# THE UNIVERSITY OF MANITOBA 

A MODEL TO DETERMINE THE IMPACT OF IMPROVED AGRICULTURAL EFFICIENCY IN MANITOBA by BASHIR AHMAD

A THESIS<br>SUBMITTED TO THE FACULTY OF GRADUATE STUDIES in PARTIAL FULFIMENT OF THE REQUIREMENTS FOR THE DEGREE OF DOCTOR OF PHILOSOPHY DEPARTMENT OF AGRICULTURAL. ECONOMICS AND FARM MANAGEMENT

WINNIPEG, MANITOBA

October 1978

# A MODEL TO DETERMINE THE IMPACT OF IMPROVED AGRICULTURAL EFFICIENCY 

IN MANITOBA

## BY

BASHIR AHMAD

A dissertation submitted to the Faculty of Graduate Studies of the University of Manitoba in partial fulfillment of the requirements of the degree of

## DOCTOR OF PHILOSOPHY

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# A MODEL TO DETERMINE THE IMPACT OF IMPROVED AGRICULTURAL EFFICIENCY <br> IN MANITOBA 

by

## BASHIR AHMAD

MAJOR ADVISOR: Dr. C.F. Framingham

One of the major objectives of agricultural policy in Canada over time has been the efficient use of resources in the agriculture industry. Efficient use of resources among other things depends on the size of the firm. There are several measures of farm size e.g. number of acres, gross value of production, number of workers, net returns etc. A measure is usually selected by how well it serves as a base for the particular kinds of size comparison to be made. For example, acreage may be a useful measure when one is concerned with crop production, while it may be a poor measure for poultry operations. Like census reports, farm size was measured in terms of acres. The small sized firms tend to be less efficient because they have to bear certain fixed costs with a small quantity of output. The large sized farms may not have the minimum average total cost because of problems of co-ordination, efficient decision making and the like. Economies of scale which are associated with an increase in farm size up to certain limits in agriculture have resulted in an increase in the average farm size and a reduction in the total number of farms. The large efficient farms emerging in the agriculture industry
have implications for income and employment. The general objectives of the study were to determine the spatial optimal organization of crop production in Manitoba, given efficient sized farms, and to estimate the income and employment and the distribution of both with this organization. To deal with these objectives, an efficient farm size was determined by using the survivor approach. It was assumed that the farms so determined were of efficient size for the present study. Then a multiregional linear programming model was developed in order to determine the optimal organization. Two soil types, all the crop districts of Manitoba and nine crops were included in the model. The crops were wheat, oats, barley, flaxseed, rapeseed, rye, sunflowers, potatoes and sugarbeets. Restraints were specified with regard to the availability of land of each soil type, maximum and minimum production of each crop, and the minimum amount of metabolized energy required at the crop district level. Minimum demand constraints were also placed on each commodity at the provincial level. The optimum organization for crop production was defined as that combination of activities which maximized net income.

The main findings of the study with 1974-75 prices were:

1. Total area allocated to crops under optimal solution was higher by 21 percent as compared with actual acreage in 1976 . With the exception of wheat, potatoes, and sugarbeets, the area occupied by other crops was higher in the optimal solution than the actual area. At the regional level, Central and South West regions experienced an increase in the total cropped area, while a decrease was observed in the Eastern and North West regions in the optimal acreage as compared with the actual one. This was the result of higher net income per acre associated with
most of the crops in the Central and South West regions as compared to other regions. From this one can conclude that efficient organization would lead to not only an increase in the cropped area, but would also substantially change the pattern of land use in Manitoba.
2. For the province, optimal levels of production of all crops were higher than the actual and/or normal levels of production in 1976 with the exception of wheat and sugarbeets whose optimum levels were lower than the actual levels. "Normal" is used to mean the trend level of production. The Central and South West regions made maximum contribution towards the total optimal production of each crop. Collectively both the regions shared 60.03 percent to 91.48 percent of the total provincial production of different crops. This was the result of higher net income per acre associated with most of the crops in these regions. Eastern and Interlake regions were the least important in terms of contribution toward the total production. Central and South West regions which were already sharing a high proportion of the total production of each crop, would contribute relatively more towards the output of different crops with the optimal organization of agriculture.
3. The total employment with optimal organization of crop production totalled 8,964 man years. When the labor requirements for livestock and poultry were also taken into account, the total employment amounted to 21,118 man years which was substantially less than the projected labor requirement of 42,000 for agriculture by the Department of Industry and Commerce. The optimal employment was more or less the same as the actual one. However, Central and South West regions contributed considerably more, while the other regions less towards total employment
with optimal organization than with the actual one. This leads to the conclusion that Central and South West regions would become more important in terms of their contribution to total employment, while the share of other regions would decline.
4. Net income from optimal crop production came to 690 million dollars which was higher by 50 percent than the actual net income. The higher level of net income resulting from an optimal organization of crop production on efficient sized farms suggests an adjustment of farms towards optimum size.

The contribution of the Interlake, Eastern and North West regions was lower, while that of Central and South West regrons was higher towards the total net income with the optimal organization of crop production as compared to the actual one. Thus one could expect that Central and South West regions would experience an increase and other regions a decrease in sharing the total net income with an efficient organization of crop production.

## ACKNOWLEDGEMENTS

The present study was carried out under the able and inspiring guidance of Charles F. Framingham and Edward W. Tyrchniewicz, Professors, Department of Agricultural Economics. The author is greatly indebted to them for their keen personal interest, helpful suggestions and constructive criticism.

The thesis could not have acquired its present shape without the valuable suggestions and criticism of J.A. MacMillan, Professor and Head, Department of Agricultural Economics, University of British Columbia, R.F. Harris, Professor, Department of Economics, and T.S. Major, Professor, Department of Actuarial and Business Mathematics.

My thanks are also extended to Mr. Neil Longmuir, who assisted with the computer work. The co-operation and assistance extended by friends and graduate students of the department is also gratefully acknowledged.

I am also thankful to the Federal and Provincial Governments for financial support of my graduate study. Thanks are also due to Mrs. Evelyn Bernardin for typing this manuscript.

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## CHAPTER I

## INTRODUCTION

STATEMENT OF THE PROBLEM

After the Second World War, Canadian economic policy had five goals: full employment, a high rate of economic growth, reasonable stability of prices, maintenance of a viable balance of payments and an equitable distribution of income. 1 An implicit general goal for agriculture was in the words of Anderson:

Agriculture should be an efficient industry in all respects, including the production of various products and the location of the industry, adjusting effectively to the time of domestic and export demands for its products, and meeting fully the competition of other industries for labor, capital and other resources needed in agriculture; so that its earnings would be equivalent to those set by the general level prevailing in the economy. 2

This objective was consistent with the goals of national policy. It aimed at creating an agricultural industry that would compete on an equal basis for resources and for consumer purchasing power, and would share in the results of economic growth. ${ }^{3}$ It would also improve the competitive position of Canadian agriculture by providing cheap food in the international market.

The four principles of Guidelines for the Seventies set by the Province of Manitoba (maximizing the general well being of Manitobans,

[^0]greater equality of the numan condition, the stay option and widening participation) implied specific objectives for agriculture explicitly. 4 These included:

1. Expanding agricultural output to raise total income from agriculture.
2. Stabilizing net farm income through diversifying agricultural production and through effective action in the marketing of farm products and purchases of farm supplies.
3. Enhancing the economic viability of low and middle income producers, through programs geared specifically towards providing the smaller and medium sized farmers with financial and management assistance. 5

The stay option principle of Guidelines for the Seventies emphasized the discouragement of migration from rural to urban areas. Guidelines also emphasized a more equitable distribution of the benefits of development. In brief, one can identify the goals for agriculture over time as higher net income per capita, resource efficiency, regional stability of employment and greater equality in income distribution. In order to fulfill these objectives various programs were, or are going on, in Manitoba. For example, research, extension, education ${ }^{6}$ and, manpower training ${ }^{7}$

[^1]emphasized the resource efficiency goal of agriculture. The Farm Diversification Program, 8 Small Farm Development Program ${ }^{9}$ and Land Lease Program ${ }^{10}$ were designed to increase the viability of low income farms, and thus emphasized the greater equality of income goal in a given region. Greater equality of income among different regions was strengthened through the introduction of ARDA ${ }^{11}$ (Agricultural Rural Development Act). The Farm Diversification Program 12 and Western Grain Stabilization Program ${ }^{13}$ were designed to improve and stabilize the income of farmers. An effort was made to fulfill the objective of stable employment indirectly by enabling farmers to make a good living from agriculture by programs which emphasized income improvement i.e. higher incomes and more stable incomes.

Despite all the different programs carried out in the past and at present, agriculture in Manitoba has undergone a number of changes. There has been a shift from the employment of large amounts of labor and small amounts of capital to the large inputs of capital and small inputs of labor. The farm labor force in the prairie provinces decreased by

[^2]27 percent over the time period 1957-74, 14 while the total farm cash inputs, excluding hired labor, increased by 71 percent during the same period. 15 Associated with these changes in resource use, a large change also occurred in the structure of the farm industry. The total number of farms was 58,024 in 1941 but declined by 45 percent, to 32,104 in 1976. Average farm size which was 291 acres in 1941 increased by 104 percent, to 593 acres in 1976, (Table 1). Different studies conducted also indicated that adjustment in farms is characterized by fewer and larger farms in Canada and U.S.A.. 16 These larger farms are substituting capital for labor because of the rising costs of labor relative to capital. Farm firms are becoming larger and fewer due to the fact that there exist important differences in efficiency between farms of different sizes, as is emphasized by Quance and Tweeten
.....Large farms on the average are currently more efficient than small farms. Put in another way, the good big farmer can outcompete the good little farmer. The difference between the efficiency of large farms and small farms is widening. The opportunity cost or economic penalty for operating a small farm with technology of an earlier decade is rising. The magnitude of adjustments in scajp of operations necessary to produce efficiently is accelerating!
${ }^{14}$ Calculated from Statistics Canada, The Labor Force, March 1975, p. 67
${ }^{15}$ Price indexes were applied in order to eliminate the effect of increase in expenditure due to prices. Calculated by taking data from Manitoba, Department of Agriculture, Manitoba Agriculture Yearbook 1975 and 1970.
${ }^{16}$ See James A. MacMillan, F.L. Tung and John R. Tulloch, "Migration Analysis and Farm Projection Model: A synthesis." American Journal of Agricultural Economics, Vol. 56, No. 2, May 1974, pp. 292-299 and R.F. Daly, J.A. Dempsey and C.W. Cobb, "Farm Numbers and Sizes in Future" in Size, Structure and Future of Farms, eds. A. Gordon Ball and Earl 0. Heady, Ames Iowa State University Press, 1972, pp. 314-332.

