)$$

In this case the integral in Eq.3-2 does not vanish, i.e.,

$$\int_0^{2\pi} v_{s0}(i_r - Gv_{s0})d(\omega t) \neq 0 \quad (3-6)$$

In contrast with Eq.3.2, in order to compensate for the influence of harmonic voltages, the criteria for pure sinusoidal applied voltage needs to be modified as shown below.

Since

$$\int_0^{2\pi} i_{c1}(i_c - i_{c1})d(\omega t) = 0 \quad (3-7)$$

and

$$\int_0^{2\pi} i_{c1}i_{rn}d(\omega t) = 0, n = 1, 2, 3, \dots \quad (3-8)$$

But,

$$\int_0^{2\pi} i_{cn}^2 d(\omega t) \neq 0, n = 1, 3, 5, \dots \quad (3-9)$$

the criteria of Eq.3-2 was modified as follows in the present work.

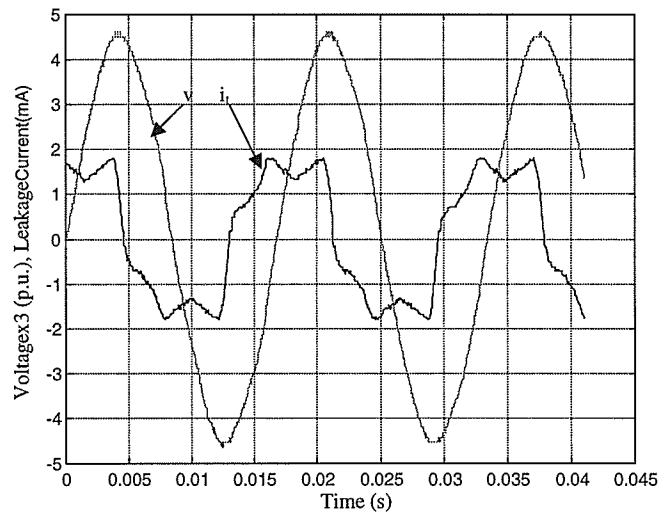
In Eq.3-1  $v_{s0}$  is replaced with  $v_{1s0}$ , the fundamental component of  $v_{s0}$ . Next, a suitable  $G$  is selected so that

$$\int_0^{2\pi} v_{1s0} (i_t - Gv_{1s0}) d(\omega t) = 0 \quad (3-10)$$

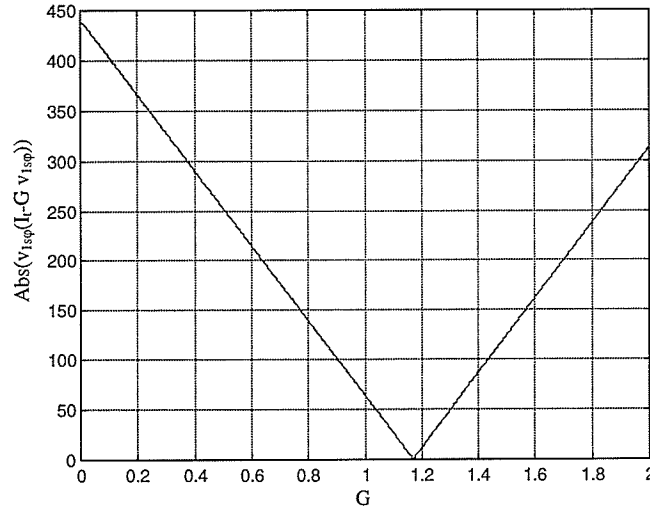
In the above equation,  $G$  has the same significance as explained in page 43.

### 3.3.1. Application of Compensation Technique to Obtain the Capacitance of MOSA Elements; Single Phase System

Fig.3.5 shows the wave-shapes of the applied voltage and leakage current when rated voltage (11kV, RMS) is applied across the series combination of two valve elements, i.e. #10&#14 (Table 3.1).



**Figure 3.5.** Waveshapes of MOSA applied voltage and total current, V.E.#10&#14 in series.



**Figure 3.6.** Showing calculation for the equivalent C of MOSA set, V.E. #10&#14.

Applying FFT on the discretized voltage signals, the magnitude and phase angle of the fundamental voltage component  $v_1$  can be obtained. Using the modified criteria of Eq.3-10, the value of G may be obtained. As shown in Fig.3.6, G equals 1.160, i.e, the value of C of the MOSA set (#10 and #14) is 279 pF.

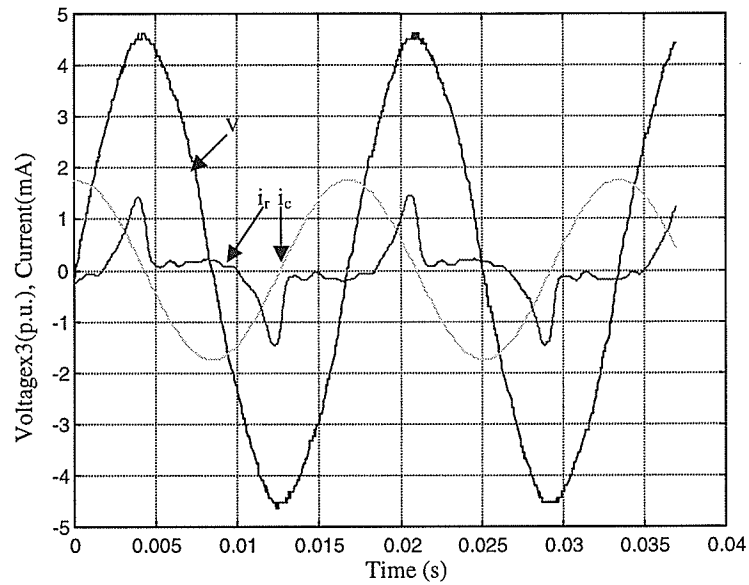
### 3.3.2. Diagnostic Indicator Obtained from Direct Method on a One-phase System; Benchmark Method

After obtaining C, from the known magnitude and phase angle harmonic voltages, the resistive leakage current can be calculated as:

$$i_r = i_t - \sum_n n\omega C v_{n0}, n = 1, 2, 3, \dots \quad (3-11)$$

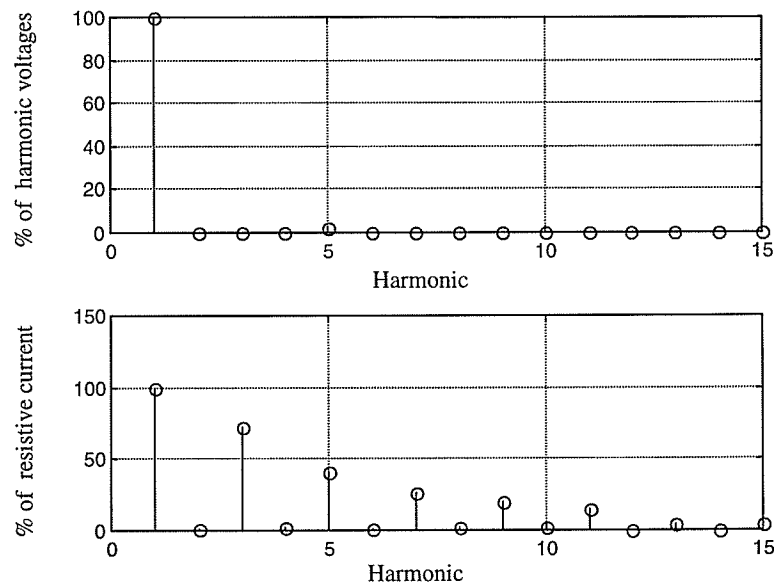
In Eq.3-11,  $v_{n0}$  is the  $n^{\text{th}}$  order harmonic voltage phase shifted forward by  $90^\circ$ .

