

The Physical Properties That Influence The Drape Of
Knitted Fabrics

by

Marian Louise Gaucher

A Thesis
presented to the University of Manitoba
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ABSTRACT

The drape of a fabric is defined as a description of the deformation of a fabric produced by gravity when only part of it is directly supported (Cusick, 1965). Several physical properties have been suggested as contributors to the drape of woven fabrics, but the literature lacks information concerning the physical properties that influence the drape of knitted fabrics. The present research investigated certain deformation properties and certain structural characteristics in order to determine the best predictors of the drape coefficient of twenty knitted fabrics. The deformation properties included stiffness, shear, and extensibility, while the structural characteristics included weight, thickness, and density. The measurements obtained were bending length, secondary shear modulus, extension at a 100 gram load, fabric weight, fabric thickness, and fabric density. The study also investigated the reliability of the properties as predictors for the two main types of knitted constructions- warp knits and weft knits.

Regression analysis was performed and several predictor equations were developed. The variables that predicted the drape coefficient varied according to the knit structure. For the twenty fabrics, the best predictor variables were bending length, thickness, secondary shear modulus, and transformations of these variables. Bending length, thickness, and extension were the best predictor variables for the warp knit subgroup, while bending length and secondary shear modulus were the best predictor variables for the weft knit subgroup.

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Chapter 1

INTRODUCTION

Fabric drape is one of the visual components in the aesthetic assessment of fabrics. Cusick (1965) defines the drape of a fabric as "a deformation of the fabric produced by gravity when only part of it is directly supported." Since the particular type and style of a garment determines the amount of drape required, some prediction of how a fabric will drape is necessary.

Several physical properties have been suggested as contributors to the drape of woven fabrics (Chu et al, 1963; Cusick, 1965; Sudnik, 1972, 1978; Kim and Vaughn, 1974; Morooka and Niwa, 1976), but the literature lacks information concerning the physical properties that influence the drape of knitted fabrics. The drape of woven fabrics is influenced by a combination of certain deformation properties and structural characteristics. Stiffness, shear, and extension are the relevant measures of deformation, while fabric weight and thickness are the appropriate structural characteristics.

The type of basic woven construction is a factor in the drape of woven fabrics, for example, twill, satin, and plain weaves (Cooper, 1960; Chu et al, 1963; Howorth, 1964). Researchers found that when yarns are woven into fabrics a wide range of stiffness is possible depending on the fibre movement permitted.

FOCUSSED STATEMENT OF THE PROBLEM

The major purpose of this research project is to determine if certain deformation properties and structural characteristics predict the drape coefficient of knitted fabrics. The deformation properties include stiffness, shear, and extension, while the structural characteristics include fabric weight, fabric thickness, and fabric density. Since density is calculated from weight and thickness, it is proposed that it could influence the drape coefficient.

In addition to studying knitted fabrics in general, the research project will also investigate the reliability of the properties and characteristics as predictors of the drape coefficient for the two main types of knitted constructions-- warp knits and weft knits.

All of the directional and face and back components of the deformation properties will be measured in order to determine which ones are the most reliable predictors of the drape coefficient.

Once the properties that influence the drape coefficient in knitted fabrics are determined, equations will be developed so predictions concerning the drape of a knitted fabric can be made if one or more of the fabric properties are known.

The objectives of this study are:

1. To determine whether the fabric properties of stiffness, shear, extension, weight, thickness, and density are reliable predictors of the drape coefficient in knitted fabrics.

2. To determine which directional and/or face and back components of these properties are the most reliable predictors of the drape coefficient in knitted fabrics. This would be limited to the properties found to be the most reliable in objective #1.
3. To determine whether the relationships existing in objectives #1 and #2 are consistent for the warp knit and weft knit subgroups.
4. To develop predictor equations in order to make predictions concerning the drape coefficient of a knitted fabric if measurements of one or more of the fabric properties are known.

JUSTIFICATION FOR THE RESEARCH PROJECT

The major justification for the research project was to establish a better understanding of the physical properties that contribute to the drape of knitted fabrics. The findings would fill a void in the current literature concerning the drape of knitted fabrics and its relation to various physical properties. In addition, both knitted fabric and garment manufacturers could utilize the predictor equations to allow knitted fabrics to be designed or modified to give the drape desired. Ultimately, this would ensure consumer satisfaction in this area of aesthetic assessment.

THESIS FORMAT

The remainder of the thesis is presented in four chapters. Chapter 2 is a review of the current literature. Chapter 3 outlines the experi-

mental methods and materials. Chapter 4 includes a presentation of the results of the study and a discussion of these results. Chapter 5 includes a summary of the research project, implications of the research findings, and several recommendations for future study.

Chapter 2

REVIEW OF LITERATURE

The review of literature deals with two main topic areas-- a basic review of the knit structure and a discussion on fabric drape and its related deformation properties and structural characteristics. The basic types of knits are reviewed, including their structural arrangements, properties, and end uses. The literature on fabric drape and its related physical properties is limited to woven fabrics. This area of discussion, therefore, focusses on the properties that influence drape in woven fabrics. These properties include three deformation properties-- stiffness, shear, and extension, and two structural characteristics-- weight and thickness. Since fabric density is also included in the research, it is discussed as well. Drape is defined, the method of measurement is discussed, and the properties that influence drape in woven fabrics are briefly mentioned. The deformation properties and structural characteristics are defined and discussed in terms of their measurements and their relationships with drape. In addition, the relationships of the knit structure with each deformation property and structural characteristic are discussed.

THE KNIT STRUCTURE

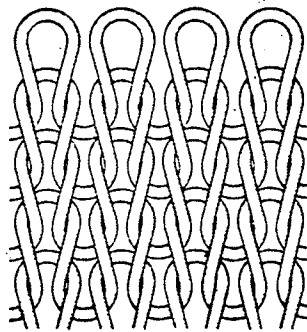
A knitted fabric is composed of a series of interconnected loops. The properties of the fabric depend on the method of production and the geometric relationships of these loops (Thomas, 1971). The two basic types of knitted fabrics are named after the general direction of loop formation in the fabric. In weft knitting the yarn is introduced in a weftwise direction, at right angles to the direction of fabric growth. In warp knitting the yarn follows a warpwise progression (Thomas, 1971). The vertical or lengthwise columns of interconnected loops, corresponding to the warp direction in a woven fabric, are called wales. The horizontal or crosswise rows of interconnected loops, corresponding to the weft direction in a woven fabric, are called courses (Lyle, 1976).

Weft Knits

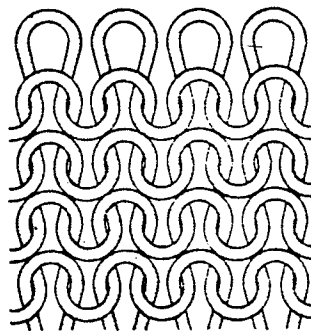
The basic types of weft knits are plain or single jersey, purl, rib, interlock, and double knits. The basic repeat unit of each of these structures is a loop of yarn interconnected by a previously formed loop in the same course (Smirfitt, 1975).

The plain or single jersey is the simplest in construction (see Figure 1). All loops are interconnected in the same direction, are side by side in the same plane, and are drawn to one side of the fabric. The wales are on the face side while the courses are on the reverse side. The different loop structure of the face and back tends to cause curling of the fabric edges. The loops are easily distorted, primarily along

the courses, making the weft direction very extensible. For this reason plain knits are used widely in sweaters, sportswear, underwear, and hosiery (Labarth, 1964; Wignall, 1964; Smirfitt, 1975).



(a) Face



(b) Back

Figure 1: Plain Weft Knit Structure
(Stout, 1967)

In the purl knit the courses are interconnected on opposite sides, resulting in similar appearances of both sides of the fabric. The simplest form is a 1/1 purl where alternate courses are knitted on opposite sides. Extensibility is particularly high in the walewise direction (Wignall, 1964; Smirfitt, 1975). For this reason, purl knits are used primarily in infant and children's wear and in non-fitted end uses such as scarves.

In the rib knit the wales are interconnected on opposite sides. The wales lie in different planes producing a thick fabric with high lateral extension and negligible longitudinal extension. Both sides of fabric have similar appearances. The simplest form is a 1/1 rib where alternate wales are knitted to the front and the back (Wignall, 1964; Smirfitt, 1975). Rib knits are utilized where a close fit is important, such as wristbands, waistbands, underwear, sweaters, and socks (Corbman, 1975).

The interlock knit is formed by interlocking two, 1 X 1 rib structures. The lateral extensibility is not as high as that in rib knits due to one set of ribs being between the other, interfering with the mobility of the loops (Smirfitt, 1975). The excellent longitudinal extensibility of the interlock knit contributes to its success in end uses such as shirts, dresses, suits, coats, and sportswear (Labarthe, 1964; Corbman, 1975).

A double knit is a type of jersey construction composed of two sides of fabric interlocked. One side of the fabric has a fine ribbed appearance, while the other side can assume various patterns, such as honeycomb or diamond. A double knit fabric is thicker, heavier, and more stable than a single knit and due to balanced yarn tension across the fabric, it has no curling tendency (Stout, 1967). Double knits have been used in sportswear, suits, dresses, and slacks (Corbman, 1975).

Warp Knits

In warp knitting many yarns from a warp beam are fed into the knitting needles simultaneously, forming adjacent warpwise loops. The fabric is formed by interconnecting individual warp yarns into these warpwise loops (see Figure 2). The yarns follow a zigzag progression which helps to close the structure, making it more compact and dimensionally stable than a weft knit (Thomas, 1971; Darlington, 1971; Joseph, 1972). The wales are on the face of the fabric, while the courses are on the back. The two basic classifications of warp knits are tricot and raschel (Lyle, 1976). The basic differences between the tricot and raschel structures are the type of needle used and the number of sets of yarns used.

A tricot knit is classified according to the number of sets of yarns used in its structure. It has vertical wales on the face and horizontal ribs on the back (Lyle, 1976). The difference in the loop geometry on the face and back tends to cause curling of the fabric. Tricot knits do

not extend as easily as weft knits. End uses include lingerie and outerwear items (Labarthe, 1964).

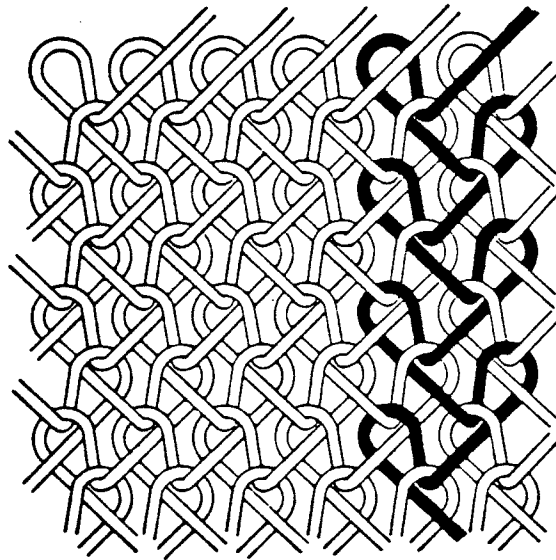


Figure 2: Warp Knit Structure
(Cowan and Jungerman, 1969)

The raschel knit machine is very versatile, allowing a great number of yarn sets to be used. This leads to many different possibilities of structural design, from an open-work crochet to solid structures with three-dimensional effects (Lyle, 1976). This versatility extends the properties and end uses of the fabric. End uses include dresses, suits, drapes, and lingerie.

DRAPE

Cusick (1965) defines the drape of a fabric as "a description of the deformation of a fabric produced by gravity when only part of it is directly supported". The major mode of deformation in drape is bending, but the occurrence of multi-directional curvature implies that shearing is also taking place. There are also tensile and compressive deformations occurring in draping but these are usually small due to yarn stiffness (Hearle, Grosberg, and Backer, 1969; Morooka and Niwa, 1976; Sudnik, 1978). Fabric weight and thickness are the structural characteristics that influence drape (Chu et al, 1963; Kim and Vaughn, 1974; Morooka and Niwa, 1976; Sudnik, 1978), however, no relationships between drape and fabric density have been reported in the literature.

The Measurement of Drape

The drapemeter is the instrument that is generally adopted to measure drape (Chu et al, 1950, 1963; Cusick, 1965, 1968; Kim and Vaughn, 1974; Sudnik, 1972, 1978). The drapemeter allows measurement of drape when the fabric is distorted into multi-directional curvature. A circular specimen is supported by a smaller horizontal disc allowing an annular ring of fabric to drape under its own weight. Three different specimen sizes may be used, allowing different ratios of the supported and unsupported areas, and thus, enabling more accurate measurement of three ranges of drape. The specimen size used depends on the drapability of the fabrics, however, the results using different specimen sizes are not directly comparable (Cusick, 1968; Sudnik, 1972).

Drape is quantitatively expressed by the drape coefficient. It is calculated as the ratio of the area of the shadow projected when the fabric is allowed to drape, to the area of the annular ring of fabric which is allowed to drape. The drape coefficient is expressed as a percentage with a theoretical maximum of one-hundred and a minimum of zero. A high drape coefficient corresponds to low drapeability or a stiff fabric (Cusick, 1968).

Very drapeable fabrics tend to form pleats under the projection of the disc. These pleats are referred to as re-entrant folds. The extent of this folding cannot be measured and therefore, the drapemeter is limited in this respect (Chu et al, 1963).

Research Related to Drape

The major research in the area of drape has been accomplished by Chu et al (1950, 1963), Cusick (1965, 1968), Sudnik (1972, 1978), Kim and Vaughn (1974), and Morooka and Niwa (1976). All have done research on woven fabrics and there has been general agreement on the deformation properties and structural characteristics which relate to drape. The deformation properties are stiffness, shear, and extension. The structural characteristics are weight and thickness. Studies have also shown that the type of woven construction influences drape. Researchers found that when yarns are woven into fabrics a wide range of stiffnesses is possible depending on the fibre movement permitted (Cooper, 1960; Chu et al, 1963).

Predictor equations have been established for woven and nonwoven fabrics by Cusick (1965) and for woven fabrics by Morooka and Niwa (1976). In Cusick's equations the dependent variable was the drape coefficient (DC), while the independent variables included bending length (c), bending length squared (c^2), the shear angle at a specified load (A), and the shear angle at a specified load squared (A^2). One set of equations was derived for the entire group of fabrics only. The significance of the simple regression of DC on c was tested, followed by testing the significance of the difference made by including additional variables. The regression of DC on c was significant at a level higher than 0.001. The difference made by the addition of c^2 to c and A to c and c^2 were highly significant at a level higher than 0.001. However, the difference made by the further addition of A^2 was of lesser significance than the 0.05 level.

Morooka and Niwa (1976) measured sixteen properties including tensile, bending, shearing, compressional, and surface properties, weight, and thickness. Bending, weight, and shear were the most accurate predictors of the drape coefficient. When these three variables were included in the regression equation, the correlation coefficient was 0.78. High correlation resulted when the ratio of bending rigidity to weight was related to the drape coefficient. Shear did not have to be included for high correlation, but weight was necessary. Correlation improved when warp and weft directions were considered separately.

Past research has not established predictor equations concerning the drape of knitted fabrics.

THE DEFORMATION PROPERTIES

Stiffness

Stiffness is defined as the resistance offered by a fabric to bending. Bending is considered to be the major mode of fabric deformation in draping (Hearle, Grosberg and Backer, 1969).

The Measurement Of Stiffness

Stiffness is measured most often by the cantilever method or one of the hanging loop methods. In the cantilever method a fabric strip of a specified size is extended over a horizontal edge until the tip of the strip subtends a specified angle (Abbott, 1951; Kaswell, 1953). In Peirce's Heart Loop test a specimen of known dimensions is formed into a heart-shaped loop and suspended from a horizontal bar (Abbott, 1951; Brown, 1978; Peirce, 1930). Brown (1978) conducted a study to determine whether Peirce's Heart Loop Test could be used to measure the stiffness of single jersey fabrics with and without a tendency to curl. An increase in strip width did decrease the curling edge effect and the variability. Evenso, meaningful results were obtained for the various strip widths tested.

One measure of stiffness is the bending length, c , which is calculated through the use of the following equations:

$$c = l_0 f(\theta),$$

$$f(\theta) = (\cos \theta / \tan \theta)^{1/3},$$

$$\theta = 32.85 d/l_0$$

$$d = l - l_0 \text{ and}$$

$$l_0 = 0.1337L$$

where l is the loop length and L is the strip length (Peirce, 1932; ASTM, 1978). The bending length is expressed in centimeters. Fabrics with a bending length of less than 2 cm are too flexible to be tested by the cantilever method and a heart loop method is advised (Kaswell, 1963).

Another measure of the stiffness is the flexural rigidity which measures the actual forces produced in bending and is therefore dependent on fabric weight.

Stiffness and the Knit Structure

Researchers state that the bending characteristics of warp- and weft-knitted fabrics are determined by fabric thickness, fabric weight, run-in-ratio, fabric tightness (yarn linear density in tex/loop length), stitch type, fabric directions, fabric face and back, and overall construction (Knapton, 1973; Hamilton and Postle, 1974; Knapton and Lo, 1975; Gibson and Postle, 1978).

Knapton and Lo (1975) stated that structurally unbalanced knitted fabrics resulting from different warp and weft counts, the different number of loops on the face and back, and/or different stitch arrangements on each side, have different directional and/or face and back bending characteristics.

Gibson and Postle (1978) found that overall fabric construction also determines bending characteristics. They measured the frictional bending moment (one-half the hysteresis at zero deformation) and the flexibility (the slope in the linear region of the hysteresis curve) of several types of knitted fabrics. Plain knits had very low frictional bending moments and very high flexibilities. Polyester double knits and warp knits had low frictional bending moments and high flexibilities. Wool double knits had medium to high frictional bending moments and low flexibilities. However, generally plain knits were similar to double knits.

Research Related to Stiffness and Drape

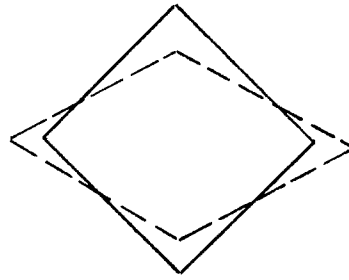
F.L. Peirce discovered that stiffness was an important factor contributing to drape as early as 1930. He found that stiffness and drape were negatively related, and more recently, other researchers have found similar trends. Cusick (1965) tested woven and nonwoven fabrics and reported that when drape coefficient values were plotted against bending length values the gradient increased as bending length increased. Also, the coefficients of determination were high for the multiple regression equations developed. Sudnik's work (1972) on woven, nonwoven, and knitted fabrics and Kim's and Vaughn's work (1974) on woven fabrics also resulted in high correlation between bending length and drape coefficient values. Morooka and Niwa (1976) found bending properties were the most closely related to the drape coefficient but weight was also included in the predictor equation.

Despite the fact that bending length is very highly correlated with drape, it cannot be equated with it (Chu et al, 1963). The strip test exhibits monoplanar deformation only, while the drape test exhibits multiplanar deformation.

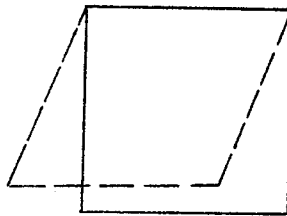
Shear

The American Society for Testing and Materials defines a shearing force as "the force that causes adjacent layers of an object to slide relative to each other in a direction parallel to their plane of contact, to obtain a separation in the object and a change in position" (ASTM, 1972).

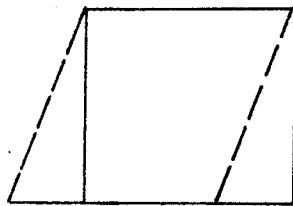
Shear strain can occur in various forms. Pure shear strain is defined as the deformation by extension in one direction and the contraction in the perpendicular direction, so that the area remains constant (Hearle, Grosberg, and Backer, 1969; Hamilton, 1975), (see Figure 3a). Simple shear strain also maintains constant area, but the sides which are initially perpendicular to the direction of shear move through a deformation angle (Hearle, Grosberg, and Backer, 1969; Hamilton, 1975), (see Figure 3b). Simple shear strain at constant length of sides is the type of shear deformation encountered most often in laboratory situations. This results in a decrease in area (Hearle, Grosberg, and Backer, 1969; Hamilton, 1975), (see Figure 3c).



a. Pure Shear Strain
(Hearle, Grosberg, and Backer, 1969)



b. Simple Shear Strain
(Hearle, Grosberg, and Backer, 1969)



c. Simple Shear Strain
at Constant Length of Sides
(Hamilton, 1975)

Figure 3: Forms of Shear Strain

Hearle et al (1969) define a shear stress as "the force acting tangentially on a plane in the material which must be balanced by an equal force in the opposite direction on a parallel plane, and then by a second couple to prevent rotation."

A simple shear test is illustrated in Figure 4. The shearing force, S , is calculated as follows:

$$S = F - W(\tan\theta)$$

where F is the shear stress per unit width of the specimen, expressed in g/cm, W is the tensile load applied to the fabric in grams, and $\tan\theta$ is the shear strain (θ is the angle of inclination in the deformed state) (Cusick, 1961; Spivak and Treloar, 1968). The value $W(\tan\theta)$ is usually negligible compared with F , so it is sometimes ignored (Spivak, 1966).

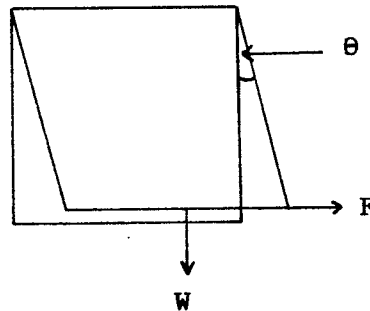


Figure 4: Simple Shear Test
(Spivak and Treloar, 1968)

Shear has been reported as an important aspect of drape of woven, knitted, and nonwoven fabrics by many researchers (Morner and Eeg-Olofsson, 1957; Cusick, 1965; Treloar, 1965; Carnaby and Postle, 1974; Hamilton and Postle, 1976; Goswami, 1977, and Gibson and Postle, 1978). Shear is especially important when fabrics are required to drape around the chest or in the sleeves of a garment where the fabric deforms with multidirectional curvature (Sudnik, 1972).

In most woven fabrics shearing can be explained by a change in angle between intersecting yarns. Bending and twisting of the yarns between intersections also contributes to the shear deformation (Cusick, 1966). The resistance to shear deformation is provided mainly by the frictional contact of yarns at the intersections (Skelton, 1976).

Very little research on the shearing of knitted fabrics has been reported in the literature but the major causes of deformation are thought to be interfibre and interyarn slippage, twisting and bending of the yarns, and jamming (Carnaby and Postle, 1974).

The Measurement of Shear

Several researchers have developed equipment to measure the shearing properties of textile materials (Dreby, 1941; Morner and Eeg-Olofsson, 1957; Behre, 1961; Treloar, 1965; Spivak, 1966; Carnaby and Postle, 1974; Hamilton and Postle, 1976). Many have adapted vertical strain gauge testing instruments, while others have designed equipment that can operate independently. In all of the tests the fabric specimen is

mounted under tension along two parallel edges. A shearing force is applied through an angle until a compressive stress develops which leads to buckling of the fabric (Hearle, Grosberg, and Backer, 1969).

Dreby (1941) was one of the first to develop an instrument to study the shear of textile fabrics. Dreby's Planoflex was simple in design and measured the shear angle required to produce buckling.

Later, Morner and Eeg-Olofsson (1957) developed an apparatus which is mounted on an Instron tensile tester. It was the first to yield a fabric hysteresis curve. The specimen is held between two clamps. The top clamp rests on two knife edges, one of which is rigidly mounted, while the other is connected to the strain gauge of the Instron by a rigid rod. The bottom clamp is moved through a connection to the Instron crosshead. Horizontal movement of the bottom clamp shears the specimen. The apparatus measures $R\cos\theta$ where R is the resistance offered to shearing and θ is the shear angle. Dawes and Owen (1971) were successful in utilizing this method to measure the shearing behavior of the warp-knitted components of fabric laminates. This method was also used by Cusick (1961) to study wovens.

Behre (1961) developed an instrument similar to that of Morner and Eeg-Olofsson, however, R could be measured directly. Behre tested various wovens and nonwovens (Behre, 1961; Lindberg, Behre, and Dalberg, 1961).

Treloar (1965) developed an apparatus that is manually operated. The specimen is mounted between two clamps. A vertical load is suspended from the center of the bottom clamp from where a horizontal load is applied. Measurements of the displacements are made with a travelling venier microscope.

Spivak's apparatus (1966) utilizes the Instron tensile tester to apply and measure the load and the resulting shear deformation. This apparatus is illustrated in Figure 5. The specimen is mounted between two vertical clamps, F_1 and F_2 . Clamp F_2 is attached to the cross-head of an Instron tensile tester and clamp F_1 is suspended from the load cell. A normal load W is applied perpendicular to clamp F_1 to prevent premature buckling of the specimen. Vertical movement of clamp F_2 shears the specimen.

The apparatus has several advantages. It can be adapted to different specimen dimensions. However, Treloar (1965) found that the maximum shear strain which can be applied without the onset of buckling increases as the ratio of width to length of the specimen decreases. The shearing characteristics are much less sensitive to the magnitude of the normal load with a specimen ratio of width to length of one to ten. A second advantage of this apparatus is that the specimen is mounted vertically. This eliminates the clamp weight so that low normal loads may be used. The application of as low a normal load as possible is important in drape since the forces causing deformation during drape are small (Spivak, 1966). Spivak's work on wovens included experimentation

with normal loads from 0 to 120 g/cm of the specimen width. He found that a combination of a low normal load and a long, narrow specimen resulted in the shearing stress being less sensitive to the normal load. Goswami (1977) and Spivak and Treloar (1965) who used the same apparatus for woven fabrics, used normal loads of 2.5 g/cm and 10 g/cm, respectively. A further advantage of the apparatus is the absence of possible frictional couples. Kim and Vaughn (1974) also utilized Spivak's apparatus.

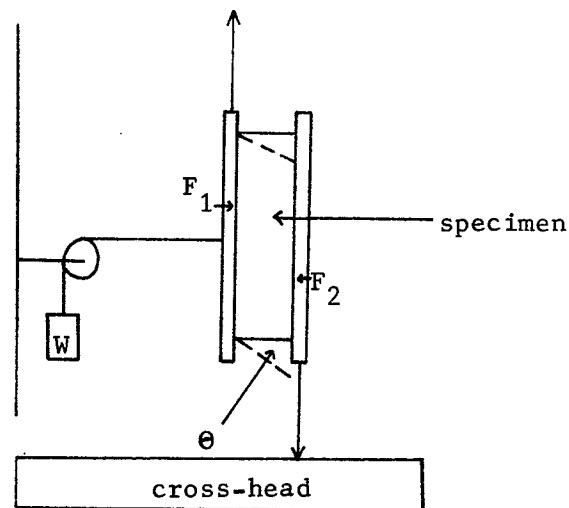


Figure 5: Spivak's Shearing Apparatus
(Spivak, 1966)

Carnaby and Postle (1974) were among the first to study the shearing properties of knits. Their instrument which is similar in design to those previously mentioned, consists of a top clamp which is rotated through an angle while a fixed bottom clamp provides the tensile and shearing stress. A square specimen is used. The shearing force obtained is equivalent to that defined by Morner and Eeg-Olofsson (1957) and Treloar (1965) for shearing at constant length of sides. However, Carnaby and Postle found that in order to ensure shear at constant length of sides in knitted fabrics, some constraint had to be included. Without this constraint they found deformation occurred that could not be classified as shear (Carnaby and Postle, 1974).

More recently, Hamilton and Postle (1976) have devised a shearing apparatus to accommodate this constraint required when shearing knitted fabrics. The apparatus operates independently of an Instron tensile tester. The specimen is mounted between two clamps. A stepper-motor is attached to a strain gauge which moves the bottom clamp. The shear strain is measured by a potentiometer.

Various measures of shear can be obtained from the hysteresis curves yielded by the various instruments. A typical hysteresis curve is illustrated in Figure 6. Spivak and Treloar used the resistance to shearing at a specified angle, the hysteresis at zero strain (XY), and the relative energy loss of the hysteresis $((ABC+DEF)-(BCD+EFA)/(ABC+DEF))$ to measure shear. Goswami measured the latter two in addition to the shear stress and strain at the buckling point B.

Carnaby and Postle used the secondary shear modulus G , ie. the slope of the curve in the linear region, and the coercive force (X_0), ie. half the width of the hysteresis loop at zero strain, and the shear strain. Some measurements are more reliable than others. For instance, the mean shearing modulus at zero strain (Cusick, 1961) and the estimate of the buckling point (Treloar, 1965; Spivak, 1966) are subject to high experimental error. The first involves the small forces in the initial stages of shear and a rapidly changing slope. The later involves error because definition of the point at which buckling occurs is highly subjective. The other measures of shear are reliable, their usage depending on the type of shear characteristic which is meaningful to the researcher.

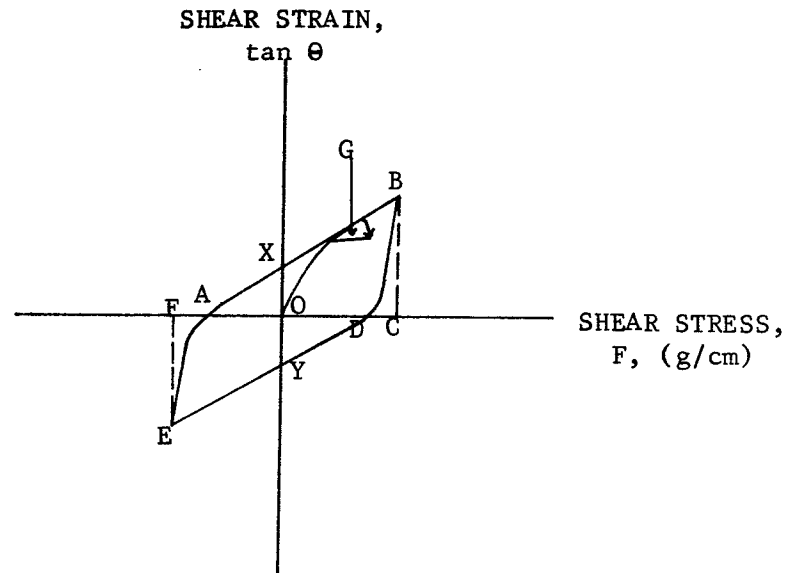


Figure 6: Hysteresis Curve
 (Spivak, 1966
 Carnaby and Postle, 1974)

Shear and the Knit Structure

Shear in knitted fabrics is not dependent on structural characteristics such as fabric thickness, weight, and tightness, but is more a function of fabric type (Gibson and Postle, 1978). Gibson and Postle (1978) measured the frictional shear stress (one-half the hysteresis at zero deformation) and the shearability (the slope in the linear region of the hysteresis curve) of several knitted fabrics. They found that weft-knitted fabrics had medium frictional shear stress and reasonable shearability, while warp knits had high frictional stress and low shearability.

The shearing behavior of a knitted fabric tends to be independent of the direction of the applied strain for warp knits and double knits (Gibson and Postle, 1978) but for the plain-knitted structure the application of the tension modifies the loop shape and therefore values of the shear measurements vary according to direction (Hamilton and Postle, 1977).

Research Related to Shear and Drape

In general, the research indicates moderate to high correlation between the drape coefficient and shear measurements. Cusick (1965) reported that woven and nonwoven fabrics with a high shear angle at a specified load have higher than average drape coefficients and those with a low shear angle at a specified load have lower than average drape coefficients. Research by Kim and Vaughn (1974) indicated a high positive correlation between the shear stiffness and the drape coefficient for woven fabrics. Morooka and Niwa (1976) found that shear was related closely to the drape coefficient but was not necessary for high correlation if bending and weight measurements were included. Sudnik's shear measurements (1978) on woven, knitted, and nonwoven fabrics showed only moderate agreement with drape and shear measurements.

Extension

The extensibility of a fabric under a tensile stress is a third component of the drape of woven fabrics. Extensibility is defined as the ease of stretching (Kaswell, 1963). The number of studies relating

extension to drape has been limited, although this factor was included in research by Chu et al (1963) and Kim and Vaughn (1974).

The Measurement of Extension

One method of measuring extensibility is with a vertical strain gauge testing machine such as the Instron tensile tester. Other instruments are available, but the Instron tensile tester is one of the most precise.

Extensibility can be expressed in several ways. The ratio of tensile stress to strain or Young's modulus is one measurement of extensibility. Low modulus materials have high extensibility. Peirce (1930) advised that to relate extension to handle and stiffness, the measure of extensibility should be taken from the initial slope, because the tensile deformation experienced in bending is small. Two other methods of describing extensibility are the load at a specified extension or the extension at a specified load. Doyle (1953) advised that the latter is a more appropriate measure when a wide range of extensibilities has to be considered. Kim and Vaughn (1974) measured the percent extension of woven fabrics at a load of 1000 grams.

Extension and the Knit Structure

Knits have a low resistance to extension due to their low bending and torsional restraints (Hearle, Grosberg, and Backer, 1969). When a plain knit undergoes extension the loop structure changes shape (Doyle, 1953). This initial load is taken up by bending and twisting couples in the yarn and frictional constraints at loop intersections. As adjacent loops compress and bend into high curvature the load rises. Slippage of the loops over each other also occurs (Hearle, Grosberg, and Backer, 1969). When a warp knit undergoes extension the loop structure changes shape and similar couples and constraints occur (Hearle, Grosberg, and Backer, 1969). However, as the loop extends, yarns move from the crosslink into the loop.

Extension in plain knits varies according to fabric tightness, fabric direction and yarn structure (Doyle, 1953). In double knits extension depends on fabric tightness, fabric direction, stitch type, and stitch arrangements (Knapton and Lo, 1975). In warp knits extension depends on fabric tightness, fabric direction, and yarn stiffness (Cook and Grosberg, 1961).