17Leroy Quance and Luther G. Tweeten, "Policies 1930-1970" in Size, Structure and Future of Farms, eds. A. Gordon Ball and Earl 0. Heady, Ames, Iowa State University Press, 1972, p. 36.
TABLE 1
NUMBER OF FARMS AND AVERAGE FARM AREA IN DIFFERENT YEARS'

| YEAR | NUMBER OF FARMS | AVERAGE FARM SIZE <br> (Acres) |
| :--- | :---: | :---: |
| 1941 | 58,024 | 291 |
| 1951 | 52,383 | 338 |
| 1961 | 43,305 | 420 |
| 1966 | 39,747 | 480 |
| 1971 | 34,981 | 543 |
| 1976 | 32,104 | 593 |

$\begin{aligned} & \text { Source, } \text { Manitoba Department of Agriculture, Manitoba Agriculture } \\ & \text { Yearbook, Queen's Printer, Winnipeg, }\end{aligned}$

6
$\%$
$\square$
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The importance of the larger farms which are efficient is well expressed by Ball and Heady. According to them:
....This group represents the growth point of our expanding agriculture. That growth point is at the top, just as it is on the corn plant. This then is the most critical portion of our agriculture, for it is these farmers and farms that are extending into "unchartered water". It is these that set the pace and determine the time for changing directions or new surges forward. It is these that are creating, exploring and extending new dimensions. Farms in other size groups below this, but still among those that are growing and expanding over time, are but followers of these growth points. 18

The larger farms are in an advantageous position because the average fixed cost per unit of output declines as the fixed costs are spread over a larger output, i.e. there are economies of size. The small farm firms are in a disadvantageous position because they have to bear certain unavoidable costs with a small quantity of output. Theoretically, one can also consider the idea of diseconomies of size, which would occur once a certain size is reached, because of problems concerning co-ordination, efficient decision making and the like. Putting the idea of economies and diseconomies together, there are theoretical reasons to believe that below a certain size, farm firms are too small to give the lowest average cost per unit of output, while above another point in the size scale, farm firms are too large and average cost per unit of output could be decreased if they were smaller. Economic theory suggests that the firms adjust towards their efficient size (i.e. the size at which the average cost of producing output is minimized). In the long run, only firms of optimum size which are using the most efficient methods of production can compete. Firms which are not employing the efficient methods of production

[^3]and are not of optimum size, are eliminated because they fall to supply the product at the price where the output could be produced at the minimum average cost. Firms of optimum size must use the efficient methods of production in order to produce the output at the lowest longrun average cost.

These optimum sized farms, in which form theory suggests the agricultural industry has to emerge finally have implications for income, employment and the distribution of both. Farm size is related to income in two ways.

1. The amount of income is a function of size of the farm. Even when there are no economies or diseconomies for farms of different sizes, small farms have lower income than larger farms, and
2. The amount of income relative to the quantity of resources used depends on the nature of cost advantages or disadvantages of farms of different sizes.

If there are economies of scale, then doubling the use of all resources will increase the net income more than twice. Thus, large farms which realize economies of scale have higher income than smaller farms.

Farm size is related to labor employment in the sense that the labor requirement per unit of output is inversely related to the size of the farm. Thus an efficient agriculture industry based on large farms would lead to the reduction in total employment.

Given an optimum size, production of different crops is influenced by two types of factors for different regions:

1. There are factors which affect the prices received by farmers for different products; they include market location, transportation and handling costs. These factors cause costs to increase with the increase in distance, areas-near market usuallyenjoy an element of comparative ad-
vantage over areas located further away. This means that areas located closer to market receive a higher net price than the areas at greater distance.
2. There are factors which affect the per unit cost of production of different products; climate, soil and topography determine yields and hence cost per bushel. Due to these factors which influence prices and costs, farms in different areas have advantages in various types of production. Under the conditions of real life, a particular area may have an absolute advantage for the production of most or all crops over other areas, but it may lack sufficient productive capacity to meet the needs of other areas of all crops. In such a case it would concentrate in the production of those crops for which it had the highest comparative advantage and the other area would concentrate in the production of those products in which it had the least comparative disadvantage. The comparative advantage positions determine the optimum organization of crops in different regions which in turn influence the income and employment distribution among regions. Spatial optimum organization of agriculture on the efficient sized farms raises a number of questions. Some of these questions which are of particular interest to the policy-makers are:
3. What would agriculture be like if agriculture is organized according to the technical and economic efficiency criteria i.e. when optimum sized farms are employing the efficient methods of production while allocating resources to various crops in order to maximize their profits?
4. What would be the potential optimum organization and income from crop production if all farms were of efficient size and were using the most efficient methods of production currently known?
5. What would be the total employment with the optimal organization in agriculture?
6. What would be the income distribution associated with the optimal organization of crops among regions?

Answers to the above questions are needed to determine how large the potential adjustment and distributional problems are so that policy needs can be anticipated. This study is designed to provide knowledge for a better assessment of production and adjustment potentials that could occur over future decades. This can stimulate public policies which should be followed in order to cope with tomorrow's needs.

## OBJECTIVES OF THE STUDY

The general objective of this study is to determine the implications of efficient agricultural production in Manitoba based on the current technology. Specifically the objectives are:

1. To estimate the profit maximizing organization of crop production that would result on the basis of production techniques employed by currently economically efficient Manitoba farms.
2. To estimate the level of aggregate crop production that would result from an efficient agriculture.
3. To make a comparison of the optimal locational distribution of acreage and production with the actual and/or normal acreage and production where ever possible.
4. To determine income and its distribution among regions that would result from the efficient Manitoba agriculture.
5. To estimate the total amount of labor required with the optimal crop organization for Manitoba.

## SCOPE OF THE PRESENT STUDY

The present study is concerned with the determination of the competitive position of different regions of Manitoba in producing crops. Efficient regional cropping patterns on the optimum sized farms are estimated with the "efficient" rather than the "average" methods of production given the provincial demand for each commodity. All the 14 crop districts, two soil types and nine crops (i.e. wheat, oats, barley, flaxseed, rapeseed, rye, sunflowers, potatoes and sugarbeets) are considered. Production of each crop in each crop district is constrained by the maximum and minimum production restraints. These restraints are based on historical production levels. The range of production represents the maximum level of adjustment allowed to farmers producing each commodity. Restraints are also placed about the availability of land of each soil type at the crop district level. The analysis is incomplete in the sense that it is concerned only with the crop production sector, while the livestock sector is ignored. However, livestock feed requirements at the crop district level are included.

The model used in this study to determine the optimal production pattern for Manitoba is a linear programming partial equilibrium model. The model allows interregional competition and determine the optimal organization for crop production on efficient sized farms for the given level of prices of commodities and various types of constraints.

## ORGANIZATION OF THE REMAINDER OF THE THESIS

Chapter II reviews the studies relevant to this study. Chapter III discusses the theory of competitive farm firm and various approaches to general equilibrium analysis. Chapter IV deals with the determination of efficient farm size, assumptions and the specific model used in this study. The data used in the model are also discussed. The results produced through the application of the model are presented in Chapter $V$. A summary of results and conclusions are discussed in Chapter VI. Chapter VI also deals with the policy implications and limitations of the study and suggestions for further research.

## CHAPTER II

## REVIEW OF PREVIOUS STUDIES

A number of studies have been done to determine the optimal spatial organization of agriculture through the efficient use of agricultural resources. This chapter reviews the studies relevant to this study. In all the studies reviewed, a linear programming model of inter-regional competition in agriculture was used to determine the optimal production organization. The later studies used considerably more detailed models than the models used by earlier studies. In some of the studies only minor modifications were made to the earlier studies in order to determine the optimal production under changed conditions.

The first study reviewed was conducted by Egbert and Heady. ${ }^{19}$ They determined the optimum production location for wheat and feed grains in 104 producing regions of U.S.A.. These regions, made by dividing the portion of the United States where wheat and feed grains were mainly produced, accounted for $90 \%$ of all feed grains and wheat produced in the United States. Annual production restraints were specified at the aggregate demand level for wheat and feed grains. These demand restraints were based on the normal per unit requirements of the human or livestock populations, or both, and the actual net exports in 1954. Restraints were placed on the acreage available for production of grains in each region

[^4]and the quantities of wheat and feed grains required for consumption in 1954. For the given level of production restraints, product prices and production costs, the optimum location of production among regions was determined. Analysis was carried out on the assumption that technical co-efficients were equal to the average of the region and were constant. Transportation costs were ignored on the assumption that commodities could be shipped from producing areas to consuming areas at no cost. Five models ( $A$ to $E$ ) were included in this study. E was a maximum profit model, while $A$ to $D$ were minimum cost models. For model $A, B, C$ and $E$ production activities were food wheat, feed wheat and feed grain rotation, for D, they were food wheat, feed wheat, corn, oats, barley and grain sorghum. Land-rent was included in costs in model $B$, while it was not included in the other models.

Heady and Whittlesey ${ }^{20}$ expanded the above mentioned model by including 31 consuming regions and increasing the number of producing regions to 144. The number of producing areas was increased for two reasons:

1. the addition of soybeans and cotton, which made it necessary to include areas of U.S. that were not included in the Egbert and Heady study, and
2. some of Egbert and Heady's 104 regions were further divided so that each producing region would be entirely within the boundary of a single consuming region.

