



SEMANTOGRAPHY IN RELATION TO TELEVISION

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SEMANTOGRAPHY IN RELATION TO TELEVISION

BY

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A dissertation submitted to the Faculty of Graduate Studies of
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MASTER OF SCIENCE

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ABSTRACT

The use of symbols, in particular Bliss Symbols, have been used for communication with non-vocal handicapped people. Due to the high resolution required, it is difficult to present them on a graphic display. This thesis investigates methods for displaying Bliss Symbols on a television.

An equation scheme was developed to describe the symbols which allowed a set of raster points to be computed for each symbol. Several methods of displaying the raster points were investigated; the runlength method, the partial symbol method and a new encoding technique called the 'path direction' method. This technique exhibited the most merit in coding Bliss Symbols.

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CHAPTER I

INTRODUCTION

1.1 Bliss Symbols

Graphics have been used for communication throughout the ages and even now the Japanese and Chinese use a highly stylized picture writing. Charles K. Bliss (1) analyzed these languages and many others to develop a logic symbolic language known as Bliss Symbols (Appendix A). The symbols remained unused for many years despite the attempts of Bliss to introduce them to the world.

In 1974, the symbols were experimentally used (2) with handicapped children at the Ontario Crippled Children's Hospital in Toronto. These handicapped people were non-verbal and had only limited physical control of their limbs. The results of these experiments were very encouraging and the use of the symbols spread throughout North America.

The handicapped people learned the new symbols quickly and could communicate more efficiently. Large boards with a matrix of Bliss Symbols were placed in front of the child who would then select the proper symbol. Refer to Fig. A.1. (Appendix A) (5-7)

Various techniques for this selection are used. The physically able child can point to the symbols directly with a finger or a pointer. The more handicapped child requires the teacher to point, with the facial expression or eye movement of the child indicating the proper selection. The scanning, verification, recording and interpretation of the symbols require the full attention of the teacher.

To alleviate the teacher's function, electronic scanning boards were designed to sequentially scan the symbols. With these boards and a suitable interface, the handicapped child can independently select symbols; however, only one symbol can be viewed at any time.

A graphical display would permit a sentence of Bliss Symbols to be presented and would provide the handicapped child with the ability to verify and edit his entries and also allow him to communicate directly with others. (9-17)

1.2 Previous Work

As compared to alphanumerics, the graphical display of Bliss Symbols presents some unique challenges. Some of the difficulties of presenting the symbols are outlined by Sawchuk (11). The symbols are not consistent in width, relative size, position, ratio or spacing. Other variables in implementing Bliss Symbols are the size and number of a set. When a handicapped child begins to learn Bliss Symbols, a set large in

size and few in number is chosen; but, as the child progresses, more symbols are added to the set with a corresponding decrease in symbol size. For this reason, the feature of variable size would be advantageous.

Recognizing the graphical diversity inherent in Bliss Symbols, J.R. Storey (3) described the symbols using sixty-four component parts. This preliminary work was concerned with estimating the cost and ultimately establishing the feasibility of using a television as a Bliss Symbol display terminal. Vanderheiden (4) also broke the symbols into components to fabricate symbols on a portable dot matrix printer.

1.3 Present Work

This thesis investigates techniques in presenting Bliss Symbols on a television using a commercially available micro-processor system and display unit.

The symbols were first described using equation descriptors which provided a standard to scale symbols to a variety of sizes. This feature was useful in the initial stages to determine such things as minimum resolution and later it was useful in compiling symbol sets of any size.

Several techniques were investigated to determine the most efficient means of displaying the symbols; the known run length method, the partial symbol method as proposed by Storey and a new technique called the 'path direction' method. The path direction method exploited the contiguous dot patterns of the symbols and was found to be the most favourable method.

CHAPTER II

BACKGROUND

2.1 A Typical System

A typical system is shown in Fig. 2.1. The scanning board contains the matrix of Bliss Symbols and the handicapped person selects the proper symbol via the computer. The selected symbol is saved in the computer's memory and also displayed on television.

Although the scanner is usually a board a portion of the television screen could be used as the scanner.

However, there are disadvantages with such a system:

1. Lost screen area for sentences and stories;
2. Less anticipation of when the symbol will be displayed for scanning purposes at any one time;
3. A more sophisticated program with two cursors, split screen, etc.

A scanning board system along with a commercially available unit to interface to the television was employed by the author.

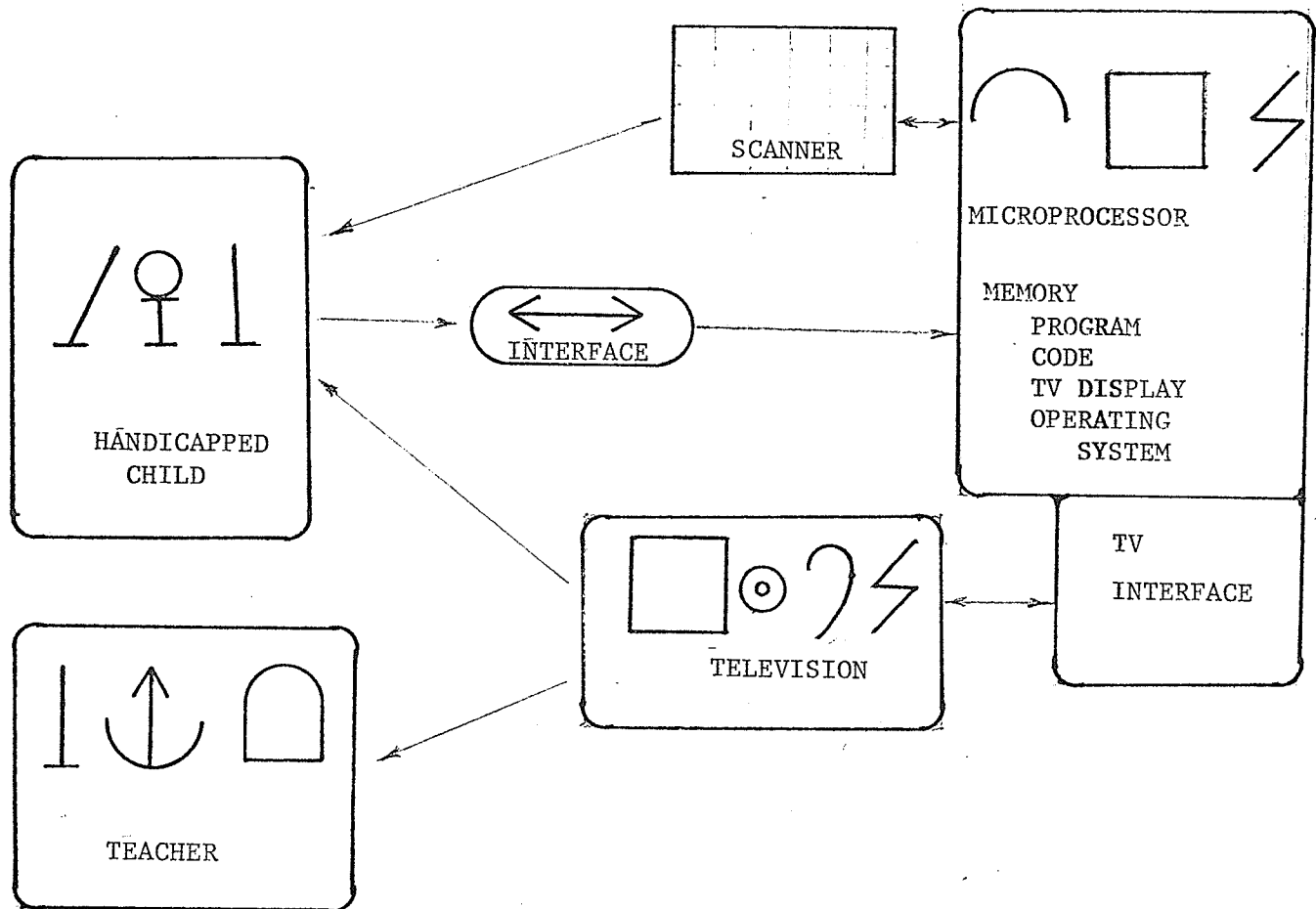


Fig. 2.1 Micro-processor based Communication System

2.2 Television Resolution and Timing

A North American television has a resolution of 700 dots or pixels across with 525 interlaced rows. However, due to overscan a reduction of at least ten percent can be realized or $630 \times 461 = 290,430$ bits of on-screen information. The memory requirements using bit-mapping would be 36K bytes (8 bits/byte). However, this is for maximum resolution and it has been shown by the author's experiments, as will be seen in later chapters, that eight K bytes is adequate.

A television uses a high speed raster scan. Alphanumerics use code generators to create the character as the raster scans that particular pixel. To do this, the code generator would have to operate in the order of 5 MHz; much too fast for a contemporary microprocessor with a clock frequency of 1 MHz. Buffer hardware is, therefore, necessary to interface the high speed television to the slower microprocessor.

2.3 Display Unit

The computer was interfaced to the television by means of a commercial unit called "Merlin." This device bit maps eight K bytes (64 K bits) of memory

onto the T.V. screen with a resolution of 320 lateral dots by 200 vertical dots. This eight K of memory is shared with the computer by DMA (Direct Memory Addressing) and the bits written into these memory locations are the bits displayed. Merlin has control of the bus 42 percent of the time leaving only 58 percent of the real time for computer execution time.

Any theoretical technique considered in displaying the symbols must take these restrictions of timing and resolution into account.

2.4 Problems in Displaying Bliss Symbols

Consider first what Bliss Symbols are comprised of and how they were designed. Bliss (1) contends that practically all definite and indefinite objects can be depicted by using one hundred strokes or basic shapes. This does not seem excessive if compared to the one hundred plus (26 lower case, 26 upper case, plus punctuation and symbols) characters used on the conventional keyboard. However, to compact so much information into each symbol, other problems arise in presenting them graphically. These are:

1. The detail or resolution required for presentation of the symbols far exceeds that of normal alphabetical characters. Vanderheiden contends that as many as eighty dots vertical by an indefinite horizontal count must be used. (4)

2. The width of the symbols or the aspect ratio is undefined. Simple symbols can be arranged side by side to create more complex ones. In addition, action indicators placed above some symbols add to their overall height.

3. Unlike alphanumerics, symbols can be laid on top of each other (superimposed) to form new symbols. Therefore, there is no definite set of symbols. Simple symbols can be arranged into a new larger symbol, much like letters make a word.

4. Characters are written between imaginary upper and lower lines; the placement of a symbol relative to these may indicate a different meaning.

5. The relative size of the symbol may emphasize the degree or extent of a meaning or it could have an entirely different meaning.

6. The size and/or number of symbols to be displayed on a television may be different depending on the visual acuity of the user.

Many of the above problems in displaying Bliss Symbols have no counterpart with alphanumerics. These problems combined with the restrictions imposed by the display unit, television and microprocessor make the task of displaying Bliss Symbols non-trivial. Chapter III outlines the theoretical aspects of the symbol display process.

CHAPTER III

DISPLAYING BLISS SYMBOLS

This chapter discusses theoretical means of displaying Bliss Symbols efficiently on television with the actual experiments being discussed in Chapter IV.

3.1 Equation Format

As was discussed, Bliss Symbols are not as easy to display as alphanumerics, but they do have some common features that Bliss has incorporated. The symbols are all composed of relatively simple shapes; straight lines and circle segments. Since the microprocessor is the core of the system, a scheme using equations to describe symbols would be feasible. Of course, one equation would not describe the entire symbol but rather only a portion of the symbol and then these portions would be superimposed to make a whole symbol.

Only two equation types were chosen, a line and a circle working on a cartesian coordinate system with the origin being the lower left corner of each symbol. Two starting codes were chosen, Q for a circle, / for a line. The parameters given to describe the circle were as follows:

X,Y,R,A,B

where -X,Y are the coordinates for the centre of the circle

-R is the radius of the circle

-A is the start of the arc (in degrees) going counterclockwise with zero degrees being horizontally right from the centre.

-B is the termination of the arc in degrees.

The symbols are normalized to a ten unit high structure, therefore, if a semicircle was to be described in the upper half of the symbol structure, the following parameters would be given: Q 5,5,5,0,180 (See Fig. 3.1).

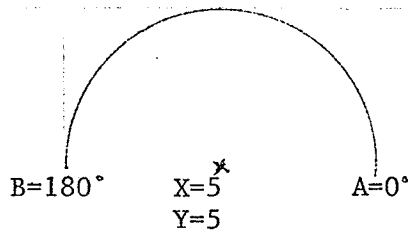


Fig. 3.1 An Example of an Arc

Similarly a line is given a start and a stop position.

The parameters are as follows:

/ X₀,Y₀,X₁,Y₁

where X₀,Y₀ are the start coordinates

X₁,Y₁ are the terminal position coordinates

A diagonal drawn across the entire height of the symbol may appear as in Fig. 3.2.

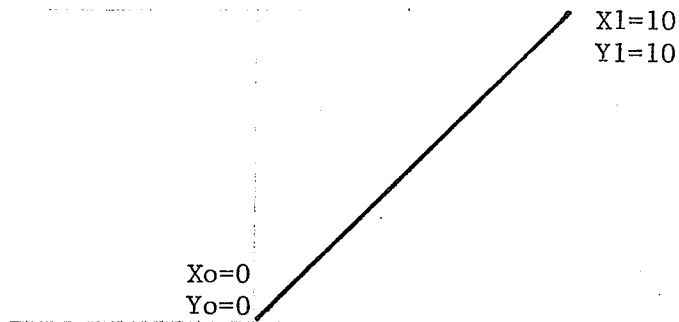


Fig. 3.2 An Example of a Line

A number of these circle and line segments superimposed would be sufficient to describe any symbol. One additional code E would act as an "end of symbol" delimiter and would be useful in compiling and decompiling sequential computer data files. Fig. 3.3 gives an example of an entire symbol.

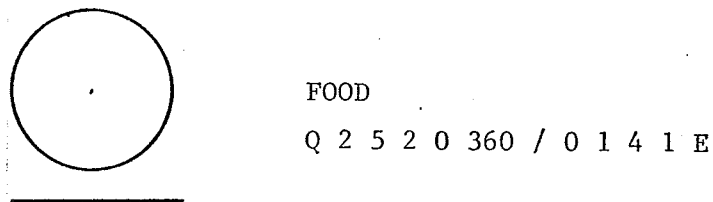


Fig. 3.3 The symbol "FOOD", Described by Equations

The advantages of using equations are as follows:

1. The symbols could be standardized independent of their size.
2. Smooth, regular shapes result with no special artistic talent or subjective criticism necessary.
3. Memory is conserved since only a few parameters are necessary for each symbol regardless of symbol size or resolution.

The disadvantages will become apparent in Chapter IV where it is discovered that to convert the equation into a symbol takes an unreasonable amount of time, if the parameters are to be used directly in displaying the symbols.

3.2 Digitizing the Equations

Equations can be used to describe the symbol but cannot be used to display the symbol directly. In a digitized system, only the presence or absence of a white dot on the screen is displayed. To convert the equation into a pattern of dots that resembles the equation is the next topic of discussion.

When using digital techniques, as is the case here, it is not possible to display the symbols as straight and curved lines 'directly', but only as the presence or absence

of illuminated dots in discrete positions. At a distance the eye and/or brain join the dots to resemble a line. Stating this in another way, the specific resolution is one which involves visual perception on a television screen. The given equation must be presented in such a fashion that the dots representing it may be perceived as a symbol component.

With the symbols being represented as equations or an infinite number of dots, a scheme must be devised to match these equations with a finite number of dots placed in a definite position. Criteria must be formulated for assigning samples from the equation to the dots of the array. Two problems arise which the criteria must reflect:

1. A decision must be reached on the number of samples taken along the graph of the equation(s) representing the symbol. To conserve computer time only as many samples as necessary should be computed. The number of samples required depends on the resolution.

2. A resolution must be selected to represent the symbols. With the television having a fixed resolution, the only method to increase the apparent resolution of the symbol would be to increase the size. Therefore, the size and resolution of the symbol become inter-related.

3.2.1 Sample Rate For a Straight Line

As discussed it is not possible to draw a continuous line with a point-plotting display; the discrete grid permits intensification only of points lying on intersections of the coordinate grid (dots). To approximate the desired line a sequence of dots can be displayed as shown in Figure 3.4. To utilize all the dots close to the line, the sample space (distance between samples) must not exceed the distance between grid dots. This constitutes the minimum sampling rate; however, to assign dots to samples a technique called 'smoothing' (discussed later) is employed requiring a somewhat higher sampling rate. Newman and Sproull (15) describe similiar techniques to convert equations to discrete grids.

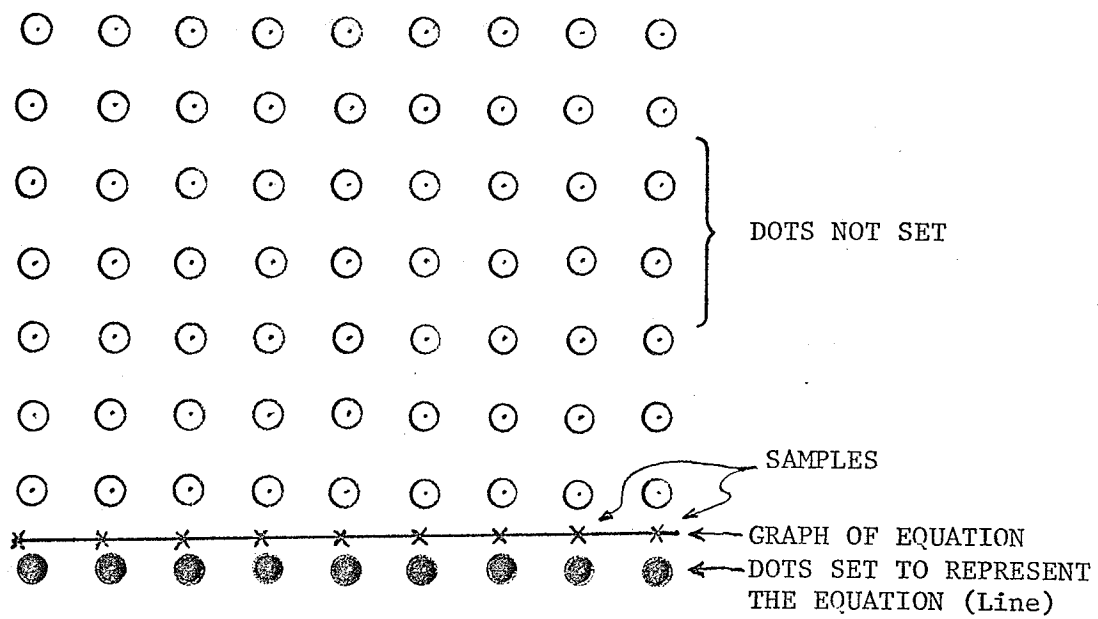


Fig. 3.4 Minimum Sample Rate for a Line

3.2.2 Sample Rate for a Curve

With reference to Fig. 3.5, it can be seen that curved portions of the symbol require more samples than a horizontal line; otherwise portions of the symbol could be missed entirely. In Fig. 3.5a, the samples are taken at a rate with respect to the horizontal direction. Taking ten samples of the graph and designating a dot to each is not adequate. One could sample the graph at a rate proportional to the arc length (distance along the graph) and not the horizontal distance. This would provide more samples as is shown in Fig. 3.5. This would at first appear to be sufficient, however, there are cases in which it is not. Take for example (Fig. 3.6a) a very small circle with a circumference less than the required arc length for the sample, or a very sharp discontinuity (Fig. 3.6b). Both of these require dots and, therefore, should be given sample points. The following criterion is suggested:

The number of samples taken on a graph to represent an equation shall be proportional to the curvature with the following exceptions:

1. A line has no curvature, and as discussed earlier should have a sample rate exceeding the resolution in one direction (x or y).
2. A discontinuity has infinite curvature but only one sample point will be taken. With the line and circle segments used, discontinuities occur only at the start or end of a segment.