The wave-shapes of applied voltage, capacitive current and resistive current are shown in Fig.3.7.



**Figure 3.7.** Showing the waveshapes of applied voltage, capacitive and resistive leakage currents of MOSA( V.E. #10&#14)

The spectrum of applied voltage and leakage current are shown in Fig.3.8. The THD, total harmonic distortion, of the test voltage is 2.50%;  $V_3/V_1=0.32\%$ ,  $V_5/V_1=2.07\%$  and  $V_7/V_1=0.27\%$ . The magnitude of  $I_r$  is 0.5283 mA and that of  $I_{r3}$  is 0.2810mA.



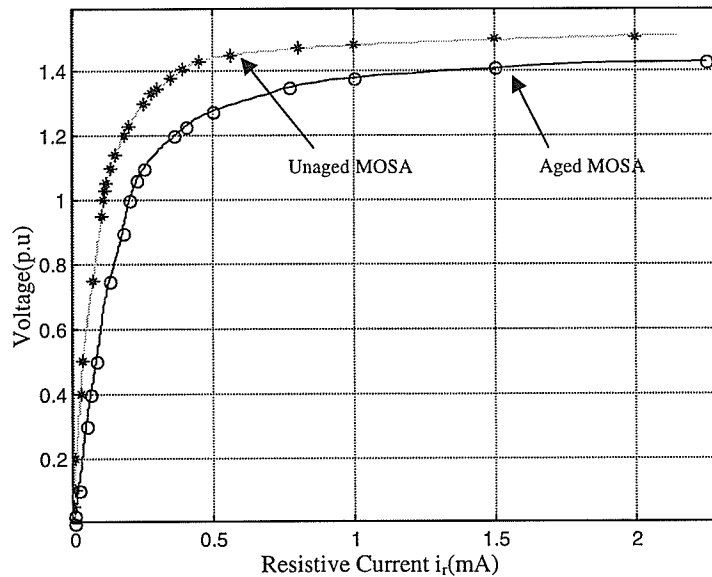
**Figure 3.8.** Spectrum of the applied voltage and  $i_r$



Similarly, the  $i_r$  curves and FFT analysis results of the aged MOSA set #04&#06 and other MOSA sets were obtained. The total resistive leakage currents and the 3<sup>rd</sup> harmonic component of the resistive leakage currents of the MOSA sets consider are shown in Table 3.2.

**Table.3.2.**  $I_r$  and  $I_{r3}$  of MOSA sets

MOSA	Unaged set #10&#14	Unaged set #02&#16	Unaged set #09& #11	Aged set #04&#06
$I_r(\text{mA})$	0.5283	0.5236	0.5116	0.7936
$I_{r3}(\text{mA})$	0.2810	0.2793	0.2661	0.3940



**Figure 3.9.** Average  $v$ - $i_r$  characteristic curves of aged and unaged MOSA sets

From the above,  $v_1$  and  $i_r$  for each MOSA set is known. Their waveshapes are also known. Therefore, it is possible to plot  $v_1$ - $i_r$  curve. The characteristic curve thus obtained was found to be non-single valued and displayed characteristics of hysteresis.

From this  $v-i_r$  loop, the average  $v-i_r$  characteristics curve was obtained by locating the mid points of the loop. Such characteristics are shown in Fig.3.9 for the unaged MOSA sets #10&#14, #02&#16, #09&#11, and the aged MOSA set #04&#06.

### **3.3.3. MOSA Diagnostics in a Three Phase System Utilizing the compensation Technique**

In sections 3.3.1 and 3.3.2, application of the compensation technique to a single phase system has been discussed. As a matter of fact, this method has been widely used for on-site diagnostic tests [5, 7]. However, for reasons mentioned in Chapter 1, the precision of this method has often been questioned.

The most serious problem with this method is the errors which arise due to inter-phase interferences. As mentioned in Chapter 1, for on-site use, a phase shifter is introduced to compensate for the influence of inter-phase coupling. The most difficult problem with the introduction of the phase shifter is to decide the shift angles for each order of harmonic voltage. As we know, the magnitude of harmonic voltages is much smaller than the fundamental component. Thus, the magnitude of the fundamental capacitive current is much greater than that of the harmonic components. Let  $\theta$  be the angular difference between zero crossings of the leakage currents of the two outer phases. The angle  $\theta$  can also be taken as the phase angle difference between their fundamental components. For negative sequence components, the phase angles should be shifted by the same magnitude,  $\theta$ , but in the opposite direction while zero sequence harmonic components, the phase angles do not need shifting. Thus, different sequence harmonic components need different shift angles.

As discussed in Chapter 1, because of interphase interference, the phase angle of phase A current has to be shifted by 3 to 5° forward while the current of phase C

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has to be shifted backward. If this angle is denoted by  $\theta$ , the phase angle difference between currents of phases A and C will be  $120^\circ \pm 2\theta$ . If a suitable clamp type CT is applied to phase A, a similar CT can be applied to phase C simultaneously. By checking the phase difference between the peaks of these two signals, it is not difficult to get the value of  $\theta$  using software.

After determining the value of  $\theta$ , the magnitude of the shift angle for every order of harmonic voltages can be obtained. A software phase shifter can then be designed. With this software phase shifter, the influence of interphase interferences can then be eliminated.

Another problem with this method is the test errors, which results from voltage harmonics. The capacitive harmonic current components can be totally compensated by the compensation technique introduced above. The resistive current caused by the voltage harmonics, however, is very hard to isolate because of the non-linear and constantly changing characteristics of MOSA. Using the criteria shown in Eq.3-11 together with close monitoring of the system voltage harmonics seems to be the best method to make a correct judgment. With the development of artificial neural network techniques, it may be possible to exclude the influence of harmonic voltages on the resistive leakage current.

With tall arrester columns, the effect of interphase interferences results in uneven voltage magnitude and phase angle distributions along MOSA column in the two outer phases. The need to account for interphase interference becomes very important.