Requirement levels of wheat, feed grains and oil meals were specified for each of the 31 consuming regions. A national demand for
${ }^{20}$ Earl 0. Heady and Norman Whittlesey, "Land Qualities and Crop Production Capacity" in Spatial Sector Programming Models in Agriculture, eds. Earl 0. Heady and U.K. Srivastava, Iowa State University Press, 1975, pp. 56-101.
cotton was specified. Transportation activities were introduced in order to allow the movement of wheat, feed grains and oil meals among consuming regions. Transport cost was assumed to be zero where a crop activity contributing to the demand of the consuming region was produced within that same region. The optimum production pattern was defined for three models as that pattern which would minimize the total cost of satisfying demand requirements. In model I, it was assumed that wheat feed grain transfer activities had zero cost. In model II, feed grain transfer activities had non-zero cost. Model III differed significantly from the above two models and from the Egbert and Heady study on the basis that in each producing area, three soil categories were considered and per acre yields and costs for each crop and each soil were determined. This resulted in increasing the total crop land restraints and crop producing activities by three times as compared to model I. This study
like the Egbert and Heady study, used the technical coefficients of average producing units rather than those of larger efficient farms. Technical coefficients of average producing units were used in determining efficient organization because of computer capacity limitations and lack of data.

Heady and Skold ${ }^{21}$ developed a model similar to the preceding one except that the model used the projected data for 1975 for determining the optimal organization whereas Whittlesey and Heady used 1965 as a base year. This model also included soybean rotation activities.

All the above studies considered only crop production, while

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Earl 0. Heady and Melvin 0. Skold, "Capacity Interregional Adjustment and Land Use" in Spatial Sector Programming Models in Agriculture, eds. Earl 0. Heady and U.K. Srivastava, Iowa State University Press, 1975, pp. 120-155.
the livestock sector was taken as exogenous, i.e. livestock production was taken as given and the total crop requirements were defined such that they also included the feed requirement of the livestock produced in that region. Brokken and Heady ${ }^{22}$ developed a model for determining the optimum organization of crops and livestock which would minimize total production and transportation cost. Crop production activities were increased to include cotton, wheat, feed grain rotations, feed grain soybean rotations, feed grain silage rotations, hay, hay silage rotations and wild hay. Twelve livestock producing activities were included. In this model 157 crop producing areas and 20 livestock producing regions were specified. Each of the livestock producing regions contained one or more of the crop producing areas. Unlike the previously described models, the requirements of crop products included only the requirements for food, industrial use and for exports. Crop products were transferred to the feed supply row and the feed required in each livestock producing region was obtained from this supply. Livestock production in each region was limited by pasture constraints and by livestock capacity constraints. The capacity constraints were defined as the maximum number of each type of livestock in each region. The production of intensive crops (cotton, wheat, feed grains, soybean and silage) in each area was limited to the amount of land used for these crops in the past, while hay could be produced both on the land used for hay in the past and on any land available for but not used for intensive crop production.

In all the above studies, the farms of each producing region were assumed to be representable by an "average" producing unit. The optimum

[^5]combination of enterprises that was determined for an area was assumed to be optimal for all farms in that area. But farms of different sizes have different input-output coefficients and different amounts and qualities of resources available. Even the farms producing agriculture crops more efficiently as compared to others in the same size have different input-output coefficients. To partially account for the differences in production efficiencies existing between farms located in the same area, farm size was considered explicitly in studies conducted by Eyvindson, 23 Craddock 24 and Framingham et a1. 25

The largest linear programming model for the U.S. was developed by Eyvindson. 26 His model was similar to the Brokken and Heady model in several respects. He used the same 157 producing areas, the same consuming regions (except that one region was further divided into two regions) and the same crop and livestock activities. Both were concerned with determination of the optimal production pattern which would minimize total production and transportation cost. This study, however,

[^6]divided farms into three groups on the basis of gross sales. Farm size group one included all farms with gross sales of $\$ 40,000$ or more. Farm size group two included all farms with unit gross sales of $\$ 10,000$ to $\$ 39,999$, while farm size group three included all farms with gross sales of $\$ 2,500$ to $\$ 9,999$. These farm size groups were the producing units for the model and a full set of crop and livestock activities was defined for each group. The model did not define separate producing units for crops and livestock as did Brokken and Heady. Production by each farm size was limited by land, pasture, labor and capital constraints. These restraints restricted production more realistically than land restraints alone. The cropland and hayland available to each farm size was divided among three quality classes. Three land constraints and three crop production activities were defined for each farm size group. Like the Brokken and Heady model, this model also allowed the use of cropland and hayland of each quality class for pasture use in case they were not used for crop production. The pasture constraint level for each farm size group was determined by deducting the animal unit months of pasture required for the exogenous livestock produced by the farms of that group in 1965 from the amount of grazing possible on the land used only for pasture by those farms in that year. The cotton land constraints limited cotton production by each farm size group to the acreage harvested in 1953. Labor constraints were specified for the crop and noncrop season. These constraints were set equal to the amount of family labor available to the farms of a size group in 1965 minus the labor required for the production of crops and livestock excluded from the model. Labor hiring activities were also included in the model. A capital constraint for each farm size was defined as total expenditures made
in 1965 by the farms of that group for the production of crops and livestock considered in the model. Transportation costs of products between producing areas within a single region were included in the analysis. The model also included transportation activities to transport final and intermediate products.

All the above models were developed for the U.S. economy. Similar models were constructed either at the provincial level or for the whole economy of Canada. Craddock ${ }^{27}$ developed an interregional linear proramming model for Canada for use in determination of the pattern and location of cereal production that would minimize the combined production and transport cost in order to meet specified levels of annual cereal demand. This model was very similar to the Brokken and Heady model. However, it was applied to the Canadian economy. In this model the Canadian economy was divided into 188 producing regions on the basis of geographical boundaries. The regions were compresed of counties in Eastern Canada, and crop districts and census divisions in Western Canada. The model included all the cereal production areas of Canada with the exception of Newfoundland and two areas in British Columbia. Producing areas were aggregated to form 29 consuming regions. One consuming region was identified in Newfoundland. With the exception of producing regions lying in Quebec, it was assumed that there were two sizes of farms on the basis of acreage in each producing region. These two sizes of farms, he referred to as small and large farms. The average size of farms within each size were different in various regions. For Manitoba, small and large farms were taken to have 250 and 650 acres respectively. Interregional transportation rates were based on flows between the central
points of the consuming regions. Transport costs were assumed zero for grain movement within or between producing regions within the same consuming unit.

Framingham, Craddock and Baker ${ }^{28}$ developed an interregional linear programming model to determine the optimum location of crops and livestock that would maximize the net income of farmers in Manitoba. Unlike the Craddock study, they considered both crop and livestock activities. They divided Manitoba into 14 crop districts. Unlike the Craddock study, in order to take into account the variability in productivity, this study considered two soil types in addition to three sizes of enterprises for each crop district. Different units were used for measuring farm size for different enterprises, e.g. for crop production, farm size was measured in terms of acres, while for dairy cows, number of cows were used to measure enterprise size. For crops, small farms were defined as those having less than 240 acres, medium farms were those 240-759 acres in size, while large farms were defined as those having more than 759 acres. Like the Eyvindson model this study placed restraints according to soil types and region. In addition it included minimum employment and income constraints by farm size. The model also specified agricultural commodity demand categories and regional production restraints on a farm size specified basis. This study like all other studies omitted the question of what would be the optimum organization of agriculture if production was redistributed to efficient farm firms.

In all the earlier studies, farms of each region were either taken as a single producing unit or farms were divided between two or three size

[^7]groups in order to account for the differences in production efficiencies existing on various farms. In these studies, spatial optimal organization of agriculture was determined by constraining the efficiency. The efficiency was constrained in the sense that the coeficients of average sized farms or coefficients of specific groups of farms were used while determining the optimal organization. The efficient use of resources among other things depends upon the size of the firm and the method of production. In order to produce the product at the minimum possible average cost, the firm should be of optimum size and must use the best method of production. Use of technical coefficients in earlier studies of the firms which were not employing the optimum quantities of inputs by using the most efficient methods of production meant that these firms were not producing the output at the minimum possible average cost. From this one could conclude that these firms were not economically efficient. Therefore, the optimal organization of agriculture determined by using the technical coefficients of average producing units or firms of various sizes was not strictly efficient. This study eliminates this source of inefficiency and determines the optimal organization with technical coefficients of optimum sized firms which are using the most efficient methods of production and employing the inputs in optimum quantities.

The model used in this study is a modified version of the model developed by Eramingham et al. 29 The similarities between the model used in this study and the Framingham et al model are:

1. Both use the same 14 crop districts,
2. Both use the same two categories of soil,
3. Both use the same crop production activities, i.e. wheat, oats barley, flaxseed, rapeseed, rye, sunflowers, potatoes, sugarbeets, and
4. In both studies the optimum organization was defined as that which would maximize the net income of farmers.

The dissimilarities between the present model and that of Framingham et $\mathrm{al}^{30}$ are that:

1. The present model unlike the Framingham et al ${ }^{31}$ model is concerned only with crop production, while the livestock sector was taken as exogenous. The feed requirements of livestock were however, included in the product requirements for each crop district.
2. The present model unlike previous studies including Framingham's et $7^{32}$ is concerned only with the optimum sized farms which are employing the most efficient methods of production and are using the inputs in optimum quantities.
${ }^{30}$ Ibid.
31 Ibid.
32 Ibid.

## CHAPTER III

## THEORETICAL CONSIDERATION

It was pointed out in the previous chapter that this study would use the technical coefficients of optimum sized farms, while determining the optimal organization of crop production. Given the optimum sized farms, the problem of determining the optimum quantities of different crops which should be produced, arises because the quantities of resources are limited. The optimum allocation of resources among crops is a matter of the relative urgency of the demands for them and their relative costs of production. No crop's optimum level of output can be determined in isolation. It can be determined only in comparison with other crops which compete for the limited resources. Because of the interdependence of different crops one can conclude that resource allocation in agriculture is a matter of general equilibrium analysis. 33

For considering the theory underlying the present problem, the first part of this chapter is concerned with the theory of a firm in a perfectly competitive industry. The second part discusses various

33
For references on general equilibrium analysis see:
(1) William J. Baumol, Economic Theory and Operations Analysis, New Jersey, Prentice-Hall 1972, pp. 365-369.
(2) David Simpson, General Equilibrium Analysis, New York, John Wiley and Sons, 1975.
(3) Donald S. Watson, Price Theory and Its Uses, Second ed. Houghton Mifflin Company, Boston, 1968, pp. 272-275.
(4) Kenneth J. Arrow, "General Economic Equilibrium. Purpose Analytic Techniques, Collective Choice". American Economic Review Vol. 64, No. 3, June 1974, pp. 253-272.
(5) Blaine Robert and David L. Schulze, Modern Mathematics and Economic Analysis, New York, W.W. Norton and Co. 1973, pp. 258-288.
(6) Robert Dorfman, Paul A. Samuelson and Robert M. Solow, Linear Programming and Economic Analysis, New York McGraw Hill Book Co. T958, pp. 346-381.
approaches to general equilibrium analysis in the light of the present study. In this part, the first section is concerned with the Walrasian approach to general equilibrium. The second section deals with the neoclassical approach to general equilibrium. The third section is concerned with the linear programming approach to general equilibrium. The third part also deals with the suitability of marginal analysis and linear programming for this study.