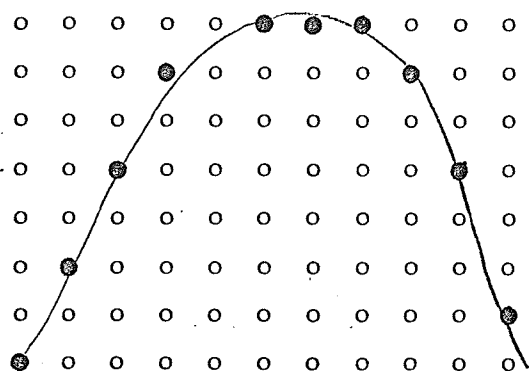


Fig. 3.5a Sample Rate Constant with Respect to Horizontal Direction

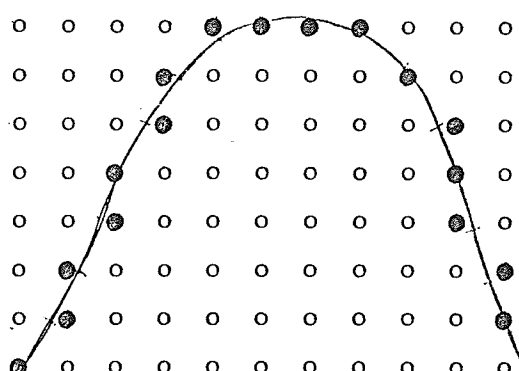


Fig. 3.5b Sample Rate Constant with Respect to Arc Length

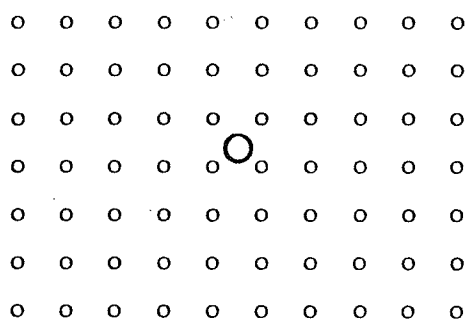


Fig. 3.6a Small Circle

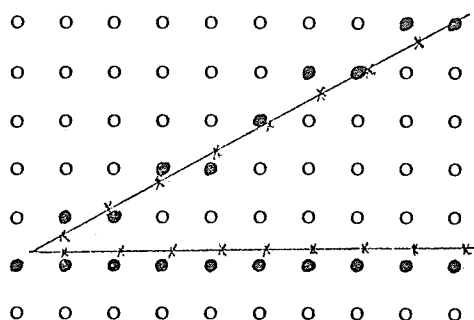


Fig. 3.6b Discontinuity

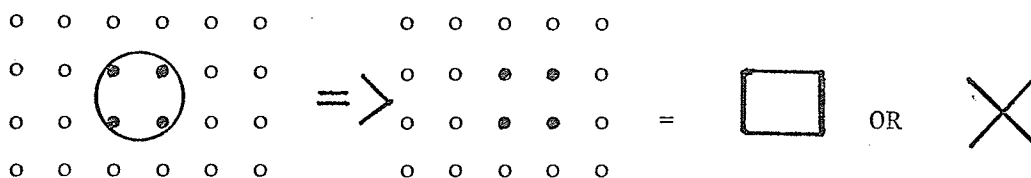


Fig. 3.7 Representing a Circle

Superposition usually overlaps endpoints and the probability of getting at least one sample near the discontinuity is very high. (Refer to Fig. 3.6b).

The above states the criteria for selecting a minimum sample rate in order to minimize computation time in designating the dots. As will be seen in Chapter IV a somewhat higher sample rate will be used to overcome other problems.

3.2.3 Symbol Resolution

The resolution or the dot matrix size required to define a symbol is difficult to choose because of the diversity in the Bliss Symbols. Various manners of choosing this were considered.

Refer to Fig. 3.7 where a circle is to be represented by a dot matrix. What dot matrix size is required to represent the circle? Four dots could be interpreted as a cross or square. Six, eight or ten dots would probably be adequate depending on the imagination of the viewer. Arbitrarily picking eight dot rows and knowing that some Bliss Symbols have the equivalent of three circles stacked vertically, one could estimate a minimum vertical resolution of twenty-four rows of dots. The horizontal resolution is dependent upon the symbol being presented and, therefore, remains variable.

Another way to estimate the resolution required would be to consider the 'error', defined as the average distance between the sample of the graph and the dot designated. This is done with respect to both the X and Y directions and could give some indication as to the accuracy of presenting the symbol if compared to the error of some arbitrary shape such as a circle. However, error can vary greatly depending on how the graph is positioned in the dot array. Therefore, the error can only be used as an indicator for resolution if it is minimized by optimum placement of the symbol. This will be discussed in more detail later.

In deciding to use a television as a display another resolution factor is limiting. The grid point spacing is constant; typically for a 12 inch screen the spacing is .014 inch. Therefore, if the symbols are to have apparent increased resolution they will have to be increased physically in size on the television screen. However, this reaches a limit for two reasons:

1. It restricts the number of symbols that can be placed on the screen at one time.
2. It greatly increases the memory used for symbol generation.

Although the above points are important considerations in choosing the resolution, the deciding factor in a minimum resolution will be the subjective opinion of the

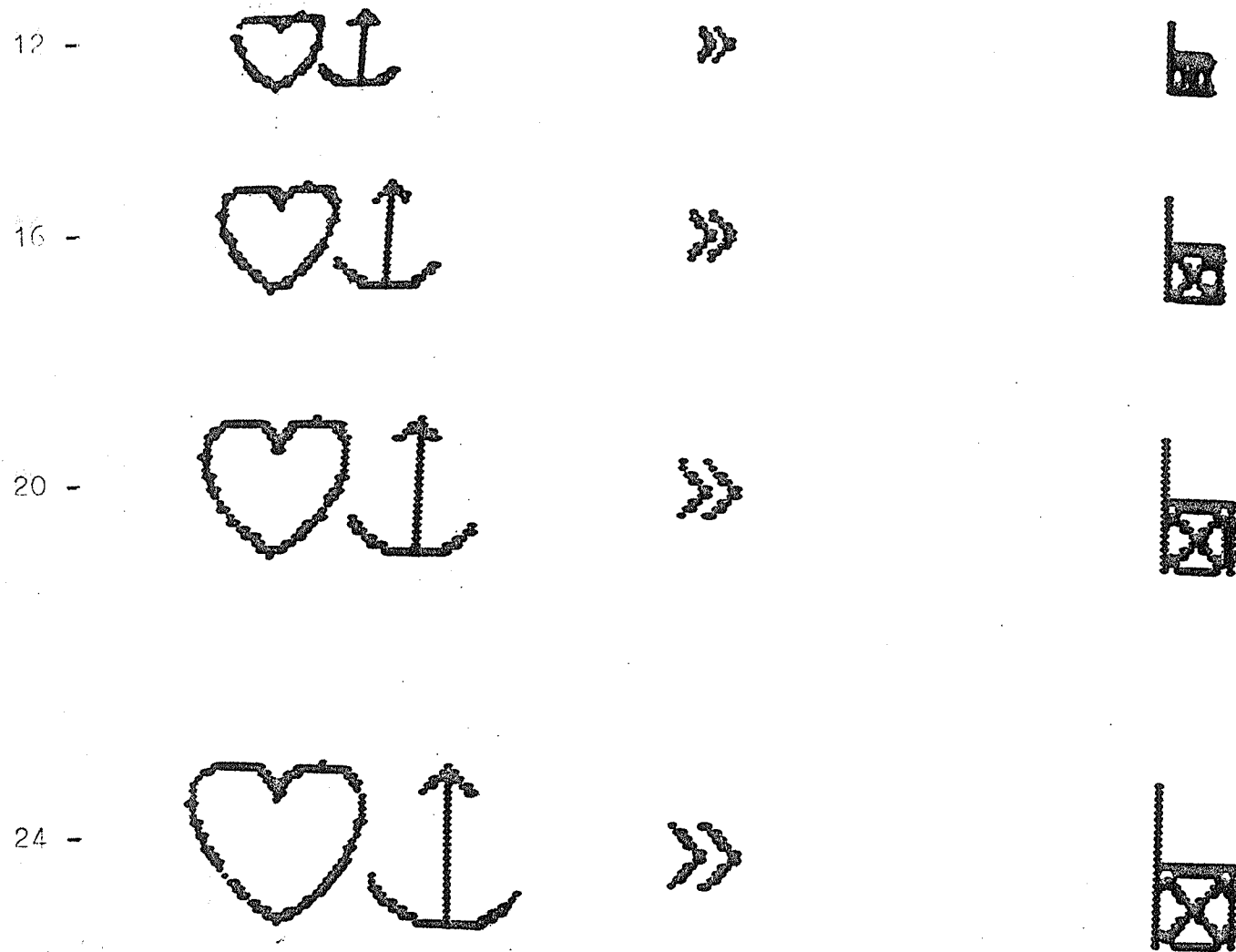


Fig. 3.8 Comparison of Resolutions of 12, 16, 20, 24 Vertical
Grid Lines "THANKS FOR THE WHEELCHAIR"

viewer. It is for this reason that lengthy debates on the resolution are omitted. Figure 3.8 displays a Bliss Symbol sentence with vertical resolutions of 12, 16, 20, and 24 grid lines. From this the author concluded that a resolution of 20 vertical grid lines reasonably represented the symbols and accordingly this resolution was used in the experiments of Chapter IV.

3.3 Error in Designating Dots for Sample Points

The symbols were represented by a set of equations each with its own limits. The equations were then sampled at a rate according to the criteria stated previously and a set of sample points, each with its x, y coordinate were compiled. From this list of points a set of dots were designated to represent the symbol. Since dots and the sample points were not in the same place; there was error which was defined as:

$$E_x = \sum_{i=1}^N \frac{S_{xi} - D_{xi}}{N} \quad E_y = \sum_{i=1}^N \frac{S_{yi} - D_{yi}}{N} \quad (3.1)$$

where: E_x - error in horizontal direction (units of dot spaces)
 E_y - error in vertical direction
 N - number of sample points
 S_{xi} - x coordinate of sample point S
 D_{xi} - x coordinate of dot designated by sample point S
 S_{yi} - y coordinate of sample point S
 D_{yi} - y coordinate of dot designated by sample point S

Error could be used as an analytical tool in evaluating how well a symbol could be presented if the error was minimized by repositioning the symbol. Consider the box symbol (Fig. 3.9) as an example with samples taken every dot space. It is possible to position the symbols exactly over the dot positions resulting in error of zero; or translating the same box up and to the right one half dot space results in an error of: $E_x = .5$ dot spaces and $E_y = .5$ dot spaces.

Positioning a symbol does not change its size or shape and since the greatest shift in repositioning is less than one half a dot space, it is insignificant in relative placement to other symbols. In view of this, a symbol should be positioned to give the least error which in turn means the 'best fit' between sample points and designated dots representing the symbol.

3.3.1 Minimizing Error

Considering only one orthogonal direction, suppose there were N sample points for a symbol and that on the average they were .1 grid or dot spaces to the right of any grid line.

This .1 grid space average deviation known as the error will have the general definition of equation (3.1).



Fig. 3.9 Error Dependence on Placement

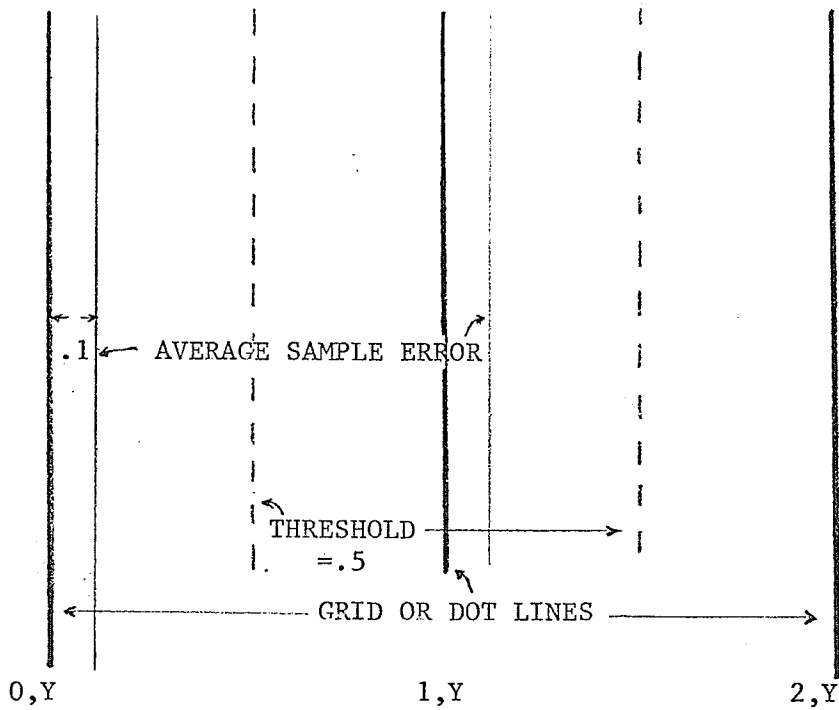


Fig. 3.10 Calculating Error

If all the sample points were shifted E, or in this case .1 grid spaces to the left, the error would supposedly be reduced to zero. However, there are some points that now will be related to another grid line or the shifting will make their nearest dot line different. In the example above, it would be .1 x N. Therefore, the number of dots that do not have new dot lines would be (1 - .1) x N. If the average error E is subtracted from each sample point, the resulting error E_r with the repositioned sample points will be:

$$\begin{aligned}
 E_r &= \left(\begin{array}{l} \text{\# of dots that do not} \\ \text{have new dot lines} \\ \text{(designated)} \end{array} \right) (\text{error}) + \left(\begin{array}{l} \text{\# of points} \\ \text{(with new dot)} \\ \text{(lines)} \end{array} \right) (\text{average error}) \\
 &= (1 - .1)(N)(-E+E) + .1 (N)(.5-E/2) \\
 &= (1 - .1)(N)(0) + .1 (N)(.5-E/2)
 \end{aligned}$$

Although the average error of points that crossed the threshold could vary from 0 to E, a value of E/2 was chosen to represent a random distribution of dots.

Experiments in Chapter IV implemented equation (3.1) in an iterative process, shifting the samples the amount of the error, until the error converged to a practical limit.

3.4 Assigning Dots from Sample Points

The problem still remains as to how the sample points will be used to designate grid dots. Referring to Fig. 3.11 which is the graph of a symbol segment located in a matrix of

grid points, a practical method of choosing the proper dots to represent this graph must be devised. The criteria to choose the sample points has already been discussed, now it remains to designate the proper dots from these sample points.

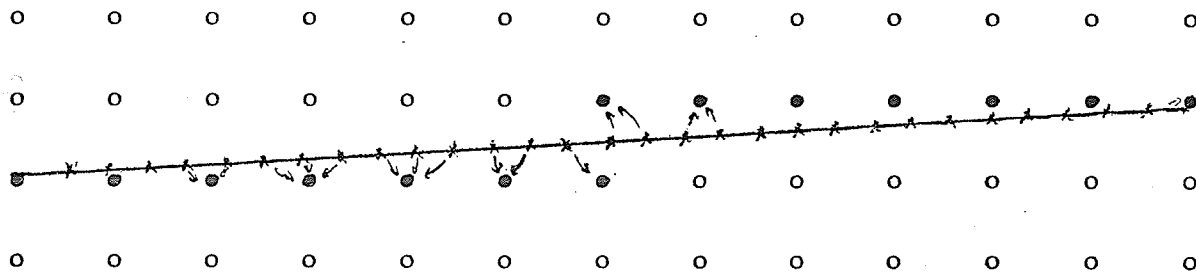


Fig. 3.11a Symbol Segment Located in a Matrix of Dots

A dot could be designated if any sample has it as its closest neighbour. In this case, the segment or line would be represented by Fig. 3.11b.

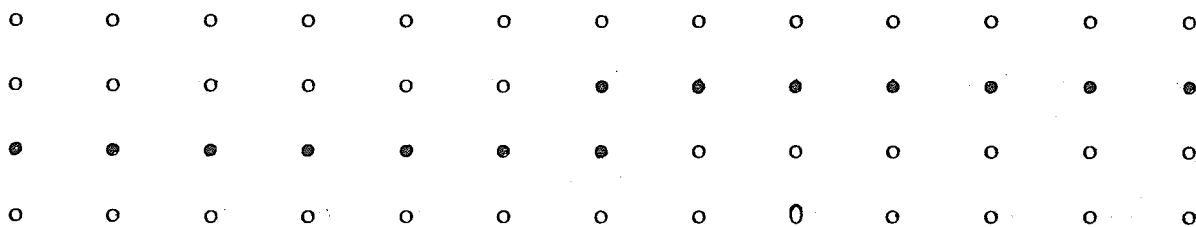


Fig. 3.11b 'Any Sample Point' Produces a Dot

The eye and brain of the viewer would interpret this as
Fig. 3.11c.



Fig. 3.11c The Eye/Brain Interpretation

It would improve the representation of the segment
if one corner was omitted as in Fig. 3.11d.



Fig. 3.11d Smoothing



Fig. 3.11e Interpretation of Smoothing

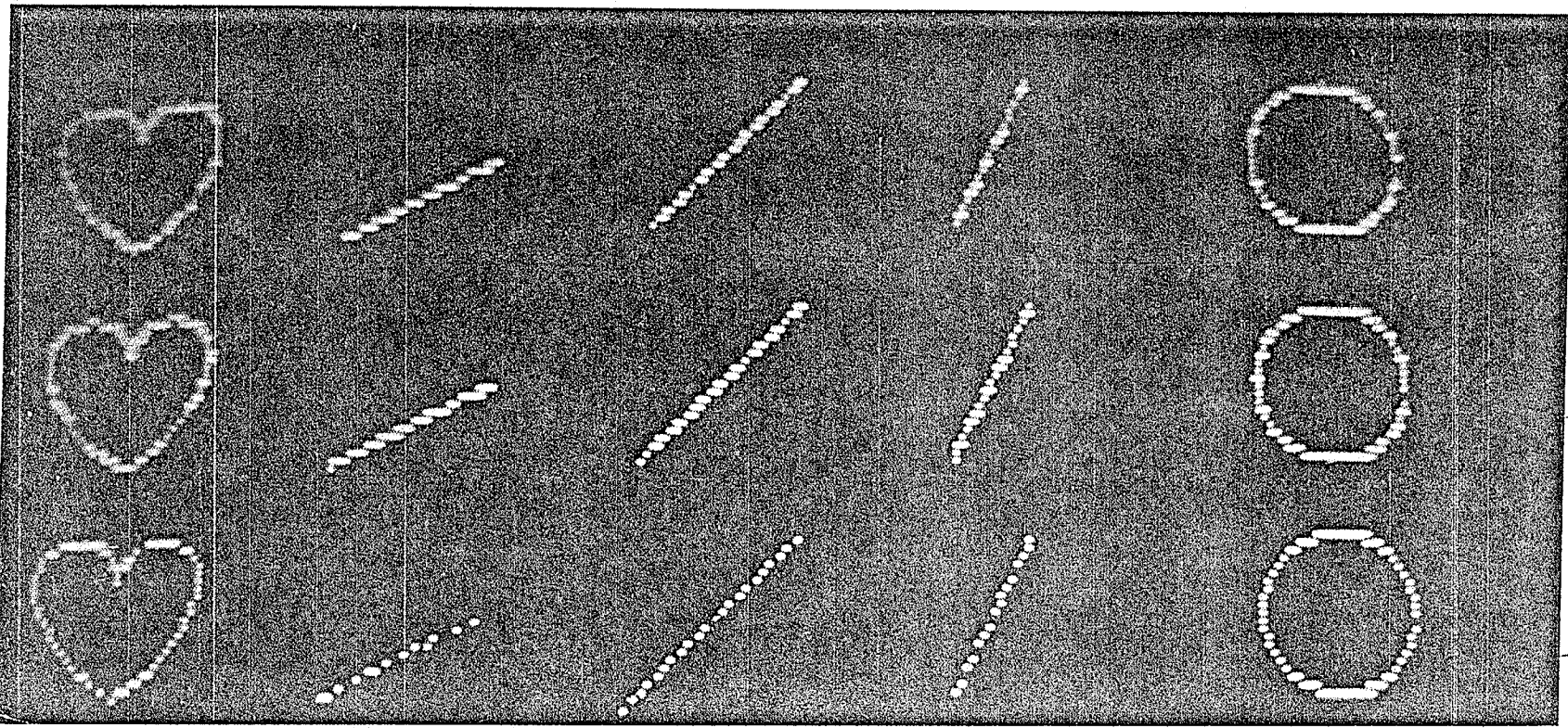
This smoothing technique can be implemented by having
a minimum number of 'closest samples' before a dot is designated.

In the example above at least two neighbours would be adequate, but then again this would depend on the sampling rate. Where there is high curvature in the graph more samples would be present and by following the above criteria more dots would be designated to represent the curve. A discontinuity would have many sample points in its immediate vicinity and would therefore be assured a designated dot. This feature should improve symbol representation and experiments proved this to be correct. This, of course, was the subjective opinion of the author and was accomplished by simultaneous, side by side comparison of identical symbols with and without this smoothing technique. (Fig. 3.12).

3.5 Using Equations To Describe the Symbols

To represent a Bliss Symbol employing equation techniques requires a number of steps. First the symbol is separated into a number of equations, each describing a portion of the symbol. The equation parameters are then tabulated and entered into the computer by manual input or by means of a prepared data file. The computer then computes the sample points, minimizes the error and smooths the ultimate display by selecting the proper dots and then displays all the dots that it selected.

All variables such as height, resolution, aspect ratio, etc., would be inherent in the program and could be modified easily. When such a program is executed the apparent disadvantage is the excessive amount of time required. Therefore; a second approach to the problem was sought.



- SAMPLES

- ERROR
CORRECTED

- SMOOTHED

- 31 -

Fig. 3.12 Subjective Comparison of Smoothing

The equations could be compiled for each symbol and the coordinates of each dot stored. This in fact is the second method and it is much faster, however, at the price paid of less flexibility in changing the size of the symbol.

Also in comparison to the equation method, an increase in memory requirements is required since the coordinates occupy more memory than the equation parameters. This becomes more significant as the symbol resolution increases.

If anything at all was achieved in using equations, one feature was more outstanding than any other--the dots representing the symbols could be generated in an analytical manner; in this way standardization in representing the symbols regardless of size was possible. With the dots established, it would now be possible to seek other methods of representing the symbols efficiently.