Research Related to Extension and Drape

Research by Peirce in 1930 indicated that the drape of woven fabrics increased as extensibility increased. Other researchers found similar results in testing various woven constructions (Chu et al, 1963; Kim and Vaughn, 1974). Kim and Vaughn (1974) found very high correlation bet-

ween the percent extension at a specified load and the drape coefficient. Morooka and Niwa (1976) found that extension was a poor predictor of the drape coefficient. The literature did not report relationships between drape and extension for knitted fabrics.

THE STRUCTURAL CHARACTERISTICS

The structural characteristics that are discussed are fabric weight, fabric thickness, and fabric density. Fabric density is defined as fabric weight divided by fabric thickness. Density is a measure of the degree of compactness of the structure.

The Measurement of the Structural Characteristics

To measure fabric weight, specimens of known dimensions are taken from fabric in moisture equilibrium with the standard atmosphere and weighed. Fabric weight is usually expressed in g/m^2 .

To measure fabric thickness the specimen is subjected to a low specified compression between two parallel planes. Their perpendicular separation is taken as the thickness of the specimen at the pressure applied. Thickness is usually expressed in centimeters.

Fabric density is calculated as fabric weight divided by fabric thickness.

The Structural Characteristics and the Knit Structure

The weight of the weft knit structure is related to the loop length and the linear density of the yarn (Hearle, Grosberg, and Backer, 1969; Knapton, 1973). When these are held constant the weight depends on the knit structure.

Postle (1971) and Knapton and Lo (1975) have found that the thickness of weft knits is largely dependent on the yarn diameter but is marginally affected by the loop length and tightness of the structure.

The density of weft knits is markedly dependent on tightness and increases linearly with an increase in tightness (Postle, 1971; Knapton, 1973; Knapton and Lo, 1975). Fibre specific gravity is also influential but the type of knitted structure and yarn do not contribute.

Information regarding the structural characteristics of warp knits was not found in the literature.

Research Related to the Structural Characteristics and Drape

Chu et al (1963) and Morooka and Niwa (1976) stated that for wovens, fabric weight and the drape coefficient are negatively related. However, Kim and Vaughn (1974) found that weight and the drape coefficient were positively related, but the correlation was poor. Sudnik (1978) stated that the drape of woven fabrics is weight dependent, but did not explain the relationships involved. The weight of knitted fabrics as related to drape has not been discussed in the literature. The appar-

ently conflicting results and the lack of research indicate further investigation into the relationship between weight and the drape coefficient is necessary.

Thickness has not been related to drape very often in previous research. Kim and Vaughn (1974) and Morooka and Niwa found that for woven fabrics, thickness tends to decrease as the drape coefficient decreases but the correlation is low. Fabric thickness has been found to influence the bending characteristics of knitted fabrics (Knapton, 1973, Hamilton and Postle, 1974; Knapton and Lo, 1975; Gibson and Postle, 1978), therefore it is possibly a good predictor of drape in knitted fabrics.

No relationships between density and drape have been reported in the literature. However, since weight and thickness have been found to influence drape (Chu et al, 1963; Kim and Vaughn, 1974; Morooka and Niwa, 1976; Sudnik, 1978) it is proposed that density may influence drape as well.

Chapter 3

EXPERIMENTAL METHOD

In addition to measuring the drape of several knitted fabrics, the present research project investigated three deformation properties and three structural characteristics in order to determine the accuracy of these properties and characteristics as predictors of the drape of knitted fabrics. The deformation properties included stiffness, shear, and extensibility, while the structural characteristics included weight, thickness, and density.

This chapter is presented in four sections. They are: (i) Pretest, (ii) Fabric Selection and Preparation, (iii) Physical Analysis of Fabrics, and (iv) Statistical Analysis. The 'Pretest' section outlines the justifications and overall results of the pretest only, as the specific influences of the pretest are mentioned in 'Physical Analysis of Fabrics.' 'Fabric Selection and Preparation' includes the selection of fabrics for screening, the fabric screening procedure, and fabric preparation. 'Physical Analysis of Fabrics' discusses each of the properties tested in relation to its method, equipment, measurement, specimen size, and sample size. 'Statistical Analysis' includes an outline of the statistical model and a description of the methods of analysis.

All testing was done according to standard test methods except for shear where no standard method exists for textiles. All fabric cutting and testing was conducted in the standard atmosphere of 21 ± 1 C and 65 ± 2 % relative humidity.

PRETEST

In order to determine the feasibility of the study in terms of time, equipment, and test methods; a pretest was conducted. The pretest fabrics included one warp knit and two weft knits. The knits exhibited different degrees of drape. The seven physical properties-- drape, stiffness, shear, extensibility, weight, thickness, and density-- were measured.

The pretest indicated the most appropriate method of testing and specimen sizes, the most reliable measurements, and the variability and limitations of the equipment and the test methods.

FABRIC SELECTION AND PREPARATION

Selection of Fabrics for Screening

Forty-two warp- and weft-knitted fabrics were selected from the Winnipeg market for screening purposes. Because of the exploratory nature of the study and the need for a wide range of drape coefficient values, a variety of different knit constructions was chosen. Fabrics whose end use is apparel were chosen because this end use encompasses all types of knitted constructions. Fibre content was not a controlled variable in

fabric selection because fabric construction is the predominant variable in drape.

The fabric constructions selected were of two main types-- warp knits and weft knits. The warp knits included tricot and raschel, the two most prevalent warp knits. The weft knits included plain or single jersey, rib, interlock, and double knits. Warp- and weft-knitted pile fabrics were also selected for screening. Purl knits were not selected because of their limited application in apparel and their limited availability.

Fabric Screening

Prior to the screening procedure the fabrics were laundered according to the Canadian National Standard CAN2-4.2-M77 Method 58-1977 (CGSB, 1977) in order to remove any water-soluble finishes and soil and to relax the fabrics.

The purpose of screening the fabrics was to limit the number of fabrics to be tested, while maintaining a wide range of drape coefficients for the entire group of fabrics chosen, as well as for the warp- and weft-knitted subgroups.

The drape coefficients of the forty-two fabrics were determined according to the British Standard Method BS:5058-1973 (BSI, 1974), except that the face and back were each tested once on one drape specimen. The drape coefficients ranged from 15 to 70% for the forty-two

fabrics. From these, twenty fabrics were chosen for the research project, including ten warp knits and ten weft knits. The range of drape coefficients for each of these subgroups was also 15 to 70%.

Fabrics were excluded from the group of forty-two for several reasons. Rib knits were excluded because of their directional drape characteristics. They also had poor draping properties, and thus, did not provide a good range of drape. Pile knits were excluded because of the difference in the drape coefficients between the face and the back. Other types of fabrics with very different face and back drape coefficients were also excluded. Fabrics with a tendency to curl were excluded. When two or more fabrics had the same drape coefficient, only one was used in the study. This selection was made randomly.

In order to ensure that the drape properties of the twenty fabrics were due to construction rather than finishes, the presence of finishes was determined on all fabrics using the American Association of Textile Chemists and Colorists test method 94-1977 (AATCC, 1977), Identification of Finishes in Textiles. Finish detection included extractions with trichloroethylene, ethanol, and 0.1N hydrochloric acid. The acetone extraction specified in the test method was omitted because it was unlikely that the fabrics contained alkyd resins, cellulose acetate, chlorinated rubber, or polyvinyl chloride. Water extraction was omitted because the fabrics had previously been laundered.

Fabric yielding less than 1% residue were retained for the study. Fabrics yielding greater than 1% residue with minimal loss of dye or brightener, and fabrics yielding greater than 2% residue, were tested further for bending length and shrinkage (fabric count) before and after extraction. If the bending lengths and/or fabric counts were significantly different before and after extraction, the fabric was either replaced by one with a similar drape coefficient or drycleaned to remove the finish, so as to ensure that the finish did not influence the drape of any of the twenty fabric samples.

The final twenty fabrics chosen for the study included ten warp knits and ten weft knits. The warp knits included eight tricot and two raschel knits. The weft knits included five single, three double, and two interlock knits. A description of the fabric characteristics is included in Table 1. Fabric count was determined according to the Canadian National Standard CAN2-4.2-M77 Method 7-1977 (CGSB, 1977). Fabric weight was determined according to the Canadian National Standard CAN2-4.2-M77 Method 5.A-1977 (CGSB, 1977).

Fabric Preparation

The fabric preparation for all tests was done in a standard atmosphere of 21 ± 1 C and $65 \pm 2\%$ relative humidity. Walewise specimens were cut from the lengthwise direction parallel to the fabric wales. Coursewise specimens were cut from the widthwise direction parallel to the fabric courses. Specimens were cut for each test so that they did not contain the same wales or courses.

Table 1
Description of Fabric Characteristics*

Fabric**	Fabric Count (wales/cm)	Fabric Count (courses/cm)	Type of Knit	Fibre Content	Weight (g/m ²)
A	15.6	17.4	tricot	85/15 nylon/spandex	200.22
B	22.0	25.6	tricot	100% nylon	74.95
C	16.0	15.4	tricot	100% nylon	24.46
D	11.8	14.4	tricot	100% triacetate	165.92
E	5.0	16.0	raschel	50/50 polyester/acetate	207.28
F	12.0	14.0	tricot	100% polyester	194.42
G	18.8	19.6	tricot	100% nylon	88.86
H	19.0	16.2	tricot	100% nylon	167.16
I	8.0	7.4	raschel	100% rayon	177.75
J	8.0	6.0	tricot	100% polyester	133.85
K	9.0	8.0	single	90/10 cotton/flax	192.27
L	13.8	18.4	single	50/50 polyester/cotton	159.76
M	8.6	12.0	single	50/50 polyester/cotton	227.01
N	15.0	17.0	interlock	100% polyester	137.02
O	5.0	7.0	single	100% polyester	138.77
P	13.8	21.0	single	100% nylon	152.12
Q	12.4	9.0	double	100% polyester	252.47
R	13.6	11.0	double	100% nylon	237.27
S	12.0	13.6	interlock	100% polyester	153.11
T	11.4	13.0	double	100% polyester	215.11

* Values are mean determinations according to standard test methods
** Fabrics A-J are warp knits, fabrics K-T are weft knits

PHYSICAL ANALYSIS OF FABRICS

Drape

To assess drape, the British Standard Method BS:5058-1973 (BSI, 1974), Assessment of Drape of Fabrics, was utilized. Two, 30-cm-diameter fabric circles were tested using a Rotrakote model tester with an 18-cm-diameter disc. Each specimen was tested three times on each side yielding six face and six back drape coefficients which were averaged to yield three mean values. They were: (i) drape coefficient face, (ii) drape coefficient back, and (iii) drape coefficient overall.

The test method suggests a specimen diameter of 24 cm if the drape coefficient of a 30-cm-diameter specimen is less than 35% and a specimen diameter of 36 cm if the drape coefficient of a 30-cm-diameter specimen is greater than 85%. The 36-cm-diameter specimen size was not selected because screening indicated that none of the fabrics had drape coefficients greater than 85%. The 24-cm-diameter specimen size was not selected because initial trials indicated it was not as capable of discriminating among the fabrics as the 30-cm size. The 30-cm-diameter specimen was utilized throughout this study because it was proposed that for most fabrics this size would be the most accurate and most discriminatory.

Drape was quantitatively expressed by the drape coefficient which was calculated as the mass of the shaded area of the paper ring divided by the total mass of the paper ring and expressed as a percentage. Drape coefficient results obtained during screening were not used in the testing.

The pretest and the screening trials confirmed the limitation of the drape tester mentioned by Chu et al (1963). Very drapeable fabrics formed re-entrant folds under the projection of the disc. Since the specimen and the disc are both opaque, the size of these folds could not be measured. The occurrence of re-entrant folds was noted and the fabrics were included in the project. There were three fabrics whose face and back exhibited re-entrant folding and three fabrics whose face or back exhibited re-entrant folding.

The Deformation Properties

All of the deformation properties have face and back and/or directional components. All such components were tested because past research indicated that these properties can vary due to the different structural arrangements of the face and back or warp and weft directions (Doyle, 1953; Cook and Grosberg, 1961; Knapton and Lo, 1975; Hamilton and Postle 1977, 1978).

Stiffness

To obtain a measure of fabric stiffness, the American Society for Testing and Materials 1975 Designation: D1388-64, Stiffness of Fabrics, was used (ASTM, 1978). The pretest included measurements by both the cantilever and heart loop methods.

The heart loop method was used for the research project because the pretest fabrics were too limp to be assessed by the cantilever method.



In addition, the heart loop method eliminated fabric curl and reduced variability. The bending length was calculated according to the formula outlined in the Review of Literature, page 15, and was expressed in centimeters.

The 15 cm strip length used was determined by a bending length trial for each fabric, as specified in the test method. The appropriate specimen width was determined in the pretest. Widths of 2.5, 3.5 and 5.5 cm were tested for ease of handling, tendency to curl, and variability. A width of 3.5 cm was chosen because it was sufficient to eliminate curl and it was the easiest to handle. The variability of the results was similar for all three widths.

Four walewise and four coursewise specimens were tested on the face and back. The nine mean values of bending length obtained were: (i) bending length walewise, (ii) bending length coursewise, (iii) bending length walewise face-in, (iv) bending length coursewise face-in, (v) bending length walewise face-out, (vi) bending length coursewise face-out, (vii) bending length face-in (viii) bending length face-out, and (ix) bending length overall.

Shear

Since no standard method for measuring the shearing properties of textile fabrics exists, a method reported in the literature was followed. The apparatus developed by Spivak (1966) was adopted because it is simple in design, relatively inexpensive, and has several operational

advantages (See Chapter 2, page 24). While there was no evidence in the literature that Spivak's apparatus had been used to test knitted fabrics, the pretest results indicated that the apparatus was accurate for knitted fabrics. The specimens did shear at constant length of sides and thus the shearing problem encountered by Carnaby and Postle (1974) did not occur. It was thought that this problem was avoided by using long, narrow specimens and extra screws to prevent fabric slippage. In addition to the shearing apparatus, the Instron tensile tester (Model TM) was used to apply and record the shearing force. The apparatus is pictured in Plates I through III.

Four components of the apparatus were attached to the Instron throughout the testing (see PLATE I). These included the base (A), which was attached to the cross-head, the uprights (B), extending from the base, the pulley (C), and the thin rod (D), which connected the apparatus to the load cell. The mounting frame consisted of two plates (E_1 and E_2) and two clamps (F_1 and F_2) (see PLATE II). The plates were screwed together as one and the fabric specimen was sandwiched between the plates and clamps with its shorter dimension perpendicular to the clamps. The entire frame was fixed to the uprights and the rod to the load cell and the normal load (W) were attached (see PLATE III). A normal load of 5g/cm was utilized in the present research. This load was high enough to delay fabric buckling, but low enough so as not to distort the knit structure. The load was similar to that used by other researchers (Spivak and Treloar, 1965; Goswami, 1977).

To test the fabric's shear properties, the screws that held the plates together were removed, leaving one clamp (F_1) and plate (E_1) suspended from the load cell. This clamp and plate unit remained stationary. The other clamp (F_2) and plate (E_2) unit was rigidly fixed to the Instron cross-head. As the cross-head moved vertically downwards, the fabric was sheared through an angle, referred to as θ . The cross-head speed was adjusted each time to allow the fabric specimen to buckle in about one minute.

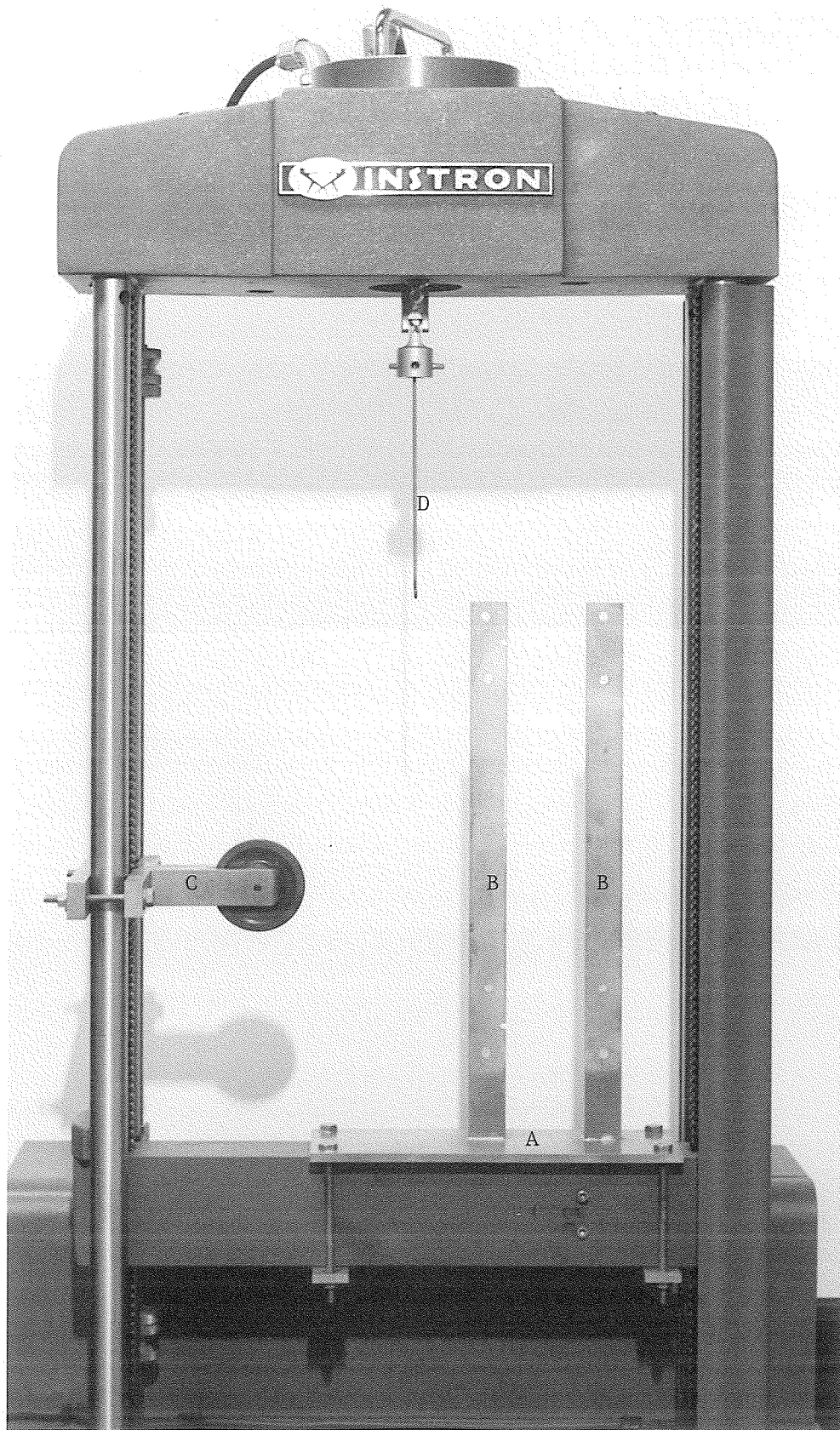


PLATE I: The Instron tensile tester and four components of the shearing apparatus: A-base, B-uprights, C-pulley, D-connecting rod.

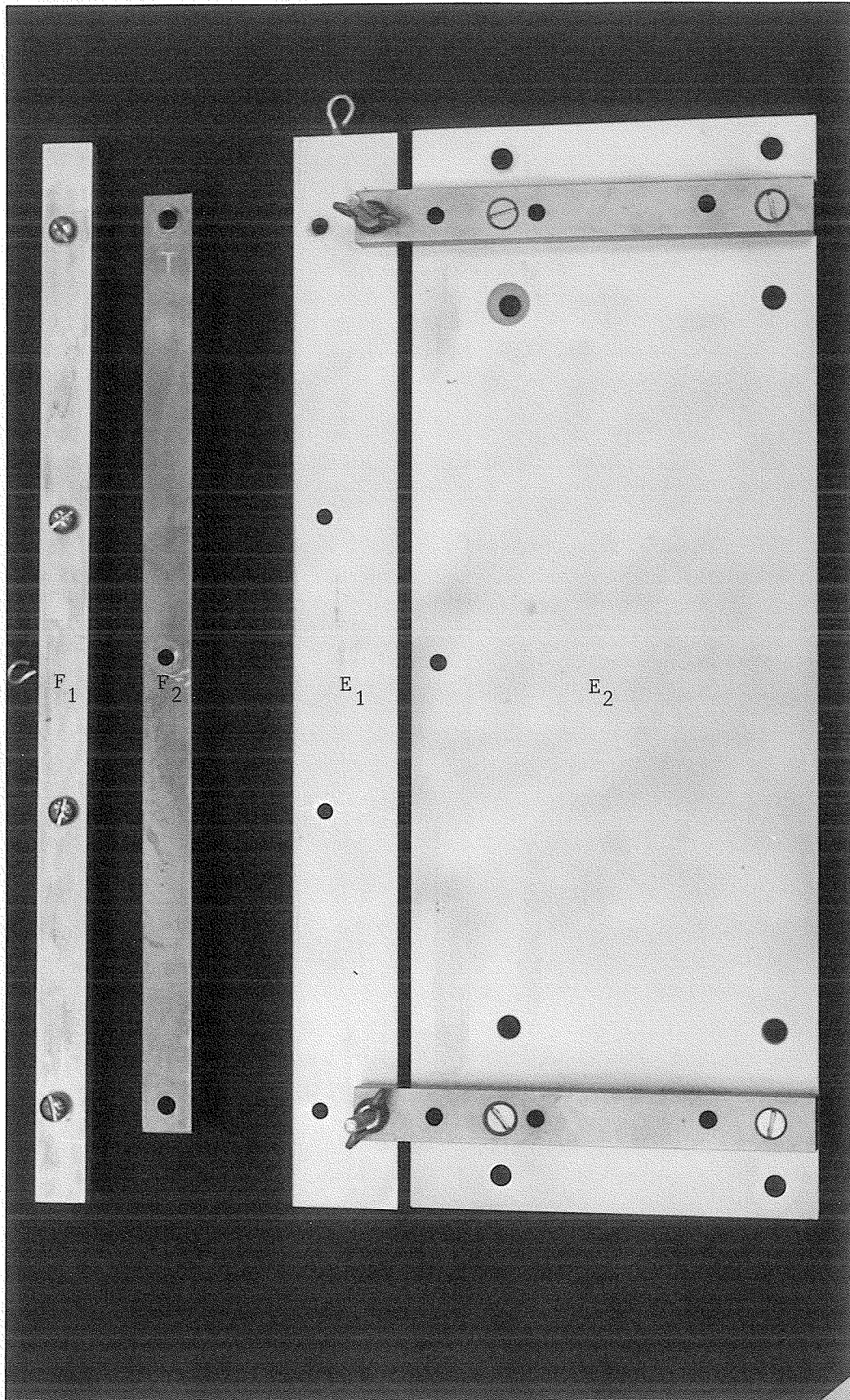


PLATE II: The mounting frame: E_1 and E_2 -plates, F_1 and F_2 -clamps.

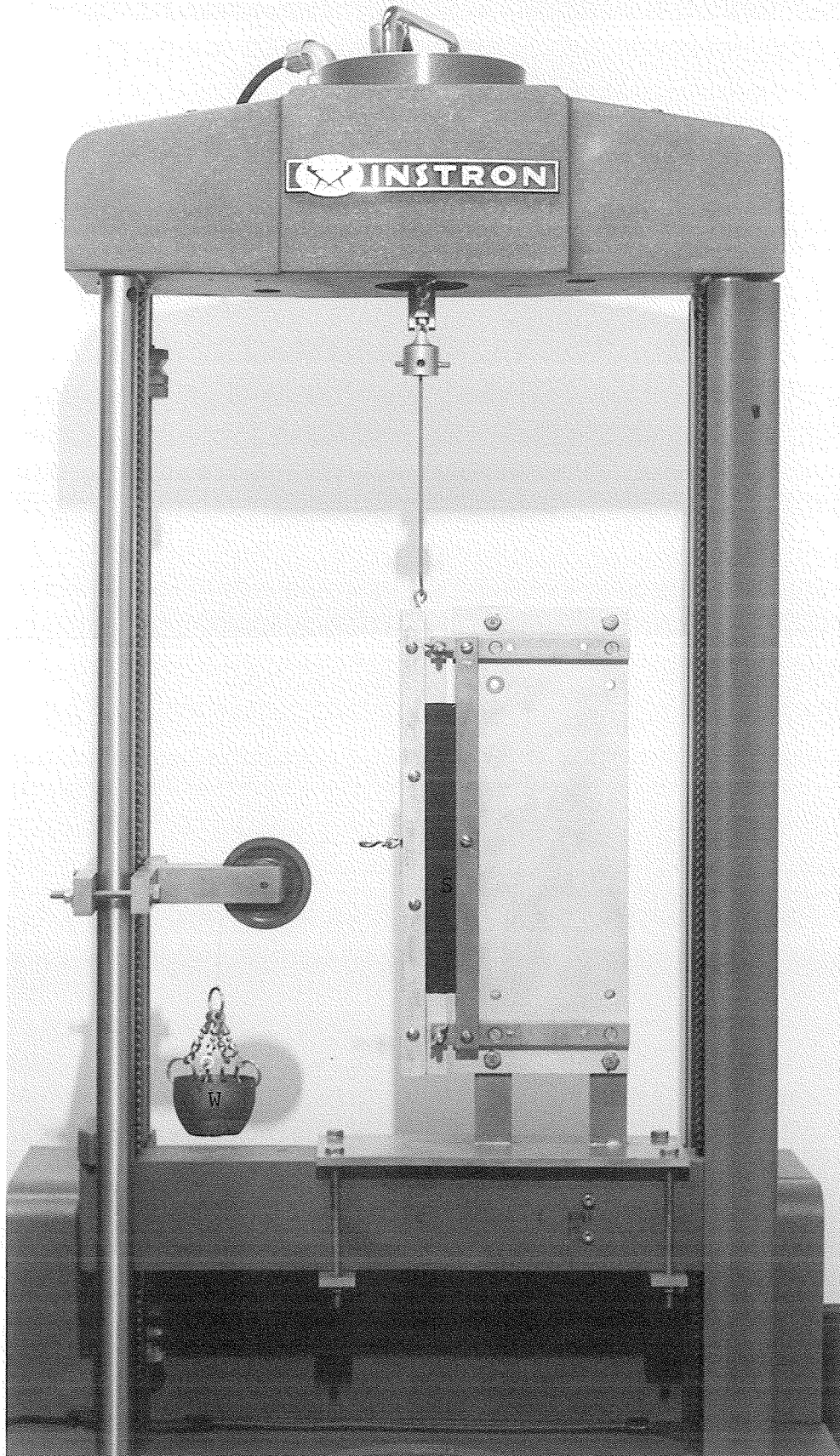


PLATE III: The entire shearing apparatus assembled on the Instron tensile tester: S-fabric specimen, W-normal load.

The specimen size for the shear test was 5.5 by 20 cm, but the actual dimensions sheared were 2 by 20 cm. The larger size allowed the edges of the specimen to be held securely between the plates and clamps. In addition, three holes were punched in each specimen to accommodate the clamping screws which also prevented specimen slippage. Wider specimens could have been used but long, narrow specimens were known to delay the onset of buckling (Treloar, 1965).

The Instron tensile tester recorded curves of shear stress versus shear strain which is equal to the tangent of the shear angle, θ . The shearing force, S , was calculated according to the following formula:

$$S = F - W(\tan\theta)$$

where W is the normal load, θ is the shear angle, and F is the shear stress per unit fabric width. Since $W(\tan\theta)$ was small, it was eliminated, and the above equation was approximated as $S = F$.

The measurement used to express the shear characteristics of the fabrics was the secondary shear modulus. This modulus is equal to the slope in the linear portion of the shear stress-strain curve (see Figure 6, page 28). Seven walewise and seven coursewise specimens were tested to yield three mean values: (i) secondary shear modulus walewise, (ii) secondary shear modulus coursewise, and (iii) secondary shear modulus overall. The slope was not measured at the beginning of the curve because this measurement is subject to experimental error (Cusick, 1961). Consequently, it was measured at one-half the buckling point as a point of reference for all samples. Shear stress at a specific strain

or shear strain at a specific stress were not measured because of the wide range of shear behaviors exhibited by the different fabrics.

Extension

Extensibility was determined with reference to the ASTM 1975 Designation D1682-64 (ASTM, 1978), Breaking Load and Elongation of Textile Fabrics. The Grab Method was performed using the Instron tensile tester (Model TM). Pneumatic rubber forced jaws, measuring 25.4 mm wide by 38.1 mm long, clamped the specimen. The gauge length was 75.0 mm and the air pressure was 380 kN/m². The cross-head speed was adjusted to ensure extension of the specimen to a specified load within 20 ± 3 seconds. A low load of 100 g was chosen to simulate the extension occurring in drape. The pretest indicated that at this load, the extension was at least 1%. A lower percentage extension would have lacked accuracy. The reason for measuring percent extension at a specified load rather than the mean load at a specified extension was due to the wide range of extensibilities within the fabrics selected.

Specimens were extended with and without pretensioning during the pretest. Pretensioning was not found to improve the reproducibility, and merely gave consistently lower extension values. Therefore, it was decided to test the specimens without pretensioning. Each specimen was centrally mounted in the top jaw and allowed to hang freely before being fixed in the bottom clamp.

Five walewise and five coursewise specimens were tested. They measured 150 mm by 100 mm, and yielded three mean values: (i) extension walewise, (ii) extension coursewise, and (iii) extension overall.

The Structural Characteristics

Fabric weight was determined according to the Canadian National Standard CAN2-4.2-M77 Method 5A-1977 (CGSB, 1977). Five die cut specimens of 6.129 cm diameter were taken from the fabric in moisture equilibrium with the conditioned atmosphere and weighed on a Sartorius Automatic Preweighing Balance.

Fabric thickness at a given pressure was determined according to the standard CGSB 4-GP-2 Method 37-1977 (CGSB, 1971). A Frazier Compressor with a 25.4 mm diameter pressure foot, was used. The pressure applied was 0.69 KN/m^2 . Five thickness measurements were taken from each fabric and the mean value was expressed in centimeters.

Fabric density was calculated from the mean values of fabric weight and fabric thickness. It was determined following the relationship:

$$\text{fabric density, mg/cm}^3 = \text{fabric weight/fabric thickness.}$$

STATISTICAL ANALYSIS

The results of the research project were analyzed in terms of their descriptive statistics, simple linear correlation, and multiple linear regression. The descriptive statistics included the mean data for each

fabric and the univariate statistics for the three knit groups. The dispersions of the data were studied with reference to the histograms. However, these histograms are not included in the thesis. Simple linear correlation analysis between the drape coefficients and each of the independent variables was also performed but emphasis was placed on multiple linear regression analysis.

The most reliable predictors of the drape coefficient in knitted fabrics were established using regression analysis. The Biomedical Computer Program (BMDP) developed by the Health Sciences Computing Faculty, University of California, was used (Dixon, 1973). Multiple linear regression (PlR), stepwise regression (P2R), and all possible subsets regression (P9R), were the analyses used. The PlR analysis estimated multiple linear regression equations using various combinations of independent variables that were specified by the researcher. In the P2R analysis, independent variables were entered into and removed from a multiple linear regression equation in a stepwise manner. The P9R analysis developed regression equations using the best subsets of predictor variables. In the P2R and P9R analyses the variables were selected for entry into the equations by the computer. In this study, P2R and P9R were used to confirm the analysis using PlR. All three methods of analysis were used to develop predictor equations for the warp and weft knit subgroups as well as for the entire group of knitted fabrics.

Predictor equations were developed where high correlations were identified, according to the following model:

$$y = a + b_1x_1 + b_2x_2 + \dots + b_px_p + e$$

where:

y is the dependent or predicted variable, ie. drape coefficient,
 x_1, \dots, x_p are the independent or predictor variables, ie. bending
length, shear, extension, weight, thickness, and density,
 b_1, \dots, b_p are the regression coefficients,
 a is the intercept,
 p is the number of independent variables, and
 e is the error which is assumed to be normally distributed with
mean zero and a constant variance.

Several transformation variables were also included in the regression
analysis.

Chapter 4

RESULTS AND DISCUSSION

The results of this research project, attained by the preceding methods are reported and discussed in terms of: (i) description of the data, (ii) simple linear regression, and (iii) regression analysis. Each section includes discussions of the all knit group and the warp and weft knit subgroups. Comparisons were made with the research findings mentioned in the 'Review of Literature'. The tables presented in this chapter include: variable abbreviations, mean results, univariate statistics, correlation matrices, and predictor equation constants.

Throughout this chapter several abbreviations were used for the variables. These are listed and defined in Table 2.

DESCRIPTION OF THE DATA

The mean results of each independent variable and the dependent variable (drape coefficient), for each of the twenty fabrics are presented and briefly discussed. Tables 3, 4, and 5 contain these results. In addition, the univariate statistics of each variable for the three knit groups are recorded and discussed. These univariate statistics include the means, standard deviations, and the ranges of the data. They are presented in Tables 6a (all knit group), 6b (warp knit subgroup), and 6c

(weft knit subgroup). The dispersions of the data are mentioned with reference to the histograms.