THEORY OF A FIRM IN A PERFECTLY COMPETITIVE INDUSTRY

Economic theory suggests that in the long run, the firm uses that size of plant and produces that level of output at which minimum average cost is equal to price and the firm makes zero profits (and zero loss). The market adjustment of the individual firm takes place by requiring the prices of commodities to fall to a level which allows continued existence of firms of optimum size having minimum average cost. Figure 1 and 2 indicate how the product prices force the firms to be of optimum size. In figure $1, S A C_{1}, S A C_{2}$, and $S A C_{3}$, are the short run average costs for three firms of different sizes. Their corresponding marginal cost are $M C_{1}, M C_{2}$, and $M C_{3}$. The short run average cost curves (SAC) assume that one or more resources are fixed in the short run. These short run cost curves are typically "U" shaped. This is due to the fact that average costs per unit of output declines as the level of output increases as fixed costs are spread over more units. Fuller utilization of fixed resources is achieved. Finally, average cost curves start to rise as variable factors must be used in increasing proportions to the fixed resources in order to

achieve higher levels of output. In the long run all factors are variable and one can obtain the long run average costs curve by drawing tangents to SAC curves i.e. farm size are so numerous that even a small movement along the LAC curve involves a change in firm size as well as in the variable factors used with it.

In Figure 2, $D D$ is the demand curve and $S_{1}$, is the original short run supply curve for the industry. Under this situation, price will be $O P_{1}$ and all the firms would earn abnormal profits. Each firm maximizes profit by producing that level of output at which marginal cost is equal to marginal revenue (i.e. in this case equal to price). Small $\left(S A C_{1}\right)$, medium $\left(S A C_{2}\right)$ and large $\left(S A C_{3}\right)$ firms will produce $O Q_{1}, O Q_{2}$ and $O Q_{3}$ level of output respectively. Presence of abnormal profit encourages the new firm to enter and/or older firms to expand their size. As the number of firms increases and firms expand their size, the short run supply curve will shift to $S_{2}$ position which will produce price $O P_{2}$. Small firms $\left(S A C_{1}\right)$ will go out of business because they are not covering their costs, but the medium firms $\left(S A C_{2}\right)$ are still earning abnormal profit. Large firms $\left(S A C_{3}\right)$ will earn small abnormal profit. There will be a tendency among medium size firms to increase in number, because they are earning abnormal profit. As this adjustment proceeds, finally a short run supply curve $S_{3}$ will be reached and the price will fall to $\mathrm{OP}_{3}$ level. Only firms of optimum size (i.e. of minimum average cost) will stay in business. Small firms are eliminated because they are too small and large firms go out of business because they are too large. Only firms of $\mathrm{SAC}_{2}$ size will exist in long run.

It is quite possible that some resources may be available to the firm only in specific size units, such as a quarter section of land, a tractor of a certain size. These resources are often under-utilized. For example, a tractor of a certain size may be under-utilized with 600 acres but may not be able to handle 900 acres. Due to the discrete resources, average cost curves may be discontinous. Whatever the nature of cost curves whether they are continous or discontinous in the long run only optimum sized farm firms will stay in business because they would be able to produce at the minimum possible average cost. Given the optimum sized firm, the problem of allocating scarce resources to various crops is a general equilibrium problem because of interdependence of different crops.

## GENERAL EQUILIBRIUM MODELS

## Walrasian Model

Leon Walras was the first person who developed a general equilibrium model. His model requires that the demand for each resource and commodity is equal to its supply. Assume that there are 1, 2 . . n commodities and 1, 2, . . . m resources; the quantities of commodities are $X_{1}, X_{2}, \ldots . X_{n}$; the quantities of resources $Z_{1}, Z_{2}, \ldots Z_{m}$; the prices of commodities are $P_{1}, P_{2} \ldots P_{n}$. The prices of resources are $V_{1}, V_{2}, \ldots V_{m}$. The market demand equations for commodities are:

$$
\begin{align*}
& x_{1}=f_{1}\left(P_{1}, P_{2}, \ldots P_{n} ; V_{1}, V_{2}, \ldots V_{m}\right) \\
& x_{2}=f_{2}\left(P_{1}, P_{2}, \ldots P_{n} ; V_{1}, V_{2} . . . V_{m}\right) \\
& x_{n}=f_{n}\left(P_{1}, P_{2}, \ldots P_{n} ; V_{1}, V_{2}, \ldots . V_{m}\right) \tag{1}
\end{align*}
$$

The demand for any resource can be given as the sum of the amounts
used in all commodities. Let Aij be the quantity of the $i$-th resource needed to produce one unit of commodity $j$. Since there is no unemployment of resources, demand for each resource equals its supply, i.e.

$$
\begin{align*}
& a_{11} x_{1}+a_{12} x_{2}+\cdots+a_{1 n} x_{n}=z_{1} \\
& a_{21} x_{1}+a_{22} x_{2}+\ldots+a_{2 n} x_{n}=z_{2} \\
& a_{m 1} x_{1}+a_{m 2} x_{2}+\cdots+a_{m n} x_{n}=z_{m} \tag{2}
\end{align*}
$$

Since the price of each commodity is equal to cost per unit of that commodity,

$$
\begin{align*}
& a_{11} V_{1}+a_{21} V_{2}+\ldots \cdot a_{m 1} V_{m}=P_{1} \\
& a_{12} V_{1}+a_{22} V_{2}+\ldots \cdot+a_{m 2} V_{m}=P_{2} \\
& a_{1 n} V_{1}+a_{2 n} V_{2}+\ldots+a_{m n} V_{m}=P_{n} \tag{3}
\end{align*}
$$

Finally, the supply of resources can be given as

$$
\begin{align*}
& Z_{1}=s_{1}\left(P_{1}, P_{2} \ldots P_{n} ; V_{1}, V_{2} \ldots V_{m}\right) \\
& Z_{2}=S_{2}\left(P_{1}, P_{2} \ldots . P_{n} ; V_{1}, V_{2} \ldots V_{m}\right) \\
& Z_{m}=S_{m}\left(P_{1}, P_{2} \ldots P_{n} ; V_{1}, V_{2} \ldots V_{m}\right) \tag{4}
\end{align*}
$$

There are $2 n+2 m$ equations for $2 n+2 m$ unknowns, $X, Z, P, V$. But equations (1) and (4) have only $m+n-1$ independent equations. If all prices are measured in terms of one commodity (say $P_{1}=1$ ) then the number of unknowns is also reduced by one. Thus the system of equation is determinate.

A number of criticisms have been made on the Walrasian model of general equilibrium described above. The most important criticism is that when the number of equations is equal to the number of unknowns, this does not guarantee that the solution is both unique and has economic meaning. For instance, the general equilibrium system may require a
n negative output of one or more commodities which makes no economic sense.
In Equation set (2), it is quite possible that when " $m$ ", the number of resources and equations, exceeds " $n$ " the number of goods, then the set (2) will have no solution unless the coefficient $a_{i j}$ and the total factor supplies $Z_{m}$ are in special proportions.

The set of equations in (2) also requires that the total quantity of resources be equal to the total quantity of resources supplied. In other words, this requires that each factor is fully employed. But it is possible, that a factor is not fully used, i.e. total demand is less than the total quantity supplied even at a zero price.

## Neo-Classical Approach and Marginal Analysis

In the neo-classical approach to general equilibrium, each household acts as if it were trying to maximize its utility and each firm acts as if it were trying to maximaize its profits. The outcome is a unique solution for relative prices and absolute quantities of inputs and outputs. Each output is produced and sold at its lowest unit cost. All markets are cleared and are interdependent. The system is homogeneous of degree zero, i.e. if the value of all the price variables are increased proportionately the values of the quantity variables will remain the same. This analysis is based heavily on the marginal conditions of equilibrium, i.e. the condition of equality of price ratios to the marginal rates of substitution. It requires that the transformation surface is well defined and differentiable. It emphasizes substitution possibilities as against the limited substitutability in the Walrasian model. This approach to
general equilibrium has many weaknesses. They include:

1. Like the Walrasian model, where the number of equations is equal to the number of unknowns, this does not guarantee that there would be a solution which is unique and have economic meaning,
2. Production of certain outputs may require inputs in certain fixed proportions. It is impossible to substitute one input for another input in the production process. This is the case of fixed technology. In this case, although the transformation surface is well defined, it is not differentiable.

The theory of the multifactor, multiproduct firm (i.e. marginal analysis) which is an adoption of neoclassical general equilibrium analysis to the individual firm is of particular interest to our problem. It helps to allocate scarce resources available to the production of crops in such a way so as to maximize the income of the farm firm. This approach is discussed in detail in Appendix A, while its suitability to the present study is given after the next section.

## Linear Programming Approach to General Equilibrium

All the problems posed by the Walrasian and Neoclassical approaches are overcome in a linear programming approach to general equilibrium. One can make " $n$ " (the number of processes) larger than " $m$ " (number of resources) simply by introducing more activities. Negative output problems are avoided automatically as every linear programming requires that solution real variables be non-negative.

In order to allow the non-use of resources, we can write (2) as
${ }_{11} x_{1}+a_{12} X_{2}+\ldots+a_{1 n} X_{n} \leq Z_{1}$
$a_{21} x_{1}+a_{22} x_{2}+\ldots+a_{2 n} x_{n} \leq z_{2}$
$a_{m 1} X_{1}+a_{m 2} X_{2}+\ldots+a_{m n} X_{n} \leq Z_{m}$
If the strict inequality holds for any equation (i.e. resource)
of set (5), then that factor will not be fully employed. Thus the equality requirement of any equation in set (2) is overcome through the introduction of inequalities which allow non use of resources.