3.6 Display Method Three--Path Direction

A matrix 20 x 20, containing 400 bits of memory, would be the requirement to represent a symbol of that resolution (20 x 20). However, there are certain properties with Bliss Symbols that could yield a reduction in memory.

In observing the symbols, it is seen that the same shapes or paths are repeated; sometimes translated vertically or horizontally to another position with the shape and size remaining the same. Therefore it would be advantageous in minimizing memory requirements to map out these symbol shapes only once.

Another observation is that the number of dots set in an array to display a symbol is always fewer than those not set. This becomes more apparent as the resolution or size increases.

Bliss Symbols or any calligraphy, especially writing, is continuous, that is the dots that represent it are not positioned randomly in the matrix, but are connected in a contiguous manner. Also in drawing a symbol the probability of going straight is much greater than of turning sharply.

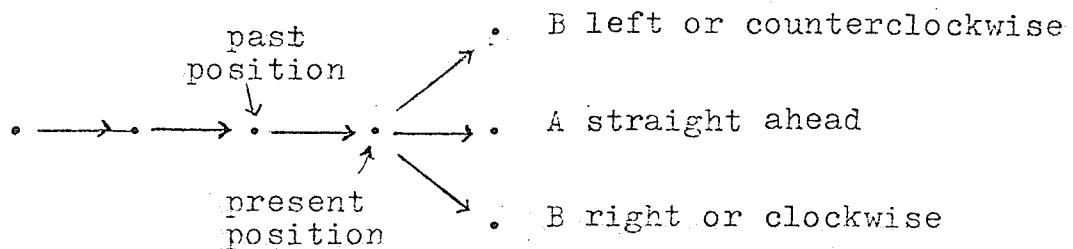


Figure 3.13

As an example, consider Figure 3.13. Imagine that this is a portion of a symbol being drawn, dot by dot. From observation it can be noted that the probability of the next dot being A is much higher than that of B and as the resolution of the symbol increases, this becomes more significant.

Based on the above properties a code was devised by the author with the objective of saving memory. The code is arranged in two bit portions as shown in Figure 3.14 with the most probable occurrence being given the smallest code as suggested by Huffman (8).

The sample shown in Figure 3.14 initially has a horizontal direction, after this the path could be any one of eight directions, and the counterclockwise, clockwise, and straight ahead designations are relative to the direction. The direction is designated with three bits in a direction register and are given designation as indicated in Figure 3.15.

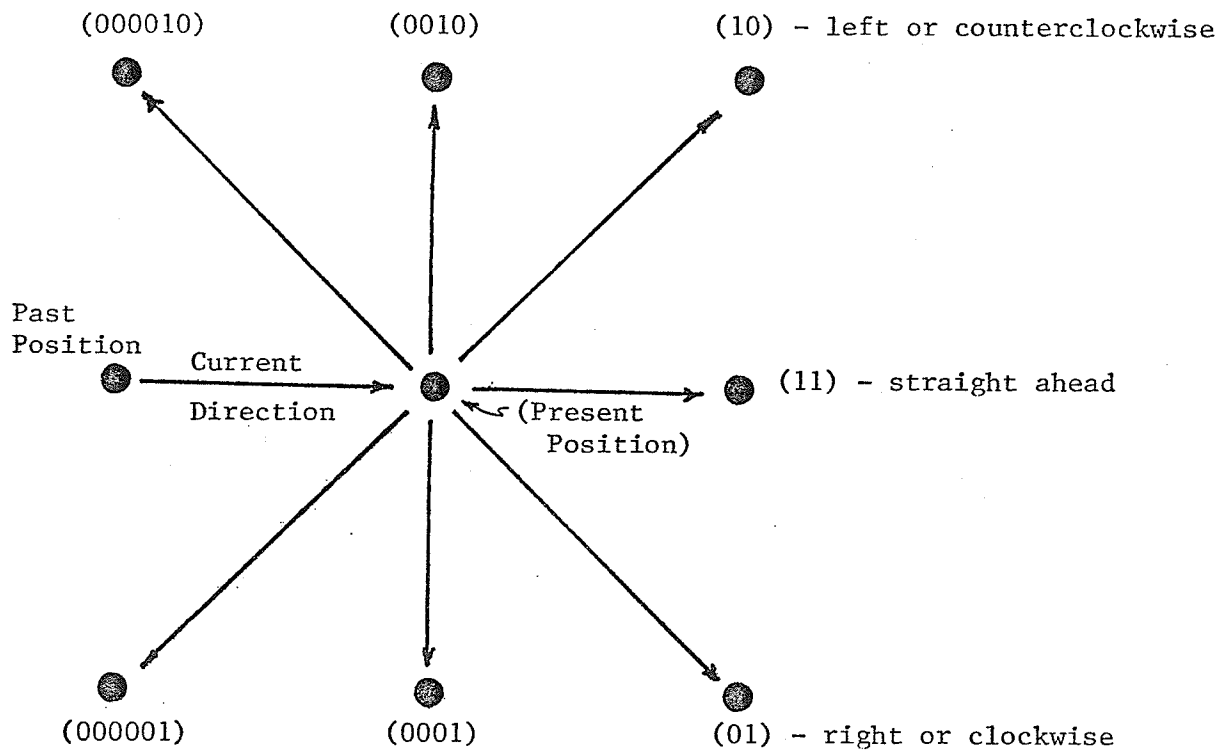


Fig. 3.14 Code for Path Direction Method

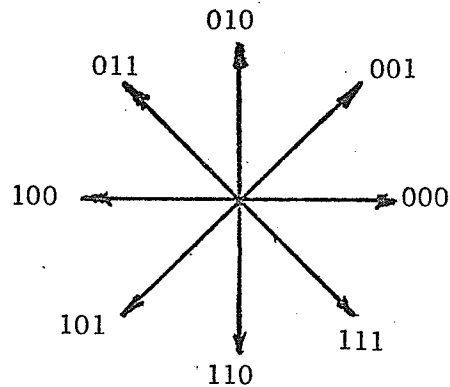


Fig. 3.15 Direction

The two bit code alters the direction register as follows:

- 11 - go straight ahead one position
- 01 - (clockwise) subtract one from direction register
- 10 - (counterclockwise) add one to direction register
- 00 - not enough information, get another two bit set
- 00 01 - (clockwise) subtract two from direction register
- 00 10 - (counterclockwise) add two to direction register
- 00 11 - pen down
- 00 00 - not enough information, get another two bits
- 00 00 01 - (clockwise) subtract three from direction register
- 00 00 10 - (counterclockwise) add three to direction register
- 00 00 11 - pen up
- 00 00 00 - stop, end of symbol

To clarify the above, consider the following example with the starting point in the lower left corner and the direction register set to zero. Refer to Fig. 3.16.

	Code	Direction Register
A - go ahead	11	000
B - pen down	0011	000
C - ahead	11, 11, 11, 11, 11	000
D - left two	00, 10	010

E - ahead two	11,11	010
F - left one	10	011
G - left one	10	100
H - ahead two	11,11	100
I - left two	00,10	110
J - ahead two	11,11	110
K - end of symbol	00,00,00	110

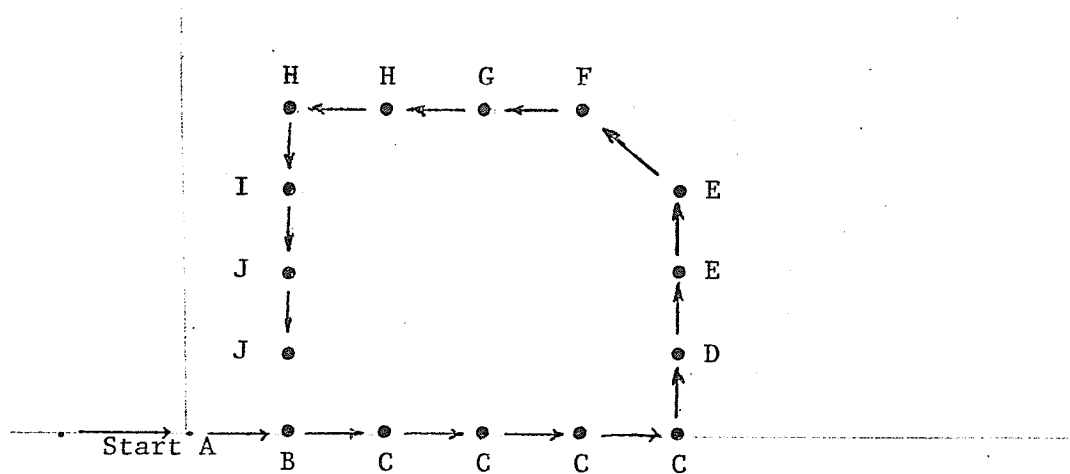


Fig. 3.16 Example of Path Direction Method

Combining the code of the previous example into 8

bit hex bytes results in:

11,00,11,11 = CF
 11,11,11,11 = FF
 00,10,11,11 = 2F
 10,10,11,11 = AF
 00,10,11,11 = 2F
 00,00,00,00 = 00
 01,01,XX,XX = 5X

The last six bits indicate the value of the width, that, is the number of spaces that the symbol occupies horizontally. The width is used in positioning the symbols on the screen. Here the width is put on the end of the code as a convenience in decompiling the code; but the width could also be computed from the pattern.

To represent this 5 x 6 symbol, 48 bits are required with this new method. To represent all the dots would require only $5 \times 6 = 30$ bits directly and it can be concluded that this method is not efficient with low resolution characters.

If the arbitrary assumption of 2.5 bits per dot is suggested as the memory requirement for this new path direction method, less than 40% fill is required to justify its use. Fill is defined as:

$$\text{Fill} = \frac{\text{number of dots displayed}}{\text{number of total dots}}$$

In typical calligraphy or in this case symbol presentation, the fill decreases as the resolution increases.

An example is calculated below for a box shaped symbol to illustrate the memory requirements of a 'conventional' versus 'path direction method' as the size (resolution) increases. The number of dots for an $n \times n$ box would be $4(n-1)$ while the total number of dots would be $n \times n$.

Therefore, the percent fill would be: $F(\%) = \frac{4(n-1) \times 100}{n^2}$

The graph of Figure 3.17 illustrates the point at which the new path direction method becomes more efficient for this box symbol at an estimated 2.5 bits/dot of memory over the conventional 1 bit/dot method. Therefore, memory savings should occur if the symbol has a resolution of greater than nine by nine dots. A circle has less fill and would require even less resolution to be competitive with the 1 bit/dot method.

To determine the relative merits of the path direction method other techniques of encoding Bliss Symbols were investigated.

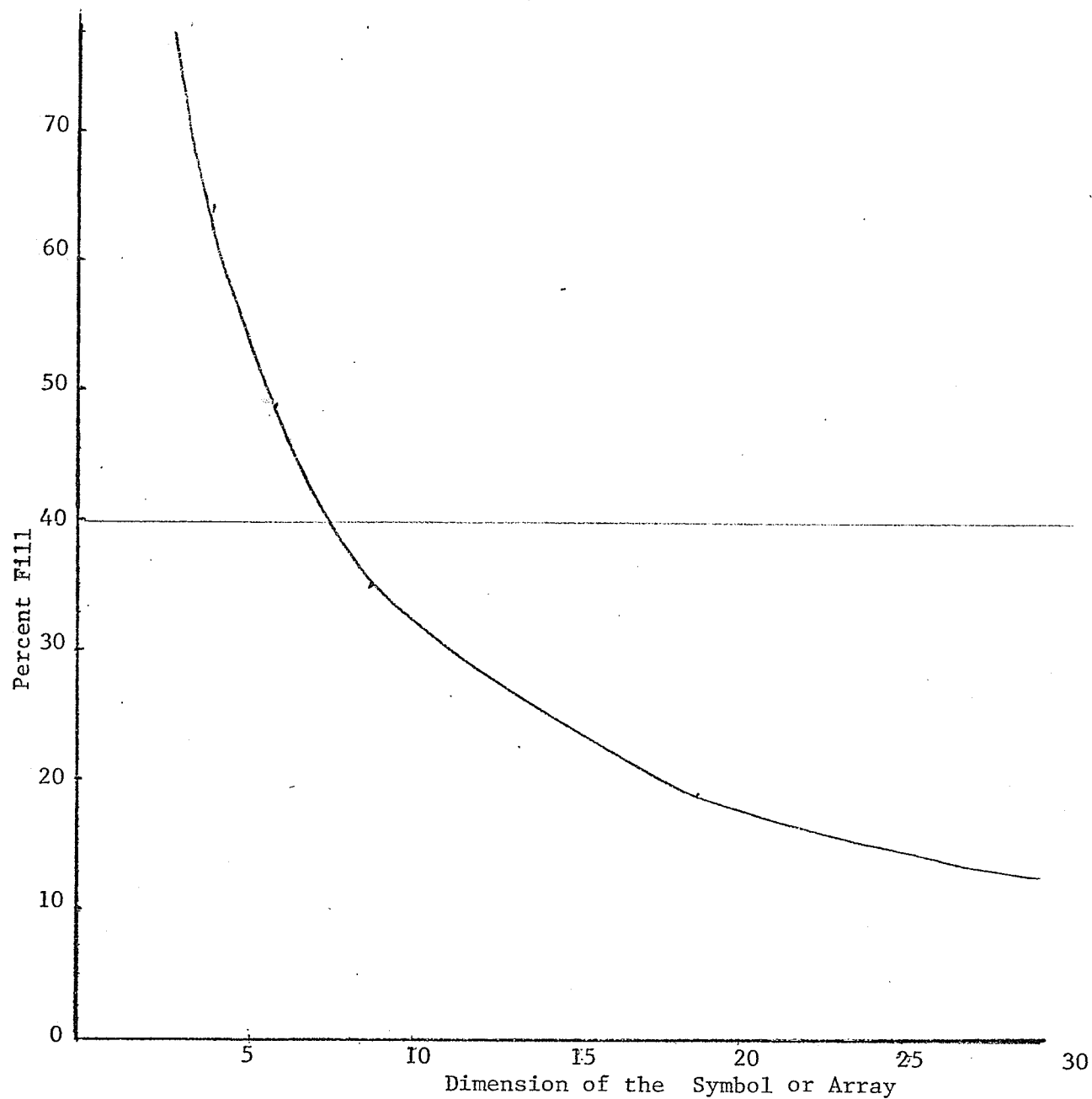


Fig. 3.17 The Dimension of the Array Vs. % Fill

3.7 TWO OTHER METHODS

3.7.1 Run Length

The run length method encodes a symbol by recording the length of horizontal runs of ones or zeroes. Each time a transition occurs from one to zero or vice versa, the length of the run is determined. This method exhibits the most merit with long runs. As an example of this method consider the heart symbol of Figure 3.18. The longest run is 23 which implies a 5 bit block code. Since 92 runs occurred, a total of 460 bits of memory are required.

To determine the average memory requirements per symbol, twenty five typical Bliss Symbols were chosen. For a vertical resolution of 20 grid lines the number of transitions were tabulated for each symbol. Considering the more complex symbols, the maximum run could easily reach 64; therefore six bits were used to block code each run. The memory requirements are summarized in Table 3.1 along with the path direction method. As can be seen, the run length method requires almost three times the memory to code the symbols.

3.7.2 Partial Symbol Method









Storey broke the symbols down into sixty-four basic shapes or units, Figure 3.19 illustrates how a heart can be dismantled into the partial symbols.

Each unit or partial symbol requires eight bits, six bits for identification and two bits for overlay information. An additional byte is required to position the unit vertically and horizontally. Table 3.1 indicates the amount of memory required to code the 25 Bliss Symbols. The partial symbol method appears to be an effective method to display the symbols.

However, the partial symbol method does have some disadvantages. A new symbol added to the existing set may not have the proper symbol shape(s) to fabricate it properly. Initial coding of the symbols requires tedious selection and fitting of the proper partial segments. For the above reasons and also because the path direction method is original, experiments in Chapter IV concentrate on its development. Some of the results of these experiments are shown in Figure 3.20.










Table 3.1 Comparing Methods of Coding

(Resolution = 20 vertical grid lines)

SYMBOL	PATH DIRECTION (bytes)	RUN LENGTH (transitions) (bytes)		PARTIAL SYMBOL (parts) (bytes)	
 friend	47	158	118	25	50
 day	20	80	60	14	28
 week-end	38	25	19	22	44
 car	33	106	80	24	48
 hello, goodbye	46	92	69	23	46
 afraid	60	209	156	26	52
 wheelchair	23	86	64	15	30
 angry	48	196	147	22	44

cont.

Table 3.1 (continued)

SYMBOL	PATH DIRECTION (bytes)	RUN LENGTH (transitions) (bytes)		PARTIAL SYMBOL (parts)	SYMBOL (bytes)
 birthday	49	168	126	26	52
 question	16	58	43	8	16
 thanks	44	168	126	18	36
 funny	50	180	135	21	42
 good	37	100	75	17	34
 wash	19	27	20	11	22
 happy	40	120	80	16	32
 want	34	130	97	14	28
 teacher	48	176	132	29	58

cont.

Table 3.1 (continued)

SYMBOL	PATH DIRECTION (bytes)	RUN LENGTH (transitions) (bytes)		PARTIAL SYMBOL (parts)	SYMBOL (bytes)
 think	17	40	30	6	12
?^ how	19	92	69	10	20
?▷ why	19	80	60	10	20
O mouth	10	60	45	8	16
 help	19	92	69	13	26
?⌚ when	23	70	67	10	20
!♥ please	26	78	58	13	26
I♥↓ I'm sorry	48	198	148	24	48
TOTAL (bytes)	833		2093		850
BYTES/SYMBOL	33.3		83.7		34.0

	-	⊥	>	∧2	↑	⬆	□
→	<	←		⊙	♡♯	♡↓(?)	↗
?	♡	+	?	?^	?□	?⊥	?:
x	∪	○	-	?	?⊙	⋈	⊕

⊥♡+!	⋈	?▷	⊥
♡}	!♡	♡»	⊙~
⋈	□	□	♀
Y	⋈	↑	↑

-	^	⋈	7
⊙	↑	□	~
⚡	\	2	⊙*
⊥1	♡+!	♡↑	⊙

Fig. 3.20 Bliss Symbols as Displayed on Television
(Vertical Resolution = 20)

CHAPTER IV

TEST PROGRAMS

4.1 Test Hardware

The test equipment (Fig. 4.1) consisted of an Imsai 8080 microprocessor with a Merlin Graphics Display and I/O (input/output) devices to communicate with the computer. The technical details and specifications are given in Appendix B.

The Merlin interface displays a dot on the television screen for every corresponding dot in memory; requiring 8K bytes (8,000 bytes of 8 bits) of memory. Merlin and the microprocessor share the memory and in this manner, the microprocessor can alter what is displayed.

This equipment was used to experiment with the first three methods as described in Chapter III. The primary purpose of this chapter is to verify the theory discussed earlier and perhaps identify unforeseen areas of difficulty.

All programs were written in North Star Basic except the code decompiler of the path-direction method, which was written in 8080 ASSEMBLER.



Fig. 4.1 Experimental Equipment

4.2 Equations Describe the Symbol

'BLISS' was a program written to experiment with symbols by inputting equation parameters to construct and display Bliss Symbols with a large degree of flexibility.

The program first initializes pertinent data and variables and then requests the desired position of the symbol to be constructed. The program then requests equation parameters and displays all sample points. The sample point coordinates are stored in x,y, arrays and on the completion of a symbol are shifted until the x and y error is less than a predetermined value. The coordinates are then matched with a dot and a dot is designated if more than 'T' samples are assigned to the dot. This is equivalent to the smoothing technique described in Chapter III. After all the dots are displayed, the operator can scrutinize the symbol and record the equation parameters for posterity. The program then reinitializes and solicits input for another symbol. Refer to Figure 4.2, the flowchart, and Appendix C, the program listing, for further details.