### 3.3. Investigation of On-site Diagnostic Testing Techniques of MOSA

#### 3.4.1. Principle of the Probe Method [3]

The probe method is also based on a compensation technique. Slightly different from the compensation method above, the probe method directly compensates for the 3<sup>rd</sup> harmonic capacitive current component in the 3<sup>rd</sup> harmonic resistive current.

As shown in Fig.3.1, the resistive leakage current can be calculated as:

$$i_r = i_t - i_c$$

For the 3<sup>rd</sup> harmonic component,  $I_{r3}$  can be calculated as:

$$i_{r3} = i_{t3} - i_{c3} \quad (3-12)$$

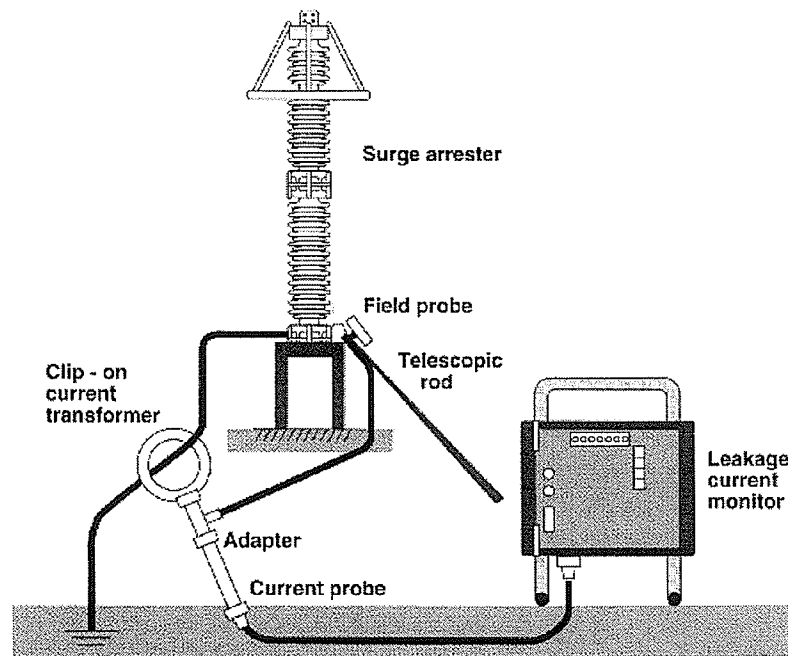


Figure 3.10. Probe Method proposed in [3]

[<http://www.transinor.st.no/products/lcm/teclcm.html>]

In order to compensate for  $i_{c3}$ , a capacitive field probe is introduced as shown in Fig.3.10. The aim of introduction of this probe is to substitute the 3<sup>rd</sup> harmonic component of the probe current,  $i_{p3}$ , with the capacitive current of MOSA,  $i_{c3}$ .

Neglecting harmonic voltage components of order  $>3$ , the voltage applied across the MOSA can be expressed as:

$$v_n = V_{1n} \cos(\omega t + 2n\pi/3) + V_{3n} \cos(3\omega t + 3n(2\pi/3) + \phi_3) \quad (3-13)$$

where  $n=0,1,2$  for three phase,  $\phi_3$  is the phase angle of 3<sup>rd</sup> harmonic voltage.

It is known from the above equation that, through pure coupling capacitances between charged three-phase objects and the field probe, the 3<sup>rd</sup> harmonic components of the probe current  $i_{p3}$  should have the same phase angle as  $i_{c3}$ .

In order to obtain the 3<sup>rd</sup> capacitive harmonic current, a scaling procedure for  $I_{p3}$  has been introduced by authors in [3]. Since  $I_{t1}$  is mostly capacitive, we may write that  $I_{t1} \approx I_{c1}$ .

Let

$$k_1 = \frac{I_{t1}}{I_{p1}}$$

$$k_3 = \frac{I_{c3}}{I_{p3}}$$

Then

$$I_{c3} = \frac{k_3}{k_1} \frac{I_{t1} I_{p3}}{I_{p1}} \quad (3-14)$$

For several typical situations,  $k_1$  and  $k_3$  have been calculated in [3] using a BEM (Boundary Element Method) based computer program. According to the

simulation results, the ratio  $\frac{k_3}{k_1}$  is thought to be fairly constant and it is claimed that it is therefore possible to apply a single ratio, e.g. 0.75 [3].

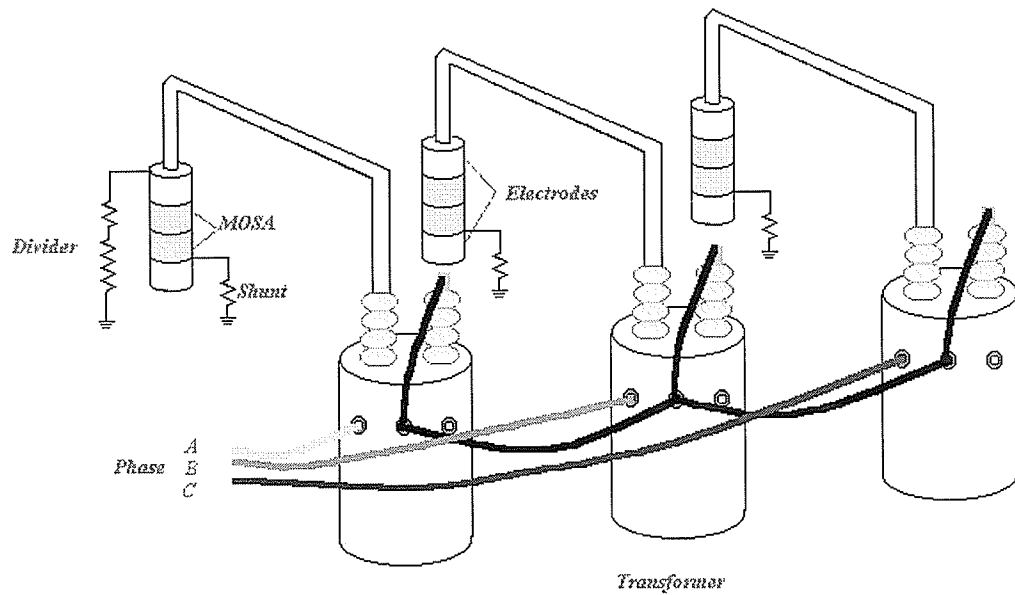
Substituting the value of  $i_{e3}$  in Eq.3-11 with Eq.3-12, the resistive 3<sup>rd</sup> harmonic leakage current can now be determined from the following equation:

$$i_{r3} = i_{t3} - 0.75 \frac{I_{t1}}{I_{p1}} i_{p3} \quad (3-15)$$

### 3.4.2. Laboratory Setup for Verification of Probe Method

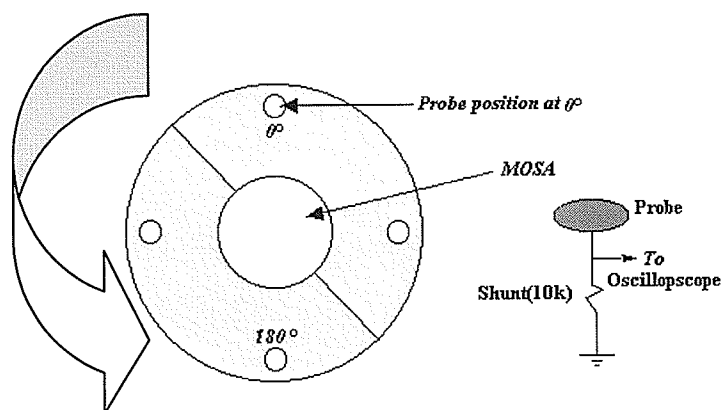
In order to investigate the influence of the position of the probe, a three-phase test circuit (horizontal, flat configuration), shown in Fig.3.11, was setup in the laboratory.