Each equation in set (3) states that the price of each commodity is equal to its unit cost. As economic theory indicates, if the price for any commodity is greater than the unit cost, then output will tend to increase. This will reduce the price of the commodity. At the same time, the prices of the inputs that are used in the production of that commodity will rise and this would result in increasing unit cost. If the unit cost is greater than price, then output will decrease which will increase the price of the commodity and at the same time less use of resources will decrease their prices and this would lower the unit cost. Output of any commodity could fall to zero level if unit cost is greater than the price of the commodity at all positive levels of output. Output cannot be negative as it has no economic meaning. We can modify the set (3) as

$$
\begin{align*}
& a_{11} v_{1}+a_{21} v_{2}+\ldots+a_{m 1} v_{m} \geq p_{1} \\
& a_{12} v_{1}+a_{22} v_{2}+\ldots+a_{m 2} v_{m} \geq p_{2} \\
& a_{1 n} v_{1}+a_{2 n} v_{2}+\ldots+a_{m n} v_{m} \geq p_{n} \tag{6}
\end{align*}
$$

If the strict inequality holds for any line of set (6), the corresponding output must be zero.

We can show that the general equilibrium system consisting of (1), (5) and (6) will give us the values of $x, p$, and $v$ which are economically meaningful.

Since $x$ and $v$ variables cannot be negative, then the constraints of (5) and (6) become the constraints of a linear programming specification. The coefficient matrix is the same in both (5) and (6) except that it is transposed.

We can state the problem and its dual as follows:
Maximize $Y=p_{1} X_{1}+p_{2} X_{2}+\ldots+p_{n} X_{n}$
Subject to $\operatorname{set}(5)$ and $x_{1} \geq 0, x_{2} \geq 0, \ldots x_{n} \geq 0$
The dual problem is as follows:
Minimize $M=Z_{1} v_{1}+Z_{2} v_{2}+\ldots+Z_{m} v_{m}$
subject to set (6) and $v_{1}^{\prime 2} 0, v_{2}^{\geq} 0$, . . . $v_{m}^{\geq} 0$
Since there are nonnegative $x$ 's and $v$ 's which satisfy (5) and (6), both the problem and its dual will have optimal solutions, when a pair of dual problem is solved, the maximum value of the problem being maximized, i.e. $\sum_{j=1}^{n} p_{j} x_{j}$ equals the minimum value of the form being minimized $\sum_{i=1}^{m} Z_{i} v_{i}$. If we can find an equilibrium solution of the general equilibrium system which is also a solution of the pair of dual programming problems, one can say that total expenditure equal total factor returns. The converse is also true if total expenditure equals total returns in a solution of the general equilibrium system,
then the linear programming problems are also solved. This equality is forced by the supply and demand functions. On the basis of the logic of linear programming, one can state:

Hidden in every competitive general equilibrium system is a maximum prob]em for value of output and a minimum problem for factor

It may be pointed out that the prices of the commodities are not determined within the system as in Walras and neoclassical models, they are interpreted as exogenously determined indicators of relative demand priorities. The output levels which are the solution to (5) are the equilibrium quantities. Once these are determined, together with the choice of processes, the quantities of input that are used follow directly from the coefficient matrix. All inputs may not be fully used. Those which are not used fully have a zero price imputed to them. The input prices determined are the equilibrium prices in the sense that when each input is valued at these prices, the average cost of every commodity produced is exactly equal to its given unit price.

In the Walras model, there was no choice of technology as the coefficients of production were fixed. In linear programming each process represents a fixed combination of inputs and we can deal with the substitution of inputs by substituting processes. The Walrasian model also assumed that all factors are fully employed. But it may be efficient if some of the inputs are not fully employed and some of the commodities are not produced at all. It is efficient in the sense that the total value of output would be higher than would be the case when it is required
${ }^{34}$ Dorfman, Samulson and Solow, op. cit., p. 370.
that all inputs should be fully used, and some quantity of each commodity produced. The solution will tell us not only which alternative processes have been used, but also tell us how much of each input is used and how much of each commodity would be produced.

In the system of equations and inequalities numbered (1), (5) and (6), the unknowns are $n x^{\prime} s, n p^{\prime} s$ and $m v^{\prime} s$. In the pair of dual linear programming problem, prices are given and $x$ and $v$ appear as unknown. If we take any set of nonnegative prices, the dual problems possess solutions. For any set of prices we can get the values of $x$ 's and $v$ 's from the linear programming problem. But it is quite possible that this particular set of $x$ 's, $p$ 's and $v$ 's may not satisfy the demand relations. Substitution of the p's and v's in the demand functions may produce a set of commodity outputs or $x$ 's which are not the same as were determined from the linear programming solution. If the $x$ 's obtained from the linear programming, solution and those obtained from demand functions are not the same, then one should take in sequence alternative sets of $p$ 's until the $x$ 's obtained are the same. Kakutani's fixed point theorum ${ }^{35}$ assures us that there is at least one set of $p^{\prime}$ s which will yield sets of $x$ 's and $v$ 's that will also satisfy demand equations (1). A unique solution to a general equilibrium system can then be ensured if we accept the axiom of revealed perference. This approach to general equilibrium generates two important points:

1. every competitive equilibrium system implicitly contains

[^8]a maximization-of-value output problem and a minimization-of-factor returns problem;
2. unlike the Walrasian and neoclassical models, there exists a unique solution to the general equilibrium system that has economic meaning.

Optimality conditions of linear programming for a profit maximization problem are give in Appendix B, while its suitability as compared to marginal analysis is discussed in the next section.

## Criticism and Suitability of Marginal Analysis and

## Linear Programming

Marginal analysis is concerned with the process of making choices between alternative factor-product combinations considering infinitesimal changes in factor-product combinations in a firm's production problem. The analysis is based on the production function concept. A typical formulation of this concept is by Samuelson:

We assume as given by technical considerations the maximum amount of output, $x$, which can be produced from any given set of inputs $\left(v_{1}, . ., v_{n}\right)$. This catalogue of possiblities is the production function and may be written
$x=f\left(v_{1}, \ldots, v_{n}\right)$
In general, there will be a maximum output for each set of inputs, and so this function is single valued, and will be assumed initially to have continuous partial derivatives of desired order. 36 Harvard University Press, T948, pp. 57-58.

Profit maximization by the firm involves two decisions. The first decision is concerned with the estimation of the production function, which specifies the maximum quantity of output that can be produced by applying the specified quantities of factors. The second decision is concerned with the determination of the quantities of products that are to be produced which would maximize total profit. Marginal analysis is concerned only with the second decision of the firm since it assumes the production function(s) are already known. ${ }^{37}$ It deals with differentiating the production, revenue and cost functions with respect to each input and output independently with the objective of maximizing the net income of the firm.

Linear programming is concerned with the optimization of a linear objective function subject to linear constraints. The common objective of a firm in agriculture is the maximization of net revenue generated by activities or processes included in the model. Unlike marginal analysis, the linear programming analysis is based on the concept of activity or process. More specifically, activity is used to indicate the things being produced, as a method of attaining the objective. A process is a method of converting resources into a product. ${ }^{38}$ However, the term process and activity are used synonymously in this study. Linear programming can also be extended to treat both types of decision problems simultaneously. ${ }^{39}$ This can be accomplished by considering each variation
${ }^{37}$ Thomas H. Naylor, "The Theory of the Firm: A Comparison of Marginal Analysis and Linear Programming." Southern Economic Journal, Vol. 32, No. 3, January 1966, pp. 266-267.

Ear1 0. Heady and Wilfred Candler, Linear Programming Methods, The Iowa State College Press, Ames, Iowa, U.S.A., 1958, p. 11.
${ }^{39}$ Naylor, op. cit., p. 267.
in technical proportions as a separate activity.
The concept of activity or process in linear programming helps
us to know what lies behind the production function concept of marginal
analysis. According to Dorfman:
defined the process of linear programming is a more specifically defined concept than the production function of the marginal analysis. Indeed, a production function is a family of processes which use the same factors and turn out the same products. If we compare any two points on a production surface, if the internal ratios of the inputs and outputs at the two points are the same, they will represent different levels of the same process, otherwise they will represent different processes. The production function is thus a tool for exhibiting and comparing different but related processes. What it fails to represent adequately is the consequence of using several processes in parallel, and suç combination of processes as are characteristic of modern industry.

Dorfman has mentioned how closely these two approaches are related as:
Linear programming is clearly closely related to marginal analysis because both modes of analysis depend on formal, mathematical methods of maximization . . .

So far as they purport to describe economic actions they both postulate that economic decisions are made on the basis of rational calculation. Further, to bring the problem with in the scope of mathematics, they both postulate that the guiding objective of economic decisions is to maximize some measurable function of the variables under the control of the decision unit. 41

Marginal analysis helps us to determine the optimum quantities of
factors directly, whereas in linear programming optimum quantities of
$40_{\text {Robert }}$ Dorfman, Application of Linear Programming to the Theory of the Firm, University of California Press, Berkeley 1951, p. 15.

41
Ibid., pp. 79-80.

Naylor has similarly described the difficulties associated with second stage decision.
. . . . the firm's second stage decision problem (profit maximization subject to constraints imposed by the production function) stems from the fact that the solution of the firms technological problem may yield a production function which does not possess such properties as continuity, concavity and non-zero first and second order partial derivatives. Although marginal analysis may be quite suitable for solving the first type of decision problem (technological problem) it may not be at all appropriate for solving the second type of decision problem . . .

Marginal analysis may also be inapplicable in many situations where the price is equal to marginal cost at a negative output. For an unprofitable item marginal cost may be equal to price only at an impossible negative output level.

Similarly, linear programming has its own problems. Linear programming is of little help in estimating input-output relationships. The method can only specify the type and quantity of data needed. In cases in which a firm has an infinite number of processes, the marginal analysis of smooth curves is likely to be more appropriate than the methods of linear programming.