One unforeseen problem became apparent when the first circle was presented and it appeared egg-shaped. An aspect ratio factor 'F' was introduced to correct for this distortion. Also the 'C' and 'S' variables which determined the sample point density for circle and line segments respectively, required some trial and error in conjunction with the threshold

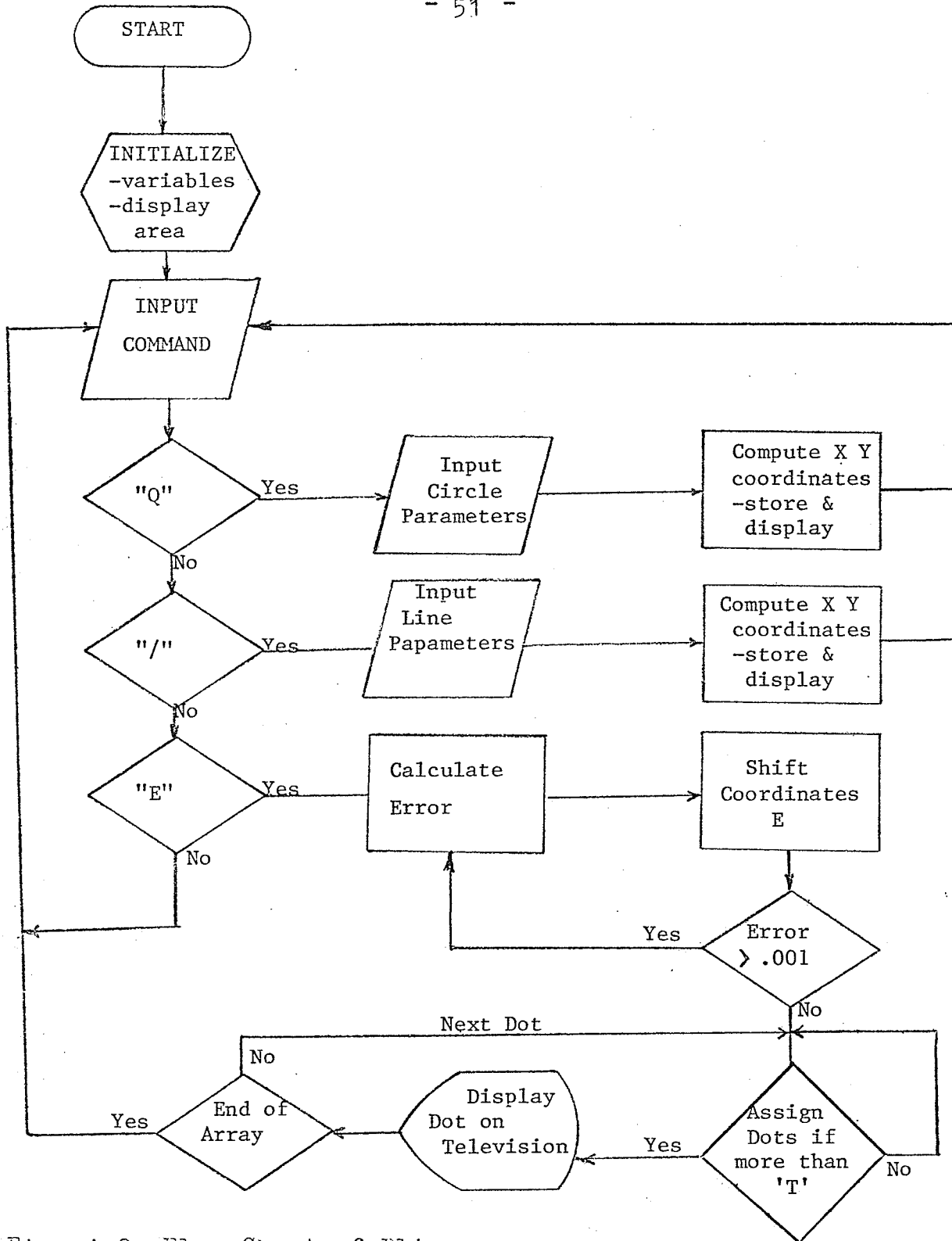


Fig. 4.2 Flow Chart of Bliss

variable 'T' to yield a satisfactory display of dots. Another small problem in the error routine occurred when the total error would not converge to less than the preset threshold and the computer would, therefore, loop in this program indefinitely. This was remedied by putting a limit of ten iterations on the error correction routine. The remainder of the program was straight forward.

'BLISS' was an ideal program to experiment with in varying parameters and variables. Before 'BLISS' was attempted, it was the author's belief that the equation parameters could be stored in a file and called upon to display the symbol. However, an unreasonable amount of time, measured in minutes, was necessary to compute and display each symbol, making it impractical. A solution to this dilemma would be to compute the x,y coordinates beforehand, thus alleviating the computer of a heavy workload at the time of presentation. This was the course of action pursued.

4.3 'BLSLD' - Constructing a Data File of Equation Parameters

The first requirement was to assemble a file of equation parameters for each symbol. The program that did this was 'BLSLD' and it loaded a string of data in the following format:

```
# SYMBOL C x x x x C x x x C x x x x x E
```

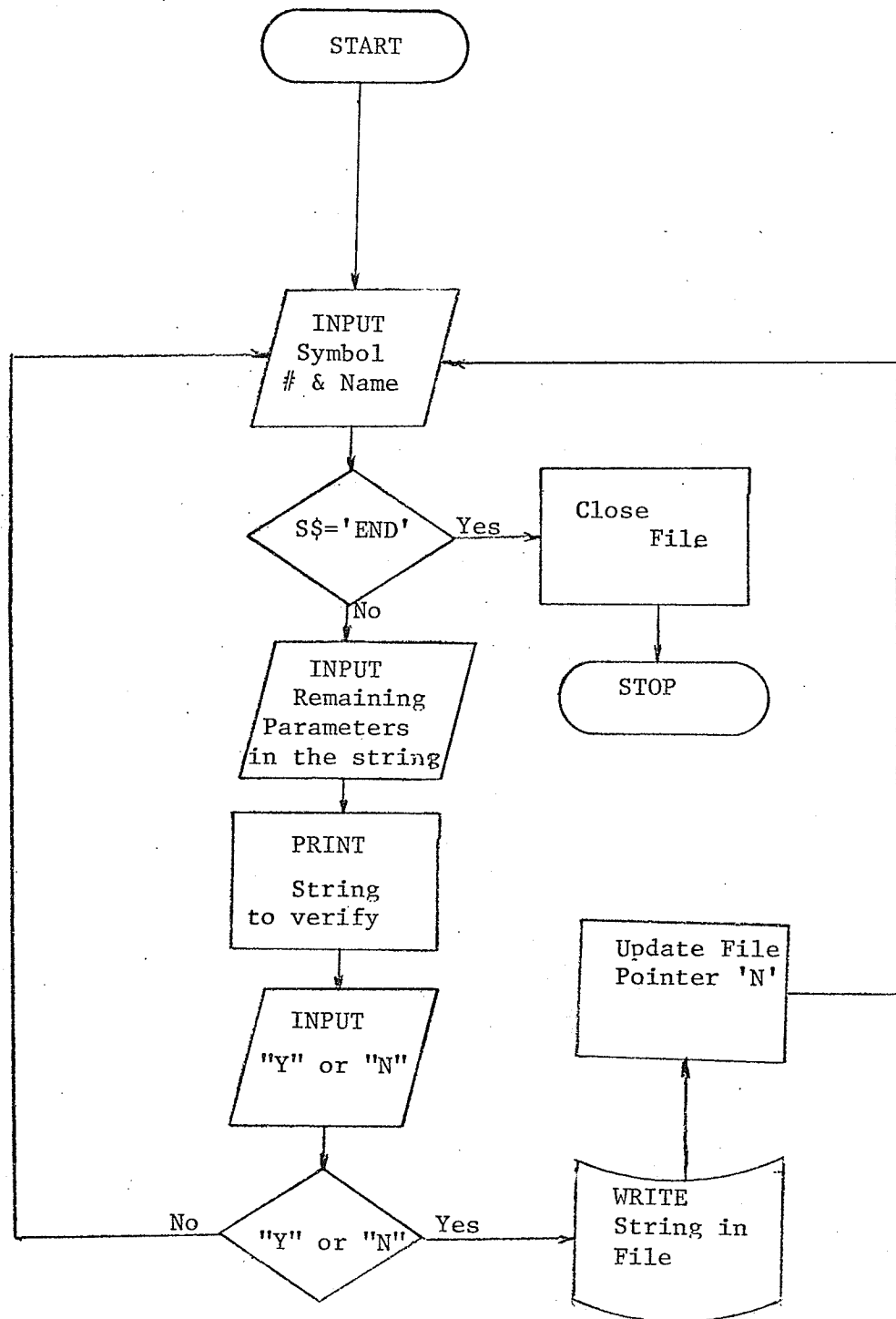


Fig. 4.3 Flow Chart of BLSLD

where: # - symbol number, used to identify a symbol when
 scanning
 C - command
 / - line with four trailing arguments x0 y0 x1 y1
 Q - circle, five arguments x y r A B
 : - previous symbol, 3 arguments # x y
 E - end delimiter

All the individual components of the string of dots were delimited with spaces.

A new command ':' meaning previous symbol was introduced here. The line and circle command, along with their respective arguments were previously discussed. The ':' has three succeeding arguments (# x y) the first of which was the symbol number that had previously been processed. The x and y were translation factors and they indicated how much the symbol would be translated in the x and y directions. This technique saved file space and computer time in not having to reprocess similar symbol shapes. This technique was a recommendation of Chapter III and it proved to be very satisfactory.

BLSLD solicited input which was entered as a long string. The data file it created was BLSDATA. Provisions were also made for correcting this BLSDATA file with a program called BLSEDT. The flowchart for BLSEDT is shown in Figure 4.4 and the program listing is in Appendix E.

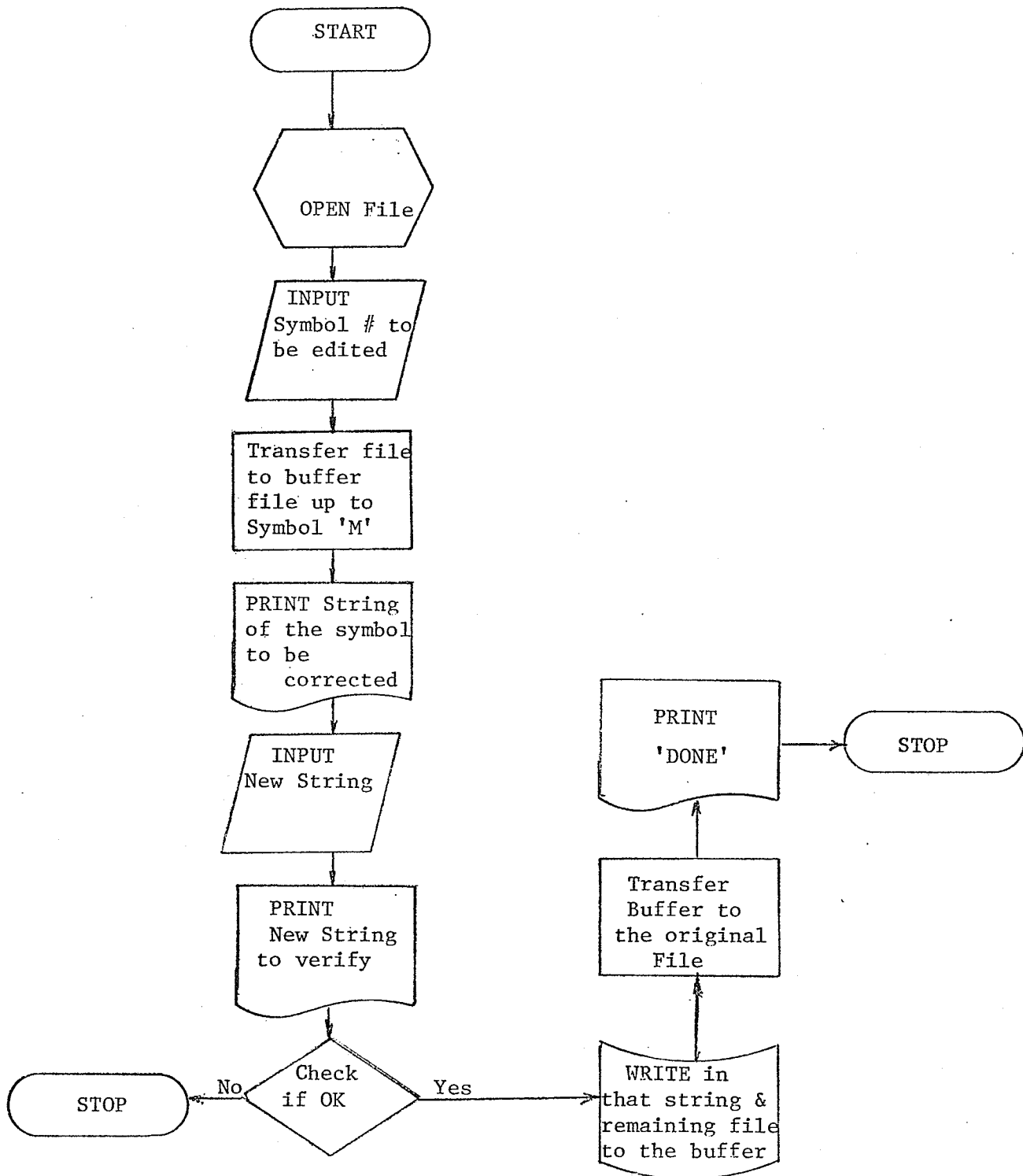


Fig. 4.4 Flow Chart of BLSEEDIT

4.4 'BLSXY' - Computing the Dots Off-Line

BLSXY is a program very similar to BLISS. The difference lies in the input. BLSXY reads the BLSDATA file for input instead of entering it manually. Also the computed coordinates of the dots were stored in a file called BLSDEXY instead of being presented on television. This file is then utilized in real time presentation of the symbols. BLSXY was intended to be run independent of manual input, reading the data from one file and computing coordinates for another. A typical execution time of four or five hours is required to compute the coordinates for one hundred symbols with a height of twenty dot rows. The flowchart and program listing are in Figure 4.5 and Appendix F respectively.

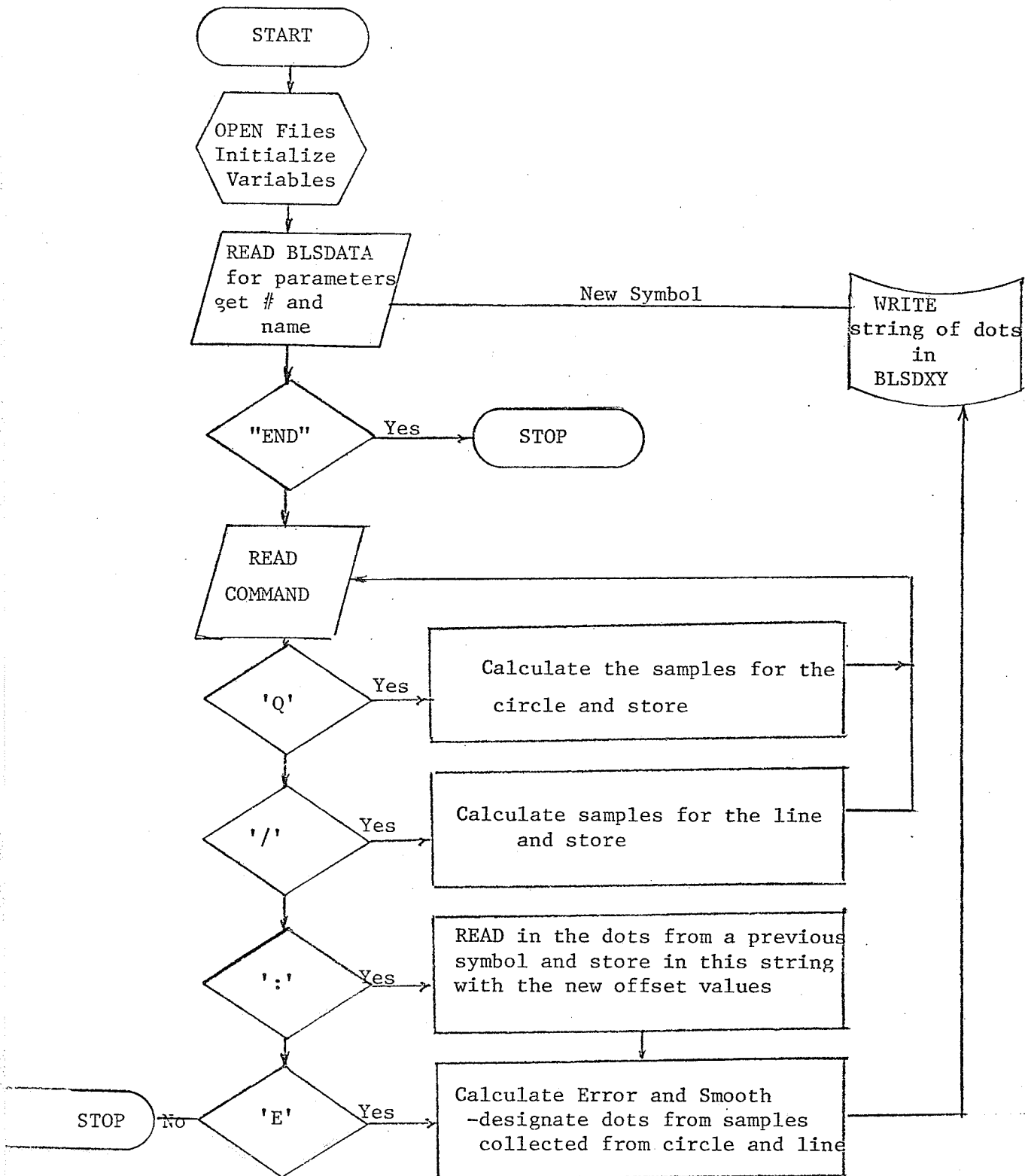


Fig. 4.5 Flow Chart of BLSXY

4.5 'DISPLAY - Read the File of Coordinates and Present the Symbol

DISPLAY is the real-time counterpart of BLSXY and it displays the coordinates which BLSXY computed and stored in BLSDXY. A symbol still requires a few seconds to be presented with the calculation of the width of the symbol occupying much of this time. Refer to Figure 4.6 and Appendix G for the flowchart and program of DISPLAY. The width could be added to the existing file to save some time but then this again requires more memory.

One can begin to see here the conflict between time and memory requirements. Undue delays in presenting the symbols lead to frustration, yet additional memory is a direct hardware expense. A compromise to partially satisfy both would be necessary unless another means can be devised to satisfy both. Method Three is an attempt to satisfy both of these requirements.

4.6 'BLSCODE' - Compute Code for Path Direction Method

BLSCODE compiles a code for the path direction method as described in Chapter III. For details refer to the flowchart in Figure 4.7 and the listing in Appendix H. The code does not require extensive memory and it is stored in core memory.