In Fig.3.11, the three 120/14400V, 10kVA distribution transformers were Y/Y connected. Each MOSA column was grounded through a 9.95 k $\Omega$  resistive shunt. Each MOSA column comprised of two MOSA valve elements.



**Figure 3.11.** Laboratory setup for three-phase test of MOSA

The structure of the capacitive probe and the plate to hold the probe during the test are shown in Fig.3.12. The angles denoted in this figure are the same for all three phases in the test.

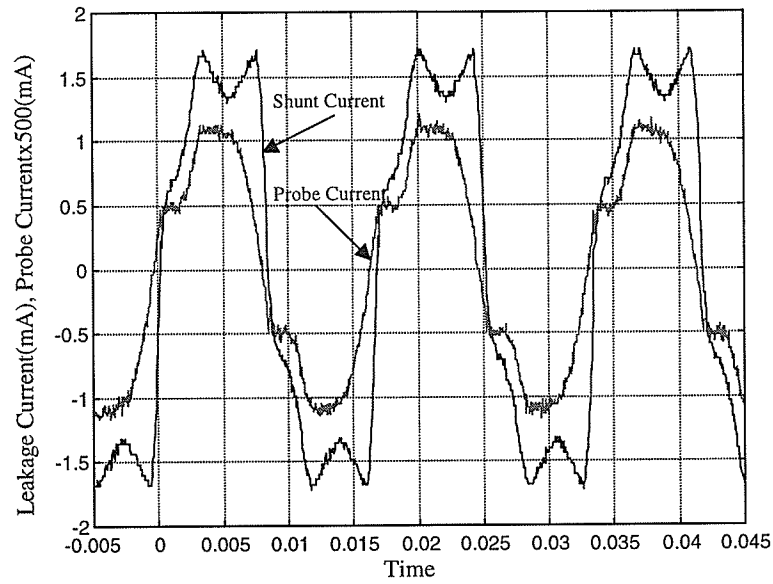


**Figure 3.12.** Capacitive probe and plate to hold the probe

### 3.4.3. Comparing Results from Probe Method with the Benchmark Method

With the probe located under phase A, the left most phase, the wave shapes of current  $i_t$  and probe current  $i_p$  obtained are shown in Fig.3.13. Applying FFT to  $i_t$  and  $i_p$ , the magnitude and phase angles of  $I_{1p}$ ,  $I_{3p}$ ,  $I_{1t}$  and  $I_{3t}$  can be obtained. Substituting them into Eq.3-15, the value of  $i_{r3}$ , i.e.  $I_{r3}$ , can be obtained.

First, the MOSA set, #10&#14, was included in phase A, MOSA sets #02&#16 and #09&#11 were included in phases B and C respectively. The applied voltage was 11kV, and the THD of the applied voltage was 2.48%,  $V_3/V_1$  was 0.01%,  $V_5/V_1$  was 2.10% and  $V_7/V_1$  was 0.13%. The test results are shown in Table 3.3, which includes results by locating the probe at the other three positions.



**Figure 3.13.** Wave shapes of the shunt current and the probe current obtained with the probe located at  $0^\circ$  under phase A (left most phase).

**Table.3.3.** Test results, probe method

Probe Position		$0^\circ$	$90^\circ$	$180^\circ$	$270^\circ$
Current					
Phase A	$I_3$ (mA)	0.3019	0.2788	0.3079	0.3092
	error(%)	7.44	0.78	9.57	10.04
	Revised $k_3/k_1$	0.66	0.78	0.44	0.58
Phase B	$I_3$ (mA)	0.3118	0.2807	0.2973	0.2908
	Error(%)	11.64	5.58	6.44	4.12
	Revised $k_3/k_1$	0.512	0.744	0.66	0.684
Phase C	$I_3$ (mA)	0.2549	0.2773	0.2631	0.2252
	error(%)	4.21	4.21	1.13	15.37
	Revised $k_3/k_1$	0.88	0.544	0.764	1.16



In Table 3.3, the error (%) in  $I_{r3}$  is that obtained by comparison with the benchmark method; the  $k_3/k_1$  is the revised ratio in order to that the  $I_{r3}$  value obtained from the probe method is the same as that from the benchmark method.

From Table 3.3, it is found that the magnitude of 3<sup>rd</sup> harmonic current changes with the position of the probe. For phase A, the minimum  $I_{r3}$  occurs at the 90° location, while the maximum value occurs at 270°. The  $I_{r3}$  value at 270° is almost 110% of the value at 90°. Comparing with the results from the benchmark method, it is found that the test error with the probe method varies from 0.78% (at 90°) to 10.04% (at 270°); in order to obtain the same result as the benchmark method, the  $k_3/k_1$  ratio should be changed from 0.44 (at 180°) to 0.78 (at 90°). For phase B, the maximum  $I_{r3}$  occurs at 0° and is 111% of the value at 90°. For phase C, the maximum  $I_{r3}$  is 123% of the minimum value. This shows that test results obtained by the probe method vary with spatial position of the probe.

Comparing with the data obtained from the direct method (section 3.3.2), it is found that the value of  $I_{r3}$  in phase A is larger and the value in phase C is obviously smaller.

In order to further verify this, the MOSA sets in phases A and C were interchanged; the test results are shown in Table 3.4.

Table 3.4 shows similar results as in Table 3.3. The results of the 1<sup>st</sup> and 3<sup>rd</sup> rows in Table 3.4 should be compared with the results of the 3<sup>rd</sup> and 1<sup>st</sup> rows in Table 3.3. This suggests an uneven spatial electric field in a three-phase setup, i.e. a non-constant  $k_3/k_1$  ratio. Thus, the position of the probe will result in errors in on-site diagnostic tests.