Finally the choice between linear programming and marginal analysis as an approach to a firm's profit maximaization problem depends on the nature of the problem being considered. In the words of Dorfman
. . . with regard to each of his disposable resources he has two sorts of decisions to make: first, the use, if any, which he is to make of that resource, and second, the technique to be applies for using that resource for the purpose adopted. Agriculture provides an excellent example for distinguishing these two sorts of decisions. Land is normally the limiting resource. The first type of decision is exemplified by the choice of which crop to plant on each plot; the second type by the technical decisions of how intensively to plant, how much and what type of fertilizer to use, and the like.
${ }^{44}$ Naylor, op. cit., pp. 267.

Now the first type of decision is a choice among a finite number of quantitatively different alternatives. There are, to carry on the earlier example, only a finite number of different crops and like horses and apples, they are incommensurable. The second type of decision is infinitesimal and quantitative; it is a question of how much is to be used of each input and how much is to be produced of the outputs. Now the point of departure of the marginal analysis is the second type of decision whereas the point of departure of linear programming is the first. 45

Naylor has very concisely summarized the problem of choice between linear programming and marginal analysis in a profit maximization problem.
....the choice between linear programming and marginal analysis as a tool of analysis depends on which problem is being considered or equivalently which level of abstraction is desired. If the problem is "What technique should be applied for using a particular resource for the purpose adopted?" then marginal analysis is more suitable. If the question is "What use, if any, is to be made of a particular resource?" then linear programming is perhaps more appropriate. 46

The problem of determining the optimal organization of agriculture on efficient sized farms in Manitoba, given the resource restraints, is basically the problem of how to use the available resources in order to maximize the net income of farmers. Linear programming is more appropriate than marginal analysis when the question is "What use is to be made of resources?" Therefore the use of linear programming to determine the optimal organization of agriculture on farms of current efficient size is suggested as it involves basically the choice among crops which should be grown in order to maximize the net income of the farmers from the given resources. Moreover, the linear programming approach to general equilibrium overcomes all the problems associated with the Walrasian and neoclassical approaches, in particular it does not allow the negative level of output of crops. Finally, linear programming, where the criteria of marginal analysis remain applicable,
${ }^{45}$ Dorfman, op. cit., p. 84
${ }^{46}$ Naylor, op. cit., pp. 267-268.
permits the incorporation of many relationships and variables into a set of equations and allow simultaneous determination of production patterns for many regions. Marginal analysis does not provide any direct means of finding the optimal organization in such a large scale problem.

## CHAPTER IV

## METHODOLOGY

In Chapter One we indicated the general importance of the problem and the adjustment of farms towards the optimum size. The objectives of the study were also given. Chapter Two reviewed various interregional studies which have been conducted to determine the optimum organization of agriculture in the U.S.A. and Canada. Chapter Three discussed the theory of perfectly competitive firms and various types of models which can be used for the efficient allocation of resources. Finally it was concluded that for analysis of a problem concerned with the optimum organization of crops that would result, given "efficient" farm size, linear programming was a suitable technique. The model to determine the potential optimum organization of crop production is discussed in this chapter. The chapter is divided into two sections.

Section I is concerned with the determination of efficient or optimum farm ${ }^{47}$ size. For this purpose, three approaches (i.e. regression, economic engineering and survivor analysis) were considered. Because of the simplicity and availability of data the survivor approach was used for determining the efficient farm size. This technique suggests that the firms having the minimum average total cost are the best to survive in a common market where all the firms sell. The competition among firms of different sizes selects out the firms which are most efficient. It helps in finding the efficient size by determining the share of industry output coming from firms of different sizes over time.

[^9]If the share of a particular size in the total output is increasing, then that size lies within the range of optimum size, while if the share of a given size is decreasing then that size lies outside the range of optimum size. Use of this technique on farms of different sizes resulted in concluding that farms having 760 acres and over are in the optimum range. These farms may not be equally efficient, but it was assumed that they are efficient for the present study as they all lie in the optimum range.

Section II deals with the assumptions, the specific model and the data used in this study for the analysis of the implications of "efficient" sized farms. Briefly, in order to determine the optimum organization of crops on these efficient farms, Manitoba was divided into 14 crop districts. Fifteen production activities were considered. They were: wheat for export, oats for export, barley for export, flaxseed, rapeseed, rye, sunflowers, potatoes, sugarbeets, wheat for feed, oats for feed, barley for feed, wheat produced for sale as feed, oats produced for sale as feed, and barley produced for sale as feed.
"Grain for feed" activities were specified in order to supply the feed to livestock in the same crop district. "Grain produced for sale as feed" activities were specified in order to supply the feed to some other adjacent crop districts as the total feed requirement of each crop district could be fulfilled either by producing in the same crop district or obtaining it from adjacent crop districts. Constraints utilized in the study included:

1. Land availability constraints: Total amount of land available in each crop district was arrived at by projecting the crop

and summerfallow area to 1976 . From this projected area, tame hay area was deducted to find the area available for crops. This area was then partitioned into two soil types.
2. Maximum production constraints: These constraints were set by utilizing the highest level of production or highest normal production of different crops over the period 1962-75.
3. Minimum production constraints: These constraints were set in a way similar to the maximum production constraints except that minimum levels of production were used. Maximum and minimum production constraints were specified by considering the actual or normal production instead of using maximum and minimum flexibility constraints because of the static nature of the model.
4. Minimum demand constraints for each crop district: Minimum feed demand constraints for metabolized energy from wheat, oats and barley were established at the normal requirement of livestock. This energy could come from either wheat or oats or barley; that is substitution between the three is allowed. Normal livestock requirements per animal unit for each crop were first determined by dividing the projected animal requirement by the projected number of animal units in 1976 for Canada. These average requirements per animal unit were then multiplied by the availability of metabolized energy per bushel. The resulting figure was then multiplied by the projected number of animal units in each crop district. These figures were then added in order to establish the constraints.
5. Minimum demand constraints for Manitoba: Minimum constraints for wheat, oats and barley were established by adding the human food
demand, export demand and industrial demand to the normal animal demand for Manitoba as a whole. Normal per capita human food demand for each of these crops was determined by projecting the human food demand for Canada to 1976 and then by dividing the total population of 1976. These average requirements were then multiplied by the population of Manitoba. Industrial demand was determined by estimating the total production and total industrial use of each of these crops to 1976. It was assumed that the contribution made by each province was equal to the proportion of the total quantity used for industrial purposes to total production. The procedure used for export demand was identical to the industrial demand. The procedure used for establishing constraints for flaxseed, rapeseed, and rye demand was identical to the previous one except that there was no livestock requirement. Minimum demand restraints for sunflowers, potatoes and sugarbeets were set at the minimum level of production of these crops over the 1962-75 period.

The cost of production of crops and the method of yield and price estimation are also discussed in this chapter.

## I. DETERMINATION OF EFFICIENT FARM SIZE

Before determining an efficient farm size, it is necessary to define the term size. Renborg defined size as:

The size of the firm is some measure of the total sum of all the means of production which firm commands. The means of production can be thought of as a vector, B, whose elements are the amount of each means of production measured in technical units.... . The size of the firm is thus specified in as many dimensions as there are elements in B. ....If some elements....decrease in size at the same time as others .... increase - e.g., a substitution
is taking place - it is not possible to tell if it is a total size increase or decrease taking place .... it is possible to say that the firm has increased in size in some dimensions ... and decreased in some other dimensions ...

This definition establishes the point that a single measure offers difficulties. But there are several single measures of farms size as number of acres, gross value of production, number of workers, total cost, net returns etc.. When we see the census data, we are forced to use single measure classification. A single measure is usually selected by how well it serves as a base for the particular kinds of size comparison to be made. Like census reports, farm size was measured in terms of acres in this study because acreage is a useful measure when one is concerned with crop production, while it may be a poor measure for poultry operation.

Given the farm size measure in terms of acres, equilibrium in a perfectly competitive industry requires that each of the firms as well as the industry as a whole be in equilibrium. A firm in the industry will be in equilibrium when it is earning maximum profits by equating marginal revenue with marginal cost. The industry as a whole will be in equilibrium when there is no tendency for firms either to enter or to leave the industry. This will only occur when all the firms in the industry are earning normal profit 49 to induce them to stay in the

48Ulf Renborg, "Growth of the Firm in Relation to Problems of Factor Acquisition - the Swedish Experience" in Market Performance and Firm Growth, Joint Comm. Rept. 1, Joint Conf. Farm Management and Marketing Res. Comm., Western Agr. Econ. Res. Council, Las Vegas, November 1967, p. 18.
${ }^{49}$ Normal profits are those which are just sufficient to induce the firm to stay in business.
industry and there are no incentives for new firms to enter. The perfectly competitive model can be used to make valid predictions about firm behaviour. 50 In a perfectly competitive long run model, the firm uses that size of plant and produces that level of output at which minimum average cost is equal to price and the firm makes zero profit (and zero loss). 51

In Manitoba agriculture, where farm firms of different sizes exist, they earn different levels of profits. Farm firms of larger size have lower per acre cost as compared to smaller sized farms. Referring to the Framingham et al 52 study and considering the production of wheat which is grown in crop district one, cost of production per acre amounted to $\$ 35.72$ on small sized farms (i.e. less than 240 acres), $\$ 28.86$ on medium sized farms (i.e. 240-759 acres) and $\$ 26.16$ on large sized farms (i.e. over 759 acres); while the gross income on all these farms amounted to $\$ 31.67$. Profits of $\$ 5.51$ per acre were earned by large sized farms, while losses of $\$ 4.05$ per acre were experienced on small sized farms. The prescence of profits on large sized farms and losses on small sized farms has created a tendency for large sized farms to increase in number and smaller sized farms to decrease in number.

Various procedures have been used to determine the optimum size.
These include:

1. Use of regression analysis of average cost and volume data.
${ }^{50}$ The Chicago School of Economics has tended to use the assumption of atomistic market, which closely approximate perfect competition. See Henery L. Miller Jr., "On the Chicago School of Economics" Journal of Political Economy, Vol. 70, No. 1, Feb. 1962, pp. 64-69.