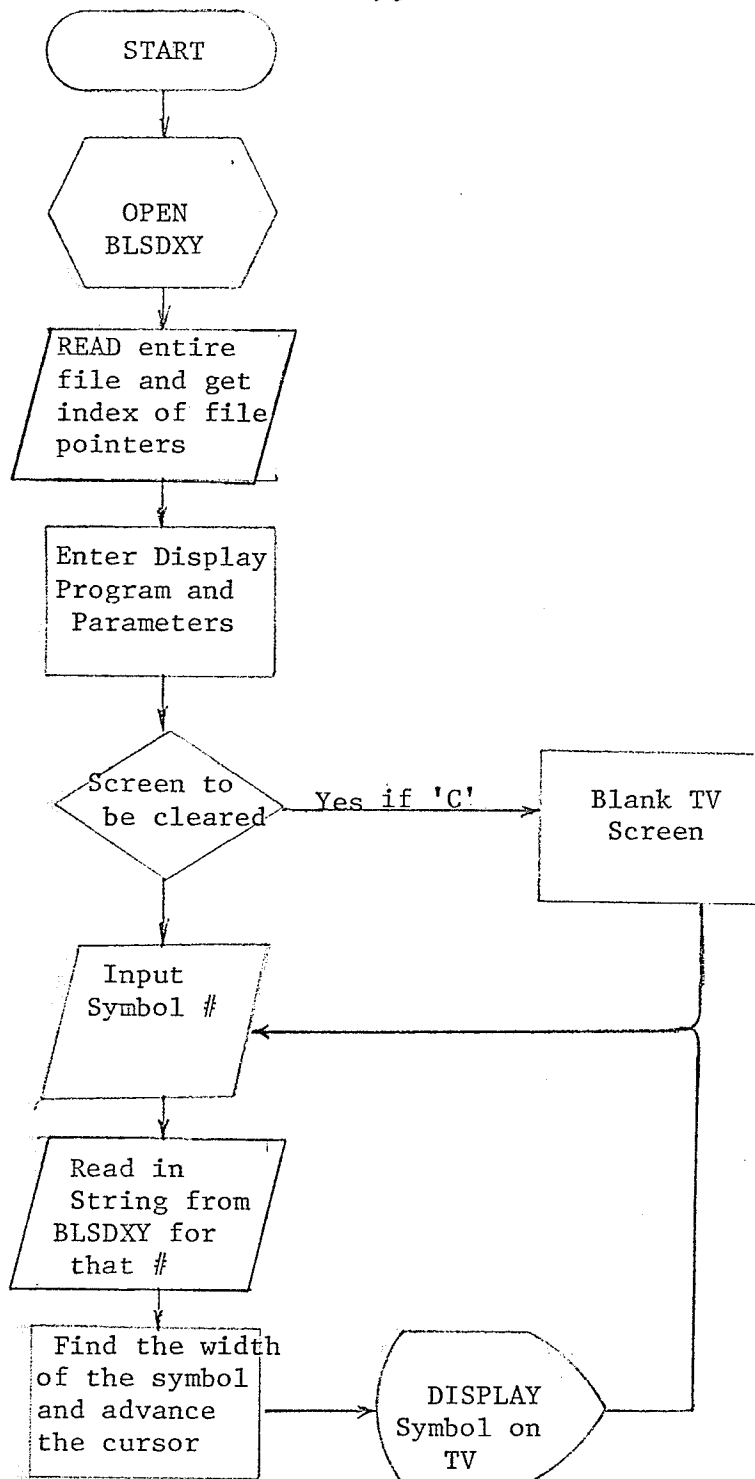


Fig. 4.6 Flow Chart of DISPLAY

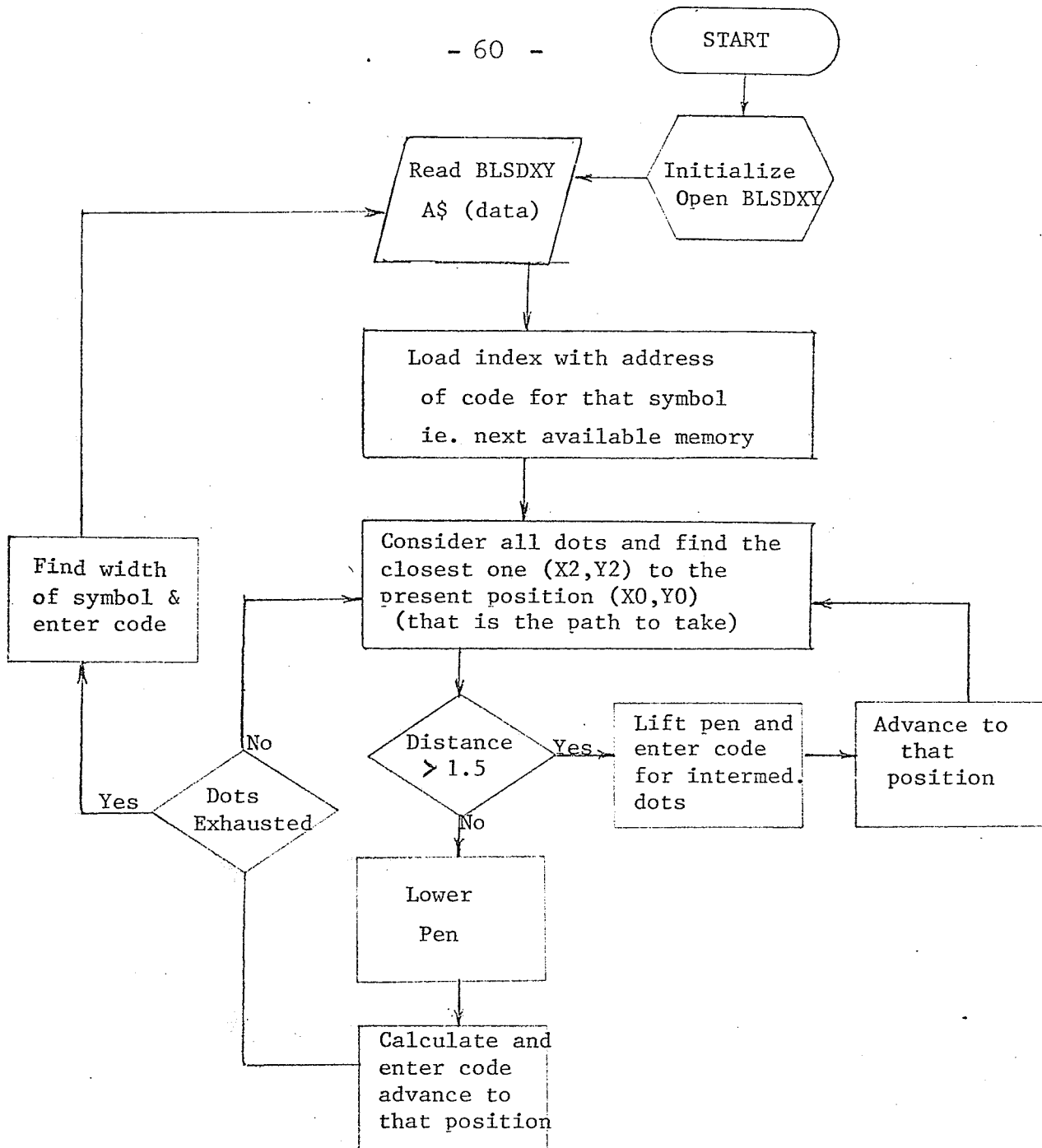


Fig. 4.7 Flow Chart of BLSCODE

A few notes on the program will clarify some points. For convenience of decompiling the width is added at the end of the code; this was not done previously in BLSXY. Also notice that an index is compiled, indicating the absolute memory location of the code for each symbol. The symbol number determines the offset in the index table which in turn contains addresses of the code. The 2-bit code is entered into a byte from most to least significant side. When a byte contains four codes the next byte is started. A new symbol always starts on a new byte irregardless of whether there was any remaining space left in the previous byte.

Again, this program was designed to be run in an off-line mode, taking hours to execute a set of one hundred symbols. The program reads the dot coordinates from the BLSDXY file and enters the code in an unused portion of core memory.

4.7 Path Direction Decompiler

The objective of method three was to minimize the memory requirements, and a method was devised to shrink the requirements for the symbol data, but the program to manipulate this code also requires memory. This program will be an essential element of the Bliss Symbol Communicator. The off-line program requirements of memory and time were not critical.

These resources were only initially required to develop the software for this system. However, the length of program used for decompiling the code and presenting it is important. For this reason, this program was written in assembler language. Although writing a computer program in assembler language is more difficult to both write and understand; it is the best means to minimize memory requirements.

The program first initializes variables, sets and clears the display area and then scans the eight output light emitting diodes (output port FF) located on the front panel of the computer. The LEDs simulate a scan board, each light representing a different symbol. Touching any key on the keyboard freezes the number currently in the scan register and the program gets the address (SYMB) of the first code from TABLE (OFOO -). The flow chart and program listing are in Figure 4.8 and Appendix I respectively.

The program then goes to DIREC and gets two bits (BITS), decodes them and executes them according to the command they contain.

Figure 4.9 has an example to help clarify the operations of the program. The code is as follows:

Hex	Binary
CF	11001111
FF	11111111
2F	00101111

A2	10100010
P0	11110000
O5	00000101

During initialization X is set to minus one and Y to zero with the direction register set to zero. The first two bits (11) mean straight ahead, so the cursor moves to coordinates (0,0), but since the pen is up, nothing is displayed. The next two bits (0,0) indicate that secondary bits are required and they being (11) for a combined value of 0011 mean 'lower the pen'. The next five 11's display a horizontal base line with the direction register all this time being zero. The next 0010 adds two to the current value of the direction register. The next 0010 adds two to the direction to turn 90 left (counterclockwise) or in this case up, and the dot is displayed. The next two sets of 11's display two additional dots vertically and then the two 10's shift the direction left. The direction register is now horizontal, pointing left, but the next 0010 brings it to a downward direction for the remainder of the symbol. The three sets of zeroes (00,00,00) indicate the end of the symbol in binary; with the remaining six bits representing the width of the symbol in binary; which in this case is five.

A few of Merlin's operating systems subroutines were used to display the dot, clear the screen, etc. All of these subroutines are located at Cxxx (Hex) in Merlin's MEI rom.

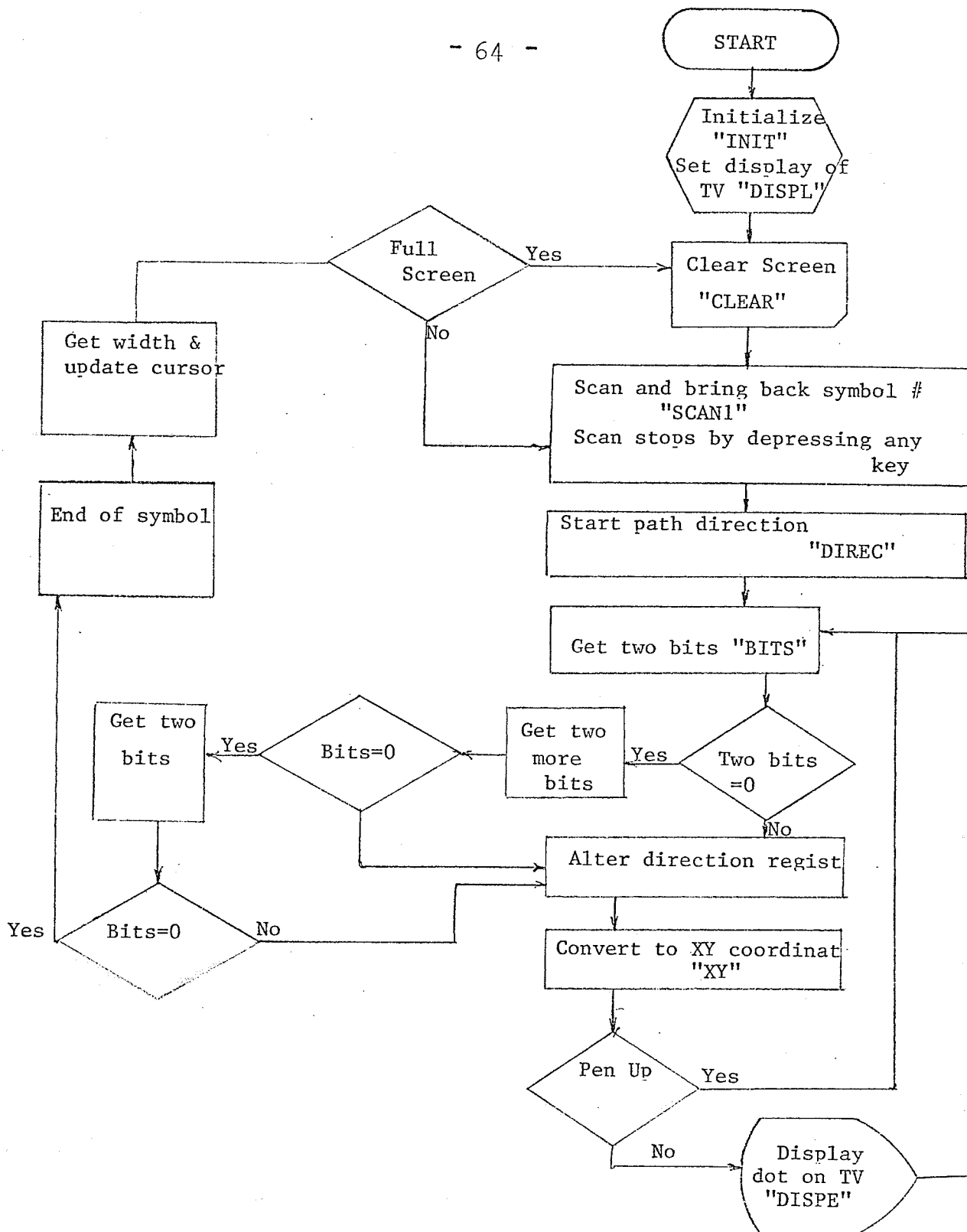


Fig. 4.8 Flow Chart of Path Direction Decompiler

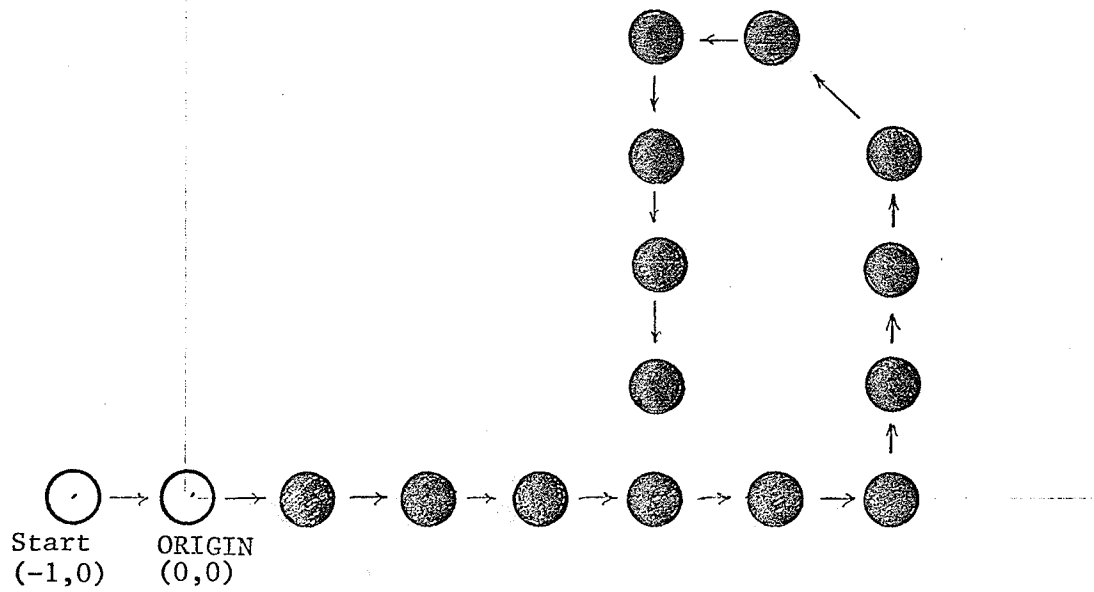


Fig. 4.9 Example of Path Direction Method

The path direction method code was developed empirically. Given the knowledge of the probabilities of the commands, one can code this optimally as suggested by Huffman. Optimallity refers to the average number of bits per code required. Thus the probabilities of the different codes were calculated and the Huffman code was determined. The results are shown below:

Meaning	Authors's Code	Percent Occurrence	Relative Size	Huffman Code	Relative Size
Straight	11	68.5	137	1	.685
Left One	10	10.9	21.8	000	.327
Right One	01	8.1	16.2	001	.243
Pen Down	0011	3.3	13.2	0101	.132
Left Two	0010	2.7	10.8	0110	.108
Right Two	0001	.8	3.2	010010	.048
End	000000	2.4	14.4	0111	.096
Pen Up	000011	1.4	8.4	010000	.084
Right Three	000001	.9	5.4	010001	.054
Left Three	000010	.7	4.2	010011	.042
			2.346 bits/code		1.819 bits/code

By implementing the Huffman code, a 20 percent saving in memory storage could be realized. However, since this code would be more difficult to compile and decompile, no attempt was made to implement it. Future endeavours should consider it.

4.8 Review and Results

Figure 4.10 presents in chronological sequence a review of the major developments of the experiments. Initially equation parameters were tabulated and they became an excellent

standard in displaying Bliss Symbols but they were inadequate for displaying the symbols directly because of time limitations. A second approach was attempted in computing the coordinates of the dots to be displayed but still it required a fair amount of time and memory to present the symbol. Then the path direction method was attempted and it solved these problems. Quantitative results of memory and time for the three methods are given in tables 4.1 and 4.2 respectively. From these tables it can be concluded that the path direction method is a feasible technique to display Bliss Symbols.

METHOD I

Define symbols by
equations

-circle
-line parameters

↓
Compute samples

↓
Error Correction

↓
Smooth (threshold)

↓
Dots

↓
Display dots (symbols)

↓
-too slow to display
directly from equation
parameters

METHOD II

Compile a file of dots
(coordinates) for all
the symbols

↓
Display dots (symbols)

↓
-better but not adequate

METHOD III

Compile path direction
code for all symbols
and store

↓
Decompile code and
display symbols

Fig. 4.10 Review of Sequential Events

Method	Basic Language	Program	Variables	Code	Total
1. Equations Directly	11.5 K (bytes)	2.2 K	10 K	6.2 K	29.9 K
2. Reading the Coordinates	11.5 K	1.9 K	1.1 K	35.4 K	49.9 K
3. Path Direction	_____	.75 K	0 K	3.2 K	4 K

Table 4.1 Memory Comparison

Method	Off-Line Execution Time	Display Time
1. Equations Directly	0	30-100 sec.
2. Reading the Coordinates	4 - 5 hrs./ 100 symb.	3 sec./ symb.
3. Path Direction	4 - 5 hrs/100 symbols	.3 sec./symb.

Table 4.2 Time Comparison

CHAPTER V

CONCLUSIONS AND RECOMMENDATIONS

This thesis has been concerned with finding efficient techniques to display Bliss Symbols on television. The results of Chapter III indicated that the path direction method was the most favourable. Chapter IV presented programs to transform the Bliss Symbols from equation descriptors to the path direction code. These investigations and experiments demonstrated the feasibility of displaying Bliss Symbols on television.

Original contributions of this thesis in the author's opinion are:

1. The standardization of Bliss Symbols employing equation descriptors.
2. Error minimization to represent a symbol on a discrete array.
3. Path direction method to code Bliss Symbols efficiently.

Some topics that warrant further investigation are:

1. It may be obvious that the path direction method is intended to present a path that is one dot wide. To have a path wider than one dot, as would be required for easy viewing of large symbols, would be awkward with this method directly because of the continuous turning to set the dots.

A wider line could be attained by displaying two dots simultaneously making the line thicker with no additional code required. This should be investigated further.

2. Try the path direction method with other graphics, handwriting, etc.

3. Try other codes, possibly allowing only counter clockwise turns; such as:

- 1 - straight ahead
- 01 - counterclockwise turn
- 001 - change pen mode

Appendix A

TABLE OF BLISS SYMBOLS

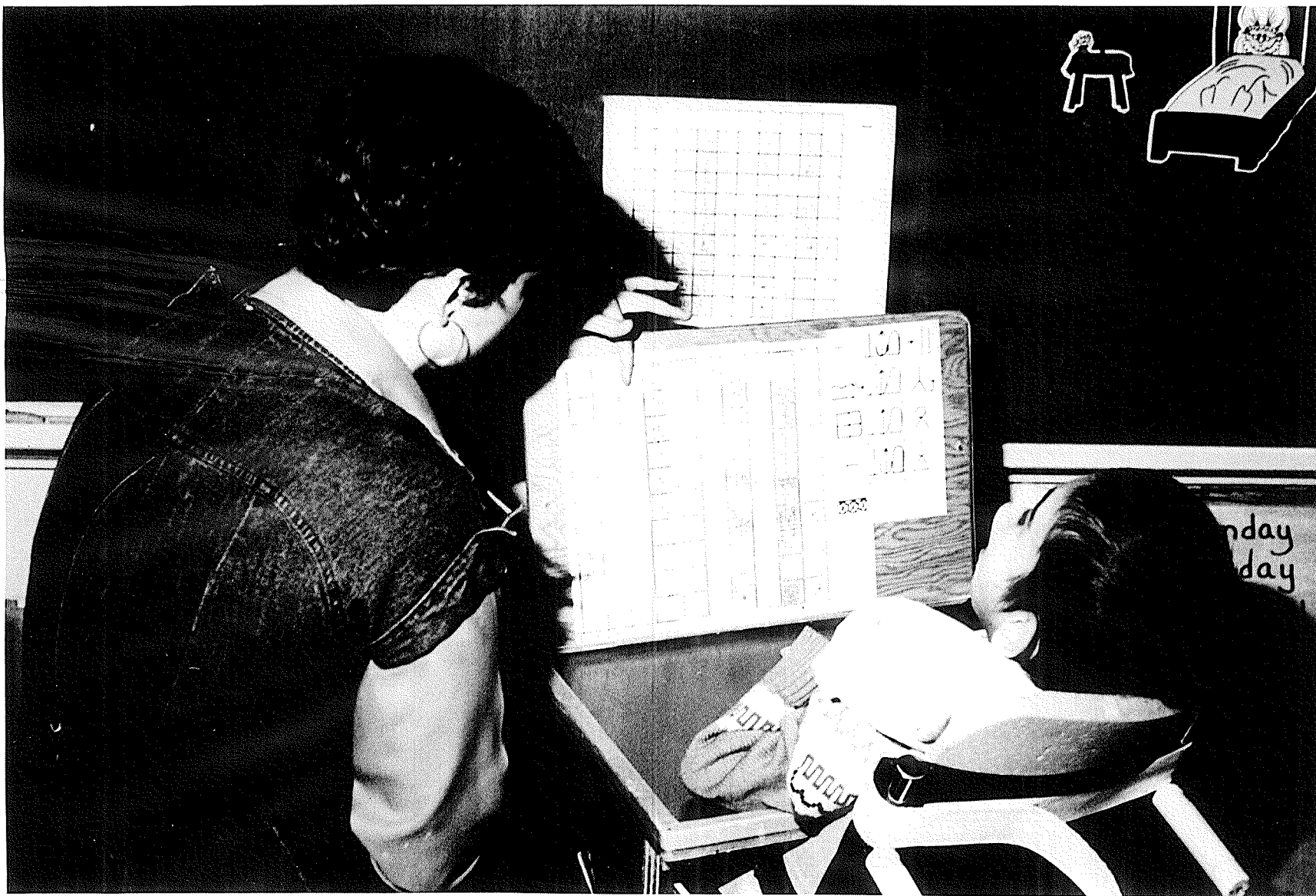
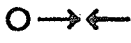










































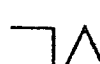



















Fig. A.1 Teacher and Child using Bliss Symbols

 hello, goodbye	? question	\perp_1 I, me, my	\perp_2 you, your) past	$\hat{\heartsuit}+!$ like	$\hat{\Delta}$ walk, go
$!\heartsuit$ please	? \perp who	λ_3 he, him, his	Δ_3 she, her)(present (now)	$\hat{\heartsuit}$ want	$\rightarrow $ come
$\heartsuit\uparrow$ thanks	? \square what	$\times\perp_1$ we, us, our	$\times\perp_3$ they, them	C future	$\hat{\vee}$ can, be able	$\hat{\Delta}$ work
$\heartsuit\uparrow\uparrow$ you're welcome	? \triangleright why	λ man	Δ lady	-! not	$\hat{+}$ have	$\hat{\Delta}\heartsuit\uparrow$ play
$\perp_1\heartsuit\downarrow$ I'm sorry	? Δ how	\uparrow father	$\uparrow\Delta$ mother	$\heartsuit\rightarrow$ love	$\hat{\uparrow}$ give	$\hat{\Delta}$ help
+ and	? \odot when	$\hat{\Delta}_2$ brother	$\hat{\Delta}_2$ sister	$\hat{\heartsuit}\uparrow\circ$ laugh	$\hat{\odot}$ combine	$\hat{\odot}$ sleep
of, + belongs to	? where	$\Delta\Delta\Delta$ family	♀ child	$\hat{\odot}\heartsuit\uparrow\circ$ tease	$\hat{\Delta}$ make	$\hat{\smile}$ wash
\times much, many	? \div which	$\perp\uparrow\cap$ teacher	$\perp\parallel$ nurse	$\hat{\downarrow}\circ$ cry		$\hat{\uparrow}\uparrow$ grow
\times more	\bigcirc^G circle	$\Delta\rightarrow\perp$ therapist		$\hat{\smile}$ think		$\hat{\rightarrow}$ end, stop
\boxtimes all, each	\square^G square	$\perp\heartsuit+!$ friend	$\perp\rightarrow\Delta$ visitor	$\hat{\Delta}$ know	$\hat{\downarrow}\cap$ learn	$\hat{\times}$ attach, stick