**Table 3.4.** Third harmonic current after interchange of the MOSA columns in phases A and C

Probe Position		0°	90°	180°	270°
Current					
PhaseA	$I_{r3}(\text{mA})$	0.2679	0.2662	0.2466	0.2214
	error(%)	0.67	0.04	7.33	16.80
	Revised $k_3/k_1$	0.71	0.74	0.88	1.16
PhaseC	$I_{r3}(\text{mA})$	0.2768	0.2737	0.2691	0.2867
	error(%)	1.49	2.60	4.23	2.02
	Revised $k_3/k_1$	0.82	0.82	0.88	0.66

#### 3.4.4. Brief Comments on the Probe Method

As discussed in Chapter 2 and in sections 3.4.1-3.4.3, it is found that the probe method can not diagnose the real condition of MOSA due to the influence of harmonic voltages and probe position.

The resistive leakage current,  $I_r$ , and its 3<sup>rd</sup> harmonic component,  $I_{r3}$ , are greatly influenced by harmonic voltages. This point has been discussed in detail in Chapter 2. As shown in section 3.4.3, the magnitude of the 5<sup>th</sup> harmonic voltage was around 2% while the 3<sup>rd</sup> harmonic was around 0.01%. The 5<sup>th</sup> harmonic voltage dominated in this case while the influence of 3<sup>rd</sup> harmonic voltage is minor. Using a probe to pick up the 3<sup>rd</sup> harmonic voltage component and using it to compensate the 3<sup>rd</sup> harmonic capacitive current [3] will not give out the correct  $I_{r3}$  value. Therefore, the probe method will cause quite misleading test results.

As shown in Tables 3.3 and 3.4, for a fixed  $k_3/k_1$  value, if MOSA set #10&#14 was in phase A, the test errors from the probe method, as compared with the benchmark obtained from section 3.3.3, change from 0.78% to 10.04% for different probe position around the MOSA column. Furthermore, in order to obtain the same  $I_{r3}$  as the benchmark value, the  $k_3/k_1$  value must be changed from 0.44 to 0.78. This also suggests a rather uneven electric field distribution around the MOSA sets. However, calculation of the electric field distribution before every on-site diagnostic test is not only complex but also unrealistic.

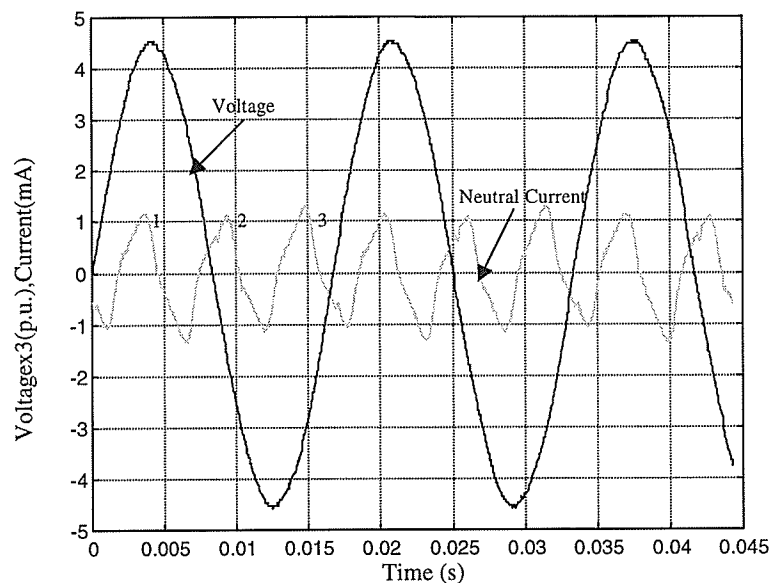
### 3.5. Neutral Current Method [4, 7]

The principle of this method has been introduced in Chapter 1. In this chapter, test results from several cases will be introduced. The neutral current technique was applied to the following cases using the three-phase laboratory setup of Fig.3.11.

#### 3.5.1. MOSA in All Three Phases Unaged

In this case, the MOSA set #10&#14 (unaged) was inserted in phase A, and MOSA sets #02&#16 and #09&#11(also unaged) were inserted in phases B and C respectively. Fig.3.4 shows the wave-shapes of the applied voltage (Phase A) and the neutral current. In this case, the applied voltage was 11kV, the THD of voltage was 2.49%,  $V_3/V_1$  was 0.44%,  $V_5/V_1$  was 1.98% and  $V_7/V_1$  was 0.30%.

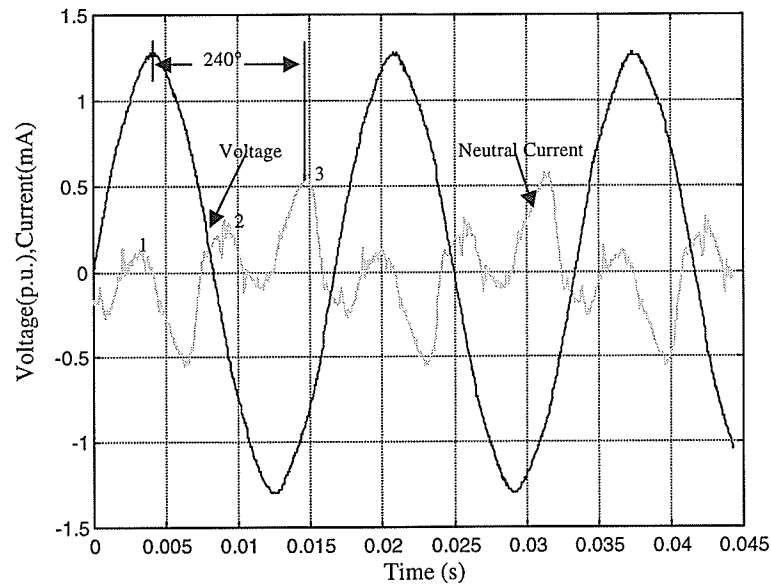
The RMS value of the neutral current is 0.7617 mA. The sum of three 3<sup>rd</sup> harmonic resistive leakage currents, obtained by the direct method, is 0.8268 mA. Comparing these two, the former is 7.87% smaller.



**Figure 3.14.** Neutral current and applied voltage (11kV) in phase A, MOSA in all three phases unaged

### 3.5.2. Aged MOSA Set in Phase C, Unaged Sets in the Other Phases

Fig.3.15 shows the wave-shapes of the phase A voltage and the neutral current. The aged MOSA set #04&#06 was inserted in phase C in place of set #09&#11. When the applied voltage was 9 kV, and the RMS value of neutral current was 0.2566mA. As shown in Fig.3.15, the wave shape of the neutral current is obviously distorted. The positive peak value of the neutral current corresponding to the aged set (in phase C) is almost  $240^\circ$  behind the positive peak of the phase A voltage. We know that the MOSA set in phase C is aged. Therefore, peak #3 shown in Fig.3.15 corresponds to the condition of MOSA in phase C.



**Figure 3.15.** Phase A voltage and neutral current with aged MOSA in phase C

Comparing Figs.3.14 and 3.15, it is found that when MOSA in one phase become aged, a larger peak will occur within one cycle ( $0.1667''$ ) of the voltage and this may be used as an indicator for the condition of the MOSA.