51 See Alfred W. Stonier and Douglas C. Hague, A Textbook of Economic Theory, Urwin Brothers Ltd., London, 1963, pp. 126-138, and C.E. Ferguson: Microeconomic Theory, Homewood; Richard D. Irwin, Inc., 1972, pp. 270-80.
${ }^{52}$ Framingham, Craddock and Baker, op. cit.
2. Economic engineering method.
3. Survivor analysis

Use of Regression ${ }^{53}$
This method involves the determination of average costs and volumes for each of a group of sample plants. A regression line is fitted to the data which shows the average relationship between plant volume and costs. This method combines and confuses cost changes that are accompanied from the more complete utilization of a plant of a given scale with the cost changes that accompany changes in scale. Heterogeneity of products and of operating conditons, differences in the basis of valuation of physical assets, the operation of many plants below their optimum volumes and other problems ${ }^{54}$ made it impractical to determine the longrun average cost curve. Unavailability of relevant data was another obstacle.

Economic Engineering Method
This technique requires some fairly technical information and some crude guesses on non-technical aspects such as marketing costs. Hypothetical firms are developed and estimates are obtained for cost and output. Estimates are usually based on the assumption that:

[^10]1. All factor supply curves are completely elastic, i.e. factors of production are freely available at a constant supply price,
2. The demand for the product is also completely elastic. Even the ideal results do not tell the optimum size of firm in an industry because they do not take into account all factors in the environment in which plants operate. ${ }^{55}$

## Survivor Analysis

The survivor technique is a relatively simple means of estimating the optimum size. It avoids the problems associated with the previous techniques. Because of its simplicity and availability of data on the number of farms in different sizes, this technique was used in determining the optimum size in this study. This technique ${ }^{56}$ is based on the concept that the minimum average cost size firms survive best in a common market where all the firms sell. The competition among different sizes of firms selects out the most efficient firms. The technique helps in finding the efficient firm size by determining the share of industry output coming from different sizes of firms over time. If the share of output of a given size is increasing its industry output, then that size lies within the range of optimum size; while if the share of a given size falls, then that size lies out of the range of optimum size. In general, the more rapidly the share of a given size is falling, the more inefficient that size is considered to be.
${ }^{55}$ Ibid., pp. 740-741.
${ }^{56}$ See Thomas K. Saving, "Estimation of Optimum Size of Plant by the Survivor Technique", Quarterly Journal of Economics, Vol. 75, No. 4, 569607, 1961 and George J. Stigler, "The Economies of Scale", Journal of Law and Economics, Vol. 1, No. 1, 54-71, 1961.

Percent contribution of different sizes of farms to total value of output in Manitoba was determined by considering the value of different crops grown on different size categories for 1951, 1961, 1966 and 1971. For 1951,57 all the crops reported in the census were considered. For $1961^{58}$ and $1966,{ }^{59}$ all the crops mentioned in census reports with the exception of soybean and tobacco (which accounted for $0.01 \%$ and $0.03 \%$ respectively of the total cropped area during 1961 and 1966) were taken into account. Yield per acre ${ }^{60}$ and the price per unit of output of soybean and tobacco were not available. For 1971,61 field beans, oats cut for fodder, other fodder crops and soybean, which accounted for $0.01 \%$ of the total crop area, were not taken into consideration for the same reasons. While finding the contribution of different size farms to total agricultural output in Manitoba, it was assumed that yield per acre and the price per unit of output of different crops is the same for all sizes. The percent contribution of different size farm firms over time is given in Table 2.
${ }^{57}$ Dominion Bureau of Statistics, Ninth Census of Canada, Agriculture Vol. VI, Part 2, Queen's Printer, Ottawa, 1953.

58 Dominion Bureau of Statistics, Census of Canada, Agriculture, Manitoba Cat. 96-537, Vol. V, Part 3, Queen's Printer, Ottawa, 1963.
${ }^{59}$ Dominion Bureau of Statistics, Census of Canada, Agriculture Manitoba, Cat. No. 96-608, Vol. V, Part 1, Queen's Printer, Ottawa, 1968.
${ }^{60}$ See Manitoba Department of Agriculture and Immigration, Report on Crops, Livestock etc; Crop Bulletin No. 130, Queen's Printer, Winnipeg, December 1951; Manitoba Department of Agriculture and Conservation, Report on Crops, Livestock etc; Crop Bulletin No. 140, Queen's Printer, Winnipeg, December 1961; also Manitoba Department of Agriculture, Manitoba Agriculture Yearbook, Queen's Printer, Winnipeg, 1966 and 1971.
${ }^{61}$ Statistics Canada, Census of Canada, Agriculture, Manitoba, Cat. No. 96-708, Vol. IV, Part 3, Queen's Printer, Ottawa, 1973.

2 $378 \forall 1$

From the table, it is clear that the share of total output contributed by sizes under three acres, 3-9 acres, 10-69 acres, 70-239 acres and 240-399 acres has decreased consistently over time. The contribution of farm size 400-559 acres increased slightly over 1951 and 1961, and then decreased consistently. The percent contribution of 560-759 acres increased over the period 1951 and 1966 but decreased over 1966 and 1971. This could occur due to the fact that optimum farm size has changed over time because of changes in factor prices or technology. Thus farm size of 560-759 acres may have been in the range of optimum farm size over 1951 and 1966, while it may have been outside the optimum range over 1966 and 1971. The share of farms of sizes 760 acres and over has increased consistently between 1951 and 1971.

In order to see how rapidly a given farm size is gaining or losing its share of the total Manitoba crop output, an. index of growth of crop output of different sizes of farms was prepared (Table 3). Index of growth was calculated by using the following formula:

$$
I n_{i j}=\frac{P R_{i j}}{P R_{i} 1951} \times 100
$$

Where:

$$
\begin{aligned}
\mathrm{PR}_{\mathbf{i j}}= & \text { percent contribution to total output by the } \mathbf{i}-\text { th size } \\
& \text { in years } 1961,1966,1971 .
\end{aligned}
$$

$\mathrm{PR}_{\mathrm{i} 1951=}$ percent contribution to total output by the $i-$ th size in year 1951.
$I n_{i j}=$ index of growth of output of $i$-th size in the $j$-th year over 1951.



ع $378 \forall \perp$

The index of growth of output of different size categories depicts that the smaller farm sizes up to 559 acres have a negative rate of growth over time. Farms of size 560-759 acres experienced an increase in the rate of growth (in terms of percentage contribution to total output) over the period 1951 to 1966 and then a declining rate of growth over the period 1966 to 1971 . It may be hypothesized that the smaller the farm size, the more inefficient they are and the more rapidly the index of growth of crop output declines. Farms of 760 acres and over experienced an increase in the index of growth of crop output for the cropping patterns existing over the period 1951-71. This increase in the index of crop output was not the same for these different farm size groups. A question arises, which is the efficient size when various farm size groups observed different increase in the index of growth of crop output? Stigler 62 argued that one should not infer that size class whose share is growing more rapidly is more efficient than other classes whose share are growing more slowly because the difference merely represents difference in the quantities of various qualities of resources. By using this argument we can conclude that despite the fact that various farm size groups above 759 acres experienced different rates of growth of crop output, they are all in the efficient range. These farms of 760 acres and over are assumed to be "efficient" for the present study.

## THE MODEL

Inter-regional relationships in agriculture are important because producing units are spatially distributed. There are regional differences

[^11]in soil fertility, climate and in the availability of various inputs. Due to these factors, different regions have comparative advantage in the production of different crops. An efficient spatial allocation of different crops and resources requires the consideration of regional production possibilities and interregional relationships. In order to find the optimal organization of crops in Manitoba on efficient farms (i.e. 760 acres and over) a static linear programming model was used. The nature of conclusions that can be drawn from the static deterministic or probabilistic models is discussed by Rescher. 63
"A deterministic law (universal conclusion) is one of the form 'state $X$ is always and invariable followed by state $Y$ '. A probabilistic law may have a form such as 'state $X$ is followed by state $Y$ with probability $h$ and by state $Z$ with probability (1-h)."

Concentrating on probabilistic elements, there are two ways in which probability can be specified--objectively and subjectively. 64

The objective probability approach emphasize the relative frequency of occurrence of events. Using the principle of maximum likelihood 65 the observed frequency is taken to be an accurate measure of the probability of the event in any evaluation of a system. The central limit theorem ${ }^{66}$ assures us of the correctness of such a procedure for a large number of
${ }^{63}$ N. Rescher, "Discrete State Systems, Markor Chains and Problems in the Theory of Scientific Explanations and Prediction." Philosophy of Science, Vol. 30, No. 22, 1963, p. 325.
${ }^{64}$ R. Carnap, "The Two Concepts of Probability," in Readings in the Philosophy of Science, eds. H. Feigl and M. Brodbeck, Appleton-CenturyCrofts, Inc., 1953, pp. 438-455.
${ }^{65}$ Taro Yamane, Statistics, an Introductory Analysis, Harper and Row publishers, New York, 1973, pp. 194-200.
${ }^{66}$ M. Melnyk, Principles of Applied Statistics, Pergamon Press Inc., New York, 1974, p. $2 \overline{20 .}$
observations, but otherwise we have no such assurance. The subjective probability approach emphasizes the individual's degree of belief. The use of a probabilistic model leads to better decisions if one is sure that the probabilities are accurate. But there is no way by which they can be known to be accurate.

One can say that the probabilistic model is less useful than the deterministic model because a policy maker would prefer to choose an outcome rather than a distribution of outcomes.

Limited number of observations about the yield per acre with recommended levels of fertilizer also forced us to use the deterministic model because the central limit theorem assures us correctness only when the number of observations is large.

Models are also appraised in general terms by using the criteria of communicability and workability. The logic of a deterministic linear programming model is easier to communicate than that of a probabilistic model. In terms of workability, the probabilistic model may be either unsolvable or solvable at larger cost as compared to the deterministic model. 67

It was for the reasons discussed above that a deterministic multiregional linear programming model was used in this study to determine the optimal organization of crop production.

[^12]
## ASSUMPTIONS OF THE MODEL

The assumptions in the model employed are described below.

Farmers Aim to Maximize Their Profit
It may be said that maximization of profit ${ }^{68}$ is a part of every firm's objective function, but it may not be the only motive. Most farmers have as a final goal a high level of living and maximum satisfaction for the family. ${ }^{69}$ Firms may not be maximizing their profits consiously, but the competitive market will force them to become so. If the farm firms do not maximize their profit under competitive market conditions, they will be forced out of business. Thus profit maximization can be considered as a valid goal of the farmers.