Σ symbol	♥↑ happy	×♥<< angry	0	1	2	3
÷ part	♥!!! excited	♥↓(?) afraid	^ do, make action	◉ eye	◉ colour	ABC
= like, similar	♥↑○ funny	♥+ lucky	○ food	○ mouth	□ thing	\ pen, pencil
↑ opposite	⊕! good	⊗⊕! special	○~ drink	△ legs	⚡ tool	□ paper, page
□ in	I big	♀ young, new	👤 clothing	↓ hand	∪ container	▢ book
∨ on	⊢ long	∪ full	🚽 toilet	∪ ear	🌀 strap, string	✉ letter
> to	⚡↓ heavy	<> hot	♥^ pain	∠ nose	♂ vegetable	□○ story
↑ up	×◉ dirty	∩ soft	♊ make- believe	∩ teeth	∩ bread	📰 news
· before	×⊗ quick		∩ broken	⊕ head	♂ fruit	÷🌀 word
>.. here	□ open	→ difficult	⊗ dead	∩ body	♂ milk	✂ name

4	5	6	7	8	9	
 wheelchair	 chair	 home	 GOD	 night	 day	 U u
 car	 table	 school	 animal	 sun	 yesterday	 V v
 bus	 bed	 show	 bird	 weather	 today	 W w
 airplane	 door	 hospital	 fish	 rain	 tomorrow	 X x
 boat	 window	 street	 flower	 snow	 time	 Y y
 money	 room	 store	 tree	 earth	 morning	 Z z
 gym	 floor	 light	 country	 sky	 afternoon	
 music	 wall	 telephone	 outing	 water	 week-end	
 art	 cupboard	 television	 gathering	 fire	 birthday	

Appendix B

SPECIFICATIONS ON MERLIN AND OTHER COMPONENTS

Appendix E

Technical Details of Experimental Equipment

Mainframe - IMSAI ¹

- Front Panel - 44 LED's, 22 switches
- Motherboard - 22 slot, S100
- Power Supply - 18 amps \pm 12 volts and +5 volts

Mainframe Cards

Microprocessor or Central Processor Unit

- IMSAI
- 8080A
- 2 phase, 2 Megahertz clock

RAM 4A

- IMSAI
- 3 x 4 K byte boards

RAM Godbout ²

- 3 x 8 K byte boards

Serial I/O

- RS232 output ports 2 and 3 for VUCOM I terminal, and printer
- I/O for Disk Operating System, Basic, Assembler, etc.
- IMSAI

Merlin - Double Card

- Miniterm Associates Inc. ³
- Graphics Interface for 12" B & W portable Fleetwood Television
- Options - Superdense 320 x 200
 - MBI, MEI

Floppy Disk Card - North Star ⁴

- Interfaces Floppy

Minifloppy - North Star

- With power supply
- 100 K bytes/disk
- Used North Star Basic and Disk Operating System

Keyboard - Radio Shack ⁵

- ASCII Encoder Keyboard #277=117
- Plugs into Merlin Board to operate Merlin's Operating System.

1. IMSAI - IMS ASSOCIATES, INC.
14860 Wicks Boulevard
San Leandro, Ca. 94577
2. GODEOUT - BILL GODBOUT ELECTRONICS
Box 2355
Oakland Airport, Ca. 94614
3. MERLIN - MINITERM ASSOCIATES, INC.
Dundee Park
Andover, Ma. 01810
4. NORTH STAR COMPUTERS INC.
2547 Ninth Street
Berkeley, Ca. 94710
5. RADIO SHACK - A DIVISION OF TANDY CORPORATION
Barrie, Ont. Fort Worth, Texas
Canada L4M 4W5 U.S.A. 76102

Appendix C

BLISS LISTING

```
15 REM PROGRAM TO EXPERIMENT WITH BLISS SYMBOLS
20 DIM X(500),Y(500)\REM BLISS FEB 5
30 N=53361
40 FOR I=0 TO 8
50 READ A
60 FILL N:A
70 N=N+1\NEXT I
71 IF N<53361 THEN 90
72 N=53300
73 RESTORE 85\GOTO 40
80 DATA 58,121,208,235,182,119,235,201
85 DATA 0,0,0,0,0,0,0,10,17
90 Z=CALL(50099)\REM FLIP SCREEN
100 F=1.4\REM ASPECT RATIO
110 T=1\REM THRESHOLD
120 H=22
130 C=2\REM # OF DEGREES/SAMPLE
140 S=2.7
150 INPUT "SYMBOL COORDINATES? X0,Y0: ",X0,Y0
160 N=0
170 INPUT "COMMAND /DEC ":C$
180 IF C$="C" THEN 990
190 IF C$="Q" THEN GOSUB 530
200 IF C$="/" THEN GOSUB 630
210 IF C$="E" THEN GOSUB 1030 ELSE GOTO 170
220 GOTO 150\REM START A NEW SYMBOL
530 REM CIRCLE ROUTINE
540 INPUT "X Y RADIUS START OF ARC END OF ARC: ",X1,Y1,R,A,B
550 A=A*6.282/360
560 B=B*6.282/360
570 X=(X1+R*COS(A))*H/10*F
580 Y=(Y1+R*SIN(A))*H/10
590 A=A+C*6.282/360*5/R
600 GOSUB 890
610 IF A<B THEN 570
620 GOTO 170
630 REM LINE ROUTINE
640 INPUT "X0 Y0 X1 Y1: ",X3,Y3,X4,Y4
650 IF X3=X4 THEN 830
660 IF X3<X4 THEN 730
670 X7=X3\X3=X4\X4=X7
680 Y7=Y3\Y3=Y4\Y4=Y7
690 M=(Y4-Y3)/(X4-X3)
740 X5=SQR(1/8+2/(1+M*2))*10/H
750 B=Y3-M*X3
760 IF M=0 THEN B=Y3
770 Y=(M*X3+B)*H/10
780 X=X3*F*H/10
790 GOSUB 890
800 X3=X3+X5
810 IF X3<X4 THEN 770
820 GOTO 170
830 X=X3*F*H/10
840 Y=Y3*H/10
850 GOSUB 890
```

```
860 Y3=Y3+10/(H*S)
870 IF Y3<Y4 THEN 840
880 GOTO 170
890 H=H+1\Y(N)=Y\X(H)=X\REM OUTPUT CIRCLE-LINE
900 X=INT(X+X0)\Y=INT(Y+Y0)\REM NORMAL OUTPUT
910 A1=INT(X/8)+INT(199.5-Y)*40
920 B1=X-INT(X/8)*8
930 FOR J=0 TO 7
940 IF INT(B1)=J THEN C1=2+J
950 NEXT J
960 FILL 53369,C1
970 Z=CALL(53361,A1)
980 RETURN
990 FOR A=0 TO 4096\REM CLEAR SCREEN ROUTINE
1000 FILL A,0
1010 NEXT A
1020 GOTO 150
1030 REM ERROR ROUTINE
1040 E0=0\E1=0
1050 FOR K=0 TO N
1060 E0=E0+X(K)-INT(X(K)+.5)
1070 E1=E1+Y(K)-INT(Y(K)+.5)
1080 NEXT K
1090 FOR K=0 TO N
1100 X(K)=X(K)-E0/N
1110 Y(K)=Y(K)-E1/N
1120 NEXT K
1130 PRINT "EX,EY: ",E0/N,E1/N
1140 IF ABS(E0/N)+ABS(E1/N)>.0015 THEN 1030
1150 PRINT "% OF SAMPLES IN THIS SYMBOL: ",N
1170 FOR K=0 TO N\REM THRESHOLD ROUTINE
1175 X=X(K)\Y=Y(K)-H-10\GOSUB 900
1180 X(K)=1000*INT(X(K)+.5)+INT(Y(K)+.5)
1190 NEXT K
1200 N1=N\N=-1
1210 FOR L=0 TO N1
1220 IF X(L)<>INT(X(L)) THEN 1300
1230 FOR K=L+1 TO N1
1240 IF INT(X(L))<>X(K) THEN 1230
1250 X(L)=X(L)+.01
1260 X(K)=X(K)+.01
1280 NEXT K
1290 IF X(L)-INT(X(L))>=.01 THEN GOSUB 1330
1300 NEXT L
1310 PRINT "% OF DOTS = "N+1
1320 RETURN
1330 N=N+1\REM PREPARE FOR ERROR CORRECTED DOT OUTPUT
1335 Y(L)=X(L)
1340 X(H)=INT(X(L)/1000)\X=X(H)
1350 Y(H)=INT(Y(L)-1000*X(H))\Y=Y(H)-2*H-20
1360 GOTO 900
1470 RETURN
1500 END
```

Appendix D

BLSLD - BLSDATA

```
10 REM BLSLD DEC 31
20 REM THIS PROGRAM LOADS THE EQUATION PARAMETERS AND
30 REM PUTS IT INTO "BLSDATA" IN FOLLOWING FORMAT
40 REM "# SYMBOL-NAME @ X Y R A B / X Y X Y :S X Y E "
50 REM ALL VALUES AND CODES ARE PADDED WITH SPACES
60 REM SYMBOL MUST NOT HAVE SPACES IN IT
70 REM MUST END IN AN "E"
80 REM MULTIPLE LINES DETECTED IF E NOT PRESENT
90 REM S MUST BE A SYMBOL ALREADY PROCESSED
95 N=4007 \REM N IS THE FILE POINTER - CAN BE SET TO ANY VALUE
96 REM STARTING WITH ZERO--ALL STRINGS ARE LEN + 2
100 DIM B$(90)
101 DIM S$(30)
102 DIM A$(500)
105 OPEN #0: "BLSDATA"
110 INPUT "SYMBOL #: ", S
120 INPUT "SYMBOL NAME: ", S$ \A$=STR$(S)+" "+S$+" "
125 IF S$="END" THEN 180
130 INPUT B$ \A$=A$+B$
140 IF B$(LEN(B$))="E" THEN 160
150 GOTO 130
160 PRINT A$
162 INPUT "IS THIS OK: Y OR N", N$
165 IF N$="N" THEN 110
167 WRITE #0 %N;A$
168 N=N+LEN(A$)+2
169 PRINT"FILE POINTER ",N \PRINT
170 GOTO 110
180 CLOSE #0
190 STOP
READY
```

0 LEFT-HEART 0 2.5 7.5 2.5 0 181 0 10 8.8 10.1 188 240 E
 1 VERT-LINE / 0 0 0 10 E
 2 HORZ-LINE5 / 0 0 5 0 E
 3 PERSON : 2 0 0 : 1 2.5 0 E
 4 POINT> / 0 0 1.5 1.5 / 1.5 1.5 0 3 E
 5 RIGHT : 4 3.5 3.5 : 2 0 5 E
 6 POINT< / 1.5 0 0 1.5 / 0 1.5 1.5 3 E
 7 LEFT : 6 0 3.5 : 2 0 5 E
 8 VERT-LINE5 / 0 0 0 5 E
 9 EXCLAMATION / 0 1.5 0 10 0 0 .25 .5 0 350 E
 10 DOT 0 .4 .4 .4 0 350 E
 11 POINT↑ / 0 0 1 1 / 1 1 2 0 E
 12 POINT-DOWN / 1 0 0 1 / 1 0 2 1 E
 13 ACCENT / 0 1.5 1.5 0 / 1.5 0 3 1.5 E
 14 DOWN : 13 0 0 : 8 1.5 0 E
 15 CAP 0 5 5 5 0 180 E
 16 MOUTH 0 2.5 5 2.5 0 355 E
 17 EAR 0 2.5 7.5 2.5 -2 180 0 -5 8.8 10.1 -61 -8 E
 18 HEART : 17 5 0 : 0 0 0 E
 19 AND / 0 1.5 3 1.5 / 1.5 0 1.5 3 E
 20 ? 0 2.5 7.5 2.5 -45 170 0 8.5 1.5 6 135 180 0 2.5 .3 .4 0 350 E
 21 MUCH-MANY / 0 0 3 3 / 0 3 3 0 E
 22 CONTAINER 0 5 5 5 180 360 E
 23 SUN 0 5 5 5 0 355 E
 24 EARTH / 0 0 10 0 E
 25 DO-MAKE / 0 0 2.5 3.5 / 2.5 3.5 5 0 E
 26 MAN / 0 0 2.5 3.5 / 2.5 3.5 5 0 / 2.5 3.5 2.5 10 E
 27 NOSE / 0 0 4 0 / 0 0 4 10 E
 28 EYE : 16 0 0 : 10 2.5 5 E
 29 UP : 1 2.5 0 : 25 0 7 E
 30 OPEN / 0 0 10 0 / 0 0 0 10 / 10 0 10 10 E
 31 WATER 0 2 3 2.12 45 135 0 5 6 2.12 -135 -45 E
 32 ELECTRICITY / 0 0 4 5 / 0 5 4 5 / 0 5 4 10 E
 33 PEN / 10 0 0 10 E
 34 TWO 0 2 4 2 -45 150 / .5 0 3.7 2.7 / .5 0 3 0 E
 35 HELLO : 16 0 0 : 5 6 0 : 7 12 0 E
 36 I;ME;MY / 7 0 7 6 / 6 5 7 6 : 3 0 0 E
 37 LIKE : 18 0 0 : 19 11.5 3.5 : 9 16.5 0 E
 38 HAPPY : 18 0 0 : 29 13 0 E
 39 FOOD : 2 0 1.5 : 16 0 0 E
 40 FRIEND : 3 0 0 : 37 6 0 E
 41 ANIMAL : 25 0 0 : 25 5 0 : 24 0 3.5 E
 42 WHY / 7 1 7 9 / 7 1 13 5.5 / 7 9 13 5.5 : 20 0 0 E
 43 YOU : 3 0 0 : 34 5 0 E
 44 WANT 0 8 7 5 -25 40 0 17 3 5 155 215 : 18 0 0 : 11 4 11 E
 45 PLEASE : 9 0 0 : 18 2 0 E
 46 ANGRY / 0 10 1.5 7 / 1.5 7 3 10 / 14 5 16.5 0 / 14 5 16.5 10 / 15.5
 5 18 0 / 15.5 5 18 10 : 13 0 0 : 13 3 0 E
 47 DRINK : 39 0 0 : 31 6 0 E
 48 GOD / 0 0 10 0 / 0 0 5 6 / 5 6 10 0 / 0 4 3.4 4 / 6.6 4 10 4 / 0 4 5
 10 / 5 10 10 4 E
 49 PAGE / 0 0 0 10 / 0 0 6 0 / 0 10 6 10 / 6 0 6 10 E
 50 BOOK / 0 0 5 0 / 0 0 0 10 / 0 10 5 10 : 49 5 0 E
 51 FLOWER : 16 0 2.5 : 8 2.5 0 E
 52 BIRD 0 11 4.2 8.5 136 281 0 -6 4.2 8.5 -31 44 E
 53 MOTHER / 0 0 5 0 : 26 0 0 E
 54 FATHER / 0 8.5 2.5 10 / 2.5 10 5 8.5 : 26 0 0 E
 55 MOTHER / 0 0 5 0 : 54 0 0 E
 56 BROTHER / 0 0 2.5 5 / 2.5 5 5 0 / 0 7 2.5 10 / 2.5 10 5 7 : 34 6.5 0
 E

57 SISTER / 0 0 5 0 : 54 0 0 E
58 HOUSE / 0 0 0 6 / 0 0 8 0 / 8 0 8 6 / 0 6 4 10 / 8 6 4 10 E
59 BOX / 0 0 10 0 / 0 0 0 10 / 10 0 10 10 / 0 10 10 10 E
60 SLEEP : 59 0 0 : 28 2.5 0 E
61 FUNNY / 3 12 5 10 / 5 10 7 12 : 38 0 0 : 16 15.5 0 E
62 AFRAID 0 25.5 5 9.25 150 215 : 18 0 0 : 14 12 0 : 20 20 0 E
63 COME / 6.5 0 6.5 7.5 / 1 8 2.5 10 / 2.5 10 4 8 : 5 0 0 E
64 HOW / 6 0 11 10 / 11 10 16 0 : 20 0 0 E
66 WHAT? : 20 0 0 : 59 7 0 E
65 WHO? : 20 0 0 : 3 5.5 0 E
67 WHICH? : 20 0 0 : 2 6 0 : 10 8.5 3.5 : 10 8.5 6.5 E
68 WHERE? : 2 0 -5 : 20 0 1.5 E
69 WHEN? / 12.5 5 12.5 10 / 12.5 5 17.5 5 : 20 0 0 : 23 7.5 0 E
70 TOILET / 2 5 2 10 / 5 3.5 5 7 / 2 7 5 7 : 31 0 0 E
71 WASH / 1 7 3.5 10 / 3.5 10 6 7 0 3.25 4.5 3.4 192 359 : 31 0 0 E
72 HOW-MUCH / 8 0 18 10 / 8 10 18 0 : 20 0 0 E
73 THINK / 2.5 6 5 8.5 / 5 8.5 7.5 6 : 15 0 -5 E
74 NAME : 33 0 0 : 16 2.5 0 E
75 WORD : 10 2.5 3.5 : 10 2.5 6.5 : 2 0 0 : 16 9 0 E
76 LIGHT : 23 0 0 : 28 2.5 0 E
77 TABLE / 0 2.5 0 7.5 / 0 7.5 10 7.5 / 10 7.5 10 2.5 E
78 LEGS / 0 0 3 0 / 0 0 3 10 / 3 10 6 0 / 6 0 10 0 E
79 ROOM / 0 0 10 0 / 10 0 10 10 / 0 10 10 10 E
80 SHOW : 58 0 0 : 23 10 1 E
81 WEATHER 0 3 2.5 3.25 52 150 0 7 7.5 3.25 -150 -52 : 13 5 0 : 1 5 0 :
23 0 0 E
82 DAY : 24 0 0 : 23 0 0 E
83 WEEK-END / .5 7 3.5 7 / 7 6 7.5 7 / 7.5 7 7.5 2 / 4 5 6 5 / 5 4 5 6
0 9.5 2 7.75 140 180 : 82 0 0 E
84 STREET / 0 0 5 0 : 13 1 0 : 58 5 0 E
87 STORE / 0 0 10 0 / 10 0 10 10 / 10 10 4 10 : 22 11 0 : 16 13.5 -2.5
: 16 13.5 2.5 : 1 16 0 E
86 NEWS : 17 3 0 : 28 0 0 E
85 OUTING / 16 5 25 5 : 78 0 0 : 59 11 0 : 4 23.5 3.5 E
88 FIRE 0 3.25 2.5 3.25 132 230 0 1.25 7.5 3.25 -48 50 E
89 PAIN / 9 0 13 5 / 13 5 17 0 / 17 0 17 5 : 18 0 0 E
90 HAND / 0 5 5 0 / 5 0 5 10 E
91 HEAD / 2.5 1.5 7.5 1.5 / 5 3 5 7.5 / 2 9 3.5 7 / 6.5 7 8 9 : 23 0 0
E