Table 2
Variable Abbreviations

Abbreviation	Variable
DCface	drape coefficient face
DCback	drape coefficient back
DCmean	drape coefficient mean
blwalein	bending length walewise face-in
blwaleout	bending length walewise face-out
blcoursein	bending length coursewise face-in
blcourseout	bending length coursewise face-out
blmeanin	bending length mean face in
blmeanout	bending length mean face out
blmean	bending length overall mean
blwalemean	bending length walewise mean
blcoursemean	bending length coursewise mean
shearwale	secondary shear modulus walewise
shearcourse	secondary shear modulus coursewise
shearmean	secondary shear modulus mean
extwale	extension walewise (100 g load)
extcourse	extension coursewise (100 g load)
extmean	extension mean (100 g load)
weight	fabric weight
thickness	fabric thickness
density	fabric density

The Mean Data for Each Fabric

The mean data (see Tables 3, 4, and 5) illustrate that the face and back components of the drape coefficient and the bending length values for each fabric are similar. In addition, the directional components of the bending length, secondary shear modulus, and extension values for each fabric are generally similar.

Most of the mean values for the seven properties are similar for the warp and weft knit subgroups, with one exception. Generally, the extension of the fabrics was slightly greater in the coursewise direction, but for the warp knits the coursewise extension was often more than twice the walewise extension. This suggests that extension for the warp knit subgroup is more directionally dependent than extension for the weft knit subgroup.

An additional observation related to the mean data was the occurrence of re-entrant folding in drape. The fabrics with drape coefficients of less than 25% formed re-entrant folds under the projection of the drape meter disc. The face and back of fabrics H, L, and N and the face or back of fabrics A, D, and G formed re-entrant folds. Three of these fabrics were warp knits while three were weft knits. The re-entrant folding was not associated with fabric edge curling. Because the folding under the disc could not be measured, there is error involved in the drape coefficients of the fabrics which exhibited re-entrant folding. The amount of error involved is minimal, but could not accurately be estimated.

Table 3
Mean Drape Coefficients and Secondary Shear Modulus Values

Fabric*	Mean Drape Coefficients(%)			Mean Secondary Shear Modulus Values (g/cm)		
	Face**	Back**	Overall Mean	Walewise*** Direction	Coursewise*** Direction	Mean
A	23.70	28.85	26.28	1226	914	1070
B	30.10	29.02	29.56	320	330	325
C	37.09	35.35	36.22	320	330	325
D	27.12	25.94	26.53	434	518	476
E	57.66	59.11	58.39	266	269	268
F	66.56	65.87	66.22	1289	1327	1308
G	26.72	24.33	25.53	480	504	492
H	17.52	17.86	17.70	164	169	167
I	45.34	39.43	42.39	288	258	273
J	48.63	49.30	48.97	543	580	562
K	34.99	32.65	33.82	347	414	382
L	21.38	18.12	19.75	203	189	196
M	54.52	50.33	52.42	591	655	623
N	18.99	18.60	18.80	230	244	237
O	39.48	35.88	37.68	154	246	200
P	29.39	29.61	29.50	381	560	471
Q	49.46	46.31	47.89	447	347	397
R	67.11	64.22	65.67	669	731	700
S	29.08	29.04	29.06	386	420	403
T	59.85	63.33	61.59	411	364	388

* Fabrics A-J are warp knits, fabrics K-T are weft knits

** Mean of 6 observations, mean standard deviation equal to 15.82%

*** Mean of 7 observations, mean standard deviation equal to 295.90 g/cm

Table 4
Mean Bending Length Values (cm)

Fabric*	Walewise Direction			Coursewise Direction			Face-in Mean	Face-out Mean	Overall Mean
	Face- in**	Face- out**	Mean	Face- in**	Face- out**	Mean			
A	1.12	.92	1.02	.92	.97	.95	1.02	.95	.99
B	.93	1.31	1.12	1.11	.99	1.05	1.02	1.15	1.09
C	1.15	1.57	1.36	.88	1.18	1.03	1.02	1.38	1.20
D	.78	1.23	1.01	1.38	1.01	1.20	1.08	1.12	1.10
E	1.45	1.20	1.33	1.59	1.66	1.63	1.52	1.43	1.48
F	1.57	1.98	1.78	2.14	1.87	2.01	1.86	1.93	1.90
G	.87	1.37	1.12	1.01	.86	.94	.94	1.12	1.03
H	1.04	1.01	1.03	.83	.82	.83	.94	.92	.93
I	1.32	1.43	1.38	1.24	1.21	1.23	1.28	1.32	1.30
J	1.49	1.10	1.30	1.72	1.94	1.83	1.61	1.52	1.57
K	1.01	1.25	1.13	1.16	1.06	1.11	1.09	1.16	1.13
L	.78	1.05	.92	.90	.82	.86	.84	.94	.89
M	.98	1.39	1.19	1.26	1.00	1.13	1.12	1.20	1.16
N	1.04	1.14	1.09	.86	.88	.87	.95	1.01	.98
O	.98	1.25	1.12	1.43	1.42	1.43	1.21	1.34	1.28
P	.95	1.10	1.03	1.04	.89	.97	1.00	1.00	1.00
Q	1.61	1.87	1.74	1.64	1.74	1.69	1.63	1.81	1.72
R	1.59	1.71	1.65	1.44	1.41	1.43	1.52	1.56	1.54
S	1.46	1.52	1.49	.87	.87	.87	1.17	1.20	1.19
T	2.00	1.78	1.89	1.80	1.69	1.75	1.90	1.74	1.82

* Fabrics A-J are warp knits, fabrics K-T are weft knits

** Mean of 4 observations, mean standard deviation equal to 0.30 cm

Table 5
Mean Extension Values and Structural Characteristics

Fabric*	Mean Extension Values			Fabric Geometric Characteristics		
	Walewise** Direction (%)	Coursewise** Direction (%)	Mean (%)	Weight (g/m ²)	Mean*** Thickness (cm)	Density (mg/cm ³)
A	13.93	11.37	12.65	200.22	.070	287.68
B	10.10	18.51	14.31	74.95	.049	154.53
C	8.87	46.42	27.65	24.46	.021	118.75
D	5.55	7.07	6.31	165.92	.050	335.19
E	7.25	16.05	11.65	207.28	.140	147.85
F	1.48	2.69	2.09	194.42	.070	278.13
G	4.02	13.46	8.74	88.86	.031	286.64
H	7.95	12.59	10.27	167.16	.051	325.85
I	4.43	11.41	7.92	177.75	.109	163.52
J	3.07	1.72	2.40	133.85	.045	297.44
K	11.94	12.47	12.21	192.27	.095	202.60
L	12.13	18.67	15.40	159.76	.056	287.33
M	4.32	7.37	5.85	227.01	.096	236.47
N	6.52	12.63	9.58	137.02	.063	217.84
O	10.90	5.88	8.39	138.77	.073	191.14
P	26.67	28.03	27.35	152.12	.083	183.71
Q	3.94	5.03	4.49	252.47	.113	224.42
R	7.10	8.14	7.62	237.27	.104	227.93
S	2.23	14.21	8.22	153.11	.061	252.24
T	5.25	5.20	5.23	215.11	.109	198.26

* Fabrics A-J are warp knits, fabrics K-T are weft knits

** Mean of 5 observations, mean standard deviation is equal to 1.86%

*** Mean of 5 observations, mean standard deviation is equal to .03 cm

The Univariate Statistics

The Drape Coefficient

The overall mean drape coefficients of the twenty selected fabrics (all knit group) ranged from 17.69 to 66.22% with a mean of 38.70% and a standard deviation of 15.82% (see Table 6a). The t-test indicated that the face and back drape coefficient values were not significantly different at the 0.10 level. The data were normally distributed between the minimum and maximum values on the histogram. The warp knit subgroup and weft knit subgroup drape coefficient values were not significantly different (see Tables 6b and 6c) and there were no significant differences between DCface and DCback. The ranges and standard deviations were similar for the two groups. The drape coefficient range in this research was larger than Sudnik's (1972) range for knitted fabrics. His drape coefficient values using a 30-cm-specimen size ranged from 20.8 to 40.5%, however, he tested tricot knits only. No measures of variability were given.

The Bending Length

The overall mean bending lengths (calculated from blwalemean and blcoursemean) for the twenty fabrics ranged from 0.89 to 1.90 cm, with a mean of 1.26 cm and a standard deviation of 0.30 cm (see Table 6a). The other bending length mean values did not vary significantly (0.10 level) from the overall mean and no significant differences were identified between the face (blmeanin) and back (blmeanout) and directional components (blwalemean and blcoursemean). Most of the data for each bending

length variable were close to the minimum bending length value on the histogram.

The warp knit subgroup and weft knit subgroup bending length values were not significantly different (see Tables 6b and 6c). As for the all knit group, there were no significant differences identified between the overall mean and the other bending length values or between the face and back and directional components. The ranges and standard deviations were similar for the two groups. The range of bending length values could not be compared to the range found by Brown (1978), who also used the heart loop method for knitted fabrics, because different strip widths were used.

The Secondary Shear Modulus

The overall mean secondary shear modulus values for the twenty fabrics ranged from 152.14 to 1308.86 g/cm, with a mean of 454.31 g/cm and a standard deviation of 295.90 g/cm (see Table 6a). There was no significant difference (0.10 level) between the directional components. This is in agreement with Gibson and Postle (1978) who stated that the shearing behavior of a knitted fabric tends to be independent of the direction of the applied strain. Most of the data were in the lower region on the histogram. The mean, standard deviation, and range for the warp knit subgroup were larger than those for the weft knit subgroup, however, the means were not significantly different (0.10 level) (see Tables 6b and 6c). This does not concur with statements by Gibson

and Postle who reported that shear in knitted fabrics is a function of fabric type. As for the all knit group, there were no significant differences between the directional components for the subgroups. Measures of the ranges and variabilities of the secondary shear modulus values for knitted fabrics were not available in the literature.

The Extension

The overall mean extensions at a 100 g load for the twenty fabrics ranged from 2.09 to 27.65%, with a mean of 10.42% and a standard deviation of 6.86% (see Table 6a). There was a significant difference between the directional components for the all knit group at the 0.05 level. Most of the data were close to the minimum value on the histogram. There were no significant differences between the warp and weft knit subgroups' extension values. However, as for the all knit group, there was a significant difference between the directional components for the warp knit group (see Table 6b). There was no significant difference between the directional components for the weft knit subgroup (see Table 6c). The ranges for the warp and weft knit subgroups were similar with one exception. The maximum percent extension in the coursewise direction for the warp knit group was 46.42%. With the exception of this fabric the maximum percent extension in coursewise direction for the warp knit subgroup was 18.51%. Ranges and variabilities of the percent extension at a 100 g load were not found in the literature.

Fabric Weight

The weights for the twenty selected fabrics ranged from 24.46 to 252.47 g/m², with a mean of 164.99 g/m² and a standard deviation of 56.41 g/m² (see Table 6a). The mean weight values for the warp and weft knit subgroups were significantly different at the 0.05 level (see Tables 6b and 6c). Most of the data were in the upper region on the histogram. Standard deviations were similar for the two subgroups, but the range for the weft knit subgroup was narrower.

Fabric Thickness

The thickness values for the twenty selected fabrics ranged from 0.02 to 0.14 cm with a mean of 0.07 cm and a standard deviation of 0.03 cm (see Table 6a). The distribution of the data was normal on the histogram. The mean thickness values for the warp and weft knit subgroups were significantly different at the 0.05 level (see Tables 6b and 6c). The standard deviations were similar, but the range was greater for the warp knit subgroup.

Fabric Density

The range of densities for the weft knit subgroup was narrower than that for the warp knit subgroup (see Tables 6a, 6b, and 6c). The warp knits had a density range of 118.75 to 335.19 mg/cm³ compared to 183.71 to 287.33 mg/cm³ for the weft knits. The means, however, were not significantly different. The data appeared normally distributed on the histogram.

Table 6a
Univariate Statistics - All Knit Group

Variable	Mean	Standard Deviation	Minimum	Maximum
DCface (%)	39.23	15.90	17.52	67.11
DCback (%)	38.16	15.84	17.86	65.87
DCmean (%)	38.70	15.82	17.69	66.22
extwale (%)	7.88	5.65	1.48	26.67
extcourse (%)	12.95	10.06	1.72	46.42
extmean (%)	10.42	6.86	2.09	27.65
shearwale (g/cm)	448.52	312.41	141.43	1288.57
shearcourse (g/cm)	460.11	286.45	162.86	1327.14
shearmean (g/cm)	454.31	295.90	152.14	1307.86
blwalein (cm)	1.21	.33	.78	2.00
blwaleout (cm)	1.36	.30	.92	1.99
blcoursein (cm)	1.26	.37	.83	2.14
blcourseout (cm)	1.21	.38	.82	1.94
blmeanin (cm)	1.23	.32	.84	1.90
blmeanout (cm)	1.30	.30	.92	1.93
blmean (cm)	1.26	.30	.89	1.90
blwalemean (cm)	1.28	.29	.92	1.89
blcoursemean (cm)	1.24	.37	.83	2.01
weight (g/m ²)	164.99	56.41	24.46	252.47
thickness (cm)	.07	.03	.02	.14
density (mg/cm ³)	230.88	61.68	118.75	335.19

Table 6b
Univariate Statistics - Warp Knit Subgroup

Variable	Mean	Standard Deviation	Minimum	Maximum
DCface (%)	38.04	15.99	17.52	66.56
DCback (%)	37.51	15.84	17.86	65.87
DCmean (%)	37.78	15.85	17.69	66.22
extwale (%)	6.67	3.72	1.48	13.93
extcourse (%)	14.13	12.55	1.72	46.42
extmean (%)	10.40	7.29	2.09	27.65
shearwale (g/cm)	515.04	411.85	141.43	1288.57
shearcourse (g/cm)	503.14	369.24	162.86	1327.14
shearmean (g/cm)	509.09	387.29	152.14	1307.86
blwalein (cm)	1.17	.28	.78	1.57
blwaleout (cm)	1.31	.31	.92	1.98
blcoursein (cm)	1.28	.43	.83	2.15
blcourseout (cm)	1.25	.42	.82	1.94
blmeanin (cm)	1.23	.32	.93	1.86
blmeanout (cm)	1.32	.31	.92	1.93
blmean (cm)	1.25	.31	.92	1.89
blwalemean (cm)	1.24	.24	1.00	1.78
blcoursemean (cm)	1.27	.41	.83	2.01
weight (g/m ²)	143.49	61.52	24.46	207.28
thickness (cm)	.06	.04	.02	.14
density (mg/cm ³)	239.56	82.99	118.75	335.19

Table 6c
Univariate Statistics - Weft Knit Subgroup

Variable	Mean	Standard Deviation	Minimum	Maximum
DCface (%)	40.42	16.58	18.99	67.11
DCback (%)	38.81	16.66	18.12	64.22
DCmean (%)	39.62	16.58	18.80	65.67
extwale (%)	9.10	7.08	2.23	26.67
extcourse (%)	11.76	7.26	5.03	28.03
extmean (%)	10.43	6.79	4.49	27.35
shearwale (g/cm)	382.00	163.09	154.29	668.57
shearcourse (g/cm)	417.07	181.04	188.57	731.43
shearmean (g/cm)	399.54	167.87	195.71	700.00
blwalein (cm)	1.24	.39	.78	2.00
blwaleout (cm)	1.41	.30	.05	1.87
blcoursein (cm)	1.24	.33	.86	1.80
blcourseout (cm)	1.18	.36	.82	1.74
blmeanin (cm)	1.24	.33	.84	1.90
blmeanout (cm)	1.29	.31	.93	1.81
blmean (cm)	1.27	.32	.89	1.82
blwalemean (cm)	1.32	.34	.92	1.89
blcoursemean (cm)	1.21	.34	.86	1.75
weight (g/m ²)	186.49	43.67	137.02	252.47
thickness (cm)	.09	.02	.06	.11
density (mg/cm ³)	222.19	31.28	183.71	287.33

SIMPLE LINEAR CORRELATION

The simple linear correlation between the drape coefficients and each of the independent variables are briefly discussed. The correlation matrices are presented in Table 7 (all knit group), Table 8 (warp knit subgroup), and Table 9 (weft knit subgroup).

The Drape Coefficient and the Deformation Properties

The Drape Coefficient and the Bending Length

Generally, the highest correlation was found between the nine bending length variables and the drape coefficients. The high, positive correlation concurs with the findings of Peirce (1930), Kim and Vaughn (1974) and Morooka and Niwa (1976) for woven fabrics; Cusick (1965) for woven and nonwoven fabrics; and Sudnik (1972) for woven, nonwoven, and knitted fabrics. The correlation coefficients (r) in the present research ranged from 0.67 to 0.90 for the all knit group, from 0.53 to 0.96 for the warp knit subgroup, and from 0.67 to 0.85 for the weft knit subgroup.

The correlations did not vary with the components of the drape coefficient variable, however, they did vary with the bending length variables. For instance, in the warp knit subgroup, correlation of blwaleout with DCmean resulted in an r value of 0.58, whereas, correlation of blmean with DCmean resulted in an r value of 0.96.

The Drape Coefficient and the Secondary Shear Modulus

The secondary shear modulus values were found to be positively correlated with the drape coefficient in this research. This is in agreement with the results reported by Cusick (1965) for woven and nonwoven fabrics, Sudnik (1972) for woven, nonwoven, and knitted fabrics, and Kim and Vaughn (1974) and Morooka and Niwa (1976) for woven fabrics. In the present research the correlation coefficients ranged from 0.35 to 0.46 for the all knit group and from 0.27 to 0.45 for the warp knit subgroup. These values were lower than the Spearman rank coefficients reported by Kim and Vaughn (1974) for woven fabrics and by Sudnik (1972) for woven, nonwoven and knitted fabrics. Kim and Vaughn reported a coefficient of 0.89 between the drape coefficient and the initial shear modulus, while Sudnik reported a coefficient of 0.59 between the drape coefficient and the shear angle. In the present research, correlations between the drape coefficient values and the secondary shear modulus values were higher for the weft knit subgroup. The r values ranged from 0.60 to 0.77. The correlations did not vary with the face and back components of the drape coefficient or the directional components of the shear modulus values for any of the three knit groups.

The Drape Coefficient and Extension

The values for percent extension at a 100 g load were negatively related to the drape coefficient values in this research. This concurs with the findings of Peirce (1930), Chu et al (1963), and Kim and Vaughn (1974) for woven fabrics. These researchers, however, found that exten-

sion and the drape coefficient were highly correlated. For instance, Kim and Vaughn reported a Spearman rank coefficient of 0.88 between the percent extension at a 1000 g load for woven fabrics. However, the r values in this research ranged from -0.36 to -0.42 for the all knit group, from -0.19 to -0.58 for the warp knit subgroup, and from -0.35 to -0.65 for the weft knit subgroup. These low correlations, however, concur with the findings of Morooka and Niwa (1976) for wovens. The degree of correlation did not vary with the drape coefficient face and back components for any group, but varied with the directional components of the extension for the warp and weft knit subgroups.

The Drape Coefficient and the Structural Characteristics

The Drape Coefficient and Fabric Weight

Fabric weight was found to be positively related to the drape coefficient values, concurring with research by Kim and Vaughn (1974) but not with Chu et al (1963) and Morooka and Niwa (1976). All researchers tested woven fabrics. In the present research the r value was 0.82 for the weft knit subgroup, 0.32 for the warp knit subgroup, and 0.51 for the all knit group. The degree of correlation did not vary with the face and back components of the drape coefficient.

The Drape Coefficient and Fabric Thickness

Correlation was positive between fabric thickness and the drape coefficient values, supporting previous findings for woven fabrics (Kim and Vaughn, 1974; Morooka and Niwa, 1976). The r values were approximately

0.60 for the all knit group, 0.52 for the warp knit subgroup, and 0.85 for the weft knit subgroup. The Spearman rank coefficient reported by Kim and Vaughn was 0.55. Again, the degree of correlation did not vary with the face and back components of the drape coefficient.

The Drape Coefficient and Fabric Density

Fabric density was negatively related to the drape coefficient values in this research but the correlation was poor for all three knit groups. The r value ranged from -0.22 to -0.33. In most cases, the correlations were higher between weight and the drape coefficient and thickness and the drape coefficient than between density and the drape coefficient. Past research was not available in the literature for comparison. The degree of correlation did not vary with the face and back components of the drape coefficient.

REGRESSION ANALYSIS

In order to develop the best predictor equations, three different strategies of estimating regression equations were performed using the BMDP computer program. They were: multiple linear regression analysis (P1R), stepwise regression analysis (P2R), and all possible subsets regression analysis (P9R). Multiple linear regression was the original analysis used and the other two were used subsequently to confirm the findings. Approximately 150 program executions were completed for each of the all knit group and the warp and weft knit subgroups. Sample program executions are included in Appendix B.

Table 7
Correlation Matrix ~ All Knit Group

	DCF	DCB	DCM	EW	EC	EM	SW	SC	SM	BWI	BWO	BCI	BCO	BMI	BMO	BM	BWM	BCM	WT	TH	DEN
DCF	1.0																				
DCB	.99	1.0																			
DCM	1.0	1.0	1.0																		
EW	-.39	-.36	-.37	1.0																	
EC	-.36	-.36	-.36	.49	1.0																
EM	-.42	-.41	-.42	.76	.93	1.0															
SW	.35	.41	.38	-.14	-.40	-.35	1.0														
SC	.42	.46	.44	-.11	-.39	-.33	.95	1.0													
SM	.39	.44	.41	-.13	-.40	-.35	.99	.99	1.0												
BWI	.74	.79	.77	-.44	-.34	-.43	.28	.23	.26	1.0											
BWO	.70	.67	.69	-.51	-.17	-.33	.26	.30	.28	.67	1.0										
BCI	.84	.85	.84	-.40	-.59	-.59	.41	.47	.45	.65	.59	1.0									
BCO	.81	.83	.82	-.40	-.43	-.48	.29	.30	.30	.76	.54	.91	1.0								
BMI	.87	.90	.89	-.46	-.52	-.57	.38	.39	.39	.90	.69	.92	.92	1.0							
BMO	.83	.82	.83	-.48	-.32	-.43	.29	.31	.30	.76	.83	.85	.87	.89	1.0						
BM	.88	.90	.89	-.49	-.44	-.53	.35	.37	.37	.87	.78	.91	.93	.98	.94	1.0					
BWM	.79	.80	.80	-.52	-.28	-.42	.29	.29	.29	.92	.90	.68	.72	.88	.87	.91	1.0				
BCM	.84	.86	.85	-.41	-.52	-.55	.36	.39	.38	.72	.58	.98	.98	.94	.88	.94	.72	1.0			
WT	.50	.51	.51	-.14	-.65	-.53	.38	.34	.37	.46	.25	.46	.34	.51	.24	.43	.40	.41	1.0		
TH	.60	.59	.60	.001	-.36	-.26	.06	.04	.05	.51	.26	.45	.40	.52	.33	.47	.43	.44	.80	1.0	
DEN	-.27	-.25	-.26	-.24	-.51	-.48	.38	.37	.38	-.18	-.23	.002	-.14	-.09	-.28	-.15	-.22	-.07	.22	-.35	1.0

Key

DCF	- drape coefficient face	SM	- secondary shear modulus	BMI	- bending length mean face in
DCB	- drape coefficient back	BWI	- bending length walewise	BMO	- bending length mean face out
DCM	- drape coefficient mean		face in	BM	- bending length overall mean
EW	- extension walewise	BWO	- bending length walewise	BWM	- bending length walewise mean
EC	- extension coursewise		face out	BCM	- bending length coursewise mean
EM	- extension mean	BCI	- bending length coursewise	WT	- weight
SW	- secondary shear modulus		face in	TH	- thickness
	walewise	BCO	- bending length coursewise	DEN	- density
SC	- secondary shear modulus		face out		
	coursewise				

Table 8
Correlation Matrix - Warp Knit Subgroup

	DCF	DCB	DCM	EW	EC	EM	SW	SC	SM	BWI	BWO	BCI	BCO	BMI	BMO	EM	BWM	BCM	WT	TH	DEN
DCF	1.0																				
DCB	.98	1.0																			
DCM	1.0	1.0	1.0																		
EW	-.58	-.48	-.53	1.0																	
EC	-.19	-.22	-.21	.44	1.0																
EM	-.31	-.31	-.31	.63	.97	1.0															
SW	.27	.36	.32	-.03	-.49	-.42	1.0														
SC	.38	.45	.42	-.24	-.54	-.53	.97	1.0													
SM	.33	.41	.37	-.13	-.52	-.48	.99	.99	1.0												
BWI	.87	.89	.88	-.39	-.22	-.29	.31	.35	.33	1.0											
BWO	.62	.53	.58	-.57	.14	-.02	.22	.38	.30	.34	1.0										
BCI	.87	.87	.87	-.69	-.56	-.66	.44	.60	.52	.70	.51	1.0									
BCO	.91	.93	.92	-.55	-.31	-.41	.30	.41	.36	.89	.38	.88	1.0								
BMI	.94	.95	.95	-.62	-.46	-.55	.42	.54	.48	.88	.48	.95	.96	1.0							
BMO	.87	.83	.85	-.54	-.10	-.22	.26	.41	.33	.67	.76	.81	.79	.81	1.0						
EM	.96	.96	.96	-.66	-.32	-.44	.38	.52	.45	.86	.63	.95	.94	.98	.89	1.0					
BWM	.90	.86	.88	-.59	-.04	-.18	.32	.44	.38	.80	.84	.73	.76	.82	.87	.90	1.0				
BCM	.91	.93	.93	-.64	-.45	-.55	.38	.52	.45	.82	.46	.97	.97	.98	.83	.97	.77	1.0			
WT	.29	.36	.32	-.10	-.70	-.63	.46	.42	.45	.40	-.19	.44	.28	.45	.04	.29	.11	.37	1.0		
TH	.51	.52	.52	-.03	-.28	-.25	.04	-.01	.01	.51	-.06	.36	.34	.45	.15	.34	.26	.36	.73	1.0	
DEN	-.33	-.27	-.30	-.22	-.68	-.64	.42	.45	.44	-.22	-.29	.11	-.10	-.02	-.34	-.12	-.32	.01	.38	-.31	1.0

Key

- DCF - drape coefficient face
- DCB - drape coefficient back
- DCM - drape coefficient mean
- EW - extension walewise
- EC - extension coursewise
- EM - extension mean
- SW - secondary shear modulus walewise
- SC - secondary shear modulus coursewise
- SM - secondary shear modulus mean
- BWI - bending length walewise face in
- BWO - bending length walewise face out
- BCI - bending length coursewise face in
- BCO - bending length coursewise face out
- BMI - bending length mean
- BMO - bending length mean face out
- EM - bending length overall mean
- BWM - bending length walewise mean
- BCM - bending length coursewise mean
- WT - weight
- TH - thickness
- DEN - density

Table 9
Correlation Matrix - Weft Knit Subgroup

	DCF	DCB	DCM	DCM	EW	EM	EC	EM	SW	SC	SM	BWI	BWO	BCI	BCO	BMI	BMO	BM	BWM	BCM	WT	TH	DEN
DCF	1.0																						
DCB	.99	1.0																					
DCM	1.0	1.0	1.0																				
EW	-.36	-.35	-.35	1.0																			
EC	-.65	-.62	-.64	.79	1.0																		
EM	-.53	-.51	-.52	.95	.95	1.0																	
SW	.77	.76	.77	-.26	-.25	-.27	1.0																
SC	.62	.60	.61	.06	.02	.04	.90	1.0															
SM	.71	.69	.70	-.09	-.11	-.11	.97	.98	1.0														
BWI	.67	.74	.70	-.51	-.54	-.55	.47	.20	.34	1.0													
BWO	.78	.81	.80	-.61	-.68	-.68	.62	.31	.47	.92	1.0												
BCI	.84	.85	.84	-.27	-.70	-.51	.37	.17	.27	.69	.76	1.0											
BCO	.73	.74	.74	-.34	-.73	-.57	.26	.02	.14	.74	.80	.96	1.0										
BMI	.81	.85	.83	-.44	-.66	-.58	.46	.20	.33	.93	.92	.91	.91	1.0									
BMO	.80	.81	.81	-.49	-.74	-.65	.45	.16	.31	.86	.94	.91	.96	.96	1.0								
BM	.81	.84	.83	-.47	-.71	-.62	.46	.18	.32	.91	.94	.92	.94	.99	.99	1.0							
BWM	.73	.78	.76	-.57	-.61	-.62	.55	.25	.40	.98	.97	.74	.78	.95	.92	.94	1.0						
BCM	.79	.80	.80	-.31	-.72	-.55	.32	.09	.20	.72	.79	.99	.99	.92	.95	.94	.77	1.0					
WT	.83	.80	.82	-.41	-.55	-.51	.80	.52	.67	.58	.78	.70	.64	.69	.74	.72	.68	.67	1.0				
TH	.84	.85	.85	-.16	-.50	-.36	.69	.52	.61	.61	.74	.84	.76	.78	.79	.79	.81	.88	.81	1.0			
DEN	-.22	-.27	-.24	-.39	-.06	-.17	.02	-.15	-.07	-.16	-.07	-.42	-.38	-.30	-.25	-.28	-.12	-.40	.04	-.42	1.0		

Key

DCF	-	drape coefficient face
DCB	-	drape coefficient back
DCM	-	drape coefficient mean
EW	-	extension walewise
EC	-	extension coursewise
EM	-	extension mean
SW	-	secondary shear modulus walewise
SC	-	secondary shear modulus coursewise
SM	-	secondary shear modulus mean
BWI	-	bending length walewise face in
BWO	-	bending length walewise face out
BCI	-	bending length coursewise face in
BCO	-	bending length coursewise face out
BMI	-	bending length mean face in
BMO	-	bending length mean face out
BM	-	bending length overall mean
BWM	-	bending length walewise mean
BCM	-	bending length coursewise mean
WT	-	weight
TH	-	thickness
DEN	-	density

The estimation of multiple regression equations utilizing PIR included all the independent variables specified by the researcher. The possible combinations of variables which included bending length were selected for the analysis. One of the bending length variables was always included because the literature indicated that it might be a good predictor of the drape coefficient and because the r value was high in simple linear correlation in the present research. The criteria utilized to choose the best predictor equation included the R^2 value (coefficient of multiple determination), the probability level of the F -ratio (indicates whether all the regression coefficients are significantly different from zero), the standard error of the estimate (a measure of the variation of the Y value about the regression line), and the probability level of the t -statistic (indicates whether the individual regression coefficient for each variable is significantly different from zero in the presence of the other variables). Appendix A, Table 16 contains the R^2 and standard error of the estimate values as well as the F -ratios and the t -statistics for all of the combinations that were attempted.

The stepwise method of analysis entered variables into a multiple linear regression equation in a stepwise manner. Forward stepping (beginning with no predictors) was performed. The F -to-enter and F -to-remove values were 3.9 and 4.0, respectively. At each step, the variable that had the highest partial correlation with the drape coefficient was added. The criteria utilized to choose the best predictor equation were similar to those for multiple linear regression analysis (PIR).

The all possible subsets method identified the best subsets of predictor variables. In the analysis the best subset was the subset that maximized R^2 . Stepwise and all possible subsets regression analyses indicated the best regression equations and thereby combinations which did not include bending length were analyzed.

By using these three types of regression analysis and studying transformation variables as well as the original independent variables, one best predictor equation was identified for each of the all knit group and the warp and weft knit subgroups. In addition, several other good predictor equations were developed. The number of variables introduced into the regression equation was limited for each analysis in order to ensure that an adequate number of degrees of freedom remained for error. Also, because the independent variables of the same measurement were linearly correlated with each other (see Tables 7, 8, and 9), only one was introduced at a time into the equation.

All Knit Group

Multiple Linear Regression Analysis

Since the literature indicated that bending length was the physical property most highly correlated with the drape coefficient, bending length was grouped with the secondary shear modulus (shear), extension, weight, thickness, and density in two, three, four, five, and six variable combinations. This was done in order to examine the relationships between the drape coefficient and all the possible combinations of vari-

ables which included bending length. A listing of these combinations is presented in Table 10. Only the overall mean measurements were utilized in this analysis. The BMDP-PIR computer program was utilized.

Table 10

Variable Combinations Including Bending Length

Key

bl - bending length
 sh - shear
 ext - percent extension
 wt - weight
 th - thickness
 den - density

2 variable combinations

bl-sh
 bl-th
 bl-ext
 bl-den
 bl-wt

3 variable combinations

bl-sh-ext
 bl-sh-th
 bl-sh-den
 bl-sh-wt
 bl-ext-th
 bl-ext-wt
 bl-ext-den
 bl-den-wt
 bl-den-th
 bl-wt-th

4 variable combinations

bl-sh-ext-wt
 bl-sh-ext-th
 bl-sh-ext-den
 bl-sh-den-wt
 bl-sh-den-th
 bl-ext-wt-den
 bl-ext-th-wt
 bl-ext-den-th
 bl-wt-th-den
 bl-sh-wt-th

5 variable combinations

bl-sh-wt-th-den
 bl-sh-wt-th-ext
 bl-sh-wt-den-ext
 bl-sh-den-ext-th
 bl-den-th-ext-wt

6 variable combinations

bl-sh-ext-wt-th-den

For the all knit group the F-ratios invariably had probability levels of 0.01 or less (see Appendix A, Table 16a).

Analysis of the two-variable combinations indicated that the blmean-thickness combination had the highest R^2 value (0.84) and the lowest standard error of the estimate (6.71). It was the only combination where both variables had probability levels of 0.10 or less in the t-test. Therefore, the addition of thickness as a variable added new information. The R^2 values for the other two-variable combinations ranged from 0.80 to 0.81 and the standard errors of the estimate ranged from 7.21 to 7.46.

Analysis of the three-variable combinations indicated that the addition of a third variable did not increase the R^2 value or decrease the standard error of the estimate enough to justify using a third variable in the equation. The blmean-shearmean-thickness combination had an R^2 value of 0.85 and a standard error of the estimate equal to 6.58, but shearmean did not contribute additional information. That is, the probability level of the t-statistic for shearmean was greater than 0.10. In the blmean-shearmean-density and blmean-weight-density combinations all three variables had probability levels equal to 0.10 or less in the t-test. When shearmean and density were both included with blmean, they added new information. The same was true for weight and density. The R^2 value was 0.84 and the standard error of the estimate was 6.8 for both of these three-variable combinations. Generally, for the other three variable combinations, the probability levels of the t-statistics were

greater than 0.10 for all of the the variables except blmean and thickness. For these combinations the R^2 values ranged from 0.81 to 0.84 and the standard errors of the estimates ranged from 6.58 to 7.47.