### 3.5.3. Comments on Neutral Current Method

From Fig.3.14, it is seen that the peak values of the neutral current are not equal because of the slightly non-identical  $v-i_r$  characteristics of MOSA. In practice, MOSA in three phases are seldom identical, even if they are unaged. This may result in a misleading judgment. Therefore, for the successful implementation of this method the test results should be compared with test data on an ongoing basis.

If a milliamperemeter is connected in the common ground line, as shown in Fig.1.7, the reading of the meter can not show the real condition of the MOSA in the three phases and may cause misleading results. Moreover, if the MOSA in all the

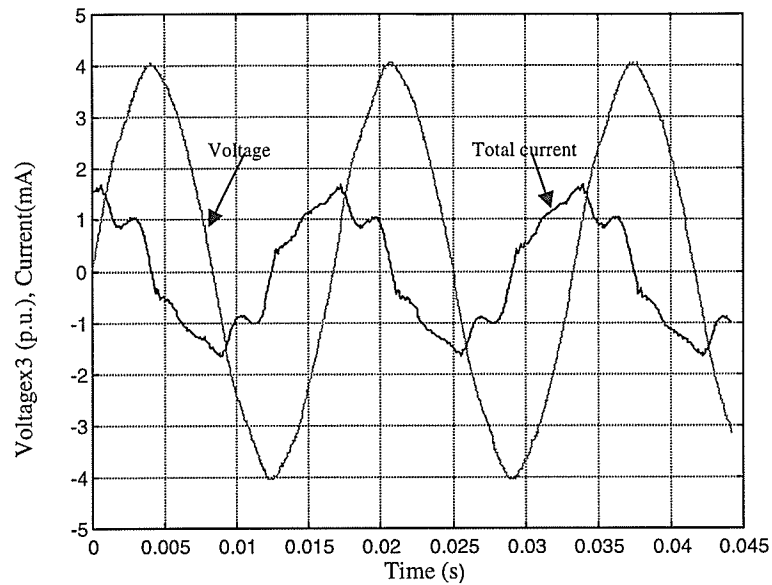
three phases age, the usefulness of the reading as a diagnostic indicator is questionable.

#### **3.5.4. Use of Neutral Current Method as a Diagnostic Indicator**

From the results of section 3.5.2, it can be concluded that if the MOSA in one phase ages, it results in an increase in one of the peaks of the 3<sup>rd</sup> harmonic current waveshape in the neutral current. This peak repeats every two cycles at 3<sup>rd</sup> harmonic frequency. In order for the method to be used as a diagnostic technique, it is necessary to identify the phase in which the aged MOSA is located. For identification purposes, a reference voltage is necessary. However, the reference voltage, which must be taken from a PT or divider, is not so easy to obtain in the field. Without a reference voltage, identification of the aged MOSA is not possible. In order to assess the condition of MOSA in each of the three phases using the neutral current method, a slight modification of this method is necessary. This is discussed in the next section.

#### **3.5.5. Necessary Modification to the Neutral Current Method to Enable its Use as a Diagnostic Indicator**

In the following, a modification to the Neutral Current Method is suggested to enable its application on-site as a quick test to determine MOSA condition in a three phase system. The actual implementation of this suggestion is beyond the scope of this thesis but should be considered seriously.

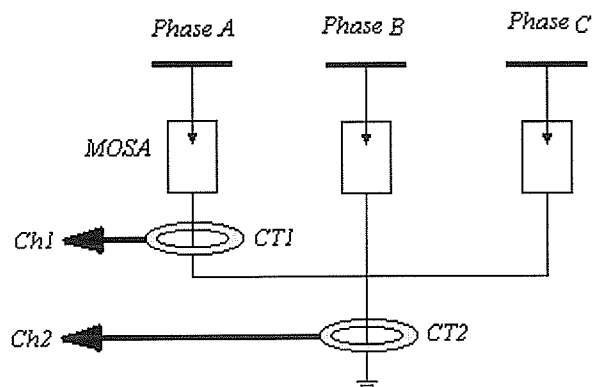


**Figure 3.16.** The waveshapes of the applied voltage (MCOV) and total current

With the set of MOSA operated at its MCOV, the waveshape of the total current obtained in one phase is shown in Fig.3.16. Because the capacitive current dominates in the low electric field region, it is found that the peak of the total current in each cycle is approximately  $90^\circ$  ahead of the peak of the applied voltage.

We may therefore conclude that in Fig.3.14, for healthy identical MOSA sets, because  $I_{r3} \gg I_{c3}$ , peaks 1,2 and 3 corresponds to phases A, B, and C respectively; the peaks of 3<sup>rd</sup> harmonic component of the resistive neutral current almost coincide with the peaks of the voltage in each phase.

In Fig.3.15, phase C contains the aged MOSA set. This is the only difference from Fig.3.14. In this figure, peak 3 corresponds to phase C. Although peak #3 is larger, the phase relationship with voltage of phase A is reasonably maintained.



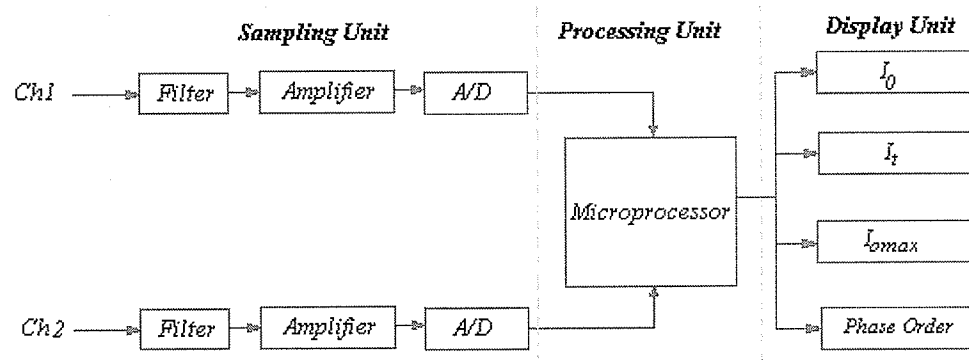
**Figure 3.17.** Measurements necessary for use of neutral current method as a diagnostic indicator

Therefore, the peak of neutral current identified as “1” in Fig.3.15 is almost  $90^\circ$  behind the leakage current of phase A and the peaks of the neutral current identified as “2” and “3” are  $180^\circ$  and  $270^\circ$  behind the leakage current of phase A respectively. Thus, using suitable CT’s simultaneously in one phase and the neutral enables the identification of an aged MOSA during on-site diagnostic test. A test circuit for accomplishing this is shown in Fig.3.17.

CT1 may be inserted in any phase while CT2 (or a shunt) is inserted in the common neutral line. A possible electronic circuit for measurement of the neutral current and indication of the aged phase is shown in Fig.3.18.