92 HOT / 0 5 3 2 / 0 5 3 8 / 7.5 2 10.5 5 / 7.5 8 10.5 5 / 3.5 11 5 12.
 5 / 5 12.5 6.5 11 : 88 4 0 E
 93 DIFFICULT / 10 10 10 6 / 10 4 10 0 : 13 3 8.5 : 5 5 0 : 2 0 0 E
 95 NEW, YOUNG / 2.5 2.5 2.5 0 : 2 0 -5 : 16 0 0 : 13 0 8.5 E
 96 BIG / 1 11 2.5 12.5 / 2.5 12.5 4 11 / 0 10 5 10 : 3 0 0 E
 97 HELP / 0 0 5 10 / 3.5 11 5 12.5 / 5 12.5 6.5 11 : 3 2.5 0 E
 98 MAKE / 0 0 5 6 / 5 6 10 0 / 0 0 10 0 / 3.5 8.5 5 10 / 5 10 6.5 8.5 E
 99 TEACHER Q 21 6 4 0 180 0 10 5 5 -156 -31 / 17 0 17 6 / 17 0 25 0 / 2
 5 0 25 6 / 8.5 8.5 10 10 / 10 10 11.5 8.5 : 1 10 0 : 3 0 0 E
 100 GAME / 0 5 0 10 / 0 5 5 5 / 0 10 5 10 / 5 5 5 10 / 5 0 8 6 / 8 6 11
 0 / 23.5 8.5 25 10 / 25 10 26.5 8.5 : 1 25 0 : 18 11.5 0 E
 101 BIRTHDAY / 14.5 -1.5 14.5 6.5 / 10.5 2.5 18.5 2.5 / 11.5 -.5 18 5.5
 / 11.5 5.5 18 -.5 : 82 0 0 E
 102 BE / 2.5 0 2.5 5 / 2.5 5 0 7.5 / 2.5 5 5 7.5 : 16 0 -2.5 E
 103 HAVE / 0 0 3 0 / 0 6 1.5 7.5 / 1.5 7.5 3 6 : 19 0 1 E
 104 MUSIC / 5 3 5 10 : 16 0 -2.5 : 17 7.5 0 E
 105 THANKS Q 15 5 5 -156 -31 / 15 0 15 10 / 13.5 8.5 15 10 / 15 10 16.5
 8.5 : 18 0 0 E
 106 OPPOSITE / 0 8.5 1.5 10 / 1.5 10 1.5 0 / 1.5 0 3 1.5 E
 107 I'M...SORRY / 23 0 23 10 : 13 21.5 0 : 18 9.5 0 : 36 0 0 E
 108 HOSPITAL / 11.5 0 11.5 10 : 58 0 0 : 88 10.5 0 E
 109 SCHOOL Q 15 5 5 -156 -31 Q 25 6 4 0 180 / 13.5 8.5 15 10 / 15 10 16
 .5 8.5 / 21 6 21 0 / 21 0 29 0 / 29 0 29 6 : 58 0 0 : 1 15 0 E
 110 TV : 59 0 0 : 28 11.5 0 : 17 17 0 : 32 23.5 0 E
 111 GOOD / 3.5 10 5 8.5 / 5 8.5 6.5 10 : 15 -3.5 0 : 19 3.5 0 : 9 12.5
 0 E
 112 KNOW / 3.5 11 5 12.5 / 5 12.5 6.5 11 / 0 0 8 0 / 0 0 0 6 / 8 0 8 6
 Q 4 6 4 0 180 E
 113 GIVE Q 5 5 5 -156 -31 / 3.5 8.5 5 10 / 5 10 6.5 8.5 / 3.5 11 5 12.5
 / 5 12.5 6.5 11 : 1 5 0 E
 114 CAR / 0 5 14 5 / 2.75 .75 6.25 4.25 / 2.75 4.25 6.25 .75 / 7.75 .75
 11.25 4.25 / 7.75 4.25 11.25 .75 : 16 2 -2.5 : 16 7 -2.5 E
 115 WHEELCHAIR / .75 .75 4.25 4.25 / .75 4.25 4.25 .75 : 16 0 -2.5 : 1
 0 0 : 2 0 0 : 8 5 0 E
 116 CLOTHING / .5 3.5 3 6 / 3 6 5.5 3.5 / 0 1.5 6 1.5 / 0 4.5 6 4.5 / 1
 .5 0 1.5 6 / 4.5 0 4.5 6 E
 END

Appendix E

BLSEDIT LISTING

PAGE 1

```
50 OPEN #0,"BLSDATA" \OPEN #1,"BLSDATE"
60 INPUT "TYPE THE SYMBOL # THAT NEEDS EDITING : ",M
STOP
READY
BYE
*JP 0000
READY
LIST

10 REM BLSEEDIT JAN 6
20 REM EDITS BLSDATA BY READING BLSDATA AND
30 REM PUTTING THE CORRECTION IN BLSDATE
35 DIM C$(80)
40 DIM B$(255)
41 DIM A$(255)
50 OPEN #0,"BLSDATA" \OPEN #1,"BLSDATE"
60 INPUT "TYPE THE SYMBOL # THAT NEEDS EDITING : ",M
70 FOR I=0 TO M+1
80 READ #0,A$
90 IF VAL(A$(2))=M THEN EXIT 130
100 WRITE #1,A$
110 NEXT I
120 PRINT "ERROR" \STOP
130 PRINT A$,LEN(A$)
140 INPUT B$
150 IF B$(LEN(B$))="E" THEN 200
160 INPUT C$
170 B$=B$+C$
180 GOTO 150
200 PRINT B$,LEN(B$)
202 INPUT "IF OK PUSH ANY CHAR...IF NOT CONT-C ",X$
205 WRITE #1,B$
210 FOR I=M-1 TO 120
220 READ #0,A$ \WRITE #1,A$
225 IF A$="END" THEN EXIT 240
230 NEXT I \REM WILL PROBABLY END WITH A TYPE ERROR
240 PRINT"ERROR IN DATA FILE--EXCEDED 120 SYMBOLS"
245 STOP
248 P=0\REM COPY BLSDATE TO BLSDATA*****
250 FOR I=0 TO 120
260 READ #1 %P,A$
270 WRITE #0 %P,A$
280 IF A$="END" THEN EXIT 330
290 P=P+LEN(A$)+2
300 NEXT I
310 PRINT "ERROR--DID NOT HAVE 'END' "
320 STOP
330 CLOSE #0\CLOSE #1\PRINT "DONE"\STOP
READY
```

Appendix F

BLSXY LISTING

PAGE 0

```
10 REM BLSXY JAN 8
20 REM READS EQUATION PARAMETERS FROM BLSDATA TO MAKE BLSXY
30 DIM A(120),S$(20)\REM # OF SYMBOLS, MAX LENGTH OF SYMBOL NAME
35 DIM X(300),Y(300),A$(255),F$(850)
36 DIM J$(800)
37 DIM C$(20),H$(20)
40 OPEN #0, "BLSDATA"
50 OPEN #1, "BLSXY"
60 F=1.4 \REM ASPECT RATIO
70 T=1 \REM THRESHOLD # OF SAMPLES TO MAKE DOT
80 H=20 \REM HEIGHT OF SYMBOL # OF RASTER LINES
90 C=2 \REM # OF DEGREES/SAMPLE
100 S=3 \REM # OF SAMPLES/GRID SPACE
105 PRINT"# SYMBOL          N    D    A(M9)    LEN(A$)+2"
106 PRINT
107 PRINT"-----"
110 READ #0,A$
112 IF A$="END" THEN STOP
113 L9=0\REM LIMIT ON THE NUMBER OF ERROR TRIALS
115 N=0 \REM # OF SAMPLES
120 P=2 \REM POINTER FOR A$
130 GOSUB 2000 \M9=VAL(C$) \REM SYMB #
135 A(M9)=0\REM FILE POINTER FOR START OF THIS SYMBOL
140 GOSUB 2000 \S$=C$ \REM SYMBOL NAME
150 GOSUB 2000
160 IF C$="Q" THEN 500
170 IF C$="/" THEN 700
180 IF C$=":" THEN 1000
190 IF C$="E" THEN 1500 \REM SYMBOL MADE OF ALL LINES AND CIRCLES
200 PRINT "COMMAND ERROR", C$
210 STOP
500 REM CIRCLE ROUTINE*****
510 GOSUB 2000 \X1=VAL(C$)
520 GOSUB 2000 \Y1=VAL(C$)
530 GOSUB 2000 \R=VAL(C$)
540 GOSUB 2000 \A=VAL(C$)*710/(360*113)
550 GOSUB 2000 \B=VAL(C$)*710/(360*113)
560 X(N)=(X1+R*COS(A))*H/10*F
570 Y(N)=(Y1+R*SIN(A))*H/10
580 A=A+C*710/(360*113)*5/R
590 N=N+1
600 IF A<B THEN 560
610 GOTO 150
700 REM LINE ROUTINE*****
710 GOSUB 2000 \X3=VAL(C$)
720 GOSUB 2000 \Y3=VAL(C$)
730 GOSUB 2000 \X4=VAL(C$)
740 GOSUB 2000 \Y4=VAL(C$)
```

PAGE 1

```
750 IF X3=X4 THEN 900
760 IF X3<X4 THEN 790
770 X7=X3 \X3=X4 \X4=X7
780 Y7=Y3 \Y3=Y4 \Y4=Y7
790 M=(Y4-Y3)/(X4-X3)
800 X5=SQRT(1/S12/(1+M12))*10/H
810 B=Y3-M*X3
820 IF M=0 THEN B=Y3
830 Y(N)=(M*X3+B)*H/10
840 X(N)=X3*F*H/10
850 N=N+1
860 X3=X3+X5
870 IF X3<X4 THEN 830
880 GOTO 150
890 REM VERT. LINE
900 X(N)=X3*F*H/10
910 Y(N)=Y3*H/10 \N=N+1
920 Y3=Y3+10/(H*S)
930 IF Y3<Y4 THEN 900
940 GOTO 150
1000 REM \ OTHER SYMBOL ROUTINE*****
1010 GOSUB 3000 \REM COMPUTE DOTS FROM SAMPLE POINTS
1020 GOSUB 2000 \S1=VAL(C$)
1030 GOSUB 2000 \X0=VAL(C$)
1040 GOSUB 2000 \Y0=VAL(C$)
1060 READ #1 %A(S1),J$
1100 P1=2
1101 GOSUB 2100 \REM SYMBOL #
1120 GOSUB 2100 \REM SYMBOL NAME
1130 D=D+1
1135 X0=X0*F*H/10
1136 Y0=Y0*H/10
1140 GOSUB 2100 \F$=F$+STR$(INT(VAL(H$)+X0+.5))
1150 GOSUB 2100 \F$=F$+STR$(INT(VAL(H$)+Y0+.5))
1160 GOSUB 2100
1170 IF H$="E" THEN 1200
1180 D=D+1 \F$=F$+STR$(INT(VAL(H$)+X0+.5))
1190 GOTO 1150
1200 GOSUB 2000 \REM GET COMMAND
1210 IF C$=":" THEN 1020
1220 IF C$<>"E" THEN STOP
1300 F$=F$+" E"
1302 IF M9=0 THEN A(M9)=0 \REM A(M9)-FILE POINTER FOR EACH SYMBOL
1304 Q=A(M9)+2+LEN(F$)
1306 IF LEN(F$)>255 THEN Q=Q+1
1310 WRITE #1 %A(M9),F$
1315 PRINT M9," ",S$,TAB(24),N,D,A(M9),LEN(A$)+2
1320 GOTO 110 \REM GO START ANOTHER SYMBOL
1400 WRITE #1,"END" \CLOSE #1
1420 STOP
1500 REM "E"
1510 GOSUB 3000
1520 GOTO 1300
2000 C$="" \REM DECOMPILE SYMBOL STRING
2010 B$=A$(P,P) \P=P+1
2020 IF B$=" " THEN RETURN \REM LOOKING FOR A SPACE
```

PAGE 2

```
2030 C$=C$+B$
2035 IF P=LEN(A$) +1 THEN RETURN
2040 GOTO 2010
2100 H$="" \REM DECOMPILES STRING
2110 G$=J$(P1,P1)\P1=P1+1
2120 IF G$=" " THEN RETURN
2130 H$=H$+G$
2135 IF P1=LEN(J$)+1 THEN RETURN
2140 GOTO 2110
3000 REM ERROR ROUTINE-ASSEMBLES SAMPLES INTO DOTS*****
3010 REM FROM X(N),Y(N) TABLE
3011 F$=STR$(M9)+" "+S$\REM START ASSEMBLY
3015 IF N=0 THEN RETURN\REM NO SAMPLES TO COMPUTE
3020 E0=0\E1=0\L9=L9+1
3030 FOR K=0 TO N
3040 E0=E0+X(K)-INT(X(K)+.5)
3050 E1=E1+Y(K)-INT(Y(K)+.5)
3060 NEXT K
3070 FOR K=0 TO N
3080 X(K)=X(K)-E0/N
3090 Y(K)=Y(K)-E1/N
3100 NEXT K
3105 IF L9>10 THEN 3120
3110 IF ABS(E0/N)+ABS(E1/N)<.0015 THEN 3020
3120 FOR K=0 TO N \REM THRESHOLD ROUTINE
3130 X(K)=1000*INT(X(K)+.5)+INT(Y(K)+.5)
3140 NEXT K \REM COORDINATES OF SAMPLES NOW IN X(N)
3150 D=-1 \REM # OF DOTS
3160 FOR L=0 TO N
3170 IF X(L)<>INT(X(L)) THEN 3240
3180 FOR K=L+1 TO N
3190 IF INT(X(L))<>X(K) THEN 3220
3200 X(L)=X(L)+.01
3210 X(K)=X(K)+.01
3220 NEXT K
3230 IF X(L)-INT(X(L))>=.01 THEN GOSUB 3300
3240 NEXT L
3250 RETURN
3300 D=D+1
3320 F$=F$+STR$(INT(X(L)/1000))+STR$(INT(X(L)-1000*INT(X(L)/1000)))
3340 RETURN
READY
```

Appendix G

DISPLAY LISTING

READY
LIST

```
10 REM DISPLAY JAN 9
20 REM DISPLAYS SYMBOLS FORM "BLSDXY" FILE
30 DIM F$(850),S$(20),S(120)
35 DIM H$(20)
100 OPEN#1,"BLSDXY"\P=0\REM COMPILE INDEX OF SYMBOLS
105 FILL 53308,65\Z=CALL(50099)\REM NO DMA-41
110 FOR I=0 TO 105
115 IF TYP(1)<>1 THEN EXIT 160
120 READ #1,F$\S(I)=P
130 P=P+LEN(F$)+2
135 IF LEN(F$)>255 THEN P=P+1
140 IF F$="END" THEN EXIT 170
150 NEXT I
~160 PRINT "FILE BLSDXY HAS NO END"
170 PRINT "FILE HAS ",I," SYMBOLS IN IT"
180 REM SUB TO " OR" DATA WITH DISPLAY MEMORY
200 FILL 53361,58\REM 3A LDA D071
210 FILL 53362,121\REM 79
220 FILL 53363,208\REM D0
230 FILL 53364,235\REM EB XCHG
240 FILL 53365,182\REM B6 ORA,M
250 FILL 53366,119\REM 77 MOV M,A
260 FILL 53367,235\REM EB XCHG
270 FILL 53368,201\REM C9 RETURN
280 REM SET UP MBI RAM BYTES FOR EDI-0
290 REM\ NEW SCREEN AREA,SUPER DENSE
300 A0=0
310 FILL 53300,000\FILL 53301,A0\REM D034 TCU
320 FILL 53302,000\FILL 53303,A0\REM THOME
330 FILL 53304,000\FILL 53305,A0\REM TSS
340 FILL 53306,000\FILL 53307,A0+10\REM TEOM
350 FILL 53308,17\REM TDFMT-SUPER DENSE GRAPHICS
360 Z=CALL(50099)\REM EDIT-0
490 X0=10\Y0=170\REM POSITION OF SYMBOL ON SCREEN
492 INPUT "DO YOU WANT THE SCREEN CLEARED: YES OR NO? ",C$
494 IF C$="NO" THEN 530
500 FOR A=A0 TO A0+4096
510 FILL A,0
520 NEXT A
530 INPUT1 "#: ",M
535 Z=CALL(50099)\REM EDIT-0
540 READ #1 %S(M),F$ \P1=2
545 Z=CALL(50099)\REM EDIT-0
550 GOSUB 2100
560 GOSUB 2100\S$=H$\REM SYMBOL NAME
570 W=0\REM FIND WIDTH AND # OF DOTS
575 P3=P1
580 FOR I=0 TO 420
590 GOSUB 2100\IF H$="E" THEN EXIT 620
595 IF VAL(H$)>W THEN W=VAL(H$)
600 GOSUB 2100
610 NEXT I\STOP
620 N=I-1\P1=P3
```

PAGE 1

```
640 IF X0>320 THEN 1000
650 FOR I=0 TO N\REM DIG OUT THE DOTS AND DISPLAY
660 GOSUB 2100\X=VAL(H$)+X0
670 GOSUB 2100\Y=VAL(H$)+Y0
680 GOSUB 900\REM DISPLAY DOT
690 NEXT I
695 X0=X0+N+20
700 REM DUMP THE SYMBOL NAME
710 PRINT " ",S$,TAB(20),X0,Y0,W
720 GOTO 530\REM GO START ANOTHER SYMBOL
900 REM DISPLAY X,Y DOT
910 A1=INT(X/8)+INT(199.5-Y)*40
920 B1=X-INT(X/8)*8
930 FOR J=0 TO 7
940 IF INT(B1)=J THEN C1=2+J
950 NEXT J
960 FILL 53369,C1
970 Z=CALL(53361,A1)
980 RETURN
1000 X0=10\REM START NEXT SCREEN LINE
1010 Y0=Y0-30
1020 IF Y0<100 THEN 490\REM CLEAR SCREEN--START AT TOP
1030 GOTO 650
2100 H$=""
2110 G$=F$(P1,P1)\P1=P1+1
2120 IF G$=" " THEN RETURN
2130 H$=H$+G$
2140 IF P1=LEN(F$)+1 THEN RETURN
2150 GOTO 2110
READY
```

Appendix H

BLSCODE LISTING

*GO BASIC
READY
LIST

READY

BYE

*LI

DOS 4 10 0

G/BASIC 14 20 1 2000

DEND 34 1 4

DEND/RUN 35 7 1 400

GB400 42 20 1 400

BLSDATA 62 30 3

BLSDATE 92 30 3

BLSXY 122 15 2

BLSCODE 137 20 2

BLSEEDIT 157 10 2

DISPLAY 167 10 2

BLSDXY 177 150 3

*JP 2004

READY

LIST

10 REM BLSCODE JAN 11

20 REM COMPILES X-Y COORDINATES FROM BLSDXY TO CODE

30 DIM X(400),Y(400),A\$(400),T(3,3),U(14)

35 PRINT " U D0 X2 Y2 X1 Y1 Z0 A B"

40 OPEN #1,"BLSDXY"

50 FOR I=0 TO 3 \FOR J=0 TO 3

60 READ T(I,J)

70 NEXT J \NEXT I

80 DATA 0,0,0,0,64,16,4,1,128,32,8,2,192,48,12,3

90 RESTORE 100

91 FOR J=0 TO 13

92 READ U(J)

93 NEXT J

100 DATA .3,.2,.02,.002,.0101,.003,.01,.1,.1,.01,.0101,.002,.02,.2

110 A=0 \REM STORAGE AREA FOR CODE

120 P1=2 \REM STRING POINTER

122 IF C\$="E" THEN PRINT A\$

123 PRINT

125 READ #1,A\$

PAGE 1

```

130 N=0 \REM DOT COUNTER
140 GOSUB 3000 \M=VAL(C$) \REM SYMBOL #
150 GOSUB 3000 \S$=C$ \REM SYMBOL NAME
160 GOSUB 3000 \X(N)=VAL(C$)
170 GOSUB 3000 \Y(N)=VAL(C$)
180 GOSUB 3000
190 IF C$="E" THEN 230
200 N=N+1 \X(N)=VAL(C$)
210 GOTO 170
220 REM COORDINATES ARE NOW IN X(N),Y(N)*****
230 FILL(3841+M*2),INT(A/256) \REM INDEX AT 0F00
240 FILL(3840+M*2),A-INT(A/256)*256
250 FILL A,0
255 A$=S$+" " \REM STRING OF CODES
260 N3=0 \P=1 \D0=0 \C4=0 \X0=-1 \Y0=0
270 Z0=100 \REM FIND NEAREST POINT X2,Y2*****
280 FOR I=0 TO N
285 IF X(I)<>INT(X(I)) THEN 330
290 Z1=SQRT((X(I)-X0)^2+(Y(I)-Y0)^2)
300 IF Z1>=Z0 THEN 330
310 X2=X(I) \Y2=Y(I) \Z0=Z1
320 S=I
330 NEXT I \REM NOW FIND NEW DIRECTION
340 IF Y2>Y0 THEN D1=SGN(X0-X2)+2
350 IF Y2<Y0 THEN D1=SGN(X2-X0)+6
360 IF Y2=Y0 AND X2<X0 THEN D1=4
370 IF Y2=Y0 AND X2>X0 THEN D1=0
380 IF Z0>1.5 THEN 2090 \REM LIFT PEN --INTERMEDIATE DOT
390 GOTO 1480 \REM ADJOINING DOT
1370 B=EXAM(A)+T(U,C4) \REM 2-BIT ROUTINE
1400 FILL A,B
1405 A$=A$+STR$(U)
1406 IF U<>0 THEN A$=A$+" "
1420 C4=C4+1 \IF C4<4 THEN RETURN
1440 C4=0 \A=A+1 \FILL A,0
1470 RETURN
1480 IF P=0 THEN 1515 \REM PEN ALREADY DOWN
1490 P=0 \U=.03 \GOSUB 2030
1515 GOSUB 1880 \REM GET CODE AND DUMP
1520 X0=X2 \Y0=Y2 \D0=D1
1530 X(S)=X(S)+.1
1550 N3=N3+1
1560 IF N3<=N THEN 270
1565 M=0
1570 FOR I=0 TO N \REM FIND WIDTH
1590 IF X(I)>M THEN M=INT(X(I))
1600 NEXT I
1605 H=20 \F=1.4
1610 PRINT "WIDTH= ";M,M*10/(H*F)
1620 FOR I=1 TO 3
1630 U=0 \GOSUB 1370
1640 NEXT I
1670 IF M>31 THEN U0=2
1680 IF M>31 THEN M=M-32
1690 IF M>15 THEN U1=1
1700 IF M>15 THEN M=M-16