In all of the four-variable combinations the R^2 values ranged from 0.83 to 0.87 and the standard errors of the estimates ranged from 6.33 to 7.21. However, these changes were not appreciable and therefore there was no justification to include a fourth variable in the equation. As in the three-variable combinations, in most cases only blmean and thickness had t-test probability levels of 0.10 or less. None of the four-variable combinations resulted in t-test probability levels of 0.10 or less for all of the variables.

The ranges of the R^2 values and the standard errors of the estimates for the five-variable combinations were similar to those for the four-variable combinations. In addition, only one or two variables had t-test probability levels of 0.10 or less. None of the five-variable combinations were considered useful.

The six-variable combination had an R^2 value of 0.87 and a standard error of the estimate equal to 7.03, but only blmean had a t-test probability of 0.10 or less.

The multiple linear regression analysis yielded four useful variable combinations for the prediction of the drape coefficient. They were: (i) blmean-thickness, (ii) blmean-shearmean-density, (iii) blmean-weight-density, and (iv) blmean-shearmean-thickness, the best being blmean-thickness.

Stepwise Regression Analysis

Stepwise regression analysis was used to confirm the conclusions arrived at by multiple linear regression analysis. The BMDP-P2R program was used.

In order to determine which independent variables were the best predictors, each of the eighteen independent variables had an equal chance of being entered into the equation. That is, in addition to the overall means, any of the directional and face and back means could be entered into the equation. The analysis entered blmean and thickness into the equation. Shearcourse was the next variable for entry into the equation but the F-level was insufficient for further stepping. Stepwise regression analysis confirmed the best two- and three-variable combinations as indicated in the multiple linear regression analysis.

All Possible Subsets Analysis

The all possible subsets analysis also allowed entry of any of the eighteen independent variables into the equation. The estimation of the best subsets of predictor variables carried out via BMDP-P9R indicated that the blmean-thickness combination was the best two-variable subset. This is consistent with the multiple linear and stepwise regression analyses conclusions. The best three-variable subset was blmean-shearcourse-thickness with an R^2 value of 0.86. In addition, the blmean-shearmean-thickness combination had an R^2 value of 0.85. These results are in agreement with stepwise and multiple linear regression analyses, respectively. Either three-variable combination is useful.

Warp Knit Subgroup

Multiple Linear Regression Analysis

The procedure followed and criteria used for selecting the predictor variables for the warp knit subgroup were identical to that for the all knit group. Like the all knit group, the F-ratios for the warp knit subgroup invariably had a probability level of 0.01 or less (see Appendix A, Table 16b).

The two-variable combination analysis indicated that blmean-thickness and blmean-density were good predictor combinations. The former had an R^2 value of 0.97 and a standard error of the estimate equal to 3.15, while the latter had an R^2 value of 0.96 and a standard error of the estimate equal to 3.41. These were the only combinations where both variables had t-test probability levels of 0.10 or less. In the other two-variable combinations the R^2 values ranged from 0.93 to 0.94 and the standard error of the estimate ranged from 4.28 to 4.73.

Analysis of the three-variable combinations indicated that in four of the combinations the addition of the third variable appreciably affected the R^2 and standard error of the estimate values. In addition, the third variable added new information, as the t-test probability levels were 0.10 or less for all the variables. The four combinations were: blmean-extmean-thickness ($R^2=0.99$, standard error of the estimate=1.87), blmean-weight-density ($R^2=0.98$, standard error of the estimate=2.40), blmean-weight-thickness ($R^2=0.99$, standard error of the estimate=2.26), and blmean-thickness-density ($R^2=0.99$, standard error of the esti-

mate=2.17). In the other three-variable combinations the R^2 values ranged from 0.94 to 0.97 and the standard error of the estimate ranged from 3.30 to 4.71.

In the four-variable combinations the R^2 and standard error of the estimate values did not change enough to justify including a fourth variable in the equation. In all of the four variable groups the R^2 values ranged from 0.97 to 0.99 and the standard errors of the estimates ranged from 1.88 to 3.86. In addition, there was always one variable and sometimes two or three variables that had probability levels greater than 0.10 in the t-test.

In the five-variable combinations the R^2 values were 0.99 and the standard errors of the estimates ranged from 1.76 to 2.80, but only one or two variables had t-test probability levels equal to 0.10 or less.

In the six-variable combination all six variables had t-test probability levels of 0.05 or less. The R^2 value was 0.99 and the standard error of the estimate was 0.73.

The multiple linear regression analysis yielded seven acceptable variable combinations for prediction of the drupe coefficient. They were: blmean-thickness, blmean-density, blmean-thickness-density, blmean-extmean-thickness, blmean-weight-density, blmean-weight-thickness, and blmean-shearmean-extmean-weight-thickness-density, the best being blmean-extmean-thickness.

Stepwise Regression Analysis

Stepwise regression analysis confirmed the conclusions arrived at by multiple linear regression analysis. The stepwise analysis entered blmean, thickness, and extmean into the equation. This three-variable combination was superior to blmean-thickness as the standard error of the estimate decreased from 3.15 to 1.87.

All Possible Subsets Regression Analysis

All possible subsets regression analysis confirmed blmean-thickness as the best two-variable combination for prediction, and blmean-extmean-thickness as the best three-variable combination.

Weft Knit Subgroup

Multiple Linear Regression Analysis

The procedure and criteria used for variable selection for the weft knit subgroup were the same as those used for the all knit group and the warp knit subgroup. The probability levels of the F-ratios varied and will be quoted where applicable (see Appendix A, Table 16c).

Of the two-variable combinations, the blmean-shearmean combination had the highest R^2 and F values and the lowest standard error of the estimate. The R^2 value was 0.90, the F-ratio had a probability level of less than 0.01, and the standard error of the estimate was 6.01. This was the only combination where both variables had t-test probability levels of 0.10 or less. The other two-variable combinations had R^2

values ranging from 0.69 to 0.79, standard errors of the estimates ranging from 8.62 to 10.52, and F-ratio probability levels between 0.10 and 0.01.

The ranges of the regression coefficients, the standard errors of the estimates, and the probability levels for the F-ratios for the three-variable combinations were similar to those for the two-variable combinations. In addition, blmean and shearmean were the only variables with t-test probability levels of 0.10 or less. The blmean-shearmean-thickness combination had the highest R^2 value and lowest standard error of the estimate value.

The four-variable combinations had regression coefficients ranging from 0.80 to 0.91, but the standard errors of the estimates did not decrease and the F-ratios had probability levels of 0.05 or 0.10. In addition, the probability levels of the t-tests were usually greater than 0.10 for all of the variables. Similar results were observed for the five- and six-variable combinations.

Multiple linear regression analysis of the weft-knit group yielded one good variable combination: blmean-shearmean.

Stepwise Regression Analysis

Stepwise regression analysis was able to confirm the conclusions arrived at by multiple linear regression analysis. When all eighteen independent variables had an equal chance of being entered into the

equation, the analysis entered thickness, only. The R^2 value was 0.72 and the standard error of the estimate was 9.27. Thickness was the variable most highly correlated with the drape coefficient in simple linear correlation (see Table 6c). When the tolerance levels were lowered, the stepwise analysis entered thickness, blmean, and shearcourse into the equation. The R^2 value was 0.91 and the standard error of the estimate was 6.26. However, multiple linear regression analysis indicated that the blmean-shearmean combination had an R^2 value of 0.90 and a standard error of the estimate equal to 6.01. The inclusion of thickness as a third variable did not improve prediction. In addition, the thickness-blmean combination had an R^2 value of 0.79 and a standard error of the estimate equal to 8.46 and therefore, the blmean-shearcourse combination was a better two-variable predictor combination.

By arranging for bending length to be entered into the equation before any other variables, the analysis entered blcoursein, shearmean, and thickness into the equation. The blcoursein-shearmean combination had an R^2 value of 0.95 and a standard error of the estimate equal to 4.07, while the blcoursein-shearmean-thickness combination had an R^2 value of 0.97 and a standard error of the estimate equal to 3.25. The addition of thickness, therefore, did not improve prediction appreciably.

All Possible Subsets Regression Analysis

All possible subset regression analysis confirmed blcoursein-shear-mean as the best two-variable combination for prediction and blcoursein-shear-mean-thickness as the best three-variable combination.

Directional and Face and Back Components

Extensive analysis was not done on the face and back and directional components of the variables because the correlation matrices (Tables 7,8, and 9) indicated that the components within each variable were linearly related and that the correlations between the drape coefficients and the components of each variable were similar. However, analysis of the directional and face and back components of the independent variables of the best two- and three-variable predictor equations was carried out using multiple linear regression analysis. Stepwise and all possible subsets regression analyses indicated the best regression equations and thereby included analysis of all the directional and face and back components.

All Knit Group

Multiple linear regression analysis of the directional components of the bending length in the bending length-thickness combination indicated that the mean component was the best predictor. In addition, the coursewise direction was found to be superior to the walewise direction. In the bending length-shear-thickness combination the same trends were present for bending length and the direction of shear was found to have very little influence (for an example, see page 79).

Stepwise regression analysis confirmed these findings by entering blmean and thickness into the equation. Shearcourse was next in line for entry.

All possible subsets regression analysis indicated blmean-shear-course-thickness was the best three-variable combination. In addition, blmean-shearmean-thickness and blmean-shearwale-thickness had R^2 values essentially as high, so were acceptable. This method of analysis indicated that blmean was a better predictor than blcoursemean which was a better predictor than blwalemean.

The face-in variables (blwalein, blcoursein and blmeanin) and the face-out variables (blwaleout, blcourseout and blmeanout) were equally good predictors. The mean variables were better for prediction than the coursewise variables which were better than the walewise variables.

Warp Knit Subgroup

Multiple linear regression analysis of the directional components of bending length in the bending length-thickness combination indicated the same trends as for the all knit group. Analysis of the bending length-extension-thickness combination indicated the same trends for bending length and showed that the mean, walewise, and coursewise components of extension were all equally good predictors.

Stepwise regression analysis entered blmean and extmean into the equation.

The all possible subsets analysis confirmed these results. It indicated that extmean, extwale, and extcourse were equally good predictors and that the bending length components followed the tendencies mentioned for the all knit group.

Weft Knit Subgroup

Multiple linear regression analysis of the directions of the bending length-shear combination indicated that the coursewise component of bending length was a better predictor than the mean, but they were both satisfactory. However, the walewise component was a poor predictor. The mean, walewise, and coursewise components of shear were equally good.

Stepwise regression analysis entered blcoursein and shearmean into the equation and all possible subsets analysis confirmed these as the best subset. The coursewise variables were better for prediction than the the mean variables which were better than the walewise variables.

Analysis of the directional and face and back components indicated that the walewise direction of bending length was a poor predictor for the all knit group and the warp and weft knit subgroups. However, blmean was the best predictor for the all knit group and warp knit subgroup, whereas blcoursein was the best predictor for the weft knit group.

Study of Residuals

The computer plots and listings of the residuals were studied. (An example is presented in Appendix B1.) The residuals are the differences between the fitted or calculated value, Y , and the observed value, y . It was proposed that the observations which were not close to the line were either inaccurate values, were contributing to a nonlinear curve, or were influenced by a variable not accounted for in this research project.

While some fabrics gave high residuals depending on the predictor equation, fabrics M and Q invariably had residuals larger than one standard error. The equations predicted the drape coefficient of fabric M too high and the drape coefficient of fabric Q too low. Both fabrics were weft knits (M was a single knit and Q was a double knit), but they did not appear to have features that would distinguish them from the other fabrics.

Fabrics M and Q were partially retested in order to determine the accuracy of their measurements and to observe any peculiarities. The retested results were not appreciably different from the original results. Fabric M was also drycleaned to remove the finish, but the DC results did not change. It was thought that fabric M's tendency to curl was influencing its draping and bending properties. The behavior of Q could not be accounted for.

In order to determine whether nonlinear curves would lead to smaller residuals, transformations of the variables were performed. This is discussed in the following section.

Transformation Variables

Some of the independent variables were transformed into new variables because it was proposed that improved equations would result in that the R^2 values would increase and the standard errors of the estimates and the size of the residuals would decrease. The variables that were transformed were limited to those included in the best two- and three-variable predictor equations for each knit group. The variables were multiplied in pairs and squared in order to obtain transformation variables. These particular transformation variables were analyzed because of the exploratory nature of this part of the analysis. The transformation variables developed for the all knit group and warp and weft knit subgroups are presented in Table 11. Table 12 contains the univariate statistics.

Table 11

Transformation Variable Abbreviations	
Abbreviation	Definition
thick2	thickness
blmeanthick	blmean x thickness
shearcourse2	shearcourse
extmean2	extmean
blmean2	blmean
blmeanshearcourse	blmean x shearcourse
blmeanextmean	blmean x extmean
thickextmean	thickness x extmean
thickshearcourse	thickness x shearcourse
blcoursein2	blcoursein
shearmean2	shearmean
blcourseinshearmean	blcoursein x shearmean
thickblcoursein	thickness x blcoursein
thickshearmean	thickness x shearmean

Table 12
Univariate Statistics - Transformation Variables

Variable	Mean	Standard Deviation	Minimum	Maximum
<u>All Knit Group</u>				
blmean	1.68	0.84	0.79	3.59
thick2	0.01	0.01	0.00	0.02
shearcourse2	289651.38	401676.56	26522.40	1761308.00
blthick	0.10	0.06	0.03	0.21
extmean2	153.17	215.87	4.37	764.52
blshearcourse	610.93	518.82	155.93	2513.61
blxtmean	12.08	7.12	3.73	33.07
thextmean	0.72	0.50	0.11	2.26
blcoursein2	1.72	1.04	0.69	4.60
shearcoursethick	34.50	23.88	3.35	92.77
shearmean2	289578.88	418835.63	23147.49	1710489.00
blcoursehearmean	619.69	584.00	134.19	2805.35
thickblcoursein	0.10	0.06	0.02	0.22
thickshearmean	34.20	24.27	3.13	91.42
<u>Warp Knit Subgroup</u>				
blmean	1.66	0.85	0.86	3.59
thick2	0.01	0.01	0.00	0.02
shearcourse2	375856.38	543755.00	26522.40	1761308.00
blthick	0.08	0.06	0.02	0.21
extmean2	155.95	223.55	4.37	764.52
blshearcourse	684.20	692.07	155.93	2513.61
blxtmean	12.16	8.56	3.73	33.07
thextmean	0.60	0.46	0.11	1.63
blcoursein2	1.81	1.24	0.69	4.60
shearcoursethick	31.75	27.30	3.35	92.77
shearmean2	394167.88	569147.00	23147.49	1710489.00
blcoursehearmean	730.35	786.89	134.19	2805.35
thickblcoursein	0.09	0.06	0.02	0.22
thickshearmean	32.45	28.70	3.13	91.42

Table 12 (continued)

Variable	Mean	Standard Deviation	Minimum	Maximum
<u>Weft Knit Subgroup</u>				
blmean	1.70	0.87	0.79	3.31
thick2	0.01	0.00	0.00	0.01
shearcourse2	203446.69	168619.06	35559.02	534988.310
blthick	0.11	0.05	0.05	0.20
extmean2	150.38	219.98	20.16	748.02
blshearcourse	537.67	278.16	167.64	1124.21
blextmean	12.00	5.79	6.78	27.19
thextmean	0.84	0.54	0.50	2.26
blcoursein2	1.64	0.86	0.74	3.24
shearcoursethick	37.25	21.02	10.48	76.14
shearmean2	184990.25	148666.69	38303.96	4900000.00
blcoursehearmean	509.04	271.33	176.93	1005.20
thickblcoursein	0.11	0.05	0.05	0.20
thickshearmean	35.94	20.32	10.88	72.87

Stepwise and multiple linear regression analyses were performed in order to determine which of the transformation variables were the best predictors of the drape coefficient.

All Knit Group

Stepwise regression analysis was performed on the best two-variable combination (blmean-thickness) and the related transformation variables (blmean2, thick2, and blmeanthick). The transformation variables were forced into the regression but were not allowed entry into the equation until after the original two variables were entered. The remainder of the variables were excluded from the analysis. The stepwise analysis entered blmean and thickness into the equation but no transformation variables.

The analysis was repeated on the best three-variable combination (blmean-shearcourse-thickness) and the related transformation variables (blmean2, shearcourse2, thick2, blmeanshearcourse, blmeanthick, and thickshearcourse). The best equation included blmean, shearcourse, thickness, thickshearcourse, and thick2. The R^2 value was 0.93, the standard error of the estimate was 4.89, and the F-ratio was highly significant. Without the transformation variables the R^2 value was 0.84 and the standard error of the estimate was 6.71. The other transformation variables that were entered into the equation did not increase R^2 or decrease the standard error of the estimate enough to warrant using them in the equation.

When all the independent variables, including the transformation variables had an equal chance of being entered into the equation, the analysis entered blmean, shearwale, and thickshearcourse. The R^2 value was 0.91 and the standard error of the estimate was 5.29.

Multiple linear regression analysis indicated that several variable combinations could predict the drape coefficient equally as well as blmean-thickness. They were: blmean2-thick2, blmean2-thick, and blmean-thick2. On the other hand, blmean2-blmeanthick-thick2, blmean-blmeanthick-thick, blmean2-blmeanthick-thick, blmean-blmeanthick-thick2 were not good predictor combinations.

Warp Knit Subgroup

The same stepwise procedure was performed on the blmean-thickness combination for the warp knit subgroup as for the all knit group. The analysis entered blmean, thickness, and thick2 into the equation. The R^2 value was 0.99 and the standard error of the estimate was 2.10. With blmean and thickness, only, the R^2 value was 0.97 and the standard error of the estimate was 3.15. The transformation variable did not improve prediction.

When the analysis was repeated on the best three-variable combination (blmean-extmean-thickness) and the related transformation variables (blmean2, extmean2, thick2, blmeanextmean, blmeanthick, and thick-extmean) some transformation variables were entered in addition to the original three variables. However, the transformation variables did not

increase the R^2 value and decrease the standard error of the estimate enough to warrant using them in the equation.

When all the independent variables, including the transformation variables had an equal chance for entry into the equation, the analysis entered blmean and thickextmean. The R^2 value was 0.99 and the standard error of the estimate was 1.49.

Multiple linear regression analysis indicated that the following variable combinations could predict the drape coefficient equally as well as blmean-thickness: blmean2-thick2, blmean2-thick, blmean-thick2, blmean2-blmeanthick-thick2, and blmean-blmeanthick-thick2. On the other hand, blmean2-blmeanthick, and blmean-blmeanthick-thick were poor predictor combinations.

Weft Knit Subgroup

The same stepwise procedure was performed for the best two-variable combination (blcoursein-shearmean) and the related transformation variables (blcoursein2, shearmean2, and blcourseinshearmean) for the weft knit subgroup as for the all knit group. The analysis entered some of the transformation variables into the equation but the variables did not increase the R^2 value or decrease the standard error of the estimate enough to warrant using them in the equation.

The analysis was repeated, but in addition, thickness and the related thickness transformation variables were allowed entry into the equation

after the analysis entered the original two variables. The analysis entered blcoursein, shearmean, and thickness into the equation.

When the nine bending length variables were allowed entry into the equation before the other independent variables, including the transformation variables, the analysis entered blcoursein and shearmean2 into the equation. The R^2 value was 0.97 and the standard error of the estimate was 3.31.

Multiple linear regression analysis indicated that several variable combinations could predict the drape coefficient equally as well as blcoursein-shearmean. They were: blcoursein2-shearmean2, blcoursein-shearmean2, and blcoursein2-shearmean. However, the addition of blcourseinshearmean into these combinations decreased the R^2 values appreciably.

For the all knit group and the warp and weft knit subgroups, transformation of the variables permitted development of variable combinations that predicted the drape coefficient as well as or better than those previously developed. The most useful of these were:

1. blmean-shearcourse-thickness-thickshearcourse-thick2 (all knit group)
2. blmean-shearwale-thickshearcourse (all knit group)
3. blmean-thickness-thick2 (warp knit subgroup)
4. blmean-thickextmean (warp knit subgroup)
5. blcoursein-shearmean2 (weft knit subgroup)

THE PREDICTOR EQUATIONS

The regression equations selected to describe the relationships between the mean drape coefficient and the relevant predictor variables include one best equation and several other good equations for each knit group. The R^2 values, standard errors of the estimates, and multiple regression line constants are recorded in Table 13. The multiple regression line constants include the intercept, a , and the partial regression coefficients, b_p . The best simple equations are indicated with asterisks. An example of the equation format is:

$$Y = - 21.435 + 40.701X_1 + 119.005X_2,$$

where Y is the mean drape coefficient, X_1 is the mean bending length, and X_2 is the thickness for the all knit group.

The predictor equations have been kept as simple as possible in order to allow a reasonable number of degrees of freedom remaining for error and so that a minimum amount of testing and calculation have to be done to predict the drape coefficient. However, there were two instances where the R^2 value was extremely high when five or six independent variables were included in the regression equation. The R^2 values, standard errors of the estimates, and multiple regression constants for these equations are presented in Table 14. The blmean-shearcourse-thickness-thickshearcourse-thick2 combination is actually the best predictor equation for the all knit group. However, because several property measurements and calculations are required, a simpler combination such as blmean-thickness may be more useful. The warp knit combination in Table

14 involves six independent variables, but is not as useful because the warp knit sample size was ten and therefore only three degrees of freedom remain for error. In addition to these predictor equations, four equations have been developed in order that the drape coefficient may be predicted with one independent variable. The R^2 values, standard errors of the estimates, and multiple regression constants for these equations are presented in Table 15. These equations are not as good for prediction, but measurements of only one property are required.

Table 13

Multiple Regression Constants to Predict
the Mean Drape Coefficient With Two
and Three Independent Variables

Knit Group	Independent Variables			Y intercept a	Regression Coefficients			Coefficient of Multiple Determination R^2	Standard Error of the Est.
	X_1	X_2	X_3		b_1	b_2	b_3		
ALL KNIT	* blmean	thick	--	-21.453	40.701	119.005	--	.839	6.708
	blmean	shear mean	density	- 4.052	40.482	0.011	-0.058	.844	6.797
	blmean	shear mean	thick	-21.611	37.643	0.007	129.414	.854	6.584
	blmean	weight	density	-10.184	40.052	0.060	-0.049	.847	6.748
	blmean	shear course	thick	-21.789	36.858	0.009	133.351	.861	6.422
	blmean	thick shear course	shear wale	-13.113	36.686	0.420	-0.020	.906	5.287
WARP KNIT	blmean	thick	---	-25.968	46.070	93.993	--	.969	3.147
	blmean	density	---	-14.677	48.725	-0.036	--	.964	3.414
	blmean	thick	density	-18.149	45.985	74.812	-0.027	.988	2.169
	* blmean	extmean	thick	-34.459	49.477	0.357	102.047	.991	1.869

Table 13 (continued)

Knit Group	Independent Variables			Y intercept	Regression Coefficients			Coefficient of Multiple Determination R^2	Standard Error of the Est.
	X ₁	X ₂	X ₃		a	b ₁	b ₂		
WARP KNIT	blmean	weight	density	-13.960	45.787	0.043	-0.050	.984	2.402
	blmean	weight	thick	-23.253	46.525	-0.049	153.467	.986	2.263
	blmean	thick extmean	---	-32.115	51.465	8.901	--	.993	1.489
	blmean	thick	thick2	-17.711	46.446	-183.150	1700.602	.988	2.105
WEFT KNIT	blmean	shear mean	---	-23.692	34.862	0.048	--	.898	6.010
	* blcourse in	shear mean	---	-24.349	35.307	0.051	--	.953	4.065
	blcourse in	shear mean	thick	-22.197	49.566	0.067	-308.724	.974	3.248
	** blcourse in	shear mean2	---	-15.531	35.747	0.001	--	.969	3.314

* Best simple predictor equations

** Shear_{mean2} = shear_{mean}/1000

Table 14

Multiple Regression Constants to Predict the Mean Drape
Coefficient With More Than Three Independent Variables

ALL KNIT GROUP

X ₁ - blmean	b ₁ = 34.123	a = 11.411
X ₂ - shearcourse	b ₂ = -0.035	R ² = 0.930
X ₃ - thickness	b ₃ = -584.668	* S = 0.964
X ₄ - thickshearcourse	b ₄ = 0.693	
X ₅ - thick2	b ₅ = 3092.255	

WARP KNIT GROUP

X ₁ - blmean	b ₁ = 48.963	a = -49.149
X ₂ - shearmean	b ₂ = 0.006	R ² = 0.999
X ₃ - extmean	b ₃ = 0.517	* S = 0.733
X ₄ - weight	b ₄ = -0.145	
X ₅ - thickness	b ₅ = 339.760	
X ₆ - density	b ₆ = 0.069	

* Standard error of the estimate

Table 15

Multiple Regression Constants to Predict the Mean
Drape Coefficient With One Independent Variable

Knit Group	X	a	b	Regression Coefficient	Coefficient of Multiple Determination	Standard Error of the Estimate
Independent Variable	Y Intercept	Y Intercept	Regression Coefficient	Coefficient of Multiple Determination	Standard Error of the Estimate	
All Knit	blmean	-19.686	46.325	0.797	7.327	
Warp Knit	blmean	-24.776	49.873	0.929	4.493	
Weft Knit	blcoursein	-12.777	42.246	0.711	9.454	
Weft Knit	thickness	-17.279	668.732	0.722	9.275	

The predictors of the drape coefficient have been influenced by the knit structure. The best simple equation for the all knit group includes blmean and thickness. Blmean, extmean, and thickness are the best predictor variables for the warp knit subgroup, while blcoursein and shearmean are the best predictor variables for the weft knit subgroup. For the conditions of test used, the regression equations describe these relationships quantitatively.

Needless to say, not all of the possible combinations of variables and their related transformations have been analyzed because of the numerous possibilities. However, the variables which are the most reliable predictors of the drape coefficient have been determined and transformations of these to the second power and multiplication of these variables in pairs have been performed.

The equations developed could not be compared directly to those by other researchers (Cusick, 1965; Morooka and Niwa, 1976) because of the different measurements involved. However, the variables in Cusick's equations were bending and shear measurements; the same as the best predictor variables found for the weft knit subgroup in the present research.

THE FABRIC PROPERTIES AS PREDICTORS OF THE DRAPE COEFFICIENT

The bending length, secondary shear modulus, extension, and thickness variables were included in at least one of the best predictor equations. Weight and density were included in some of the additional good predictor equations.

The results of this research project are compared to the findings of previous researchers where possible. However, this is limited on two accounts. The past research dealt primarily with woven fabrics and simple linear correlation statistical analysis rather than multiple linear regression analysis was utilized.

The Deformation Properties

Bending Length

Bending length was expected to be an accurate predictor of the drape coefficient because past research indicated that for wovens, nonwoven, and knits, stiffness measurements were highly correlated with the drape coefficient both in simple and multiple linear correlations (Peirce, 1930; Cusick, 1965; Sudnik, 1972, 1978; Kim and Vaughn, 1974; Morooka and Niwa, 1976). Hearle, Grosberg, and Backer (1969) stated that bending is the major mode of fabric deformation in draping. All of the best and good predictor equations developed in the present research included a bending length variable. However, one or two additional independent variables were necessary for high correlation (R^2 increased from approximately 0.70 to 0.90).

There were no significant differences between the face and back and between the directional components of the bending length data. These findings do not agree with the findings of Knapton and Lo (1975) who stated that structurally unbalanced knitted fabrics have different directional and/or face and back bending characteristics. The similar-

ties in the face and back components of bending length in the present research may be due to the fact that the fabrics were screened in order to obtain similar face and back drape coefficients. In the present research there were dissimilarities in the simple linear correlation coefficients between the drape coefficient and the bending length variables. In addition, the best bending length predictor variable was different for the various knit groups. For the all knit group and the warp knit subgroup the blmean variable was the best, while for the weft knit subgroup, blcoursein was the best.

Secondary Shear Modulus

The secondary shear modulus was expected to be an accurate predictor of the drape coefficient for all three knit groups because past research indicated that for wovens, nonwovens, and knits, shear measurements were moderately to highly correlated with the drape coefficient in simple and multiple linear correlations (Cusick, 1965; Kim and Vaughn, 1974; Morooka and Niwa, 1976; Sudnik, 1978). In this research, the secondary shear modulus was included in the best predictor equation for the weft knit group (blcoursein-shearmean) and the best three-variable equation for the all knit group (blmean-shearcourse-thickness). It was also included in some of the good predictor equations.

The walewise and coursewise directions of the secondary shear modulus univariate statistics were not significantly different. In addition, there was little difference between the correlations of the drape coef-

ficient with shearwale and the drape coefficient with shearcourse. The fabric direction was not important in the predictor equations. This is in agreement with Gibson and Postle (1978) who found that bending length was dependent on fabric direction, but shear was not.

Extension

Since controversy existed in the literature concerning the degree of association between the drape coefficient and extension for wovens (Peirce, 1930; Chu et al, 1963; Kim and Vaughn, 1974; Morooka and Niwa, 1976), it was uncertain whether extension would be a good predictor of the drape coefficient for knitted fabrics. The present research indicated that the simple linear correlation between the drape coefficient and extension was poor for all three knit groups. However, extension was included in the best predictor equation for the warp knit subgroup (blmean-extension-thickness). This may be related to the findings of Cook and Grosberg (1961) who reported that for warp knits, yarn stiffness influenced extensibility.

The literature stated that fabric direction was an important factor in the extension of knitted fabrics (Doyle, 1953; Cook and Grosberg, 1961; Knapton and Lo, 1975). In this research project there were differences in the data depending on the fabric direction, especially for the warp knit subgroup. In addition, the simple linear correlations were dependent on fabric direction for both knit groups. However, the direction of extension was not an important factor with respect to the predictor equations.

The Structural Characteristics

Fabric Weight

Fabric weight was expected to be an accurate predictor of the drape coefficient because it was an important variable in the equations developed by Morooka and Niwa (1976) for woven fabrics and because past research indicated that the stiffness of knitted fabrics was influenced by fabric weight (Knapton, 1973, 1974; Knapton and Lo, 1975). On the other hand, some question existed, since Kim and Vaughn (1974) indicated that weight and the drape coefficient were not highly related. In addition, Morooka and Niwa (1976) found weight and the drape coefficient were negatively related, while Kim and Vaughn (1974) found a positive relationship. In the present research the simple linear correlation between weight and the drape coefficient was low. Weight was not included in any of the best predictor equations, but was an important variable in three of the good predictor equations for the warp knit group. They were: blmean-weight-density, blmean-weight-thickness, and blmean-shearmean-extension-thickness-weight-density.

Fabric Thickness

Since past research indicated that fabric thickness has an influence on knitted fabric stiffness (Knapton, 1973, 1974; Knapton and Lo, 1975) it was expected that thickness would be a good predictor of the drape coefficient. On the other hand, Kim and Vaughn (1974) and Morooka and Niwa (1976) found correlation was poor between thickness and the drape coefficient. In the present research project the simple linear correla-

tion was generally higher than that reported in the literature, especially for the weft knit subgroup. Blmean and thickness formulated the best predictor equation for the all knit group and blmean, thickness, and extension formulated the best predictor equation for the warp knit subgroup. Thickness, therefore, was an important variable with respect to all three knit groups.

Fabric Density

Since past results were not available for comparison, it was uncertain whether a relationship between density and the drape coefficient existed. However, since weight and thickness influenced the drape of wovens (Chu et al, 1963; Kim and Vaughn, 1974; Morooka and Niwa, 1976) it was felt density would influence drape as well. Fabric density was found to be poorly correlated with the drape coefficient in simple linear correlation and was not included in any of the best equations. However, it was an important predictor variable in two of the good equations. They were: the blmean-shearmean-density combination for the all knit group and the blmean-density combination for the warp knit subgroup.

Chapter 5

SUMMARY AND RECOMMENDATIONS

SUMMARY

The present research project investigated certain deformation properties and structural characteristics to determine their reliability as predictors of the drape coefficient in knitted fabrics. The deformation properties included stiffness, shear, and extension, while the structural characteristics included weight, thickness, and density. The study also investigated the reliability of these predictors for the two main types of knitted constructions-- warp knits and weft knits. Predictor equations were developed in order to enable prediction of the drape of a knitted fabric if one or more of the property measurements are known.

Twenty fabrics were selected for the study, including ten warp knits and ten weft knits. The warp knits included tricot and raschel knits, while the weft knits included single jersey, rib, interlock, and double knits. The fabrics selected had similar face and back draping properties. The measurements of the fabric properties were made according to standard test methods, except for shear, where no standard test method for textiles exists. All of the directional and face and back components of the deformation properties were measured. To assess drape, the British Standard Method BS:5058-1973 was used. The Cusick Drape Tester

enabled calculation of the drape coefficient. Stiffness was quantitatively expressed by the bending length. The Heart Loop Method specified in the American Society for Testing and Materials 1975 Designation D1388-64 was followed. The apparatus used to measure shear was based on the one developed by S.M. Spivak for woven fabrics. This appears to be the first time this apparatus has been used successfully to measure the shearing properties of knitted fabrics. The secondary shear modulus was the measurement taken from the stress-strain curve. Extensibility was measured with reference to ASTM 1975 Designation D1682-64. The Instron tensile tester was employed to measure the percent extension at a load of 100 grams. To measure fabric weight, the Canadian National Standard CAN2-4.2-M77 Method 5.A-1977 was followed. The assessment of fabric thickness was made according to the standard CGSB 4-GP-2-1957 using a Frazier Compressometer. Fabric density was calculated from the measurements of weight and thickness.