In Fig.3.18, the two signals from CT1 and CT2 are first filtered, amplified and sampled through the sampling unit. The sampled signals should then be input into the microprocessor. In the microprocessor, the one phase current and neutral current wave-shapes can be analyzed. The analyzed results can be displayed through a display unit.





**Figure 3.18.** Suggested test circuit for the use of the neutral current method as a diagnostic indicator

In the Microprocessor, the neutral current peak values  $I_{a(b,c)}$  and the corresponding times of these peaks can be identified within one cycle (0.1667"). Comparing with the peak value of the reference phase current, their phase sequence can be determined. The RMS value of the neutral,  $I_0$ , can also be easily calculated. After that, the wave-shape factors,  $k_{a(b,c)} = I_{a(b,c)} / I_0$ , can also be calculated. The factors  $k_{a(b,c)}$  can be displayed. When  $k_x$  ( $x=a, b$  or  $c$ ) is abnormal, by comparing these three waveshape factors, the maximum  $k_x$  can be displayed and the corresponding phase sequence number can be directly displayed as well.

Thus, with the test circuit and electronic circuit shown in Fig.3.17 and 3.18, it should be possible to obtain the total current and the information about the working condition of the MOSA in each phase.

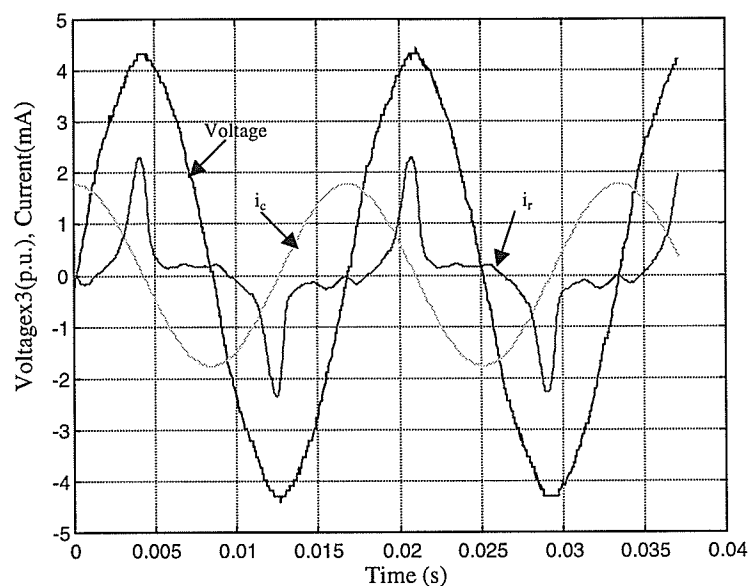
### 3.6. Discussion of Electrical Representation Models of MOSA

The simplest representation of MOSA is comprised of a constant capacitance in parallel with a non-linear resistive branch. According to this representation, the resistive current will have the same zero-crossing point as the applied voltage. As

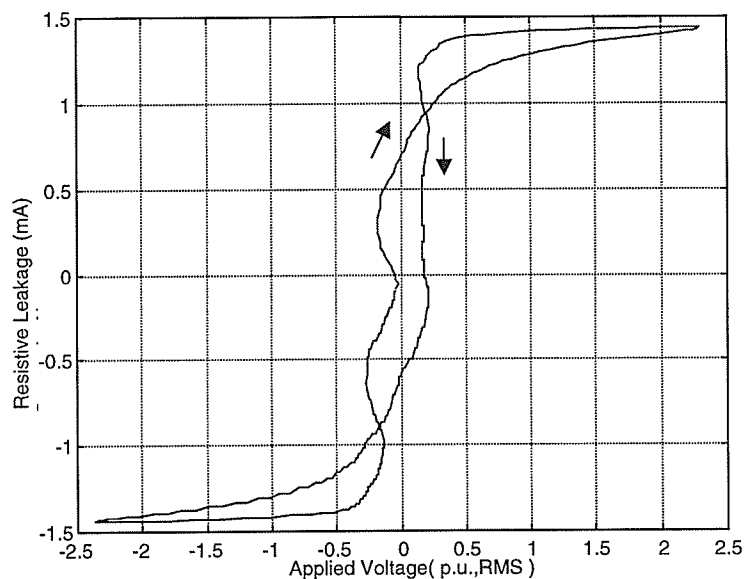
shown in Fig.3.7, however, the zero-crossing points of voltage and resistive current are not the same, and its ascending and its descending portions are not symmetrical. These observations indicate that the representation of MOSA by a nonlinear resistor and a pure capacitor is not accurate. Simulation of on-site diagnostic test methods based on this model may result in test errors. In order to investigate this aspect, the test  $v-i_r$  characteristic curve of MOSA will be introduced. Using the average  $v-i_r$  characteristics obtained in section 3.3.2, benchmark method of section 3.3.2 will be used to obtain the simulated results; these results will then be compared with the experimental results.

### 3.6.1. $v-i_r$ Characteristics of MOSA from Test Results

Taking MOSA set #04&#6 for example, when the applied voltage is  $V_N$  (11kV), the waveshapes of the applied voltage, the capacitive current  $i_c$  and the resistive current  $i_r$  are shown in Fig.3.19.



**Figure 3.19.** Waveshapes of the applied voltage and capacitive and resistive currents

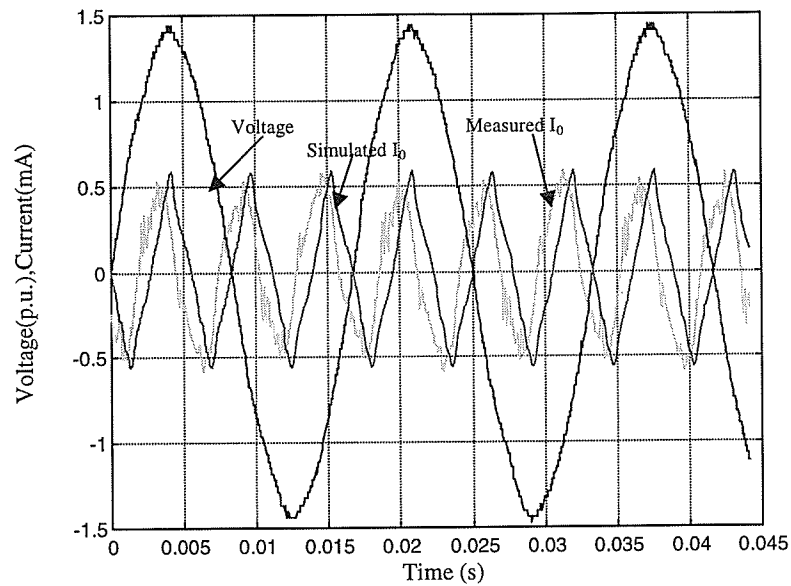


**Figure 3.20.**  $v$ - $i_r$  characteristics of the MOSA from test results

With the  $v$  and  $i_r$  values obtained from test results, the corresponding  $v$ - $i_r$  curve is shown in Fig.3.20. It appears that the characteristic curve of MOSA has some similarities with the B-H relationship of ferromagnetic materials. As we know, ordinary resistors do not display this kind of hysteresis characteristics. Therefore, the simple models are not accurate.