```

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```
1710 U=U0+U1
1720 GOSUB 1370
1730 U0=0 \U1=0
1740 IF W>7 THEN U0=2
1750 IF W>7 THEN W=W-8
1760 IF W>3 THEN U1=1
1770 IF W>3 THEN W=W-4
1775 U=U0+U1
1780 GOSUB 1370
1790 U0=0 \U1=0
1800 IF W>1 THEN U0=2
1810 IF W>1 THEN W=W-2
1820 IF W>0 THEN U1=1
1830 U=U0+U1
1840 GOSUB 1370
1850 PRINT M,S$;"NEXT ADDRESS= ",A+1
1860 A=A+1
1870 GOTO 120
1880 I=D1-D0 \REM CALC CODE
1900 IF I<0 THEN I =I+8
1910 U=U(I)
2030 U=U*10 \U=INT(U) \REM OUTPUT
2060 GOSUB 1370
2070 IF U<>INT(U) THEN 2030
2080 RETURN
2090 IF P=1 THEN 2120
2100 P=1 \U=.003
2110 GOSUB 2030
2120 REM CALC X1,Y1
2130 X1=X0
2140 IF X2-X0>=1 THEN X1=X0+1
2150 IF X0-X2>=1 THEN X1=X0-1
2160 Y1=Y0
2170 IF Y2-Y0>=1 THEN Y1=Y0+1
2180 IF Y0-Y2>=1 THEN Y1=Y0-1
2190 GOSUB 1880
2200 X0=X1 \Y0=Y1
2210 D0=D1\GOTO 270
3000 C$=""
3010 B$=A$(P1,P1)\P1=P1+1
3020 IF B$=" " THEN RETURN
3030 C$=C$+B$
3040 IF P1=LEN(A$)+1 THEN RETURN
3050 GOTO 3010
READY
```

Appendix I

ASSEMBLY LISTING - DECOMPILER

Path Direction Method

Oct 30/78 - "F3"

Symbols in "F30S" table OF00

```

0010 *SYMBOL DEFINITION
0020 *RON & DAN PALMER
0030 *AUGUST 1978
0040 *
0050 XSCAN DS 1
0060 YSCAN DS 1
0070 XOUT DS 1
0080 YOUT DS 1
0090 *WIDTH OF SYMBOL .... 00XXXXXX
0100 W DS 1
0110 *LOCATION WITHIN A SYMBOL
0120 X DS 1
0130 Y DS 1
0140 *# OF TWO BIT CODES GONE BY
0150 CODE DS 1
0160 *ADDRESS OF SYMBOL DATA TO BE DISPLAYED
0170 SYMB DS 2
0180 DR DS 1 ;DIRECTION REGISTER
0190 PEN DS 1 ;0=DOWN 1=UP
0200 X0 DS 2 ;GRAPHIC CURSOR LOC
0210 Y0 DS 1
0220 *
0230 *
0240 XPOS DS 3
0250 *ADDRESS OF THE SYMBOL TABLE
0260 *
0270 *
0280 * XPOS ..XL
0290 * ..XH
0300 * ..Y
0310 *INDEX OF STARTING ADDRESSES OF SYMBOLS
0320 TABLE DW 0F00H ;RESERVED FOR FUTURE
0330 *
0340 *INIT.....INITIALIZE
0350 *RON AND DAN PALMER
0360 *AUGUST 1978
0370 *MUST HAVE TABLE AND SYMB DATA IN BEFOREHAND
0380 INIT LXI H,DR
0390 MVI M,00
0400 LXI H,PEN
0410 MVI M,01 ;UP
0420 INX H
0430 MVI M,00
0440 LXI H,Y0
0450 MVI M,20 ;STRT 20 FROM TOP-SCRN
0460 LXI H,0000
0470 SHLD X0
0480 LXI H,0D079H ;SCMOD
0490 MVI M,01 OR
0500 LXI H,6000H ;GRAPHICS STR-6K
0510 SHLD 0D07AH GDSTART
0520 RET
0530 DISPL LHLD 0D07AH GDSTR..SET DIPL ADDR

```

0. OF

1 0A 03

6 00

1 0B 03

6 01

3

6 00

1 0E 03

6 14

1 00 00

2 0C 03

1 79 D0

6 01

1 72 17 00 60

2 7A D0

9

A 7A D0

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E5		0540	PUSH	H		
3E 20		0550	MVI	A,20H		
84		0560	ADD	H		
67		0570	MOV	H,A		
E5		0580	PUSH	H		
21 11 00		0590	LXI	H,0011H	; SUPER DENSE MODE	
E5		0600	PUSH	H		
C3 50 C1		0610	JMP	0C150H	; UPDATE ROUTINE	
00		0620	NOP			
2A 7A D0		0630	CLEAR	LHLD 0D07AH	GDSTR..START ADDR	
E5		0640	PUSH	H		
3E 20		0650	MVI	A,20H		
84		0660	ADD	H		
67		0670	MOV	H,A		
E5		0680	PUSH	H		
21 00 00		0690	LXI	H,0000	; FILL WITH ZEROES	
E5		0700	PUSH	H		
C3 EE C0		0710	JMP	0C0EEH	; FILL ROUTINE	
00		0720	NOP			
		0730	*CURRENT ADDRESS OF START OF STORY			
		0740	STORD	DS 2	; SEQUENT ADDR OF SYMB	
		0750	STORN	DS 1	; CURRENT # OF SYMBOLS	
		0760	* BITS			
		0770	*			
		0780	*			
		0790	*PUTS THE TWO BITS ON THE LEFT SIDE OF			
		0800	*THE ACCUMULATORBBXXXXXX			
		0810	*KEEPS TRACK OF # OF BITS TAKEN OUT			
		0820	*IN CODE AND INCREMENTS SYMB WHEN EXHAUSTED			
		0830	*			
2A 00 03		0840	BITS	LHLD	SYMB	
3A 07 03		0850		LDA	CODE	
FE 00		0860		CPI	00	
DA 7F 03		0870		JZ	CODE0	
FE 01		0880		CPI	01	
DA 87 03		0890		JZ	CODE1	
FE 02		0900		CPI	02	
DA 8D 03		0910		JZ	CODE2	
FE 03		0920		CPI	03	
DA 95 03		0930		JZ	CODE3	
FE 04		0940		CPI	04	
DA 9F 03		0950		JZ	NEXT	
C3 00 C0		0960		JMP	0C000H	; ERROR IN CODE
7E		0970	CODE0	MOV	A,M	
D6 C0		0980		ANI	0C0H	; PAD 6 RIGHT BITS
21 07 03		0990		LXI	H,CODE	
84		1000		INR	M	
D9		1010		RET		
7E		1020	CODE1	MOV	A,M	
07		1030		RLC		
07		1040		RLC		
C3 80 03		1050		JMP	CODE*1	
7E		1060	CODE2	MOV	A,M	
07		1070		RLC		
07		1080		RLC		
07		1090		RLC		

PAGE 2

07		1100	RLC		
C3 80 03		1110	JMP	COD0+1	
7E		1120	MOV	A,M	
07		1130	RLC		
07		1140	RLC		
07		1150	RLC		
07		1160	RLC		
07		1170	RLC		
07		1180	RLC		
C3 80 03		1190	JMP	COD0+1	
3E 00		1200	MOV	A,00	
32 07 03		1210	STA	CODE	; INITIALIZE CODE
21 08 03		1220	LXI	H,SYMB	
		1230	*SYMB=ADDRESS OF CODE CURRENTLY WORKING ON		
34		1240	INR	H	
		1250	*INR SYMB, SINCE USED ALL THE BITS		
C3 5D 03		1260	JMP	BITS	
		1270	*CODE MUST=0 AT BEGIN OF EACH SYMBOL		
		1280	*		
		1290	*		
		1300	*		
		1310	*DIREC....RON PALMER AUGUST 1978		
		1320	*		
		1330	*TAKES CODE FROM BITS AND DOES AS DIRECTED		
		1340	*		
CD 5D 03		1350	DIREC	CALL	BITS ;GET FIRST TWO BITS
07		1360	RLC	PUT	TWO BITS ON RIGHT
07		1370	RLC		
		1380	*		
		1390	*		
		1400	*		
		1410	*		
7E 03		1420	CPI	03	
DA 5B 04		1430	JZ	XY	;RETURN IMMEDIATELY
		1440	*KEEP OLD DIRECTION		
7E 01		1450	CPI	01	
31 0A 03		1460	LXI	H,DR	
DA 47 04		1470	JZ	SUB1	;SUBT 1 FROM DR
7E 02		1480	CPI	02	;ADD 1 TO DIREC REG
DA 41 04		1490	JZ	ADD1	
CD 5D 03		1500	CALL	BITS	;MUST HAVE BEEN ZERO
31 0A 03		1510	LXI	H,DR	
7E 00		1520	CPI	000H	CHANGE PEN
DA 53 04		1530	JZ	CHGPD	; PEN DOWN
7E 40		1540	CPI	040H	
DA 46 04		1550	JZ	SUB2	
7E 80		1560	CPI	080H	
DA 40 04		1570	JZ	ADD2	
CD 5D 03		1580	CALL	BITS	;MUST HAVE BEEN ZERO
7E 00		1590	CPI	0C0H	
31 0A 03		1600	LXI	H,DR	
DA 4B 04		1610	JZ	CHGPU	;PEN UP
7E 40		1620	CPI	040H	
DA 45 04		1630	JZ	SUB3	
7E 80		1640	CPI	080H	
DA 3F 04		1650	JZ	ADD3	

AGE 3

	1660	*MUST BE THREE SETS OF ZEROS..END OF SYMBOL		
CD 5D 03	1670	ENDSY	CALL	BITS
0F	1680		RRC	
0F	1690		RRC	
32 04 03	1700		STA	W ; W IS STORAGE BYE FOR
SYM				
CD 5D 03	1710		CALL	BITS
0F	1720		RRC	
0F	1730		RRC	
0F	1740		RRC	
0F	1750		RRC	
21 04 03	1760		LXI	H,W
06	1770		ADD	M
32 04 03	1780		STA	W
CD 5D 03	1790		CALL	BITS
07	1800		RLC	
07	1810		RLC	
21 04 03	1820		LXI	H,W
06	1830		ADD	M
32 04 03	1840		STA	W
2A 0C 03	1850		LHLD	X0
05	1860		ADD	L ;WIDTH + X0 >MAX?
DA 1C 04	1870		JC	ENDLN ;>256 DOTS WIDE
6F	1880		MOV	L,A ;ON THE TV SCREEN
22 0C 03	1890		SHLD	X0 ;STILL HAVE ROOM
C3 D0 04	1900		JMP	NEWSM ;GO START A NEW SYMBOL
	1910	*		
FE 40	1920	ENDLN	CPI	64 ;MAX DIST TO EDGE
DA 28 04	1930		JC	END ;64>W+PRES POSIT.
6F	1940		MOV	L,A
22 0C 03	1950		SHLD	X0
C3 D0 04	1960		JMP	NEWSM
	1970	*		
21 0C 03	1980	END	LXI	H,X0
36 00	1990		MVI	M,00 ;ZERO X0
23	2000		INX	H
36 00	2010		MVI	M,00
21 0E 03	2020		LXI	H,Y0
3E 1E	2030		MVI	A,30 ;HEIGHT OF SYMBOL
06	2040		ADD	M
FE C8	2050		CPI	2000 ;BOTTOM OF SCREEN
CA C7 04	2060		JZ	START
77	2070		MOV	M,A
C3 D0 04	2080		JMP	NEWSM
	2090	*		
34	2100	ADD3	INR	M
34	2110	ADD2	INR	M
34	2120	ADD1	INR	M
C3 5B 04	2130		JMP	XY
	2140	*		
35	2150	SUB3	DCR	M ;M IS NOW DIR REG
35	2160	SUB2	DCR	M
35	2170	SUB1	DCR	M
C3 5B 04	2180		JMP	XY
	2190	*		
3E 01	2200	CHGPU	MVI	A,01
32 0B 03	2210		STA	PEN

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C3 E6 04	2220	JMP	CONT	
	2230 *			
3E 00	2240	CHGPD	MVI	A,00
32 0B 03	2250		STA	PEN
C3 E6 04	2260	JMP	CONT	
	2270 *			
	2280 *			
	2290 *			
	2300 *	XY	RON PALMER	AUGUST 1978
	2310 *			
	2320	*TAKES DIREC REG &	STORES IN XPOS..XL/SH/Y	
	2330	*X=FF		
	2340	*Y=0	MUST BE INITIALIZED FOR EACH NEW SYMBOL	
3A 05 03	2350	XY	LDA	X
47	2360		MOV	B,A
3A 06 03	2370		LDA	Y
4F	2380		MOV	C,A
3A 0A 03	2390		LDA	DR
C6 08	2394		ADI	08
E6 07	2396		ANI	07
FE 07	2400		CPI	07
CA 9F 04	2410		JZ	XY7
FE 06	2420		CPI	06
CA A0 04	2430		JZ	XY6
FE 05	2440		CPI	05
CA 9A 04	2450		JZ	XY5
FE 04	2460		CPI	04
CA 9B 04	2470		JZ	XY4
FE 03	2480		CPI	03
CA 95 04	2490		JZ	XY3
FE 02	2500		CPI	02
CA 96 04	2510		JZ	XY2
FE 01	2520		CPI	01
CA 90 04	2530		JZ	XY1
C3 91 04	2540		JMP	XY0
	2550 *			
3D	2560	XY1	DCR	C
34	2570	XY0	INR	B
C3 A1 04	2580		JMP	XYEND
35	2590	XY3	DCR	B
3D	2600	XY2	DCR	C
C3 A1 04	2610		JMP	XYEND
3C	2620	XY5	INR	C
35	2630	XY4	DCR	B
C3 A1 04	2640		JMP	XYEND
34	2650	XY7	INR	B
3C	2660	XY6	INR	C
38	2670	XYEND	MOV	A,B
32 05 03	2680		STA	X
39	2690		MOV	A,C
32 06 03	2700		STA	Y
31 0E 03	2710		LXI	H,Y0
36	2720		ADD	H
32 6C D0	2730		STA	0D06CH
38	2740		MOV	C,B
36 00	2750		MVI	B,00

;GET RID OF NEG
;TRUNCATE

;Y UP-RIGHT
;X RIGHT

;LEFT UP
;UP

;LEFT
;LEFT

RIGHT-DOWN

;B CONTAINS X

;C CONTAINS Y
;Y POSIT RDY FOR DISPL

XPOS+2

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2A 0C 03	2760	LHLD	X0	IX+X0 > XPOS
09	2770	DAD	B	ADD BC AND HL
22 6A D0	2780	SHLD	0D06AH	XPOS
3A 0B 03	2790	LDA	PEN	CHECK PEN STATUS
FE 00	2800	CPI	00	
CC B3 CD	2810	CZ	0CDB8H	DISPE...DISPLAY
C3 E6 04	2820	JMP	CONT	
B8 CD	2830	DW	0CDB8H	
	2840	*		
	2850	*		
	2860	*		
	2870	*	START AUG 78	
	2880	*		
CD 14 03	2890	START	CALL INIT	
CD 38 03	2900	STAR1	CALL DISPL	
CD 49 03	2910		CALL CLEAR	
CD EA 04	2920	NEWSM	CALL SCAN1	FETCH SYM ADDR CODE
3E 01	2930	MVI	A, 01	
32 0B 03	2940	STA	PEN	PEN UP
3D	2950	DCR	A	
32 07 03	2960	STA	CODE	
32 06 03	2970	STA	Y	
32 0A 03	2980	STA	DR	
3D	2990	DCR	A	-1
32 05 03	3000	STA	X	
C3 AB 03	3010	CONT	JMP DIREC	DISPLAYS SYMBOL
	3020	TIM	DS 1	
3E 00	3030	SCAN1	MVI A, 00	
32 00 03	3040	STA	XSCAN	
3E 7F	3050	MVI	A, 7FH	
03 FF	3060	SCAN2	OUT 0FFH	FRONT PANEL LEDS
15	3070	PUSH	PSW	
06 08	3080	MVI	B, 08	
3E 7F	3090	MVI	A, 07FH	
32 E9 04	3100	STA	TIM	
0D FC C3	3110	DEL1	CALL 0C3FCH	DIMS..DELAY
0D E8 C1	3120		CALL 0C1E8H	KSTAT-KEYBRD STATUS
32 19 05	3130	JNZ	TRIG	
0A E9 04	3140	LDA	TIM	
15	3150	DCR	B	
32 FB 04	3160	JNZ	DEL1	
0A 00 03	3170	ADVAN	LDA XSCAN	
0C	3180	INR	A	
06 07	3190	ANI	07	ONLY COUNT TO 8
32 00 03	3200	STA	XSCAN	
1	3210	POP	PSW	
F	3220	PRC		
3 F1 04	3230	JMP	SCAN2	
1	3240	TRIG	POP PSW	
A 00 03	3250	LDA	XSCAN	
E 07	3254	CPI	07	JUMP TP XEK
A 04 2A	3256	JZ	2A04H	ON SCAN OF 8
7	3260	RLC	X2	2 BYTES/ADDR
A 12 03	3270	LHLD	TABLE	
5	3280	ADD	L	
F	3290	MOV	L, A	

0528 7E	3300	MOV	A,M
0529 32 08 03	3310	STA	SYMB
052C 23	3320	INX	H
052D 7E	3330	MOV	A,M
052E 32 09 03	3340	STA	SYMB+1
0531 C9	3350	RET	
0532	3360 *		
0532	3370 *		

SYMBOL TABLE

ADD1 0441	ADD2 0440	ADD3 043F	ADVAN 050B	BITS 035D
CHGPD 0453	CHGPU 044B	CLEAR 0349	COD0 037F	COD1 0387
COD2 038D	COD3 0395	CODE 0307	CONT 04E6	DEL1 04FB
DIREC 03AB	DISPE 04C5	DISPL 0338	DR 030A	END 0428
ENDLN 041C	ENDSY 03EC	INIT 0314	NEWSM 04D0	NEXT 039F
PEN 030B	SCAN1 04EA	SCAN2 04F1	STAR1 04CA	START 04C7
STORD 035A	STORN 035C	SUB1 0447	SUB2 0446	SUB3 0445
SYMB 0308	TABLE 0312	TIN 04E9	TRIG 0519	W 0304
X 0305	X0 030C	XOUT 0302	XPOS 030F	XSCAN 0300
XY 045B	XY0 0491	XY1 0490	XY2 0496	XY3 0495
XY4 049B	XY5 049A	XY6 04A0	XY7 049F	XYEND 04A1
Y 0306	Y0 030E	YOUT 0303	YSCAN 0301	

REFERENCES

1. Bliss, C.K., Semantography (Blissymbolics) 1965
Semantography (Blissymbolics) Publications,
Sidney, Australia.
2. Bliss, C.K., Mr. Symbol Man produced by National
Film Board of Canada and Film Australia.
3. Storey, J.R., "Bliss-Symbol Display Terminal"
Communications Technology & Equipment Research
Image Communication #76-12 March, 1976, CRC
publication. Ottawa, Ontario.
4. Vanderheiden, G.C., "Development of a Bliss Symbol
Communication Aid" February 1977, Cerebral Palsy
Communication Group, University of Wisconsin-
Madison.
5. "Aids to Handicapped", Medical Engineering Section,
Ottawa Crippled Children's Treatment Centre
National Research Council, Ottawa, Ontario.
6. Luukko, R., "They Use Symbols To Talk", The Regina
Leader-Post, June 12, 1978, Regina, Saskatchewan.
7. Halifax (CP) "Symbols Used for Communication", The
Regina Leader-Post, Oct. 25, 1977, Regina,
Saskatchewan.
8. Abramson, N., Information Theory & Coding pp 77
McGraw Hill Book Company, New York. (1963)
9. Bown, H.G., "PDI for the Canadian Videotex System"
Communications Canada, Nov. 30, 1978, Ottawa,
Ontario, Canada.
10. Bown, H.G., et al, A General Description of Teledon:
A Canadian Proposal for Videotex Systems, CRC
technical note No. 697-E, Ottawa, Ontario.
11. Sawchuk, W. and Bown, H.G., Interactive Graphics
Applied to Symbol Communication CRC, Box 11490
Station H, Ottawa, Ontario, Canada.

12. "Visual Telephone" Could Help Handicapped Communicate
JOUR 60 DAYS #12 July 1976, Department of
Communications, Ottawa, Ontario, Canada.
13. Information pertaining to Bliss Symbols. Blissymbolics
Communication Foundation, 862 Eglinton Ave. E,
Toronto, Ontario.
14. Vanderheiden, G. et al, "Cost Reduction in the Dev-
elopment of New Communication Aids Through the
Use of Common Control Systems: A Case Example
the Blisscom.", University of Wisconsin, Madison,
Wisconsin.
15. Newman, W.M. and Sproull, R.F., Principles of
Interactive Computer Graphics 1973, McGraw Hill
New York.
16. Walker, B.S., Gurd, J.R. and Drawneck, E.A., Interactive
Computer Graphics 1975, Crane, Russak & Co.
New York.
17. Shwedyk, E., Gordon, J., "Communication Aid for Non-
Vocal Handicapped Children" Med. & Biol. Eng. &
Comput. 1977, 15 189-194.
18. Molinder, J.I., "Optimal Coding with a Single Standard
Run Length" May 1974, IEEE Transactions on
Information Theory Vol. 1T-20, No.3.