The most reliable predictors of the drape coefficient in knitted fabrics were established using regression analysis. Multiple linear, stepwise, and all possible subsets analyses were performed. In addition, some of the independent variables were multiplied in pairs and squared in order to obtain transformation variables. It was proposed that improved equations would result. Predictor equations were developed for the entire group of knitted fabrics (all knit group) as well as for the warp and weft knit subgroups.

The regression analyses resulted in one best predictor equation as well as several other good predictor equations for the all knit group and for the warp and weft knit subgroups. Some of the transformation variables were included in some of the good predictor equations.

In meeting the objectives of the present research several conclusions have been drawn. For the twenty fabrics the most reliable predictor variables were bending length, thickness, secondary shear modulus, and transformations of these three variables. Weight and density were included in some of the good predictor equations, but extension was not.

The mean bending length component was a better predictor than the coursewise, which was a better predictor than the walewise. The face-in and face-out components were equally good predictors and followed the tendencies mentioned for the mean, walewise, and coursewise components. The walewise, coursewise, and mean secondary shear modulus components were equally good for prediction.

The equations for the warp and weft knit subgroups differed from those for the all knit group. The best equation for the warp knit subgroup included bending length, thickness, and extension. Weight and density were included in some of the good equations but the secondary modulus shear was not. The mean component of bending length was the best variable component for prediction. This was followed by the coursewise component. The mean, walewise, and coursewise components of extension were equally good. For the weft knit subgroup the bending

length and secondary shear modulus variables were the best for prediction. Thickness was the only other variable that was included in a good predictor equation. The coursewise direction was the best component of bending length, followed by the mean, while all the secondary shear modulus components were equally good predictors. For both the warp and weft knit subgroups the bending length face-in and face-out variables were equally good predictors and followed the trends mentioned for the mean, walewise, and coursewise components.

The best predictor equation for the all knit group was:

$$Y = 11.411 + 34.123 X_1 - 0.035 X_2 - 584.668 X_3 + 0.693 X_2 X_3 + 3092.225 X_2^2$$

where Y is the mean drupe coefficient, X_1 is the mean bending length, X_2 is the coursewise secondary shear modulus, and X_3 is the fabric thickness.

The best simple predictor equation for this knit group was:

$$Y = - 21.485 + 40.701 X_1 + 119.005 X_2$$

where Y is the mean drupe coefficient, X_1 is the mean bending length, and X_2 is the fabric thickness.

The best predictor equation for the warp knit subgroup was:

$$Y = - 34.459 + 49.477 X_1 + 0.357 X_2 + 102.047 X_3$$

where Y is the mean drupe coefficient, X_1 is the mean bending length, X_2 is the mean extension, and X_3 is the fabric thickness.

The best predictor equation for the weft knit subgroup was:

$$Y = - 24.349 + 35.307 X_1 + 0.051 X_2$$

where Y is the mean drape coefficient, X_1 is the coursewise face-in bending length, and X_2 is the mean secondary shear modulus.

IMPLICATIONS OF THE RESEARCH PROJECT

The present research project has provided a better understanding of the physical properties that influence the drape of knitted fabrics, and therefore has filled a void in the current literature. Additional insight into the shearing properties of knitted fabrics has also been accomplished.

Several predictor equations have been developed. The equations would be of particular interest to knitted fabric and garment manufacturers, as knitted fabrics with similar face and back draping properties can be designed, modified, or selected to give the drape desired. The drape coefficient can be predicted with one variable or several different combinations of variables, allowing flexibility in the types of physical properties measured. In addition to predicting the drape coefficient, a deformation property or structural characteristic might be predicted if measurements of the drape coefficient and other relevant independent variables are known.

RECOMMENDATIONS FOR FURTHER STUDY

The research project led to several recommendations for further study and analysis. This research project was limited to a sample size of twenty fabrics for the all knit group and sample sizes of ten for the

warp and weft knit subgroups. A recommendation for further study is to incorporate a larger sample size in order to obtain a more precise estimate of the variability. A different group of fabrics could be studied to check the validity of the results of the present research. In addition, the study of a different group of fabrics may extend the present research results to a wider range of fabrics. The fabrics chosen for study could include both warp and weft knits or the fabric sample could be limited to one basic type of knitted fabric, ie. either warp knits or weft knits. In addition, since past research indicates that single and double knits vary in several properties (Doyle, 1953; Knapton and Lo, 1975; Hamilton and Postle, 1977; Gibson and Postle, 1978), it may be worth studying different stitch structures, for example, tricot, raschel, milanese, double, or single. Rib knits and/or pile knits could be studied as they were eliminated from this research project due to their directional and face and back draping properties, respectively.

The fabrics incorporated in this research were limited to those suitable for apparel. Examination of knitted fabrics with other end uses is recommended.

The physical properties measured in this research project were limited to those which influence the drape of woven fabrics as suggested by the literature. In addition, the high residuals in this research indicate that with some fabrics, other factors may be influencing drape. Consideration of other properties would be useful, for example, compressive and surface properties.

The measurements taken in this research were limited to one type for each physical property. Additional study could be conducted, altering the testing methods and/or equipment used and/or the types of measurements taken to determine if better correlation could be obtained. For example, flexural rigidity rather than bending length could be calculated as a measure of stiffness.

Re-entrant folding in the draping of very limp fabrics was encountered in this study. In extreme cases the results from the Cusick drape tester may be limited. The extent of this limitation and alternative methods of measuring the draping properties of very limp fabrics could be derived.

Further regression analysis could be conducted to include the development of additional linear regression equations and quadratic equations. More extensive analysis might be worthwhile utilizing the transformation variables formulated in this research project as well as developing additional transformation variables. Further statistical analysis of the various face and back components of the measurements would also be useful.

Further understanding of the relationships between drape and other properties of knitted fabrics could be achieved through an alternative theoretical approach. A theoretical model based on the elements of the knit structure could be developed using the variables identified as reliable predictors of the drape coefficient in the present research.

The present research has resulted in additional knowledge concerning the shearing properties of knitted fabrics. A shearing apparatus based on the one developed by S.M. Spivak has been used to measure the shearing properties of knitted fabrics successfully. A suggestion for further study is additional research on the shearing properties of knitted fabrics utilizing Spivak's shearing apparatus and/or other apparatuses.

Throughout the present study several equations have been developed in order that the drape coefficients of knitted fabrics could be predicted if measurements of one or more physical properties are known. The two basic types of knitted fabrics- warp knits and weft knits, have been studied separately, as well as the entire group of knitted fabrics. The recommendations for further study are expected to provide additional information into the drape of knitted fabrics and their related physical properties.

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APPENDIX A
Statistics Tables

Table 16a

R² Values, F-Ratios, t-statistics, and Standard Error of the Estimate Values For the Variable Combinations Which Include Bending Length - All Knit Group

Variable Combinations	R ²	F-Ratio	Standard Error of Estimate	t-statistics
b lmean-shearmean	.81	35.14	7.38	7.43, 0.86
b lmean-density	.81	37.14	7.22	7.32, -1.25
b lmean-extmean	.80	34.19	7.46	7.14, 0.60
b lmean-weight	.81	37.18	7.21	7.14, 1.26
b lmean-thickness	.84	44.30	6.71	7.13, 2.12
b lmean-shearmean-extmean	.81	23.08	7.47	6.88, 0.99, 0.78
b lmean-shearmean-thickness	.85	31.26	6.58	6.19, 1.29, 2.32
b lmean-shearmean-density	.84	28.96	6.80	6.93, 1.78, -2.01
b lmean-shearmean-weight	.82	23.93	7.36	6.63, 0.58, 1.05
b lmean-extmean-thickness	.84	28.80	6.81	6.51, 0.70, 2.10
b lmean-extmean-weight	.83	26.04	7.11	7.15, 1.23, 1.66
b lmean-extmean-density	.81	23.43	7.42	5.63, -0.27, -1.09

Table 16a (continued)

Variable Combinations	R ²	F-Ratio	Standard Error of Estimate	t-statistics
b lmean-density-weight	.85	29.46	6.75	6.83, -1.85, -1.09
b lmean-density-thickness	.84	28.75	6.82	7.03, -0.68, 1.75
b lmean-weight-thickness	.84	28.06	6.89	6.94, -0.36, 1.63
b lmean-shearmean-extmean-weight	.84	19.08	7.21	6.77, 0.72, 1.28, 1.46
b lmean-shearmean-extmean-thickness	.86	23.66	6.58	6.08, 1.46, 0.99, 2.36
b lmean-shearmean-extmean-density	.85	20.98	6.93	4.52, 1.83, -0.62, -1.89
b lmean-shearmean-weight-density	.87	25.28	6.40	6.04, 1.67, 1.75, -2.48
b lmean-shearmean-thickness-density	.87	25.89	6.33	6.07, 1.86, 1.85, -1.51
b lmean-extmean-weight-density	.85	20.78	6.96	5.46, 0.19, 1.79, -1.80
b lmean-extmean-weight-thickness	.84	20.25	7.04	6.17, 0.58, 0.05, 1.15

Table 16a (continued)

Variable Combinations	R ²	F-Ratio	Standard Error of Estimate	t-statistics
b lmean-extmean-thickness-density	.84	20.35	7.02	5.66, 0.30, 1.70, -0.26
b lmean-weight-thickness-density	.85	20.72	6.97	6.59, 0.56, -0.02, -0.79
b lmean-shearmean-weight-thickness	.87	24.94	6.44	6.12, 1.82, -1.31, 2.43
b lmean-shearmean-weight-thickness-density	.87	19.33	6.55	5.23, 1.69, -0.31, -0.87, 1.93
b lmean-shearmean-extmean-weight-thickness	.87	18.77	6.64	5.86, 1.71, -0.03, 0.55, -0.68
b lmean-shearmean-extmean-weight-density	.87	18.92	6.62	4.50, 1.61, -0.17, 1.57, -1.96
b lmean-shearmean-extmean-thickness-density	.87	19.34	6.55	4.61, 1.79, -0.05, 0.04, -0.55
b lmean-extmean-weight-thickness-density	.85	15.51	7.20	5.14, 0.19, 0.50, 0.04, -0.55
b lmean-shearmean-extmean-weight-thickness-density	.87	14.96	7.03	4.41, 1.65, -0.05, -0.03, 0.50, -0.59

Table 16b

R² Values, F Ratios, t-statistics and Standard Error of the Estimate Values For the Variable Combinations Which Include Bending Length - Warp Knit Subgroup

Variable Combinations	R ²	F-ratio	Standard Error of Estimate	t-statistics
b lmean-shearmean	.93	49.87	4.60	9.24, -0.79
b lmean-density	.96	93.50	3.41	13.02, -2.62,
b lmean-extmean	.94	58.31	4.28	10.22, 1.35,
b lmean-weight	.93	47.14	4.73	9.14, 0.48
b lmean-thickness	.97	110.70	3.15	12.64, 3.05
b lmean-shearmean-extmean	.94	34.14	4.57	9.22, -0.37 1.05
b lmean-shearmean-thickness	.97	67.37	3.30	10.90, -0.62, 2.77
b lmean-shearmean-density	.97	55.17	3.63	9.88, 0.43, -2.30
b lmean-shearmean-weight	.94	31.94	4.71	8.88, -1.20, 0.82
b lmean-extmean-thickness	.99	213.77	1.87	21.05, 3.72, 5.54
b lmean-extmean-weight	.96	55.02	3.64	11.98, 2.41, 1.92
b lmean-extmean-density	.97	55.93	3.61	8.72, -0.52, 1.96

Table 16b (continued)

Variable Combinations	R ²	F-ratio	Standard Error of Estimate	t-statistics
blmean-density-weight	.98	128.69	2.40	16.20, -4.59, 2.85
blmean-density-thickness	.99	158.25	2.17	18.31, -2.96, 3.37
blmean-weight-thickness	.99	145.30	2.26	17.72, -2.75, 4.95
blmean-shearmean-extmean-weight	.97	40.03	3.70	11.47, -0.89, 2.18, 2.03
blmean-shearmean-extmean-thickness	.99	136.39	2.03	18.03, 0.32, 3.30, 5.05
blmean-shearmean-extmean-density	.97	36.68	3.86	6.70, 0.49, -0.55, -1.84
blmean-shearmean-weight-density	.98	80.83	2.62	12.74, 0.16, 2.55, -3.79
blmean-shearmean-thickness-density	.99	109.57	2.26	14.36, 0.73, 3.24, -2.79
blmean-extmean-weight-density	.99	84.24	2.57	12.25, 0.48, 2.61, -2.65
blmean-extmean-weight-thickness	.99	158.63	1.88	19.70, 1.92, -0.96, 4.18

Table 16b (continued)

Variable Combinations	R ²	F-ratio	Standard Error of Estimate	t-statistics
b lmean-extmean-thickness-density	.99	138.88	2.01	16.07, 1.41, 3.79, -0.44
b lmean-weight-thickness-density	.99	100.17	2.36	16.50, -0.25, 1.10, -0.71
b lmean-shearweight-thickness	.99	134.51	2.04	15.31, 1.54, -3.26, 5.20
b lmean-shearweight-thickness-density	.99	86.43	2.28	13.66, 1.17, -0.96, 1.63, -0.13
b lmean-shearweight-thickness	.99	151.06	1.73	16.52, 1.39 1.73, -1.70, 4.36
b lmean-shearweight-density	.99	53.93	2.88	9.22, 0.03, 0.41, 2.24, -2.07
b lmean-shearweight-thickness-density	.99	95.26	2.17	12.35, 0.53, 1.19, 3.44, -0.60
b lmean-weight-thickness-density	.99	123.12	1.91	15.30, 1.91, -1.24, 2.25, 0.92
b lmean-shearweight-thickness-density	.99	701.48	0.73	36.99, 4.92, 6.00, -5.66, 7.65, 4.38

Table 16c

R² Values, F Ratios, t-statistics, and Standard Error
of the Estimate Values For the Variable Combinations
Which Include Bending Length - Weft Knit Subgroup

Variable Combinations	R ²	F-ratio	Standard Error of Estimate	t-statistics
blmean-shearmean	.90	30.74	6.01	5.26, 3.81
blmean-density	.69	7.67	10.52	3.74, -0.07
blmean-extmean	.69	7.69	10.52	3.04, -0.06
blmean-weight	.79	13.15	8.62	1.99, 1.86
blmean-thickness	.79	12.95	8.67	1.47, 1.82
blmean-shearmean- extmean	.90	18.55	6.33	3.57, 3.65, -0.55
blmean-shearmean- thickness	.90	17.93	6.43	2.73, 2.59, 0.34
blmean-shearmean- density	.90	17.66	6.48	4.66, 3.53, -0.17
blmean-shearmean- weight	.90	17.65	6.48	3.30, 2.53, 0.16
blmean-extmean- thickness	.80	7.92	9.12	0.78, -0.58, 1.83
blmean-extmean- weight	.80	7.54	9.29	1.73, 0.14, 1.73
blmean-extmean- density	.69	4.39	11.36	2.39, -0.09, -0.10

Table 16c (continued)

Variable Combinations	R ²	F-ratio	Standard Error of Estimate	t-statistics
b lmean-density-weight	.81	8.47	8.88	1.39, -0.78, 1.96
b lmean-density-thickness	.80	7.90	9.13	1.33, 0.56, 1.82
b lmean-weight-thickness	.80	8.19	8.99	1.36, 0.71, 0.65
b lmean-shearmean-extmean-weight	.90	11.59	6.94	2.71, 2.40, -0.48, 0.02
b lmean-shearmean-extmean-thickness	.91	12.16	6.79	1.74, 2.41, -0.62, 0.47
b lmean-shearmean-extmean-density	.91	12.12	6.80	2.66, 3.43, -0.66, -0.45
b lmean-shearmean-weight-density	.90	11.19	7.05	2.47, 2.12, 0.25, -0.25
b lmean-shearmean-thickness-density	.90	7.04	7.04	2.44, 2.25, 0.26, -0.02
b lmean-extmean-weight-density	.81	5.35	9.68	0.93, -0.21, 1.81, -0.73
b lmean-extmean-weight-thickness	.81	5.19	9.80	0.82, -0.24, 0.44, 0.63

Table 16c (continued)

Variable Combinations	R ²	F-ratio	Standard Error of Estimate	t-statistics
b lmean-extmean-thickness-density	.80	5.09	9.88	0.77, -0.36, 1.71, 0.33
b lmean-weight-thickness-density	.80	8.19	8.99	1.36, 0.71, 0.65, redundant
b lmean-shearmean-weight-thickness	.90	11.21	7.04	2.44, 2.19, -0.03, 0.27
b lmean-shearmean-weight-thickness-density	.90	11.21	7.04	2.44, 2.19, -0.03, 0.27, redundant
b lmean-shearmean-extmean-weight-thickness	.91	8.09	7.46	1.51, 2.15, -0.68, -0.38, 0.57
b lmean-shearmean-extmean-weight-density	.91	7.83	7.57	1.71, 2.04, -0.58, 0.19, -0.45
b lmean-shearmean-extmean-thickness-density	.91	7.93	7.53	1.55, 2.15, -0.62, 0.29, -0.26
b lmean-extmean-weight-thickness-density	.81	5.19	9.80	0.82, -0.24, 0.44, 0.63, redundant
b lmean-shearmean-extmean-weight-thickness-density	.91	8.09	7.46	1.51, 2.15, -0.68, -0.38, 0.57, redundant

APPENDIX B1
Computer Printout
Multiple Linear Regression

IN THIS VERSION OF BMDP1R

- NEW OPTION - TO PRINT THE CORRELATION OF THE REGRESSION COEFFICIENTS, SPECIFY RREG IN THE PRINT PARAGRAPH.
 IF LESS THAN TWO VARIABLES ENTERED THE EQUATION, THE CORRELATION OF THE REGRESSION COEFFICIENTS IS NOT PRINTED.
- NEW OPTION - SPECIFY NORM IN THE PLCI PARAGRAPH TO PRINT THE NORMAL PROBABILITY PLOT OF RESIDUALS.
- NEW OPTION - SPECIFY DORN IN THE PLOT PARAGRAPH TO PRINT THE DETRENDED NORMAL PROBABILITY PLOT OF RESIDUALS.

PROGRAM CONTROL INFORMATION

/PROBLEM TITLE IS 'REGRESSION TO PREDICT DRAPE COEFFICIENT'.
 /INPUT VARIABLES ARE 24.

FORMAT IS '(J(1X,F6.3),F3.0,F3.0,3(1X,F5.2),
 3(1X,F8.3),2X,A1/9(1X,F5.3)/1X,F8.4,1X,
 F5.4,1X,F8.4,2X,A1)'

/VARIABLE NAMES ARE DCFACE,DCBACK,DCMEAN,IDENT,EXTWALE,EXTCOURS,
 EXTMEAN,SHEARM1,SHEARCOU,SHEARMEA,FABRIC1,
 BLWALEIN,BLWALEOU,BLCOURIN,ELCOURHU,BLMEANIN,
 BLEARNOU,BLMEAN,BWALFNE,ELCOURNE,
 HEIGHT,THICKNES,DENSITY,FABRIC2,
 BLMEAN2,THICK2,SHEARCO2,ELTHICK,EXTMEAN2,
 BLSHACO,BLEXTHEA,THEXTHEA,BLCOUIN2,
 SHEACOTH,SHEARME2,ELCOISHM,THBLCOUL,
 THSHEARM.

BLANKS ARE MISSING.
 LABELS ARE FABRIC1,FABRIC2.
 ADE IS 14.

/TRANSFORM

BLMEAN2=BLMEAN*BLMEAN.
 THICK2=THICKNES*THICKNES.
 SHEARCO2=SHEARCOU*SHEARCOU.
 BLTHICK=BLMEAN*THICKNES.
 EXTMEAN2=EXTMEAN*EXTMEAN.
 ELSHACO=BLMEAN*SHEARCOU.
 THEXTHEA=THICKNES*EXTMEAN.
 SHEACOTH=SHEARCOU*THICKNES.
 BLCOUIN2=BLCOURIN*ELCOURIN.
 SHEARME2=SHEARMEA*SHEARMEA.
 BLCOISHM=BLCOURIN*SHEARMEA.
 THBLCOUL=BLCOURIN*THICKNES.
 THSHEARM=SHEARMEA*THICKNES.

```

/REGRESS      DEPENDENT IS DCMEAN.
              INDEPENDENT ARE BLMEAN,THICKNES.
/PRINT       DATA.
              CORRELATION.
              COVARIANCE.
              RREG.
/ PLOT       RESIDUALS.
              VARIABLES ARE ELMEAN,THICKNES.
              PREP ARE BLMEAN,THICKNES.
              NORMAL.
/END
    
```

PROBLEM TITLEREGRESSION TO PREDICT DRAPE COEFFICIENT

NUMBER OF VARIABLES TO READ IN. 2/4

```

NUMBER OF VARIABLES ADDED BY TRANSFORMATIONS. . . . . 14
TOTAL NUMBER OF VARIABLES . . . . . 38
NUMBER OF CASES TO READ IN. . . . . 1000000
CASE LABELING VARIABLES . . . . . FABRIC1
LIMITS AND MISSING VALUE CHECKED BEFORE TRANSFORMATIONS
BLANKS ARE. . . . . MISSING
INPUT UNIT NUMBER . . . . . 5
REWIND INPUT UNIT PRIOR TO READING. . . . . NO
    
```

INPUT FORMAT
(3(1X,F6.3),F3.0,(1X,F5.2), 3(1X,F8.3),2X,A1/9(1X,F5.3)/1X,F8.4,1X, F5.4,1X,F8.4,2X,A1)

*** CONTROL LANGUAGE TRANSFORMATIONS ARE PERFORMED ***

```

VARIABLES TO BE USED
1 DCFACE
6 EXTMEAN
12 BLWALEIN
17 BLMEANOU
22 THICKNES
28 BLTHICK
33 BLCOUIN2
38 TUSHEARN
2 DCDACK
7 EXTMEAN
13 BLWALECU
18 BLMEAN
23 DENSITY
29 EXTMEAN2
34 SHEACOTH
3 DCMEAN
8 SHEARNAL
14 BLCOURIN
19 BWALEME
25 BLMEAN2
30 BLSHEACO
35 SHEARME2
4 IDENT
9 SHEARCOU
15 BLCOUROU
20 BLCOURHE
26 THICK2
31 BLXTHEA
36 BLCOISHH
5 EXTWALE
10 SHEARMEA
16 BLFEANIN
21 WEIGHT
27 SHEARCO2
32 THEXTHEA
37 TBLCOUI
REGRESSION INTERCEPT. . . . .NON-ZERO
GROUPING VARIABLE . . . . .
WEIGHT VARIABLE . . . . .
PRINT COVARIANCE MATRIX . . . . .YES
PRINT CORRELATION MATRIX . . . . .YES
PRINT CORRELATION OF REGRESSION COEFFICIENTS. . . . .YES
PRINT RESIDUALS . . . . .YES
PRINT NORMAL PROBABILITY PLOT . . . . .YES
PRINT DETENDED NORMAL PROBABILITY PLOT . . . . .NO
NUMBER OF CASES READ. . . . . 20
    
```

VARIABLE	MEAN	STANDARD DEVIATION	COEFFICIENT OF VARIATION	MINIMUM	MAXIMUM
1 DCFACE	39.23392	15.89880	0.40523	17.52399	67.10799
2 DCBACK	38.15736	15.83948	0.41511	17.86099	65.86899
3 DCMEAN	38.69566	15.81520	0.40871	17.69199	66.21599
4 IDENT	0.00000	1.02598	*****	-1.00000	1.00000
5 EXTWALE	7.88250	5.64504	0.71615	1.48000	26.67000
6 EXTCOURS	12.94598	10.05527	0.77671	1.72000	46.42000
7 EXTMEAN	10.41599	6.85744	0.65836	2.09000	27.64999
8 SHEARWAL	448.52002	312.41211	0.69654	141.42899	1288.57080
9 SHEARCOU	460.10596	286.45313	0.62258	162.85699	1327.14282
10 SHEARMEA	454.31323	295.89673	0.65131	152.14299	1307.85693
12 BLWALEIN	1.20509	0.33320	0.27654	0.77600	1.99800
13 BLWALEOU	1.35994	0.29921	0.22001	0.91800	1.98400
14 BLCOURIN	1.26145	0.37247	0.29527	0.83000	2.14500
15 BLCOUROU	1.21385	0.37925	0.31244	0.82200	1.93800
16 BLMEANIN	1.23355	0.32089	0.26013	0.84400	1.90000
17 BLMEANOU	1.30465	0.30045	0.23029	0.91700	1.92800
18 BLMEAN	1.26025	0.30472	0.24179	0.88900	1.89400
19 BWALEME	1.28275	0.28901	0.22531	0.91500	1.89000
20 BLCOURME	1.23799	0.36735	0.29675	0.82600	2.00900
21 WEIGHT	164.58659	56.41321	0.34192	24.46259	252.46939
22 THICKNES	0.07425	0.03091	0.41621	0.02060	0.14020
23 DENSITY	230.87523	61.68460	0.26718	118.75240	335.18774
25 BLMEAN2	1.67643	0.84150	0.50196	0.79032	3.58723
26 THICK2	0.00642	0.00497	0.77349	0.00042	0.01966
27 SHEARCO2	289651.37500	401676.56250	1.38676	26522.39844	*****
28 BLTHICK	0.09775	0.05638	0.57683	0.02464	0.20665
29 EXTMEAN2	153.16629	215.87447	1.40941	4.36810	764.52197
30 BLSHEACO	610.93433	518.82080	0.84923	155.92816	2513.60718
31 BLEXTMEA	12.07849	7.11683	0.58922	3.73079	33.06937
32 THEXTMEA	0.72109	0.50184	0.69595	0.10755	2.26458
33 BLCOUIN2	1.72304	1.08408	0.60595	0.68890	4.60102
34 SHEACOTH	34.49944	23.87660	0.69209	3.35485	92.76724
35 SHEARME2	289578.87500	419835.62500	1.44636	23147.48828	*****
36 BLCOISHM	619.69312	584.00488	0.94241	134.19011	2805.35229
37 THBLCOUI	0.09855	0.05835	0.59208	0.01817	0.22334
38 THSHEARM	34.19569	24.26886	0.70971	3.13414	91.41916

COVARIANCE MATRIX

	DCFACE	ICBACK	DCMEAN	IDENT	EXTWALE	EXTCOURS	EXTMEAN	SHEARWAL	SHEARCOU	SHEARMEA
	1	2	3	4	5	6	7	8	9	10
DCFACE	1	252.7720								
ICBACK	2	248.4077	250.8892							
DCMEAN	3	250.5909	249.6492	250.1207						
IDENT	4	-1.2523	-0.6858	-0.9692	31.8665					
EXTWALE	5	-34.5918	-31.9160	-33.2532	27.5552	101.1086				
EXTCOURS	6	-56.8545	-57.2292	-57.0417	29.7093	64.3365	47.0245			
EXTMEAN	7	-45.7157	-44.5660	-45.1405	1892.9407	1892.9407	1892.9407	97601.3125		
SHEARWAL	8	1748.1548	2079.7104	2079.7104	1892.9407	1892.9407	1892.9407	85281.4375	82055.4375	
SHEARCOU	9	1900.0046	2079.7922	2079.7922	1989.9124	1989.9124	1989.9124	91441.3125	83668.3125	87554.9375
SHEARMEA	10	1824.6758	2058.7520	1941.4268	1941.4268	1941.4268	1941.4268	28.8174	21.8384	25.3279
BLWALEIN	12	3.9236	4.1721	4.0478	-0.0364	-0.0364	-0.0364	-0.9768	26.1072	25.1086
BLWALEOU	13	3.3448	3.1638	3.2543	-0.0494	-0.0494	-0.0494	-0.6791	24.1100	26.1072
BLCOURIN	14	4.9455	4.9870	4.9662	0.0224	-0.8439	-2.1941	-1.5189	47.6165	50.4875
BLCOUROU	15	4.8763	4.9839	4.9301	0.0383	-0.8554	-1.6208	-1.2381	34.4204	32.4101
BLEARIN	16	4.4355	4.5806	4.5081	-0.0071	-0.8335	-1.6619	-1.2476	38.2459	36.1959
BLMEANOU	17	3.9415	3.9047	3.9231	0.0128	-0.8176	-0.9564	-0.8867	26.8859	26.8576
BLMEAN	18	4.2744	4.3284	4.3014	-0.0064	-0.8463	-1.3609	-1.1034	33.7431	32.7216
BWALENE	19	3.6336	3.6673	3.6565	-0.0430	-0.8423	-0.8127	-0.8273	26.4683	23.9730
BLCOURHE	20	4.9118	4.9861	4.9490	0.0302	-0.8496	-1.3786	41.0338	41.4734	41.2536
WRIGHT	21	448.1377	455.3372	451.7395	-22.6320	-43.3861	-367.2813	6727.9375	5509.8766	6118.7070
THICKNES	22	0.2937	0.2908	0.2923	-0.0114	0.0002	-0.1104	-0.0551	0.6179	0.3519
DENSITY	23	-269.1362	-240.4243	-254.7843	9.1396	-85.0940	-318.3115	-201.7783	7386.6328	6537.6094
BLMEAN2	25	11.4935	11.7165	11.6050	-0.0200	-2.2715	-3.8314	-3.0510	101.4312	96.8383
THICK2	26	0.0488	0.0485	0.0487	-0.0013	-0.0012	-0.0125	-0.0081	-0.0534	-0.0307
SHEARCO2	27	*****	*****	*****	90741.5625	*****	*****	*****	*****	*****
BLETHICK	28	0.7036	0.7065	0.7051	-0.0156	-0.0696	-0.2413	-0.1554	2.7725	2.1530
EXTMEAN2	29	-974.4080	-938.8518	-956.6157	2.9327	867.9153	1986.8345	1427.4316	*****	*****
BLSHEACO	30	4979.4531	5184.8375	5082.2108	77.1238	-820.3562	-2276.9792	-1548.5083	*****	*****
BLEXTNEA	31	-22.9866	-21.8988	-22.4422	0.0825	26.4360	67.1880	46.8150	-807.8035	-699.9836
THEXTNEA	32	0.6056	-0.4503	-0.5259	-0.1272	2.2740	2.1055	2.1897	-32.5764	-24.0931
BLCOUTIN2	33	13.4601	13.7072	13.5837	0.0910	-2.4575	-5.9281	-4.1925	149.3868	155.0280
SHEACOTH	34	248.9611	257.8770	253.4208	-2.8987	-5.9780	-100.2661	-53.1113	6177.4219	5930.5195
SHEARHE2	35	*****	*****	*****	*****	*****	*****	*****	*****	*****
BLCOISHM	36	5433.3242	5683.1211	5558.2383	116.4783	-962.3997	-2670.3958	-1816.1914	*****	*****
THBLCOUI	37	0.7475	0.7507	0.7491	-0.0129	-0.0667	-0.2647	-0.1656	3.3479	3.0159
THSHEARB	38	243.6277	256.4336	250.0325	-1.8358	-10.7642	-106.0965	-58.4189	6584.7695	5990.7500

	BLWALEIN 12	BLWALEON 13	BLCOURIN 14	ELCOURON 15	BLMEANIN 16	BLMEANOU 17	BLMEAN 18	BWALEME 19	BLCOURNE 20	WEIGHT 21
BLWALEIN 12	0.1111									
BLWALEON 13	0.0895									
BLCOURIN 14	0.0662	0.1387								
BLCOURON 15	0.0618	0.1286	0.1438							
BLMEANIN 16	0.0665	0.1099	0.1124	0.1030						
BLMEANOU 17	0.0747	0.0946	0.0987	0.0855	0.0903					
BWALEME 19	0.0788	0.0711	0.1037	0.0962	0.0756	0.0929	0.0835	0.1349	0.0763	8.4965
BLCOURNE 20	0.0889	0.0781	0.0736	0.0790	0.0813	0.0799	0.0862	0.1057	0.0763	8.4965
WEIGHT 21	0.0886	0.0640	0.1337	0.1362	0.1111	0.0967	0.0982	0.1057	0.0763	8.4965
THICKNES 22	8.6872	4.2145	9.7675	7.2823	9.1956	4.0895	7.4747	7.4747	6.4532	1.3982
THICKEN 23	0.0052	0.024	0.0051	0.0047	0.0052	0.0031	0.0044	0.0044	0.0038	0.0049
DENSITY 24	-3.6852	-4.2018	0.0488	-3.2834	-1.8190	-5.1438	-2.7786	-2.7786	-3.9413	-1.6192
BLMEAN2 25	0.2442	0.1965	0.2865	0.2934	0.2653	0.2357	0.2552	0.2203	0.2899	21.1097
BLMEAN2 26	0.0009	0.0004	0.0008	0.0008	0.0008	0.0005	0.0007	0.0006	0.0008	0.1999
SHEARCO2 27	32250.457C	42744.5586	73856.1250	51231.0547	53093.5234	43642.0820	50029.0391	37494.8320	62570.8945	*****
BLTHICK 28	0.0140	0.0090	0.0145	0.0143	0.0143	0.0108	0.0130	0.0115	0.0144	2.4210
EXTMEAN2 29	-22.2655	-12.2828	-35.3268	-25.9071	-28.7845	-18.1424	-23.9410	-17.2527	-30.6195	-6413.5234
BLSHEACO 30	74.8126	81.6604	131.6268	104.8468	103.3678	88.5817	98.3224	78.2220	118.3787	10399.0508
BLEXTHEA 31	-0.5412	-0.3168	-1.1584	-0.7564	-0.8495	-0.4729	-0.6933	-0.4284	-0.9575	-194.5597
THEXTHEA 32	-0.0253	-0.0510	-0.0426	-0.0421	-0.0339	-0.0470	-0.0402	-0.0381	-0.0423	3.9124
BLCOURIN2 33	0.2320	0.1915	0.3851	0.3575	0.3086	0.2655	0.2917	0.2116	0.3714	25.5331
SHEARCO2H 34	3.3798	3.0214	4.9383	3.5713	4.1620	2.9552	3.7286	3.2012	4.2571	898.4807
SHEARHE2 35	33333.3320	36366.3945	67563.1250	48703.5195	50486.9269	39124.1797	46491.5391	34851.2656	58153.5781	*****
BLCOISHH 36	79.5992	87.5477	153.3576	121.6862	116.5264	99.8376	110.5851	83.5509	137.5609	11678.9023
THBLCOUI 37	0.0134	0.0687	0.0164	0.0156	0.0149	0.0113	0.0135	0.0110	0.0160	2.4623
THSHEARN 38	3.7020	3.0289	4.9067	3.7409	4.3071	3.0445	3.8453	3.3662	4.3257	939.1377