### 3.6.2. Comparison of Test and Simulation Results, Neutral Current Method

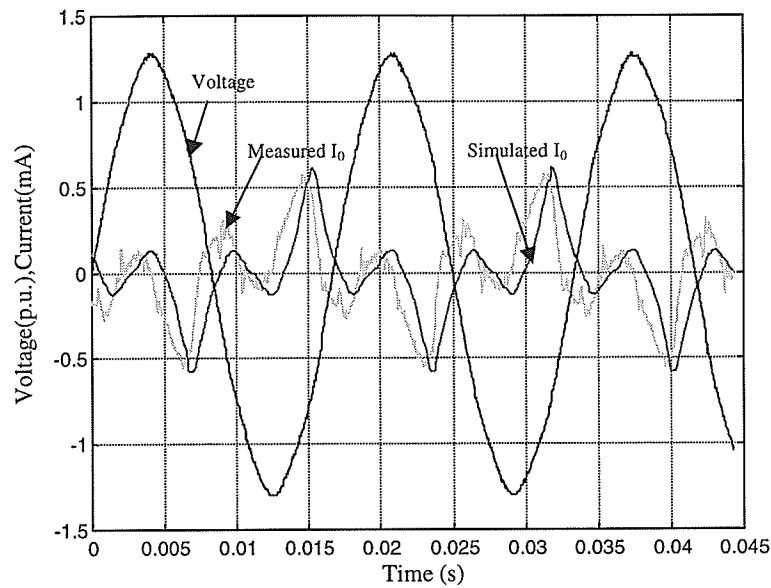
When the MOSAs in the three phases are unaged, the measured voltage and neutral current waveform are as shown in Fig.3.21. Applying FFT to the measured voltage, the harmonic voltages were calculated. With the experimentally obtained average  $v$ - $i_r$  characteristic curve of Fig.3.9, the simulated neutral current was calculated and its wave-shape is shown in Fig.3.21 as well. These waveforms were obtained with MOSA sets #10&#14, #02& #16 and #09&#11 in phases A, B and C respectively. The applied voltage is 10kV.



**Figure 3.21.** Waveshapes of simulated and measured neutral currents of unaged MOSA in a three phase system

The measured neutral current is 0.3382 mA, while the simulation yields a value of 0.3294 mA. The error in the simulation result is 2.60%.

Next, the MOSA set in phase C was replaced with an aged one, i.e. 9kV was applied, the measured wave shapes of the applied voltage and neutral current are shown in Fig.3.22. Using the average  $v$ - $i_r$  characteristic curve (Fig.3.9) of the aged MOSA for the simulation of Phase C and the average  $v$ - $i_r$  characteristic curve of the unaged MOSA (Fig.3.9) for other two phases, the simulated waveshape of neutral current was obtained. This is shown in Fig.3.22 as well.



**Figure 3.22.** Measured and simulated neutral currents with aged MOSA in phase C

In this case, the measured neutral current is 0.2566mA. The simulated result is 0.2404 mA. The error in the simulation result is 6.31%.

### 3.6.3. Effect of MOSA Representation on Simulated Results

In section 3.6.2, the test and simulated neutral current waveshapes were shown in Figs. 3.21 and 3.22. Because of the hysteresis characteristics of MOSA, the simulated and the test waveshapes show some differences.

The zero crossings of the neutral current in the test and simulated results are different. This shows that using a non-linear resistor to represent the hysteretic characteristics of MOSA is inaccurate.

The magnitudes of the simulated neutral current and the test result are almost equal. Use of the simplified MOSA representation model, as shown in Fig.3.4, for simulation can satisfy the requirements in those cases where the precision requirement is not so high.

## *Chapter 4*

### **Conclusions**

#### **4.1. Conclusion**

In this thesis, the  $v$ - $i_r$  characteristics of MOSA and existing on-site diagnostic techniques of MOSA are briefly reviewed. In Chapter 2, the representation models of MOSA are discussed first, followed by a discussion of the influence of harmonic voltages, their magnitudes and phase angles, on the resistive leakage current and its 3<sup>rd</sup> harmonic component, which are often used as diagnostic indicators. This was done by computer simulation using the real  $v$ - $i_r$  characteristic curves of aged and unaged MOSA. In Chapter 3, the  $v$ - $i_r$  characteristics of MOSA sets used in the experiment were obtained with the compensation method. Improvements in the compensation method have been suggested for field use. For the probe method introduced in [3], with a three-phase setup, it is shown that errors introduced are dependent on probe position. For the Neutral Current method, the neutral current with aged and unaged MOSA sets were obtained. Based on the test results, modifications to this method have been suggested which will enable its application to on-site diagnostic tests of MOSA. Finally, based on the test  $v$ - $i_r$  characteristic curves of MOSA, the electrical

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representation of MOSA is discussed; and the results obtained from the simulation using the existing representation model of MOSA are compared with the test results.

The following conclusions may be drawn from the study in this thesis:

(1) The magnitude and phase angle of the harmonic voltages will greatly influence the measurement of the resistive leakage and its 3<sup>rd</sup> harmonic component, which are taken as indicators for the condition of MOSA. Neglecting the voltage harmonics in an on-site diagnostic test of MOSA will lead to misleading results.

(2) The 3<sup>rd</sup> harmonic component of the resistive leakage current, which is taken as the indicator in the probe method, is also influenced by the position of the probe. The assumption of a constant field factor in the probe method will result in test errors.

(3) The compensation method, which takes the resistive leakage current as the indicator, may be improved for on-site use, if a new criteria and a soft phase shifter, as proposed in this thesis, are used to eliminate the influence of harmonic voltages and interphase interference.

(4) The neutral current method, with its simplicity and convenience of use, may be improved for on-site use by introduction the measurement of one phase leakage current. To achieve this goal, the test circuit proposed in this thesis could be implemented.

(5) Test  $v$ - $i$ <sub>r</sub> characteristic curves show that the representation models of MOSA are not accurate. This will result in some errors in simulations.

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## 4.2. Recommendations for Future Research

This thesis offers the following suggestions for future work:

(1) A further investigation of the  $v$ - $i_r$  characteristics of MOSA and the presently used electrical representative methods on the on-site test results, especially for those currently used techniques.

(2) The investigation of character of the leakage current from the surface of MOSA housing, especially under pollution.

(3) The realization of the improved neutral current method as proposed in this thesis.

(4) Further study of the influence of system harmonic voltages on the resistive leakage current for on-site test purposes.



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