	THICKNES 22	DENSITY 23	BLMEAN2 25	THICK2 26	SHEARCO2 27	BLTHICK 28	EXTMEAN2 29	BLSHEACO 30	BLEXTHEA 31	THEXTHEA 32
THICKNES 22	0.0010									
DENSITY 23	-0.6766	3804.9900								
BLMEAN2 25	0.0116	-5.3989	0.7081							
THICK2 26	0.0001	-0.1309	0.0019	0.0000						
SHEARCO2 27	-0.6116	*****	*****	-134.8473	*****					
BTHICK 28	0.0016	-1.1188	0.0352	0.0003	2775.6213	0.0032	46601.7852	*****		
EXTMEAN2 29	-1.8761	-6231.4492	-66.0704	-0.2361	*****	-4.3625	1454.7886	*****	50.6493	0.2518
BLSHEACO 30	1.7423	8996.6758	284.2651	0.1273	*****	8.5908	61.4777	*****	-70.7373	2.2292
BLEXTHEA 31	-0.0278	-280.9465	-2.0026	-0.0013	*****	-0.0850	95.2881	*****	400.0601	-3.2573
THEXTHEA 32	0.0072	-14.8574	-0.1147	0.0012	*****	0.0062	-1223.0508	*****	-85.6441	1.0875
BLCOURIN2 33	0.0126	2.6058	0.8142	0.020	*****	0.0382	*****	*****	*****	*****
SHEARCO2H 34	0.3599	158.0882	10.5715	0.0881	*****	0.7069	*****	*****	*****	*****
SHEARHE2 35	6.6513	*****	*****	-137.4395	*****	2595.9548	*****	*****	*****	*****
BLCOISHH 36	1.8760	10715.3516	321.5042	0.1393	*****	9.6116	*****	*****	*****	*****
THBLCOUI 37	0.0016	-1.0707	0.0367	0.0003	4112.3203	0.0032	-4.5737	*****	-1724.6367	-85.5422
THSHEARN 38	0.3672	192.1966	10.9593	0.0496	*****	0.7346	-1432.5264	*****	-50.7825	0.0065

BLCOUIN2	33	1.0901					
SHEACOTH	34	14.1724	570.0923				
SHEAR#2	35	*****	*****				
BLCOISHH	36	465.0415	11370.7227	*****			
THBLCOUI	37	0.0434	C.7641	3741.CC98	11.9050	0.0034	
THSHEARM	38	14.1710	572.6707	*****	11476.2188	0.7804	588.9775

CORRELATION MATRIX

	DCFACE 1	DCBACK 2	DCMEAN 3	IDENT 4	EXTWALE 5	EXTCOURS 6	EXTMEAN 7	SHEARWAL 8	SHEARCOU 9	SHEARMEA 10
DCFACE	1.0000									
DCBACK	0.9864	1.0000								
DCMEAN	0.9966	0.9966	1.0000							
IDENT	-0.0768	-0.0422	-0.0597	1.0000						
EXTWALE	-0.3854	-0.3569	-0.3725	-0.2213	1.0000					
EXTCOURS	-0.3556	-0.3593	-0.3587	0.1207	0.4854	1.0000				
EXTMEAN	-0.4193	-0.4103	-0.4162	-0.0027	0.7675	0.9330	1.0000			
SHEARWAL	0.3520	0.4118	0.3831	0.2185	-0.7399	-0.3999	-0.3508	1.0000		
SHEARCOU	0.4172	0.4584	0.4392	0.1541	-0.1063	-0.3905	-0.3301	0.9530	1.0000	
SHEARMEA	0.3877	0.4393	0.4149	0.1899	-0.1253	-0.4002	-0.3450	0.9892	0.9871	1.0000
BLWALEIN	0.7405	0.7904	0.7680	-0.1065	-0.4378	-0.3373	-0.4274	0.2768	0.2288	0.2569
BLWALEOU	0.7031	0.6676	0.6677	-0.1610	-0.5102	-0.1653	-0.3310	0.3046	0.3046	0.2836
BLCOURIN	0.8351	0.8453	0.8431	0.0585	-0.4014	-0.5858	-0.5947	0.4732	0.4732	0.4451
BLCOUROU	0.8087	0.8297	0.8220	0.0983	-0.3995	-0.4250	-0.4761	0.2905	0.2983	0.2978
BLMEANIN	0.8694	0.9012	0.8883	-0.0216	-0.4601	-0.5151	-0.5670	0.3815	0.3938	0.3920
BLMEANOU	0.8251	0.8205	0.8256	0.0415	-0.4820	-0.3166	-0.4304	0.3121	0.3121	0.3023
BLMEAN	0.8823	0.8968	0.8926	-0.0204	-0.4920	-0.4442	-0.5281	0.3749	0.3749	0.3686
BWALEHE	0.7908	0.8011	0.7987	-0.1450	-0.5163	-0.2797	-0.4174	0.2896	0.2896	0.2949
BLCOURME	0.8410	0.8569	0.8518	0.0802	-0.4097	-0.5165	-0.5473	0.3575	0.3575	0.3795
WEIGHT	0.4937	0.5096	0.5063	-0.3910	-0.1362	-0.6475	-0.5308	0.3817	0.3817	0.3666
THICKNES	0.5978	0.5941	0.5980	-0.3594	0.0011	-0.3553	-0.2600	0.0640	0.0398	0.0530
DENSITY	-0.2744	-0.2461	-0.2612	0.1444	-0.2844	-0.5132	-0.4770	0.3833	0.3700	0.3814
BLMEAN2	0.8591	0.8790	0.8720	-0.0231	-0.4782	-0.4528	-0.5287	0.3858	0.4017	0.3981
THICK2	0.6185	0.6164	0.6196	-0.2513	-0.0423	-0.2498	-0.2005	-0.0375	-0.0375	-0.0209
SHEARCO2	0.4116	0.4481	0.4313	0.2202	-0.1481	-0.3299	-0.3028	0.9604	0.9604	0.9511
BLTHICK	0.7849	0.7911	0.7957	-0.2689	-0.2186	-0.4255	-0.4019	0.1574	0.1333	0.1476
EXTMEAN2	-0.2839	-0.2746	-0.2802	0.0132	0.7122	0.9153	0.9643	-0.2712	-0.2188	-0.2491
BLSHEACO	0.6037	0.6309	0.6194	0.1449	-0.2801	-0.4365	-0.4352	0.8618	0.9311	0.9057
BLEXTNEA	-0.2032	-0.1943	-0.1994	0.0113	0.6580	0.9389	0.9593	-0.3633	-0.3434	-0.3580
THEXTNEA	-0.0764	-0.0566	-0.0668	-0.2471	0.8027	0.4172	0.6363	-0.2078	-0.1676	-0.1908
BLCOURIN2	0.8109	0.8288	0.8226	0.0849	-0.4170	-0.5647	-0.5856	0.4580	0.5183	0.4927
SHEACOTH	0.6558	0.6819	0.6711	-0.1183	-0.0444	-0.4176	-0.3244	0.8281	0.8671	0.8569
SHEARHE2	0.3505	0.4013	0.3771	0.2562	-0.1290	-0.3271	-0.2929	0.9620	0.9482	0.9668
BLCOISHM	0.5852	0.6144	0.6018	0.1944	-0.2919	-0.4547	-0.4535	0.9199	0.9199	0.9012
TBLCOUI	0.8058	0.8122	0.8117	-0.2148	-0.2024	-0.4511	-0.4139	0.1804	0.1804	0.1843
THSHEARM	0.6314	0.6671	0.6514	-0.0737	-0.0786	-0.4348	-0.3510	0.8617	0.8617	0.8756

BLWALEIN 12	BLWALEOU 13	BLCOUFIN 14	BLCOUROU 15	BLMEANIN 16	BLMEANOU 17	BLMEAN 18	BWALENE 19	BLCOURME 20	WEIGHT 21
1.0000	1.0000	1.0000	1.0000	1.0000	1.0000	1.0000	1.0000	1.0000	1.0000
0.6657	0.5941	0.9103	0.9235	0.8873	0.9410	0.9076	0.7185	0.4100	0.8020
0.6526	0.5448	0.9193	0.8658	0.9843	0.8702	0.9441	0.3958	0.4350	0.2158
0.7610	0.6927	0.9135	0.8457	0.9843	0.8702	0.9441	0.4297	-0.0715	0.4447
0.8981	0.6313	0.9135	0.8457	0.9843	0.8702	0.9441	0.4297	-0.0715	0.7135
0.7635	0.8313	0.9135	0.8457	0.9843	0.8702	0.9441	0.4297	-0.0715	0.2781
0.8743	0.7800	0.9135	0.8457	0.9843	0.8702	0.9441	0.4297	-0.0715	0.7611
0.9232	0.9637	0.9135	0.8457	0.9843	0.8702	0.9441	0.4297	-0.0715	-0.5266
0.7236	0.5827	0.9135	0.8457	0.9843	0.8702	0.9441	0.4297	-0.0715	0.3553
0.4621	0.2497	0.9135	0.8457	0.9843	0.8702	0.9441	0.4297	-0.0715	0.4847
0.5090	0.2632	0.9135	0.8457	0.9843	0.8702	0.9441	0.4297	-0.0715	0.1382
-0.1793	-0.2276	0.9135	0.8457	0.9843	0.8702	0.9441	0.4297	-0.0715	0.4335
0.8706	0.7803	0.9135	0.8457	0.9843	0.8702	0.9441	0.4297	-0.0715	0.6670
0.5227	0.2754	0.9135	0.8457	0.9843	0.8702	0.9441	0.4297	-0.0715	0.2920
0.2409	0.3557	0.9135	0.8457	0.9843	0.8702	0.9441	0.4297	-0.0715	0.3545
0.7472	0.5363	0.9135	0.8457	0.9843	0.8702	0.9441	0.4297	-0.0715	0.7480
-0.3095	-0.1902	0.9135	0.8457	0.9843	0.8702	0.9441	0.4297	-0.0715	0.7480
0.4327	0.5260	0.9135	0.8457	0.9843	0.8702	0.9441	0.4297	-0.0715	0.4852
-0.2282	-0.1488	0.9135	0.8457	0.9843	0.8702	0.9441	0.4297	-0.0715	0.6860
-0.1512	-0.3396	0.9135	0.8457	0.9843	0.8702	0.9441	0.4297	-0.0715	
0.6667	0.6130	0.9135	0.8457	0.9843	0.8702	0.9441	0.4297	-0.0715	
0.4248	0.4229	0.9135	0.8457	0.9843	0.8702	0.9441	0.4297	-0.0715	
0.2388	0.2902	0.9135	0.8457	0.9843	0.8702	0.9441	0.4297	-0.0715	
0.4090	0.5010	0.9135	0.8457	0.9843	0.8702	0.9441	0.4297	-0.0715	
0.6893	0.4982	0.9135	0.8457	0.9843	0.8702	0.9441	0.4297	-0.0715	
0.4577	0.4171	0.9135	0.8457	0.9843	0.8702	0.9441	0.4297	-0.0715	

THICKNES 22	DENSITY 23	BLMEAN2 25	THICK2 26	SHEARCO2 27	BLTHICK 28	EXTMEAN2 29	BLSHEACO 30	BLEXTHEA 31	THEXTMEA 32
1.0000	1.0000	1.0000	1.0000	1.0000	1.0000	1.0000	1.0000	1.0000	1.0000
-0.3549	-0.1040	0.4560	-0.0676	0.1226	-0.3584	-0.2877	-0.3915	0.6241	-0.2631
0.4462	-0.4274	0.4560	-0.0676	0.1226	-0.3584	-0.2877	-0.3915	0.6241	0.0908
0.9773	0.4274	0.4560	-0.0676	0.1226	-0.3584	-0.2877	-0.3915	0.6241	-0.2135
-0.0000	0.3290	0.4560	-0.0676	0.1226	-0.3584	-0.2877	-0.3915	0.6241	-0.2919
0.9227	-0.5217	0.4560	-0.0676	0.1226	-0.3584	-0.2877	-0.3915	0.6241	0.2234
-0.2812	-0.4680	0.4560	-0.0676	0.1226	-0.3584	-0.2877	-0.3915	0.6241	0.0490
0.1087	0.2780	0.4560	-0.0676	0.1226	-0.3584	-0.2877	-0.3915	0.6241	
-0.1262	-0.6400	0.4560	-0.0676	0.1226	-0.3584	-0.2877	-0.3915	0.6241	
0.4649	-0.4800	0.4560	-0.0676	0.1226	-0.3584	-0.2877	-0.3915	0.6241	
0.3894	0.0405	0.4560	-0.0676	0.1226	-0.3584	-0.2877	-0.3915	0.6241	
0.4878	0.1073	0.4560	-0.0676	0.1226	-0.3584	-0.2877	-0.3915	0.6241	
0.0005	0.3434	0.4560	-0.0676	0.1226	-0.3584	-0.2877	-0.3915	0.6241	
0.1039	0.2974	0.4560	-0.0676	0.1226	-0.3584	-0.2877	-0.3915	0.6241	
0.9100	-0.2975	0.4560	-0.0676	0.1226	-0.3584	-0.2877	-0.3915	0.6241	
0.4696	0.1284	0.4560	-0.0676	0.1226	-0.3584	-0.2877	-0.3915	0.6241	

	BLCOUIN2 33	SHEACOTH 34	SHEARME2 35	BLCOISHM 36	THBLCOU1 37	THSHEARN 38
BLCOUIN2 33	1.0000					
SHEACOTH 34	0.5685	1.0000				
SHEARME2 35	0.5033	0.8014	1.0000			
BLCOISHM 36	0.7627	0.8155	0.9195	1.0000		
THBLCOU1 37	0.7120	0.5884	0.1531	0.3493	1.0000	
THSHEARN 38	0.5553	0.9883	0.8256	0.8097	0.5511	1.0000

REGRESSION TITLE REGRESSION TO PREDICT DRAPE COEFFICIENT
 DEPENDENT VARIABLE 3 DCMEAN
 TOLERANCE 0.0100
 ALL DATA CONSIDERED AS A SINGLE GROUPE

MULTIPLE R C.9160 STD. ERROR OF EST. 6.7084
 MULTIPLE R-SQUARE C.8390

ANALYSIS OF VARIANCE

	SUM OF SQUARES	DF	MEAN SQUARE	F RATIO	P(TAIL)
REGRESSION	3987.250	2	1993.625	44.300	0.00000
RESIDUAL	765.043	17	45.003		

VARIABLE	COEFFICIENT	STD. ERROR	STD. REG COEFF	T	P(2 TAIL)	TOLERANCE
INTERCEPT	-21.43451					
BLMEAN 18	40.70119	5.708	0.784	7.130	0.000	0.782873
THICKNES 22	119.00529	56.280	0.233	2.115	0.050	0.782873

CORRELATION MATRIX OF REGRESSION COEFFICIENTS

	BLMEAN 18	THICKNES 22
BLMEAN 18	1.0000	
THICKNES 22	-0.4660	1.0000

LIST OF PREDICTED VALUES, RESIDUALS, AND VARIABLES
 NOTE - NEGATIVE CASE NUMBER DENOTES A CASE WITH MISSING VALUES.
 THE NUMBER OF STANDARD DEVIATIONS FROM THE MEAN IS DENOTED BY UP TO 3 ASTERISKS TO THE RIGHT
 OF EACH RESIDUAL OF VARIABLE.
 MISSING VALUES ARE DENOTED BY MORE THAN THREE ASTERISKS.

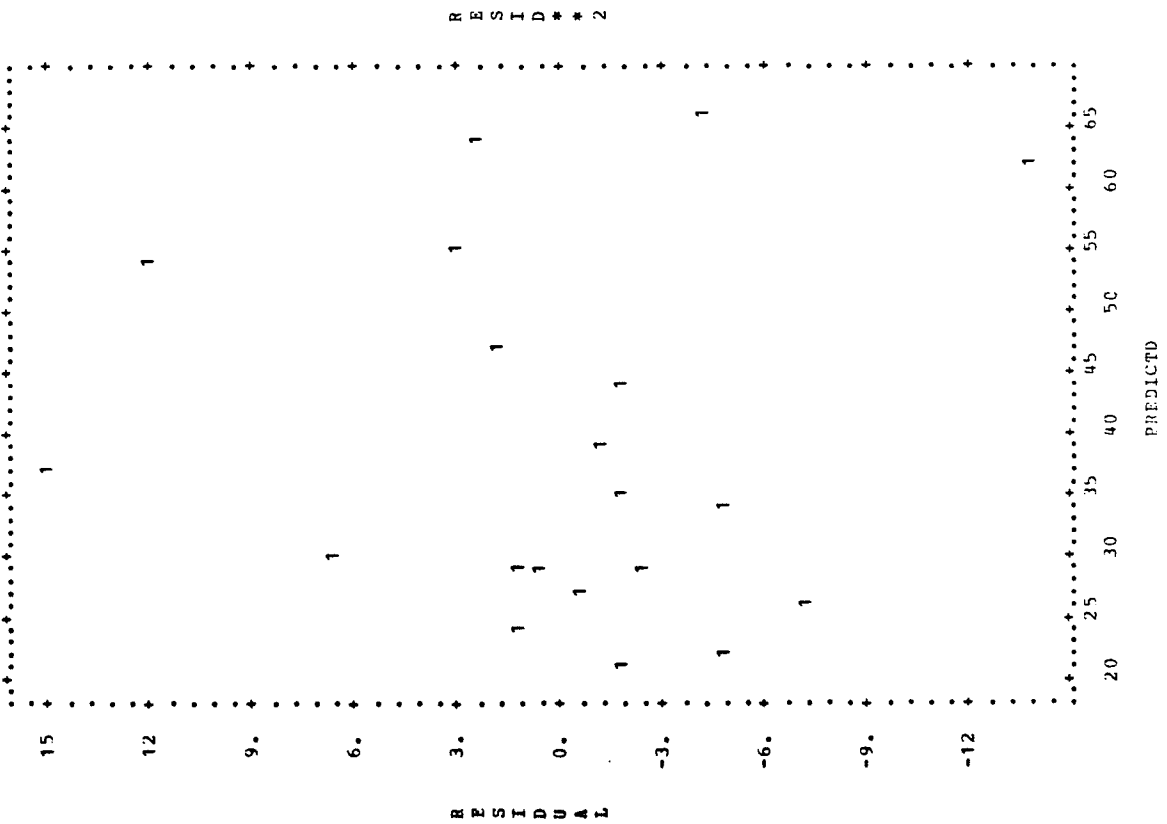
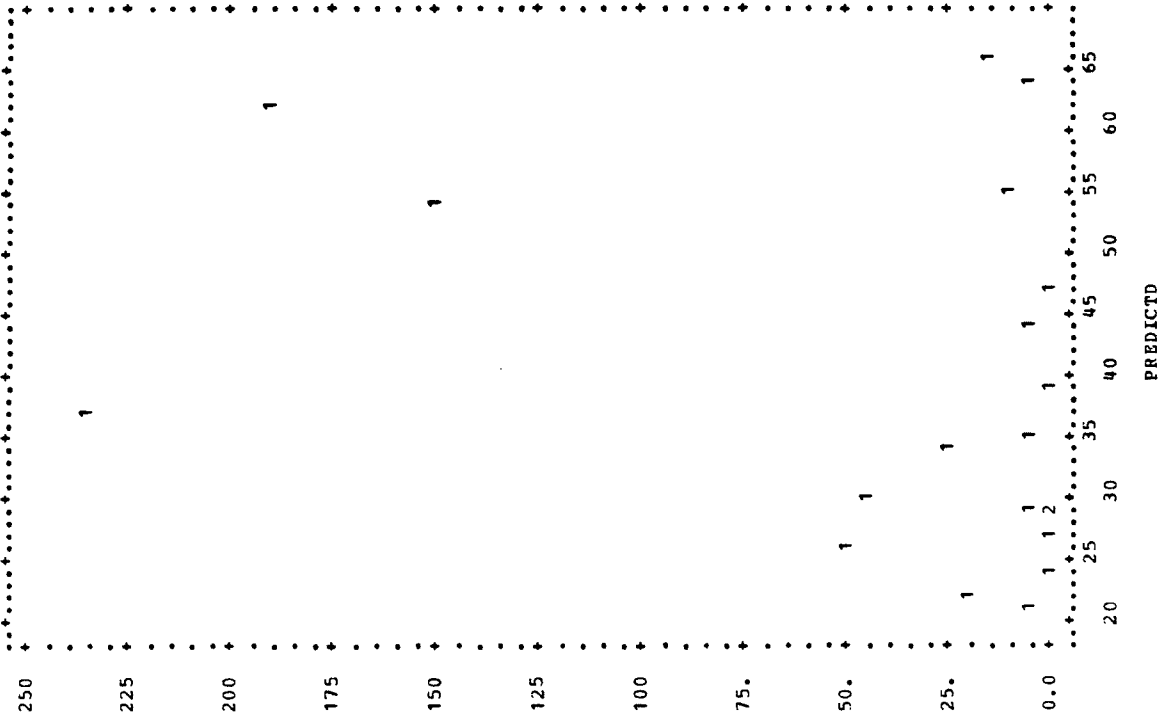
CASE LABEL	CASE NO.	RESIDUAL	PREDICTED VALUE	VARIABLES	2 DCRACK	3 DCMEAN	4 IDENT	5 EXTWALE	6 EXTCOURS
A	1	-0.4187	26.6947	1 DCFACE 7 EXTFACE 14 BLCOURIN 20 BLCOURME 27 SHEARCO2 33 BLCOUIN2	28.8540 1225.7139** 0.9680 200.2245 0.0681 63.6343*	26.2760 914.2859* 1.0160 0.0696 160.0225 *****	1.0000 1070.0000** 0.9430* 287.6794 895.0857 982.2598	13.9300* 1.1130 0.9790 12.3843 0.0639	11.3700 0.9180* 1.0160 0.0048 0.8804 74.8720*
B	2	1.0183	28.5387	30.0970 14.3100 1.1130 1.0520 ***** 1.2488	29.0170 320.0000 0.9900 74.9456* 0.0527 16.0050	29.5570 330.0000 1.0230 0.0485 204.7761 *****	1.0000 325.0000 1.5000 154.5278* 358.3796 361.7249	10.1000 0.9330 1.0860 1.1210 1.1794 15.5807 0.0540	18.5100 1.3090 1.1210 0.0024 0.6940 15.7625
C	3	6.5254	29.6956	37.0900 27.6500** 0.8820* 1.0310 26522.3984 0.7779	35.3520 141.4290 1.1800 24.4626** 0.0246* 3.3549*	36.2210 162.8570* 1.0150 0.0206* 764.5220** 23147.4883	1.0000 152.1430* 1.3770 118.7524* 194.7768 134.1901	8.8700 1.470 1.1960 1.4304 33.0694** 0.0182*	46.4200*** 1.5740 1.3610 0.0004* 0.5696 3.1341*
D	4	-2.6965	29.2275	27.1230 6.3100 1.3790 1.1950 ***** 1.9016	25.9390 434.2859 1.0110 165.9184 0.0544 25.6334	26.5310 517.8569 1.0780 0.0495 39.8161 *****	1.0000 476.0718 1.1220 335.1877* 569.6421 656.5027	5.5500 0.7760* 1.1000 1.2100 6.9410 0.0683	7.0700 1.2320 1.0040 0.0025 0.3123 23.5656

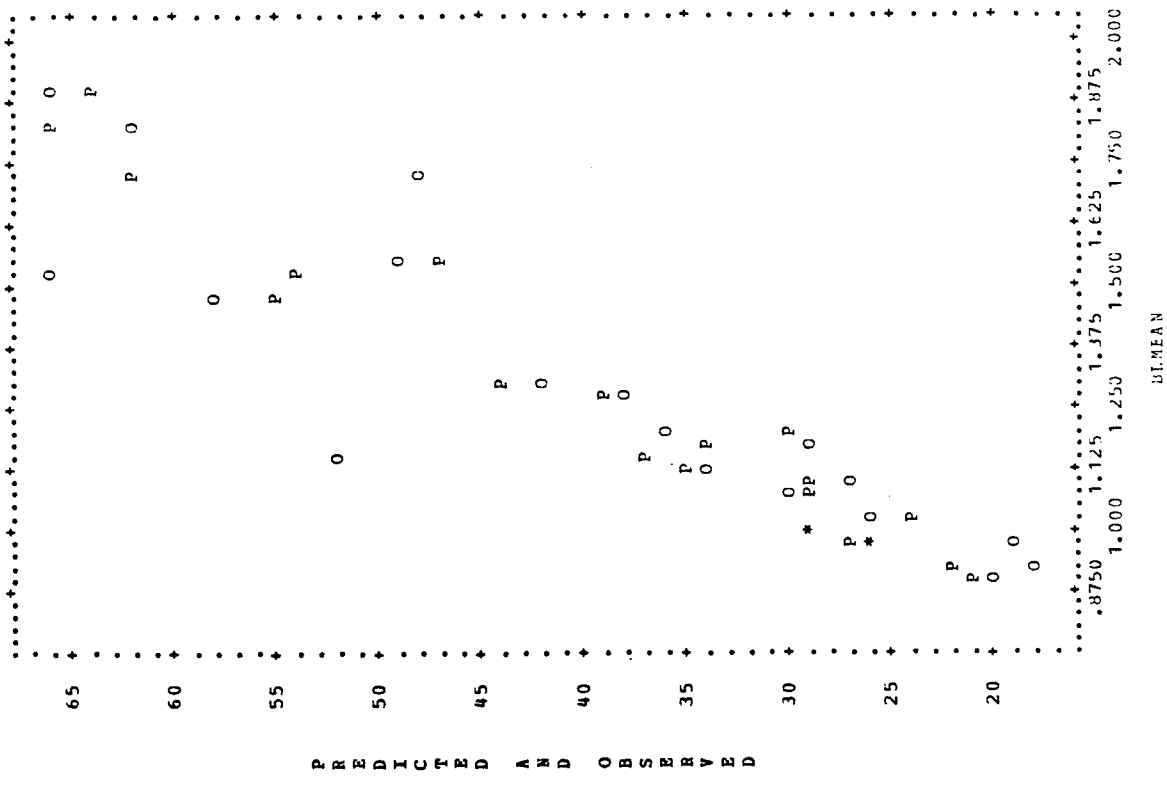
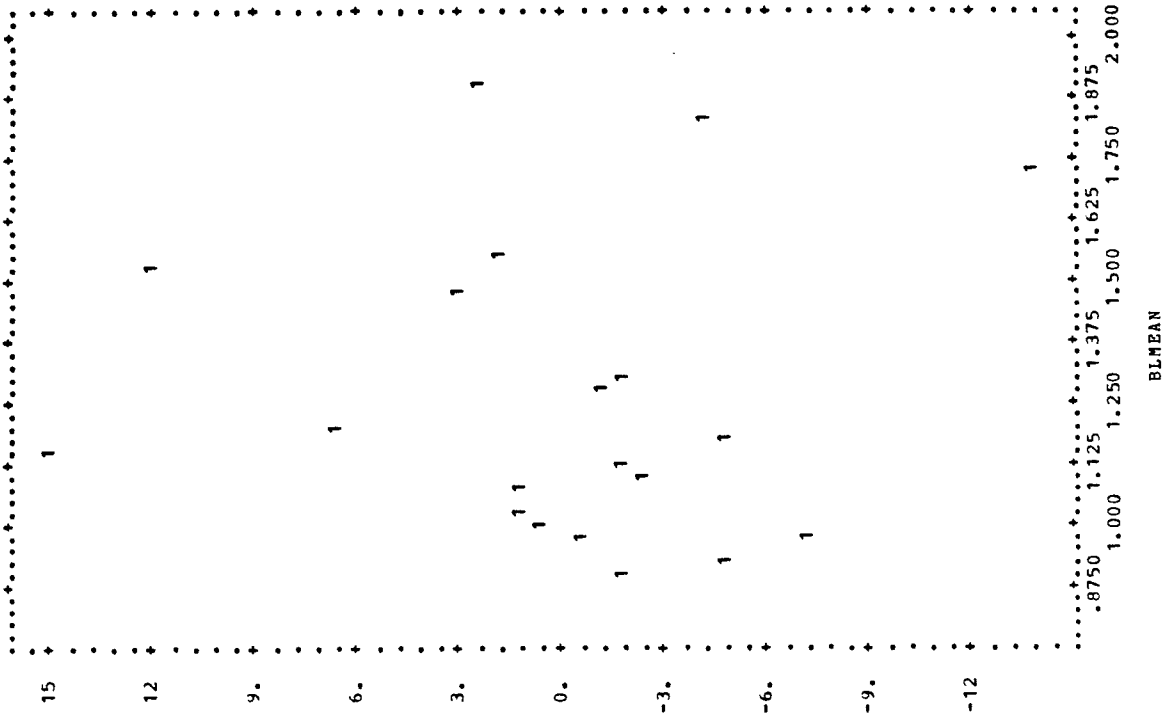
E	E	5	3.1414	55.2436	57.6580*	59.1120*	58.3850*	1.0000	7.2500	16.0500
					11.6500	265.7139	268.5708	267.1428	1.4490	1.1990
					1.5930	1.6550*	1.5210	1.4270	1.4740	1.3240
					1.6240*	207.2789	0.1402**	147.8452*	2.1727	0.0197**
					72130.2500	0.2067*	135.7225	395.8733	17.1721	1.6333*
					2.5376	37.6536	71365.2500	425.5583	0.2233**	37.4534
P	F	6	2.2440	63.9720	66.5630*	65.8690*	66.2160*	1.0000	1.4800*	2.6900*
					2.0900*	1288.5708**	1327.1428***	1307.8569**	1.5740*	1.9840**
					2.1450**	1.8720*	1.8600*	1.9280**	1.8940**	1.7790*
					2.0090***	194.4150	0.0699	278.1328	3.5872**	0.0049
					*****	0.1324	4.3681	2513.6072***	3.9585*	0.1461*
					4.6010**	92.7672**	*****	2805.3523***	0.1499	91.4192**
G	G	7	1.4295	24.0955	26.7200	24.3290	25.5250	1.0000	4.0200	13.4600
					8.7400	480.0000	504.2859	492.1428	0.8670*	1.3730
					1.0110	0.8600	0.9390	1.1170	1.0280	1.1200
					0.9360	88.8751*	0.0310*	286.6348	1.0568	0.0010*
					*****	0.0319*	76.3876	518.4058	8.9847	0.2709
					1.0221	15.6329	*****	497.5562	0.0313*	15.2564
H	H	8	-4.6271	22.3190	17.5243*	17.8610*	17.6920*	1.0000	7.9500	12.5900

I	I	9	-1.9872	44.3722	45.3420 7.9200 1.2380 1.2220 66490.1875 1.5326	10.2700 0.8307* 0.8260* 28416.1797 0.6889	164.0000 0.8220* 167.1633 0.0475 8.6477*	168.5710* 0.9340 0.0513 105.4729 27651.0313	166.2860 0.9170* 325.8538* 155.9282 138.0174	1.0380 0.9250* 0.8556 9.4997 0.0426	1.0110* 1.0250 0.0026 0.5269 8.5305*
J	J	10	1.5077	47.4553	48.6290 2.3900* 1.7180* 1.8280* ***** 2.9515*	39.4290 287.8569 1.2060 177.7483 0.1412 28.0290	39.4290 287.8569 1.2060 177.7483 0.1412 28.0290	42.3850 257.8569 1.2800 0.1087* 62.7264 74450.8750	1.0000 272.8569 1.3180 163.5216* 334.9561 337.7966	4.4300 1.3220 1.2990 1.6874 0.2881 0.1346	11.4100 1.4300 1.3760 0.0118* 0.8609 29.6595
J	J	10	1.5077	47.4553	48.6290 2.3900* 1.7180* 1.8280* ***** 2.9515*	49.2980 542.8569 1.9380* 1.338503 0.0702 26.1000	49.2980 542.8569 1.9380* 1.338503 0.0702 26.1000	48.9630 580.0000 1.6020* 0.0450 5.7121 *****	1.0000 561.4290 1.5190 297.4443* 905.3799 964.5344	3.0700 1.4860 1.5610 2.4367 3.7308* 0.0773	1.7200* 1.1000 1.2930 0.0020 0.1075* 25.2643
K	K	11	-1.6333	35.4563	34.9930 12.2100 1.1600 1.1100 ***** 1.3456	32.6530 347.1428 1.0590 192.2653 0.1064 39.3571	32.6530 347.1428 1.0590 192.2653 0.1064 39.3571	33.8230 414.2859 1.0860 0.0950 149.0841 *****	-1.0000 380.7148 1.1550 202.5974 464.0000 441.6292	11.9400 1.0110 1.1200 1.2544 13.6752 0.1102	12.4700 1.2510 1.1310 0.0090 1.1599 36.1679
L	L	12	-1.6185	21.3655	21.3770* 15.4000 0.9040 0.8630* 35559.0195 0.8172	18.1170* 202.8570 0.8220* 159.7551 0.0494 10.4845*	18.1170* 202.8570 0.8220* 159.7551 0.0494 10.4845*	19.7470* 188.5710 0.8440* 0.0556 237.1600 38303.9648	-1.0000 195.7140 0.8890* 287.3289 167.6396 176.9254	12.1300 0.7840* 0.9150* 0.7903* 13.6906 0.0503	18.6700 1.0450* 0.9150* 0.0031 0.8562 10.8817
M	M	13	15.2603 **	37.1626	54.5200 5.8500 1.2640 1.1310 ***** 1.5977	50.3260 591.4290 0.9970 227.0068* 0.1113 62.8800*	50.3260 591.4290 0.9970 227.0068* 0.1113 62.8800*	52.4230 655.0000 1.1240 0.0960 34.2225 *****	-1.0000 623.2148 1.1950 236.4656 759.1445 787.7434	4.3200 0.9830 1.1880 1.3433 6.7801 0.1213	7.3700 1.3920 1.1880 0.0092 0.5616 59.8286*
N	N	14	-7.1520 *	25.9500	18.9930* 9.5800 0.8630* 0.8710 59675.6445 0.7396	18.6030* 230.0000 0.8820 137.0204 0.0617 15.3900	18.6030* 230.0000 0.8820 137.0204 0.0617 15.3900	18.7980* 244.2860 0.9490 0.0630 91.7764 56236.7969	-1.0000 237.1430 1.0110 217.8378 239.4003 203.9429	6.5200 1.0380 0.9800 0.9604 9.3884 0.0542	12.6300 1.1400 1.0890 0.0040 0.6035 14.9400
O	O	15	-1.2197	38.8957	39.4760 8.3900 1.4280 0.4230 60375.3633 2.0392	35.8750 154.2860 1.4170 138.7687 0.0922 17.8388	35.8750 154.2860 1.4170 138.7687 0.0922 17.8388	37.6760 245.7140 1.2060 0.0726 70.3423 40000.0000	-1.0000 200.0000 1.3340 191.1419 312.0566 285.5999	10.9000 0.9830 1.2700 1.6119 0.0552 0.1437	5.8800 1.2510 1.1170 0.0053 0.6031 14.3740

P	P	16	0.6229	28.8761	29.3900 27.3599** 1.0380 0.9890 0.9840 ***** 1.0774	29.6070 381.4290 0.8890 152.1156 0.0823 46.3680	29.4990 560.0000 0.9930 0.0828 748.0220** *****	-1.0000 470.7148 0.9950* 183.7149 556.6399 488.6016	26.6700** 0.9470 0.9940 0.9880 27.1859** 0.0859	28.0300* 1.1000 1.0240 0.0069 2.2646*** 38.9752
Q	Q	17	-13.8711 **	61.7561	49.4589 4.4900 1.6379* 1.6319*	46.3110 447.1428 1.7440* 292.4694*	47.8850 347.1428 1.6210* 0.1125*	-1.0000 397.1428 1.8080* 224.4169	3.9400 1.6050* 1.7150* 2.9412*	5.0300 1.8720* 1.7390* 0.0127*
R	R	18	12.1553 *	53.5116	***** 2.6798 67.1080* 7.6200 1.4360 1.4210 ***** 2.0621	0.1929* 39.0535 64.2250* 668.5708 1.4050 237.2721* 0.1600* 76.1417*	20.1601 ***** 65.6670* 731.4290 1.5150 0.1041 58.0644 *****	595.3496 650.1223 -1.0000 700.0000 1.5590 227.9269 1124.2061 1005.1997	7.7003 0.1842* 7.1000 1.5930* 1.5370 2.3624 11.7119 0.1495	0.5051 44.6785 9.1400 1.7120* 1.6530* 0.0108 0.7932 72.8700*
S	S	19	-4.7605	33.8165	29.0750 8.2200 0.8740* 0.8710 ***** 0.7639	29.0380 385.7139 0.8670 153.1088 0.0716 25.4940	29.0560 420.0000 1.1650 0.0607 67.5684 *****	-1.0000 402.8569 1.1960 252.2389 495.5996 352.0969	2.2300* 1.4550 1.1800 1.3924 9.6996 0.0531	14.2100 1.5240 1.4900 0.0037 0.4990 24.4534
T	T	20	-3.9230	65.5130	59.8460* 5.2400 1.8010* 1.7470* ***** 3.2436*	63.3340* 411.4290 1.6930* 215.1088 0.1974* 39.5250	61.5900* 364.2859 1.9000** 0.1085* 27.3529 *****	-1.0000 387.8579 1.7380* 198.2571 662.6357 698.5317	5.2500 1.9980** 1.8190* 3.3088* 9.5134 0.1954*	5.2000 1.7820* 1.8900** 0.0118* 0.5675 42.0826

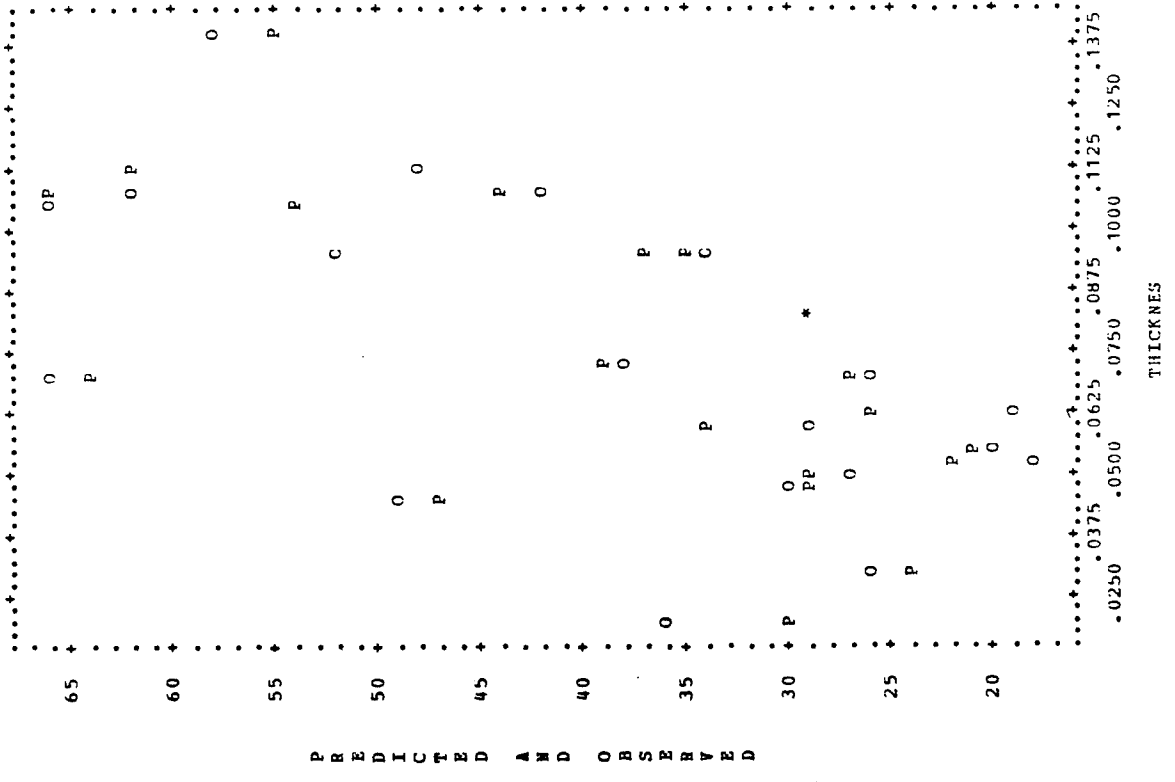
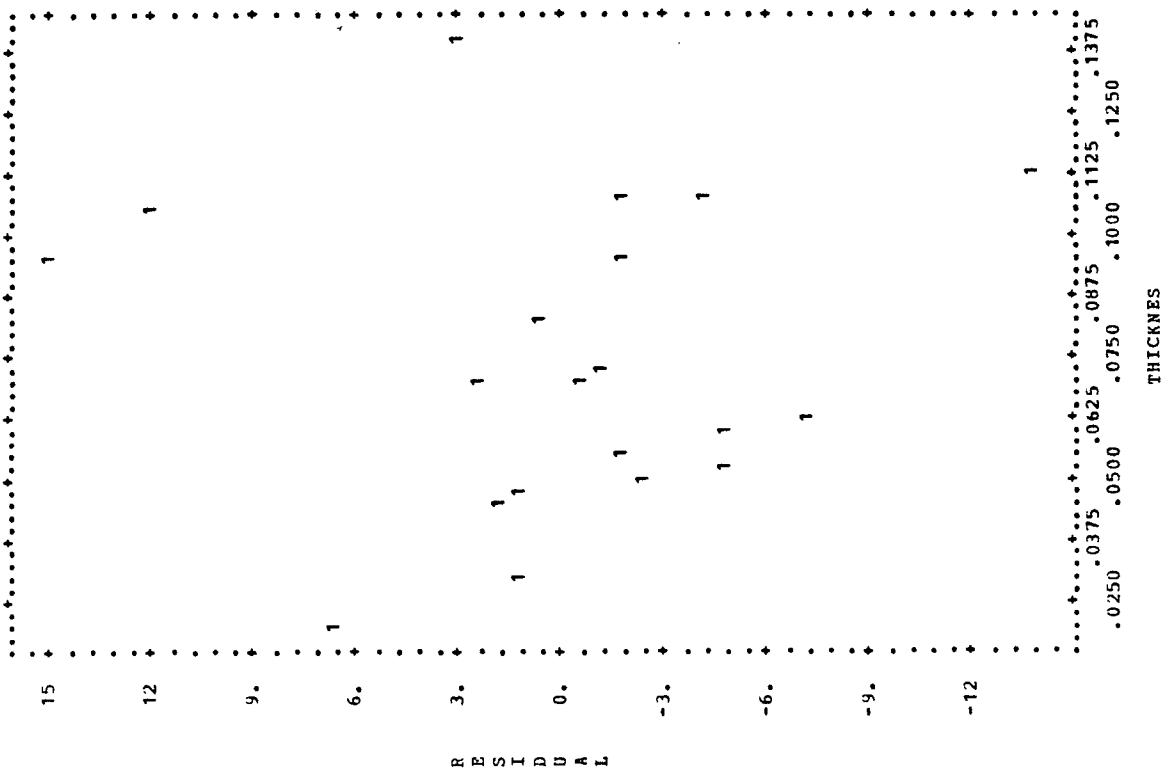
SERIAL CORRELATION OF RESIDUALS = -0.4650





BLMEAN

BLMEAN

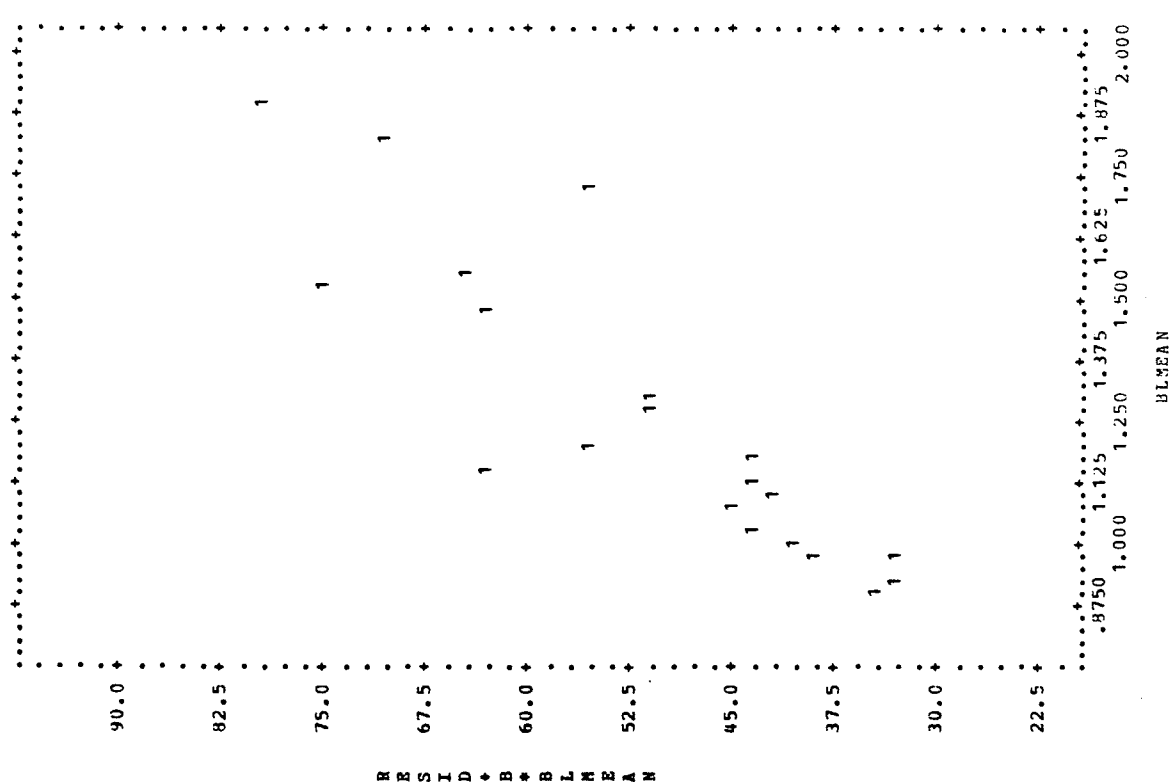
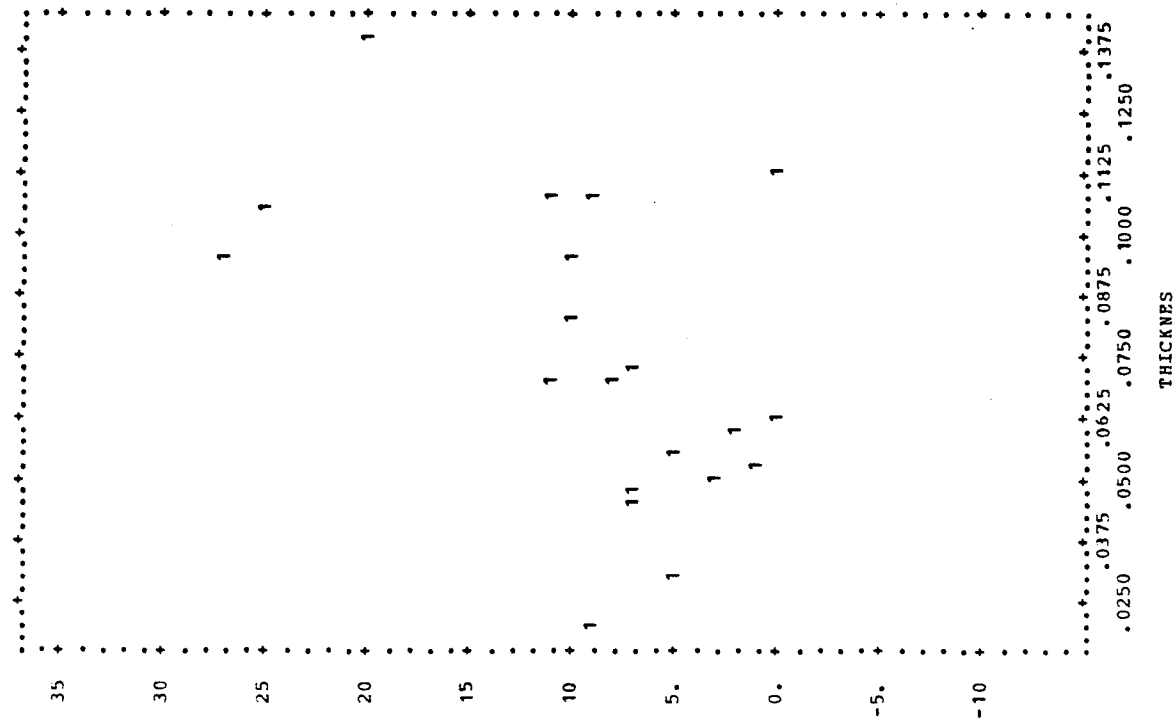


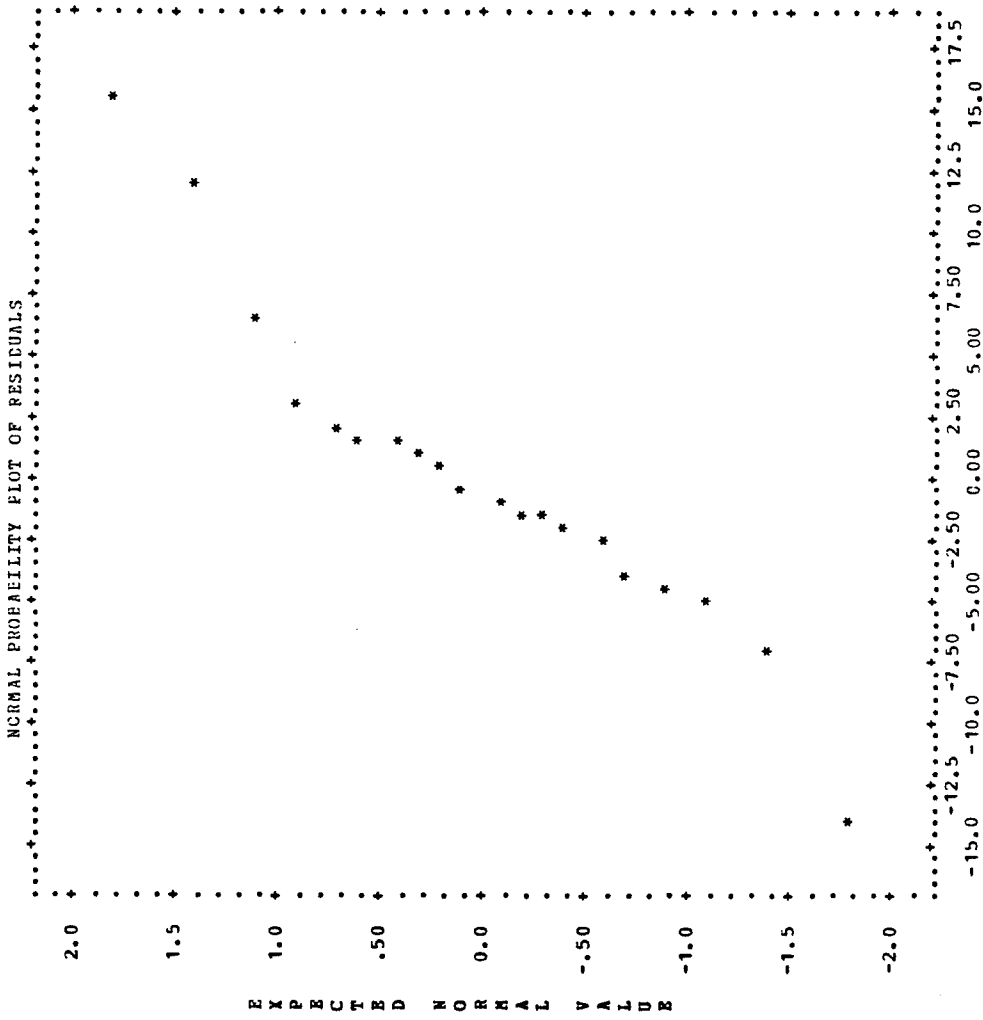
P R E D I C T E D

R E S I D U A L

THICKNES

THICKNES





APPENDIX B2
Computer Printout
Stepwise Regression

BMDP2R - STEPWISE REGRESSION
HEALTH SCIENCES COMPUTING FACILITY
UNIVERSITY OF CALIFORNIA, LOS ANGELES 90024
COPYRIGHT (C) 1977, REGENTS OF UNIVERSITY OF CALIFORNIA

PROGRAM REVISED NOVEMBER, 1978
MANUAL DATE -- 1977

IN THIS VERSION OF BMDP2R

- NEW OPTION - TO PRINT THE CORRELATION OF THE REGRESSION COEFFICIENTS, SPECIFY PREG IN THE PRINT PARAGRAPH.
IF LESS THAN TWO VARIABLES ENTERED THE EQUATION, THE CORRELATION OF THE REGRESSION COEFFICIENTS IS NOT PRINTED.
- THE INTLEV OPTION IS NOT AVAILABLE.
- NEW OPTION - SPECIFY NORMAL IN THE ELOT PARAGRAPH TO PRINT THE NORMAL PROBABILITY PLOT OF RESIDUALS.
- NEW OPTION - SPECIFY DNORMAL IN THE ELOT PARAGRAPH TO PRINT THE LEFT-TENDED NORMAL PROBABILITY PLOT OF RESIDUALS.
- NEW OPTION - TO SPECIFY INDEPENDENT VARIABLES IN THE REGRESSION PARAGRAPH, STATE INDEP=VARIABLE LIST.
THE LEVELS OPTION STILL MAY BE USED TO SPECIFY THE INDEPENDENT VARIABLES IF AN INDEP= STATEMENT IS NOT SPECIFIED.

PROGRAM CONTROL INFORMATION

```
/PROBLEM      TITLE IS 'REGRESSION TO PREDICT DRAPE COEFFICIENT'.  
/INPUT        VARIABLES ARE 24.  
              FORMAT IS '(3(1X,F6.3),F3.0,3(1X,F5.2),  
              3(1X,F8.3),2X,A1/9(1X,F5.3)/1X,F8.4,1X,  
              F5.4,1X,F8.4,2X,A1)'.  
/VARIABLE     NAMES ARE DCFACE,DCEACK,DCEAN,IDENT,EXTWALE,EXTCOURS,  
              EXTMEAN,SHEARWAL,SHEARCOU,SHEARMEA,FABRIC1,  
              BLWALEIN,BLWALEOU,BLCOURIN,BLCOUROU,BLMEANIN,  
              BLMEANOU,BLMEAN,RWALEME,ELCOURME,  
              HEIGHT,THICKNES,LENSITY,FABRIC2,  
              BLMEAN2,THICK2,SHEARCO2,ELTHICK,EXTMEAN2,  
              ELSHEACO,BLEXTMEA,THEXTMEA,BLCOURIN2,  
              SHEACOTH,SHEARME2,BLCOISHM,THICOU1,  
              THSHEARN.  
              BLANKS ARE MISSING.  
              LABELS ARE FABRIC1,FABRIC2.  
/TRANSFORM   ADD IS 14.  
              ELMEAN2=BLMEAN*ELMEAN.  
              THICK2=THICKNES*THICKNES.  
              SHEARCO2=SHEARCOU*SHEARCOU.  
              BLTHICK=BLMEAN*THICKNES.  
              EXTMEAN2=EXTMEAN*EXTMEAN.  
              BLSHEACO=BLMEAN*SHEARCOU.  
              THEXTMEA=THICKNES*EXTMEAN.  
              BLEXTMEA=BLMEAN*EXTMEAN.  
              SHEACOTH=SHEARCOU*THICKNES.  
              BLCOURIN2=BLCOURIN*BLCOURIN.  
              SHEARME2=SHEARMEA*SHEARMEA.
```


BLCOISHM=BLCOURIN*SHEARMEA.
 THBLCOUI=BLCOURIN*THICKNES.
 THSHEARM=SHEARMEA*THICKNES.
 DEPENDENT IS DCMEAN.
 TITLE IS 'SPECIFYING ORDER OF ENTRY
 OF VARIABLES INTO EQUATION'.
 METHOD IS F.
 LEVELS ARE 4*0,6*1,0,12*1,1*0.

PROBLEM TITLE REGRESSION TO PREDICT DRALE COEFFICIENT

NUMBER OF VARIABLES TO READ IN. 24
 NUMBER OF VARIABLES ADDED BY TRANSFORMATIONS. 14
 TOTAL NUMBER OF VARIABLES 38
 NUMBER OF CASES TO READ IN. 1000000
 CASE LABELING VARIABLES FABRIC1
 LIMITS AND MISSING VALUE CHECKED BEFORE TRANSFORMATIONS
 BLANKS ARE. MISSING
 INPUT UNIT NUMBER 5
 REWIND INPUT UNIT PRIOR TO READING. NO

INPUT FORMAT
 (3(1X,F6.3),F3.0,J(1X,F5.2),J(1X,P8.3),2X,A1/9(1X,P5.3)/1X,P8.4,1X,P5.4,1X,P8.
 4,2X,A1)

*** CONTROL LANGUAGE TRANSFORMATIONS ARE PERFORMED ***

VARIABLES TO BE USED

1	DCPACE	2	DCBACK	3	DCMEAN	4	IDENT	5	EXTWALE
6	EXTCOURS	7	EXTMEAN	8	SHEARWAL	9	SHEARCOU	10	SHEARMEA
12	BLWALEIN	13	BLWALEOU	14	BLCOURIN	15	BLCOUROU	16	BLMEANIN
17	BLMEANOU	18	BLMEAN	19	BWALEME	20	BLCOURME	21	WEIGHT
22	THICKNES	23	DENSITY	25	BLMEAN2	26	THICK2	27	SHEARCO2
28	BLTHICK	29	EXTMEAN2	30	BSHEACO	31	BIEXTMEA	32	THEXTMEA
33	BLCOUIN2	34	SHEACOTH	35	SHEARME2	36	BLCOISHM	37	THBLCOUI
38	THSHEARM								

REGRESSION INTERCEPT. NON ZERO
 WEIGHT VARIABLE
 PRINT COVARIANCE MATRIX NO
 PRINT CORRELATION MATRIX. NO
 PRINT ANOVA AT EACH STEP. YES
 PRINT STEP OUTPUT YES
 PRINT REGRESSION COEFFICIENT SUMMARY TABLE. YES
 PRINT PARTIAL CORRELATION SUMMARY TABLE YES
 PRINT F-RATIO SUMMARY TABLE NO
 PRINT SUMMARY TABLE NO
 PRINT RESIDUALS AND DATA. YES
 PRINT CORRELATION OF REGRESSION COEFFICIENTS. NO
 PRINT NORMAL PROBABILITY PLOT NO
 PRINT DETRENDED NORMAL PROBABILITY PLOT NO
 NUMBER OF CASES READ. 20

VARIABLE NO.	NAME	MEAN	STANDARD DEVIATION	COEFFICIENT OF VARIATION	SKENWNESS	KURTOSIS	SMALLEST VALUE	LARGEST VALUE	SMALLEST STD SCORE	LARGEST STD SCORE
1	DCPACE	39.2339	15.8988	0.4052	0.3511	-1.3134	17.5240	67.1080	-1.3655	1.7532
2	DCEACK	38.1574	15.8395	0.4151	0.4576	-1.2115	17.8610	65.8690	-1.2814	1.7495
3	DCMEAN	38.6957	15.8152	0.4087	0.4054	-1.2127	17.6920	66.2160	-1.3281	1.7401
4	IDENT	0.0000	1.0260	2648160.0000	-0.0000	-2.0975	-1.0000	1.0000	-0.9747	0.9747
5	EXTWALE	7.8825	5.6450	0.7161	1.7348	3.362	1.4800	26.6700	-1.1342	3.3281
6	EXTCOURS	12.9460	10.0553	0.7767	1.8211	3.5984	1.7200	46.4200	-1.1164	3.3290
7	EXTHEAN	10.4160	6.8574	0.6584	1.3193	1.1403	2.0900	27.6500	-1.2142	2.5132
8	SHEARWAL	448.5200	312.4121	0.6965	1.5741	1.7068	141.4290	1288.5708	-0.9830	2.6889
9	SHEARCOU	460.1060	286.4531	0.6226	1.4144	1.762	162.8570	1327.1428	-1.0377	3.0268
10	SHEARNEA	454.3132	295.8967	0.6513	1.4764	1.6166	152.1430	1307.8569	-1.0212	2.8846
11	BLWALBIN	1.2051	0.3333	0.2765	0.6156	-0.6808	0.7760	1.9980	-1.2876	2.3793
12	BLWALROD	1.3599	0.2992	0.2200	0.5523	-0.8423	0.9180	1.9840	-1.4771	2.0957
13	BLCOURIN	1.2614	0.3725	0.2953	0.6462	-0.6290	0.8300	2.1450	-1.1583	2.3722
14	BLCOURFOO	1.2138	0.3793	0.3124	0.6412	-1.1959	0.8220	1.9380	-1.0132	1.9094
15	BLMEANIN	1.2335	0.3209	0.2601	0.7702	-0.8232	0.8440	1.9000	-1.2140	2.0769
16	BLMEANOU	1.3046	0.3004	0.2303	0.4738	-0.9335	0.9170	1.9280	-1.2902	2.0747
17	BLMEAN	1.2602	0.3047	0.2418	0.7117	-0.8437	0.8690	1.8940	-1.2183	2.0798
18	BWALEHE	1.2827	0.2890	0.2253	0.7303	-0.8273	0.9150	1.8900	-1.2724	2.1012
19	BLCOURME	1.2379	0.3673	0.2968	0.6508	-1.0276	0.8260	2.0090	-1.1213	2.0991
20	WEIGHT	164.5886	56.4132	0.3419	-0.6799	-0.0163	24.4626	252.4694	-2.4910	1.5507
21	THICKRES	0.0743	0.0309	0.4162	0.2622	-0.8721	0.0206	0.1402	-1.7361	1.5507
22	DENSITY	230.8752	61.6846	0.2672	-0.0045	-1.1896	118.7524	335.1877	-1.8177	1.6911
23	BMEAN2	1.6764	0.8415	0.5020	0.9489	-0.4334	0.7903	3.5872	-1.0530	2.2707
24	THICK2	0.0064	0.0050	0.7734	0.9256	0.1122	0.0004	0.0197	-1.2075	2.6650
25	SHEARCO2	289651.3750	401676.5625	1.3868	2.5090	6.2393	26522.3984	1761308.0000	-0.6551	3.6638
26	BTHICK	0.0577	0.0564	0.5768	0.6432	-0.9631	0.0246	0.2067	-1.2967	1.9315
27	EXTHEAN2	153.1663	215.8744	1.4094	2.0981	3.1508	4.3681	764.5220	-0.6893	2.8320
28	BLSHACCO	610.9343	518.8268	0.8492	2.3955	6.2062	155.9282	2513.6072	-0.8770	3.6673
29	BLTEXTHEA	12.0785	7.1168	0.5892	1.5658	2.0363	3.7308	33.0694	-1.1730	2.9495
30	TEXTHEA	0.7211	0.5018	0.6959	1.5457	2.3090	0.1075	2.2646	-1.2226	3.0756
31	BLCOURIN2	1.7230	1.0441	0.6060	1.0851	0.4931	0.6889	4.6010	-0.9905	2.7565
32	SHEACOTH	34.4995	23.8766	0.6921	0.8500	-0.2126	3.3349	92.7672	-1.3044	2.4404
33	SHEARNE2	289578.6750	418835.6250	1.4464	2.3038	4.5402	23147.4883	1710489.0000	-0.6361	3.3925
34	BLCOISHM	619.6931	584.0049	0.9424	2.5340	6.9223	134.1901	2805.3523	-0.8313	3.7425
35	THLCOU	0.0986	0.0584	0.5921	0.5901	-0.8787	0.0182	0.2233	-1.3776	2.1385
36	THSHEARM	34.1957	24.2689	0.7097	0.8357	-0.3682	3.1341	91.4192	-1.2799	2.3579

NOTE - KURTOSIS VALUES GREATER THAN ZERO INDICATE A DISTRIBUTION WITH HEAVIER TAILS THAN NORMAL DISTRIBUTION

REGRESSION TITLE SPECIFYING ORDER OF ENTRY OF VARIABLES INTO EQUATION

STEPPING ALGORITHM F
 MAXIMUM NUMBER OF STEPS 76
 DEPENDENT VARIABLE 3 DCMEAN
 MINIMUM ACCEPTABLE F TO ENTER 4.000, 4.000
 MAXIMUM ACCEPTABLE F TO REMOVE 3.900, 3.900
 MINIMUM ACCEPTABLE TOLERANCE 0.01000
 SUBSCRIPTS OF THE INDEPENDENT VARIABLES 1 2 4 5 6 7 8 9 10 12 13 14 15 16 17 18
 19 20 21 22 23 25 26 27 28 29 30 31 32 33 34 35
 36 37 38

STEP NO. 0

STD. ERROR OF EST. 15.8152

ANALYSIS OF VARIANCE
 SUM OF SQUARES DF MEAN SQUARE
 RESIDUAL 4752.2891 19 250.1205

VARIABLE (Y-INTERCEPT	VARIABLES IN EQUATION			VARIABLES NOT IN EQUATION		
	COEFFICIENT OF COEFF	STD. ERROR	COEFF	COEFF.	TOLERANCE	ENTER LEVEL
DCRACE	1	0.99661	1.00000	2642.80	0	0
DCBACK	2	0.99659	1.00000	2622.26	0	0
IDENT	4	-0.05973	1.00000	0.06	0	0
EXTWALE	5	-0.37247	1.00000	2.90	1	1
EXTCOURS	6	-0.35869	1.00000	2.66	1	1
EXTMEAN	7	-0.41623	1.00000	3.77	1	1
SHEARWAL	8	0.38312	1.00000	3.10	1	1
SHEARCOU	9	0.43924	1.00000	4.30	1	1
SHEARMEA	10	0.41886	1.00000	3.74	1	1
BLWALEIN	12	0.76802	1.00000	25.89	1	1
BLWALEOU	13	0.68773	1.00000	16.15	1	1
BLCOURIN	14	0.84308	1.00000	44.24	1	1
BLCOUROU	15	0.82198	1.00000	37.49	1	1
BLMEANIN	16	0.88831	1.00000	67.35	1	1
BLMEANOU	17	0.82563	1.00000	38.54	1	1
BLMEAN	18	0.89257	1.00000	70.53	1	1
BWALENE	19	0.79866	1.00000	31.70	1	1
BLCOURME	20	0.85185	1.00000	47.61	1	1
WEIGHT	21	0.50633	1.00000	6.21	1	1
THICKNES	22	0.59797	1.00000	10.02	1	1
DENSITY	23	-0.26117	1.00000	1.32	1	1
BLMEAN2	25	0.87201	1.00000	57.12	0	0
THICK2	26	0.61956	1.00000	11.21	0	0
SHEARCO2	27	0.43132	1.00000	4.11	0	0
BLTHICK	28	0.79068	1.00000	30.02	0	0
EXTMEAN2	29	-0.28020	1.00000	1.53	0	0
BLSHEACO	30	0.61939	1.00000	11.20	0	0
BLEXTMEA	31	-0.19939	1.00000	0.75	0	0
THEXTMEA	32	-0.06676	1.00000	0.08	0	0
BLCOUN2	33	0.82264	1.00000	37.68	0	0
SHEACOTH	34	0.67111	1.00000	14.75	0	0
SHEARME2	35	0.37715	1.00000	2.98	0	0
BLCOISHM	36	0.60179	1.00000	10.22	0	0
THBLCOUI	37	0.81175	1.00000	34.78	2	2
THSHEARM	38	0.65144	1.00000	13.27	2	2

VARIABLE ENTERED 18 BLMEAN
 MULTIPLE R 0.8426
 MULTIPLE R-SQUARE 0.7067
 ADJUSTED R-SQUARE 0.7854
 STD. ERROR OF EST. 7.3267

ANALYSIS OF VARIANCE

SUM OF SQUARES DF MEAN SQUARE F RATIO
 REGRESSION 3786.0342 1 3786.034 70.53
 RESIDUAL 566.25586 18 53.68088

VARIABLES IN EQUATION

VARIABLE	COEFFICIENT	STD. ERROR	STC REG	COEFF	TOLERANCE	F TO REMOVE	LEVEL	VARIABLE	PARTIAL CORR.	TOLERANCE	F TO ENTER	LEVEL
(Y-INTERCEPT)	-19.686											
BLMEAN	46.325	5.516	0.893	1.00000	70.53	1		DCPACE	1 0.98521	0.22156	561.90	0
								DCBACK	2 0.98311	0.19575	490.52	0
								IDENT	4 -0.09214	0.99958	0.15	0
								EXTWALE	5 0.16979	0.75795	0.50	1
								EXTCOURS	6 0.09343	0.80273	0.15	1
								EXTMEAN	7 0.14391	0.72115	0.36	1
								SHEARWAL	8 0.15830	0.87436	0.44	1
								SHEARCOU	9 0.25033	0.85947	1.14	1
								SHEARMEA	10 0.20490	0.86415	0.74	1
								BLWALEIN	12 -0.05648	0.23559	0.05	1
								BLWALEOU	13 -0.03007	0.39158	0.02	1
								BLCOURIN	14 0.15093	0.16545	0.40	1
								BLCOUROU	15 -0.05795	0.13220	0.06	1
								BLMEANIN	16 0.12263	0.03116	0.26	1
								BLMEANOU	17 -0.09369	0.11448	0.15	1
								BWALEME	19 -0.06049	0.17623	0.06	1
								BLCOURME	20 0.06179	0.10870	0.07	1
								WEIGHT	21 0.29113	0.81092	1.57	1
								THICKNES	22 0.45633	0.78287	4.47	1
								DENSITY	23 -0.28977	0.97815	1.56	1
								BLMEAN2	25 -0.37916	0.00923	2.85	0
								THICK2	26 0.47840	0.76726	5.05	0
								SHEARCO2	27 0.16157	0.83293	0.46	0
								BLTHICK	28 0.39543	0.43024	3.15	0
								EXTMEAN2	29 0.10633	0.86754	0.19	0
								BLSHEACO	30 0.18203	0.61321	0.58	0
								BLEXTMEA	31 0.20116	0.89780	0.72	0
								TEXTHEA	32 0.38651	0.93074	2.99	0
								BLCOUIN2	33 0.02425	0.15955	0.01	0
								SHEACOTH	34 0.55188	0.73736	7.45	0
								SHEARME2	35 0.12384	0.86730	0.26	0
								BLCOISHM	36 0.13342	0.61384	0.31	0
								TBLCOUIT	37 0.45502	0.42229	4.44	2
								TSHSHEAM	38 0.48635	0.72963	5.27	2

STEP NO. 2

VARIABLE ENTERED 22 THICKNES

MULTIPLE R 0.9160
 MULTIPLE R-SQUARE 0.8490
 ADJUSTED R-SQUARE 0.8201
 STD. ERROR OF EST. 6.7084

ANALYSIS OF VARIANCE

	SUM OF SQUARES	DF	MEAN SQUARE	F RATIO
REGRESSION	3987.2471	2	1993.624	44.10
RESIDUAL	765.64247	17	45.00792	

VARIABLES IN EQUATION

VARIABLE	COEFFICIENT	STD. ERROR	SID REG	COEFF	TOLERANCE	F TO REMOVE
(Y-INTERCEPT	-21.434)					
BLMEAN 18	40.701	5.708	0.784	0.784	0.78287	50.84
THICKNES 22	119.005	56.280	0.233	0.233	0.78287	4.47

VARIABLES NOT IN EQUATION

VARIABLE	PARTIAL CORR.	TOLERANCE	F TO ENTER	LEVEL
1 DCPAGE	0.98146	0.17705	419.42	0
2 DCPACK	0.97877	0.15610	364.94	0
4 IDENT	0.10809	0.84323	0.19	0
5 EXTWALE	0.03924	0.69016	0.02	1
6 EXTCOURS	0.20459	0.77461	0.70	1
7 EXTMEAN	0.17127	0.72090	0.48	1
8 SHEARVAL	0.24243	0.86129	1.00	1
9 SHEARCOU	0.37073	0.83621	2.55	1
10 SHEARMEA	0.30752	0.84615	1.67	1
12 BLWALEIN	-0.19017	0.22241	0.60	1
13 BLWALEOU	0.06002	0.37875	0.06	1
14 BLCOURIN	0.13982	0.16488	0.32	1
15 BLCOUROU	-0.01686	0.13103	0.00	1
16 BLMEANIN	-0.08306	0.02576	0.11	1
17 BLMEANOU	0.07738	0.10071	0.10	1
19 BWALEHE	-0.07732	0.17617	0.10	1
20 BLCOURME	0.07813	0.10867	0.10	1
21 WEIGHT	-0.08891	0.35208	0.13	1
23 DENSITY	-0.16721	0.87364	0.46	1
25 BLMEAN2	-0.32694	0.00884	1.91	0
26 THICK2	0.16588	0.04396	0.85	0
27 SHEARCO2	0.31136	0.78657	1.72	0
28 BLTHICK	-0.33655	0.01376	2.04	0
29 EXTMEAN2	0.19070	0.85163	0.60	0
30 BLSHEACO	0.35084	0.57130	2.25	0
31 BLEXTNEA	0.21221	0.89714	0.75	0
32 THEXTNEA	0.11216	0.48973	0.20	0
33 BLCOUN2	0.08250	0.15772	0.11	0
34 SHEACOTH	0.47859	0.65818	4.75	0
35 SHEARME2	0.24982	0.83072	1.07	0
36 BLCOISHM	0.29815	0.56983	1.56	0
37 THBICOUI	0.06098	0.02766	0.06	2
38 THSHEARM	0.40085	0.65153	3.06	2

*** F-LEVELS(4.000, J.900) OR TOLERANCE INSUFFICIENT FOR FURTHER STEPPING

STEPWISE REGRESSION COEFFICIENTS

VARIABLES	0 Y-INTCPT	1 DCFACE	2 DCBACK	4 IDENT	5 EXTWALE	6 EXTCOURS	7 EXTMEAN	8 SHEARVAL	9 SHEARCOU	10 SHEARMEA
STEP 0	38.6957*	0.9914	0.5951	-0.9207	-1.0435	-0.5642	-0.9599	0.0194	0.0243	0.0222
1	-19.6858*	0.9388	1.0004	-0.6406	0.2464	0.0740	0.1762	0.0039	0.0067	0.0053
2	-21.4345*	0.9339	0.5924	0.7280	0.0531	0.1467	0.1867	0.0053	0.0090	0.0072

NOTE-

- 1) REGRESSION COEFFICIENTS FOR VARIABLES IN THE EQUATION ARE INDICATED BY AN ASTERISK
- 2) THE REMAINING COEFFICIENTS ARE THOSE WHICH WOULD BE OBTAINED IF THAT VARIABLE WERE TO ENTER IN THE NEXT STEP

STEPWISE REGRESSION COEFFICIENTS

VARIABLES	12 BLWALEIN	13 BLWALEOU	14 BLCOURIN	15 BLCOUROU	16 BLMEANIN	17 BLMEANOU	18 BLMEAN	19 BWALEME	20 BLCOURME	21 WEIGHT
STEP 0	36.4474	36.3513	35.7978	34.2774	43.7814	43.4600	46.3255	43.7042	36.6739	0.7419
1	-2.4900	-1.1455	7.1047	-2.9970	15.4399	-6.5723	46.3255*	-3.5557	3.6384	0.0409
2	-7.6782	2.0682	5.8662	-0.7791	-10.2323	5.1501	40.7012*	-4.0446	4.0943	-0.0169

NOTE-

- 1) REGRESSION COEFFICIENTS FOR VARIABLES IN THE EQUATION ARE INDICATED BY AN ASTERISK
- 2) THE REMAINING COEFFICIENTS ARE THOSE WHICH WOULD BE OBTAINED IF THAT VARIABLE WERE TO ENTER IN THE NEXT STEP

STEPWISE REGRESSION COEFFICIENTS

VARIABLES	22 THICKNES	23 DENSITY	25 BLMEAN2	26 THICK2	27 SHEARCO2	28 BLTHICK	29 EXTMEAN2	30 BLSHEACO	31 BLEXTHEA	32 TREXTHEA
STEP 0	305.9963	-0.0670	16.3886	1973.0391	0.0000	221.7801	-0.0205	0.0189	-0.4431	-2.1040
1	119.0053	-0.0339	-33.4381	784.2725	0.0000	76.2473	0.0038	0.0032	0.2127	5.6931
2	119.0053*	-0.0184	-26.2248	1010.9082	0.0000	-322.9155	0.0061	0.0057	0.1998	2.0266

NOTE-

- 1) REGRESSION COEFFICIENTS FOR VARIABLES IN THE EQUATION ARE INDICATED BY AN ASTERISK
- 2) THE REMAINING COEFFICIENTS ARE THOSE WHICH WOULD BE OBTAINED IF THAT VARIABLE WERE TO ENTER IN THE NEXT STEP

STEPWISE REGRESSION COEFFICIENTS

STEP	VARIABLES	33 BLCOUIN2	34 SHEACOTH	35 SHEARME2	36 BLCOISHM	37 THBLCOUI	38 THSHEARM
0		12.4609	0.4445	0.0000	0.0163	220.0095	0.4245
1		0.4146	0.1920	C.0000	0.0021	85.5741	0.1673
2		1.2626	0.1568	C.0000	0.0043	39.8734	0.1298

NOTE-

- 1) REGRESSION COEFFICIENTS FOR VARIABLES IN THE EQUATION ARE INDICATED BY AN ASTERISK
- 2) THE REMAINING COEFFICIENTS ARE THOSE WHICH WOULD BE OBTAINED IF THAT VARIABLE WERE TO ENTER IN THE NEXT STEP

STEP NO.	VARIABLE ENTERED	VARIABLE REMOVED	R	MULTIPLE RSC	INCREASE IN RSQ	F-TO-ENTER	F-TO-REMOVE	NUMBER OF INDEPENDENT VARIABLES INCLUDED
1	18 BLMEAN		0.8926	0.7967	0.7967	70.5285		1
2	22 THICKNES		0.9160	0.8390	0.0423	4.4711		2

APPENDIX B3
Computer Printout
All Possible Subsets Regression

BDDP9R - ALL POSSIBLE SUBSETS REGRESSION PROGRAM REVISED NOVEMBER, 1978
 HEALTH SCIENCES COMPUTING FACILITY MANUAL DATE -- 1977
 UNIVERSITY OF CALIFORNIA, LOS ANGELES, CA 90024
 COPYRIGHT (C) 1977,1978, REGENTS OF UNIVERSITY OF CALIFORNIA

-- IF THERE ARE FEWER THAN THREE INDEPENDENT VARIABLES, THEN
 METHOD=NONE. WILL BE USED.
 -- IF STATISTICS. IS STATED IN THE ELCI PARAGRAPH, THEN
 STATISTICS AS IN BMDP6D WILL ACCMEAN EACH PLOT.
 -- TO LIMIT THE NUMBER OF VARIABLES IN THE REPORTED SUBSETS,
 IN THE PRINT PARAGRAPH STATE MAXVAR=THE MAXIMUM NUMBER OF
 MAXVAR VARIABLES THAT YOU DESIRE. A SUBSET WITH GREATER THAN
 MAXVAR VARIABLES WILL NOT BE REPORTED UNLESS IT IS ONE
 OF THE BEST SUBSETS BY THE CP OR ADJUSTED R-SQUARE
 CRITERIA.
 -- TO OBTAIN THE COVARIANCE MATRIX OF THE REGRESSION
 COEFFICIENTS, INCLUDE CREG IN THE MATRIX STATEMENT OF
 THE PRINT PARAGRAPH, E.G.,
 MATRIX=COVR,RESIL,CREG.
 -- IF RESIDUALS ARE COMPUTED OR IF YOU STATE HISTOGRAM. IN
 THE PLOT PARAGRAPH, A HISTOGRAM OF THE STANDARDIZED
 (STUDENTIZED) RESIDUALS WILL BE MADE.

PROGRAM CONTROL INFORMATION

/PROBLEM TITLE IS 'REGRESSION TO PREDICT DRAPE COEFFICIENT'.
 /INPUT VARIABLES ARE 24.
 FORMAT IS '(3(1X,F6.3),F3.0,3(1X,F5.2),
 3(1X,F8.3),2X,A1/9(1X,F5.3)/1X,F8.4,1X,
 F5.4,1X,F8.4,2X,A1)'.
 /VARIABLE NAMES ARE DCFACE,DCBACK,DCMEAN,IDENT,EXTWALE,EXTCOURS,
 EXTMEAN,SHEARWAL,SHEARCOU,SHEARMEQ,FABRIC1,
 ELWALEIN,BLWALEOU,BLCOURIN,BLCOUROU,BLMEANIN,
 BLMEANOU,BLMEAN,BWALEME,BLCOURME,
 HEIGHT,THICKNES,DENSITY,FABRIC2,
 BLMEAN2,THICK2,SHEARCO2,ELTHICK,EXTMEAN2,
 BLSHEACO,BLEXTMEA,TEXTMEA,BLCOUIN2,
 SHEACOTH,SHEARME2,BLCOISHM,THBLCOUI,
 THSHEARM.
 BLANKS ARE MISSING.
 LABELS ARE FABRIC1,FABRIC2.
 ADD IS 14.
 /TRANSFORM BLMEAN2=BLMEAN*ELMEAN.
 THICK2=THICKNES*THICKNES.
 SHEARCO2=SHEARCOU*SHEARCOU.
 BLTHICK=BLMEAN*THICKNES.
 EXTMEAN2=EXTMEAN*EXTMEAN.
 BLSHEACO=BLMEAN*SHEARCOU.
 TEXTMEA=THICKNES*EXTMEAN.
 BLEXTMEA=BLMEAN*EXTMEAN.
 SHEACOTH=SHEARCOU*THICKNES.

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BLCOUIN2=BLCOURIN*BLCOURIN.
SHEARM2=SHEARME*SFARME.
BLCOISHM=BLCOURIN*SHEARME.
THBLCOUI=BLCOURIN*THICKNES.
THSHEARM=SHEARME*THICKNES.
DEPENDENT IS DCMFAN.
METHOD=RSQ.
NUMBER=5.
INDEPENDENT ARE 6,7,9,10,17,19,20 TO 23,
25 TO 28,30,34.
/REGRESS
/END

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PROBLEM TITLE REGRESSION TO PREDICT DRAFL COEFFICIENT

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NUMBER OF VARIABLES TO REAL IN. . . . . 24
NUMBER OF VARIABLES ADDED BY TRANSFORMATIONS. . . 14
TOTAL NUMBER OF VARIABLES . . . . . 38
NUMBER OF CASES TO READ IN. . . . . 100000
CASE LABELING VARIABLES . . . . . FABRIC1
LIMITS AND MISSING VALUE CHECKED BEFORE TRANSFORMATIONS
BLANKS ARE. . . . . MISSING
INPUT UNIT NUMBER . . . . . 5
REWIND INPUT UNIT PRIOR TO READING. . . . . NO

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INPUT FORMAT
(3(1X,F6.3),F3.0,3(1X,F5.2),3(1X,F8.3),2X,A1/9(1X,F5.3)/1X,F8.4,1X,F5.4,1X,P8.
4,2X,A1)

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*** CONTROL LANGUAGE TRANSFORMATIONS ARE PERFORMED ***

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VARIABLES TO BE USED
1 DCFACE
6 EXTOURS
12 BLWALEIN
17 BLMEANQ
22 THICKNES
28 BLTHICK
33 BLCOUIN2
38 THSHEARM
2 DCBACK
7 EXTMEAN
13 BLWALEO
18 BLMEANQ
23 DENSITY
29 EXTMEAN2
34 SHEACOTH
3 DCNEAN
8 SHEARWAL
14 BLCOURIN
19 BMALEME
25 BLMEAN2
30 BLSHEACO
35 SHEARME2
4 IDENT
9 SHEARCOU
15 BLCOUROU
20 BLCOURME
26 THICK2
31 BLEATNEA
36 BLCOISHM
5 EXTWALE
10 SHEARMEA
16 BLMEANIN
21 WEIGHT
27 SHEARCO2
32 THEATNEA
37 THBLCOUI

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INDEPENDENT VARIABLES ARE
6 EXTOURS
18 BLMEAN
25 BLMEAN2
34 SHEACOTH
7 EXTMEAN
20 BLCOURME
26 THICK2
9 SHEARCOU
21 WEIGHT
27 SHEARCO2
10 SHEARMEA
22 THICKNES
28 BLTHICK
17 BLMEANQ
23 DENSITY
30 BLSHEACO

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DEPENDENT VARIABLE. . . . . 3 DCNEAN
NUMBER OF BEST REGRESSIONS. . . . . 5
SELECTION CRITERION . . . . . RSQ
WEIGHT VARIABLE . . . . .
PRECISION . . . . . DOUBLE
TOLERANCE FOR MATRIX INVERSION. . . . . 0.0001000

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PRINT CORRELATION MATRIX. YES
 PRINT COVARIANCE MATRIX. NO
 PRINT RESIDUALS. NO
 PRINT COVARIANCE MATRIX FOR REGRESSION COEFS. . . NO
 PRINT CORRELATION MATRIX FOR REGRESSION COEFS. . NO
 MAX. NO. OF VARS. IN ANY REPORTED SUBSET 16

DATA AFTER TRANSFORMATIONS FOR FIRST 5 CASES
 CASES WITH ZERO WEIGHTS AND MISSING DATA NOT INCLUDED.

CASE LABEL	CASE NUMBER	CASE WEIGHT	21 WEIGHT	34 SHEACCTH	6 EXTCOURS	22 THICKNES	3 DCHEAN	7 EXTMEAN	23 DENSITY	9 SHEARCOU	25 BLMEAN2	10 SHEARMEA	26 THICK2	17 BLMEANOU	27 SHEARCO2	18 BLMEAN	28 BLTHICK	20 BLCOURME	30 BLSHACO
A	1	1.00000	200.22449	63.63428	11.37000	0.06960	26.27599	12.65000	287.67944	914.28589	0.95844	1070.00000	0.00484	835918.62500	0.94300	0.97900	0.06814	0.94300	895.08569
B	2	1.00000	74.94559	16.00499	18.50999	0.04850	29.55695	14.31000	154.52779	330.00000	1.17939	325.00000	0.00235	108900.00000	1.50000	1.08600	0.05267	1.05200	358.37964
C	3	1.00000	24.46255	3.35485	46.42000	0.02060	36.22099	27.64999	118.75240	162.45699	1.43041	152.14299	0.00042	26522.39844	1.37700	1.19600	0.02464	1.03100	194.77682
D	4	1.00000	165.91840	25.63591	7.07000	0.04950	26.53095	6.31000	335.18774	517.85693	1.21000	476.07178	0.00245	268175.75000	1.12200	1.10000	0.05445	1.19500	569.64209
E	5	1.00000	207.27888	37.65361	16.04999	0.14020	58.38495	11.65000	147.84520	268.57080	2.17268	267.14282	0.01966	72130.25000	1.42700	1.47400	0.20665	1.62400	395.87329

NUMBER OF CASES READ. 20

UNIVARIATE SUMMARY STATISTICS

VARIABLE	MEAN	STANDARD DEVIATION	COEFFICIENT OF VARIATION	SMALLEST VALUE	LARGEST VALUE	SMALLEST STANDARD SCORE	LARGEST STANDARD SCORE	SKENNESS	KURTOSIS
6 EXT COURS	12.94600	10.05529	0.776710	1.72000	46.42000	-1.12	3.33	1.82	3.60
7 EXT MEAN	10.41600	6.85745	0.658358	2.09000	27.64999	-1.21	2.51	1.32	1.74
9 SHEARCOU	460.10709	286.45416	0.622581	162.85699	1327.14282	-1.04	3.03	1.41	1.78
10 SHEARMEA	454.31442	295.89762	0.651306	152.14299	1307.85693	-1.02	2.88	1.48	1.62
17 BLMEANOU	1.30465	0.30045	0.230291	0.91700	1.92800	-1.29	2.07	0.47	-0.93
18 BLMEAN	1.26025	0.30472	0.241790	0.88900	1.89400	-1.22	2.08	0.71	-0.84
20 BLCOURME	1.23790	0.36735	0.296753	0.82600	2.00900	-1.12	2.10	0.65	-1.03
21 WEIGHT	164.98864	56.41321	0.341922	24.46259	252.46939	-2.49	1.55	-0.68	-0.02
22 THICKNES	0.07425	0.03691	0.416211	0.02060	0.14020	-1.74	2.13	0.26	-0.87
23 DENSITY	230.87530	61.68869	0.267178	118.75240	335.18774	-1.62	1.69	-0.00	-1.19
25 BLMEAN2	1.67644	0.0497	0.501955	0.79032	3.58723	-1.05	2.27	0.95	-0.43
26 THICK2	0.00642	0.00497	0.713401	0.00042	0.01966	-1.21	2.66	0.93	0.11
27 SHEARCO2	289651.70215	401677.36616	1.386760	26522.39844	1761308.00000	-0.66	3.66	2.51	-0.96
28 BLTHICK	0.09775	0.05638	0.576825	0.02464	0.20665	-1.30	1.93	0.64	6.24
30 BLSHACO	610.93533	518.82118	0.849224	155.92816	2513.60718	-1.88	3.67	2.40	6.21
34 SHEACOTH	34.49956	23.87663	0.692085	3.35485	92.76724	-1.30	2.44	0.85	-0.21
3 DCHEAN	38.69574	15.81521	0.408707	17.69199	66.21599	-1.33	1.74	0.41	-1.27

VALUES FOR KURTOSIS GREATER THAN 2.0 INDICATE DISTRIBUTIONS WITH HEAVIER TAILS THAN THE NORMAL DISTRIBUTION.

CORRELATIONS

	6	7	9	10	17	18	20	21	22	23	25	26	27
	EXTCOURS	EXTMEAN	SHEARCOU	SHEARMEA	BLMEANOU	BLTAN	BLCOURSE	WEIGHT	THICKNES	DENSITY	BLMEAN2	THICK2	SHEARCO2
EXTCOURS	6	1.000											
EXTMEAN	7	0.933	1.000										
SHEARCOU	9	-0.391	-0.330	1.000									
SHEARMEA	10	-0.400	-0.345	0.587	1.000								
BLMEANOU	17	-0.317	-0.430	0.312	0.302	1.000							
BLMEAN	18	-0.444	-0.528	0.375	0.369	0.941	1.000						
BLCOURSE	20	-0.516	-0.547	0.394	0.380	0.876	0.435	1.000					
WEIGHT	21	-0.647	-0.531	0.341	0.367	0.241	0.435	0.802	1.000				
THICKNES	22	-0.355	-0.260	0.040	0.053	0.335	0.466	0.216	-0.355	1.000			
DENSITY	23	-0.513	-0.477	0.370	0.381	-0.278	-0.071	0.445	0.446	-0.104	1.000		
BLMEAN2	25	-0.453	-0.529	0.402	0.358	0.995	0.938	0.445	0.977	-0.427	0.456	1.000	
THICK2	26	-0.250	-0.201	-0.038	-0.021	0.364	0.451	0.278	-0.000	0.329	0.447	-0.068	1.000
SHEARCO2	27	-0.330	-0.303	0.960	0.951	0.362	0.409	0.761	0.923	-0.322	0.741	0.924	0.123
BLTHICK	28	-0.426	-0.402	0.133	0.148	0.640	0.755	0.355	0.109	0.278	0.651	0.049	0.958
BLSHEACO	30	-0.436	-0.435	0.931	0.906	0.568	0.622	0.621	0.488	0.107	0.526	0.405	0.817
SHEACOTH	34	-0.418	-0.324	0.867	0.857	0.412	0.485	0.667	0.488	0.107	0.526	0.405	0.817
DCHEAN	3	-0.359	-0.416	0.439	0.415	0.826	0.852	0.506	0.598	-0.261	0.872	0.620	0.431

	28	30	34	3
	BLTHICK	BLSHEACO	SHEACOTH	DCHEAN
BLTHICK	28	1.000		
BLSHEACO	30	0.294	1.000	
SHEACOTH	34	0.525	0.839	1.000
DCHEAN	3	0.791	0.671	0.671

FOR EACH SUBSET SELECTED BY YOUR CRITERION, THE R-SQUARED, ADJUSTED R-SQUARED, F, T, AND THE VARIABLE NAMES ARE PRINTED. THE REGRESSION COEFFICIENTS AND T-STATISTICS ARE PRINTED TO THE RIGHT OF THE VARIABLE NAMES.

MANY OTHER SUBSETS MAY ALSO BE REPORTED THAT ARE NOT ACCOMPANIED BY REGRESSION COEFFICIENTS AND T-STATISTICS. SOME OF THESE SUBSETS MAY BE QUITE GOOD ALTHOUGH THEY ARE NOT NECESSARILY BETTER THAN ANY SUBSET THAT HAS NOT BEEN PRINTED.

**** SUBSETS WITH 1 VARIABLES ****

R-SQUARED	ADJUSTED R-SQUARED	CP	VARIABLE	COEFFICIENT	T-STATISTIC
0.796675	0.785379	51.77	18 BLMEAN INTERCEPT	46.3255 -19.6859	8.40
0.760394	0.747083	63.86	25 BLMEAN2 INTERCEPT	16.3986 11.2212	7.56
0.725642	0.710400	75.44	20 BLCOURNE INTERCEPT	36.6738 -6.70276	6.90
0.681660	0.663974	50.10	17 BLMEANOU INTERCEPT	43.4599 -18.0042	6.21
0.625179	0.604356	108.93	28 BTHICK INTERCEPT	221.780 17.0171	5.48
0.450391	0.419857	167.19	SHEACOTH		
0.383848	0.349618	189.37	THICK2		
0.383639	0.349397	189.44	ELBREACO		
0.357568	0.321877	198.12	THICKNES		
0.256368	0.215055	231.86	WEIGHT		

**** SUBSETS WITH 2 VARIABLES ****

R-SQUARED	ADJUSTED R-SQUARED	CP	VARIABLE	COEFFICIENT	T-STATISTIC
0.858602	0.841967	33.13	18 BLMEAN	38.6172	7.01
			34 SHEACOTH	0.191957	2.73
			INTERCEPT	-16.5940	
0.843208	0.824762	38.26	18 BLMEAN	40.1592	7.06
			26 THICK2	784.270	2.25
			INTERCEPT	-16.9508	
0.839015	0.820076	39.66	18 BLMEAN	40.7012	7.11
			22 THICKNES	119.006	2.11
			INTERCEPT	-11.4447	

R-SQUARED	ADJUSTED R-SQUARED	CP	VARIABLE	COEFFICIENT	T-STATISTIC
0.828467	0.808287	43.17	18 BLMEAN	35.6760	4.49
			28 ULTHICK	76.2474	1.78
			INTERCEPT	-13.7180	
0.825905	0.805424	44.03	18 BLMEAN	138.219	2.53
			25 BLMEAN2	-33.4378	-1.69
			INTERCEPT	-79.4637	
0.822721	0.801865	45.09	BLMEAN2	SHEACOTH	
0.822586	0.801714	45.13	BLMEAN2	THICK2	
0.814875	0.793095	47.70	THICKNES	BLMEAN2	
0.813908	0.792015	48.02	BLMEAN	WEIGHT	
0.813747	0.791835	48.08	BLMEAN	DENSITY	

**** SUBSETS WITH 3 VARIABLES ****

R-SQUARED	ADJUSTED R-SQUARED	CP	VARIABLE	COEFFICIENT	T-STATISTIC
0.908611	0.891476	18.46	18 BLMEAN	159.805	3.88
			25 BLMEAN2	-44.5873	-2.96
			34 SHEACOTH	0.226151	3.81
			INTERCEPT	-95.7532	
0.903394	0.885281	20.20	10 SHEARHEA	-0.022282	-2.72
			18 BLMEAN	36.5516	7.68
			34 SHEACOTH	0.441514	4.03
			INTERCEPT	-12.5018	

0.894650	0.874897	23.11	VARIABLE	COEFFICIENT	T-STATISTIC
			18 BLMEAN	38.3891	7.83
			27 SHEARCO2	-0.0000129600	-2.34
			34 SHEACOTH	0.371512	3.75
			INTERCEPT	-18.7479	
0.894229	0.874397	23.25	VARIABLE	COEFFICIENT	T-STATISTIC
			18 BLMEAN	35.8269	7.08
			23 DENSITY	-0.0501094	-2.32
			34 SHEACOTH	0.224102	3.49
			INTERCEPT	-2.61748	
0.892854	0.872764	23.71	VARIABLE	COEFFICIENT	T-STATISTIC
			9 SHEARCOU	-0.0207879	-2.26
			18 BLMEAN	36.7755	7.34
			34 SHEACOTH	0.420254	3.53
			INTERCEPT	-12.5944	
0.888984	0.868168	25.00	BLMEAN	BLSHEACO	SHEACOTH
0.886526	0.865250	25.82	BLMEAN	THICK2	SHEACOTH
0.876082	0.852848	29.30	PICOURME	DENSITY	SHEACOTH
0.875889	0.852618	29.37	BLMEAN	THICKNES	SHEACOTH
0.874973	0.851531	29.67	SHEARCOU	BLCOURME	SHEACOTH

STATISTICS FOR 'BEST' SUBSET
 HALLOWS' CP 17.00
 SQUARED MULTIPLE CORRELATION 0.5910
 MULTIPLE CORRELATION 0.99549
 ADJUSTED SQUARED MULT. CORR. 0.90299
 RESIDUAL MEAN SQUARE 14.258177
 STANDARD ERROR OF EST. 3.77600
 F-STATISTIC 20.64
 NUMERATOR DEGREES OF FREEDOM 16
 DENOMINATOR DEGREES OF FREEDOM 3
 SIGNIFICANCE 0.0146

VARIABLE NO. NAME	REGRESSION COEFFICIENT	STANDARD ERROR	STAND. COEF.	T-STAT.	2-TAIL SIG.	TOLERANCE	CONTRIBUTION TO R-SQUARED
INTERCEPT	-43.2523	70.0599	-2.737	-0.62	0.580		
6 EXT COURS	1.57754	1.29528	1.063	1.22	0.310	0.004424	0.004450
7 EXT MEAN	-2.29552	1.35269	-0.995	-1.65	0.198	0.008228	0.008151
9 SHEARCOU	-0.0372940	0.0650874	-1.038	-0.88	0.444	0.002159	0.002325
10 SHEARMEA	-0.0176923	0.0490370	-0.331	-0.36	0.742	0.003564	0.000391
17 BLMEANOU	13.4202	22.6023	0.255	0.59	0.594	0.016273	0.001058
18 BLMEAN	-33.0761	69.6438	-0.637	-0.47	0.667	0.001666	0.000677
20 BLCOURME	29.4602	25.4241	0.661	1.12	0.345	0.008603	0.003760
21 WEIGHT	-0.574638	0.247814	-2.050	-2.32	0.103	0.003840	0.016132
22 THICKNES	1144.77	928.871	2.237	1.23	0.306	0.000911	0.004557
23 DENSITY	0.292573	0.163228	1.141	1.79	0.171	0.007402	0.009639
25 BLMEAN2	27.8990	32.9615	1.484	0.85	0.459	0.000975	0.002149
26 THICK2	-2309.58	5097.15	-0.725	-0.45	0.681	0.001171	0.000616
27 SHEARCO2	0.0000134208	0.0000375189	0.341	0.36	0.744	0.003304	0.000384
28 BLTHICK	-255.818	523.650	-0.912	-0.49	0.659	0.000861	0.000716
30 BLSHEACO	-0.0547689	0.0492269	-1.797	-1.11	0.347	0.001150	0.003714
34 SHEACOTH	2.13664	0.567571	3.226	3.76	0.033	0.004086	0.042519

THE CONTRIBUTION TO R-SQUARED FOR EACH VARIABLE IS THE AMOUNT BY WHICH R-SQUARED WOULD BE REDUCED IF THAT VARIABLE WERE REMOVED FROM THE REGRESSION EQUATION.

PROBLEM NUMBER 1 COMPLETED.