Markets are Competitive
Knoh ${ }^{70}$ and Watson ${ }^{71}$ stated that most agricultural markets and many factor markets as well, approximate perfect competition. For the commodities which we have included in our model, there are large numbers of producers who are producing almost homogeneous products. No producer is strong enough to influence the products prices. Prices of the inputs are also not influenced significantly by any producer. Farmers are

[^13]normally price takers rather than price makers. Therefore, the assumption 1 of perfect competition seems realistic.

## Linear Enterprise Functions

It is assumed that linear enterprise functions for firms of 760 acres and over are an adequate representations of efficient crop firms for purpose of the analysis. This assumption implies that there are constant returns to scale or that the production function for each enterprise is linear i.e. if the production of one unit of a product needs two hours of labor and one dollar expenditure of capital, then the production of two units of output will require four hours of labor and two dollars expenditure of capital. This linear assumption is quite consistent with economic theory. It should be made clear that the familiar curvature of production function results from the changes in proportion of various factors and by the changes in scale. This linearity assumption simply says that if we take a point on the production function and if we multiply each input and output by the same constant, the relevant point will be also on the production function. In other words the linear assumption implies that production functions are homogenous of degree one. Thus as long as resources are available on farms of 760 acres and over and it is possible to duplicate the production facility, then each duplication will be as productive as the original facility. Therefore, the assumptions of linear enterprise functions for forms of 760 acres and over has some validity in this study.

## Divisibility of Resources and Activities

This assumption implies that output can be produced and inputs can be used in fractional units, i.e. it is possible to use 0.51 acres of land to produce 13.5 bushels of a commodity. It may not be possible
to apply certain inputs like tractors in fractional units, but their services can be obtained in any quanitiy, i.e. it is possible to hire the tractor for 1.5 hours. Buying and selling such services among farmers in aggregate will overcome the divisibility problem. Thus the assumption of divisibility is justified in our study.

## Finite Number of Activities and Resource Restrictions

If there are an infinite number of alternative activities and resource restrictions, then it is not possible to find an optimal solution. It is realistic to assume that farm situations involve only a finite number of activities and restraints. For the present study, it is assumed that nine crops (i.e. wheat, oats, barley, flaxseed, rapeseed, rye, sunflowers, potatoes and sugarbeets) which constituted 95.8 percent of the total cropped area excluding tame hay were an adequate set to explain Manitoba crop production. It was also assumed that there were a finite number of land constraints, maximum and minimum levels of production of crops restrictions and demand restraints. Due to the finite number of crop activities and number of restraints, this assumption is justified.

Nonnegativity of Decision Variables
This assumption is satisfied in crop production because it does not make sense to grow minus ten acres of wheat or to transport negative one hundred bushels of wheat.

It is assumed that there are 14 interdependent but spatially separated regions.

All producers in a given region have identical input-output coefficients and these coefficients are constant for given soil types.

It is also assumed that total production in each region is limited by the availability of land and by the maximum and minimum actual or normal level of production of each crop over the period 1962-75. This range of production represents the maximum level of adjustment allowed to farmers producing each commodity. Flexible constraints were not used in establishing this range because of the static nature of the model.

MATHEMATICAL PRESENTATION OF THE MODEL

The model was applied to 14 crop districts of Manitoba. Two soil types and nine crops were considered. The objective of the model was to maximize total net income given the land, production and consumption constraints. Algebraically, the model is summarized below.

Maximize $Y=\sum_{i=1}^{14} \sum_{j=1}^{2} \sum_{k=1}^{15} r_{i j k} x_{i j k}-\sum_{i=1}^{14} \sum_{v=1}^{14} \sum_{k=13}^{15} t_{i v k} T_{i v k}$ subject to the following constraints.

Land Availability

$$
\sum_{k=1}^{15} a_{i j k} \quad x_{i j k} \leqslant L_{i j} \text { for } a l l i \text { and } j
$$

Production Maximums and Minimums
$\sum_{j=1}^{2} b_{i j k} \quad x_{i j k} \leqslant M A P R_{i k}$ for all $i$ and $k=1-9$

$$
\sum_{j=1}^{2} b_{i j k} x_{i j k} \geqslant H I P R_{i k} \text { for all } i \text { and } k=1-9
$$

$\sum_{k=10}^{12} \sum_{j=1}^{2} M_{k} b_{i j k} x_{i j k} \pm \sum_{k=13}^{15} M_{k} \sum_{v=1}^{14} \quad T_{i v k} \geqslant D_{i}$ for all $i$

Minimum Demand Constraints for Manitoba

$$
\sum_{v=1}^{14} \sum_{j=1}^{2} b_{i j k} \quad x_{i j k} \geqslant D_{k} \text { for } \quad k=1-9
$$

Non-negativity Constraints

$$
\begin{aligned}
& x_{i j k} \geqslant 0 \\
& T_{i v k} \geqslant 0
\end{aligned}
$$

Where:

$$
\begin{aligned}
Y= & \text { Net income } \\
r_{i j k}= & \text { Net income for the } k \text {-th crop activity in the } i \text {-th region for } \\
& \text { the } j \text {-th soil type } \\
k= & 1, \text { wheat for export } \\
k= & 2 \text {, oats for export } \\
k= & 3, \text { barley for export } \\
k= & 4, \text { flaxseed } \\
k= & 5, \text { rapeseed } \\
k= & 6, \text { rye } \\
k= & 7, \text { sunflowers } \\
k= & 8, \text { potatoes } \\
k= & 9 \text { sugarbeets } \\
k= & 10, \text { wheat for feed }
\end{aligned}
$$

$k=11$, oats for feed
$k=12$, barley for feed
$k=13$, wheat produced for sale as feed
$k=14$, oats produced for sale as feed
$k=15$, barley produced for sale as feed
$j=1$, sandy soil
$j=2$, clay soil
$i=1,2$. . 14 crop districts
$X_{i j k}=$ Level of production of $k$-th activitiy in the $i-t h$ region for the $j$-th soil
$t_{i v k}=$ Cost of transportation per unit of the $k$-th product from (to) the $i$-th region to (from) the $v$-th region
$T_{i v k}=$ Quantity of the $k$-th commodity transported from (to) the i-th region to (from) the $v$-th region
$a_{i j k}=$ Amount of land needed per unit of commodity $k$ in the $i-t h$ region for the j-th soil
$L_{i j}=$ Soil of quality $j$ available in the $i-t h$ region
$b_{i j k}=$ Per unit yield of commodity $k$ for the $i$-th region on soil $j$
PAPR $_{i k}=$ Maximum level of production of commodity $k$ in the $i-t h$ region over the 1962-1975 period

MIPR $_{i k}=$ Minimum level of production of commodity $k$ in the $i-t h$ region over the 1962-1975 period
$M_{k}=$ Metabolizable energy provided per unit of commodity $k$
$D_{\mathbf{i}}=$ Total amount of metabolizable energy demanded for livestock in the i-th crop district
$D_{k}=$ The total demand for human food, export, industrial use and for livestock for the $k$-th commodity for Manitoba

The model given above is a modified version of the model developed by Framingham, Craddock and Baker. ${ }^{72}$ Most of the data requirements were fulfilled by making specific adjustments to the data used in their study. The restraint levels were determined by collecting data from different sources and projecting to 1976. The procedure adopted in establishing different constraints is discussed first. This is followed by discussion of the cost of production of different crops. Finally, the method of yield and price estimation for different crops is given.

METHODS USED IN CONSTRAINT ESTIMATION

## Land Availability Constraints

Total land that would be available for the production of crops in each crop district was determined by projecting the total crop and summer fallow area over time to 1976. (Appendix C, Table 1). For this purpose, the following equation was used to estimate available land, employing regression analysis. 73

$$
\operatorname{TAC}_{i t}=a_{i}+b_{i} X_{t}
$$

Where

$$
\begin{aligned}
T A C_{i t}= & \text { Total crop and summerfallow area in year } t \text { for } i \text {-th } \\
& \text { region } \\
a_{i}= & \text { intercept of the equation for the } i \text {-th region } \\
b_{i}= & \text { Regression coefficient showing the annual change in the } \\
& \text { crop and fallow area for the } i-t h \text { region }
\end{aligned}
$$

72Framingham, Craddock and Baker op. cit.
${ }^{73}$ Overall regression and regression coefficients were significant at the 5 percent level for half of the crop districts.

$$
\begin{aligned}
& X_{t}=\text { Trend variable such that } X_{t}=1 \text { for } 1961 \text { and } X_{t+5}=6 \\
& \text { for } 1966 \text { and } X_{t+10}=11 \text { for } 1971 .
\end{aligned}
$$

Area available for the production of crops for each crop district was arrived at by deducting the tame hap area grown in 1976 from the total projected available land. The results are shown in Table 4. The crop area was then partitioned into soil type 1 and soil type 2. by using the proportionate share of these two types of soils used by Framingham et al. ${ }^{74}$ The area of each soil type available in each crop district is given in Table 5.

## Production Constraints

Maximum and minimum production restraints were imposed in order to account for farmers desire for diversity and to depart from established levels of production. A conglomeration of factors is responsible for farmers' inability or unwillingness to make large changes in their established levels of production. These include risk and uncertainty associated with weather and marketing, imperfect knowledge and personal preferences as objectives other than profit. Since these factors cannot be measured easily, so maximum and minimum actual or normal production of each crop over 1962-75 was used as an alternative measurement of extent of diversity. Equilibrium of an efficient firm is influenced by a number of factors like price of input, price of output, technology and weather conditions. Given the prices of inputs and outputs, and technology used by efficient sized firms it was assumed that the total production by all firms of each commodity would not increase or decrease by more than the maximum or minimum production over the period 1962-75.

TABLE 4
LAND AREA AVAILABLE FOR THE PRODUCTION OF CROPS

| Crop District | Total Area <br> Available | Tame Hay Area ${ }^{2}$ | Area Available <br> for Crops |
| :---: | :---: | :---: | :---: |
|  | $\cdots$ |  |  |
| 1 | $1,033,246$ | 110,663 | 922,583 |
| 2 | $1,102,189$ | 40,278 | $1,061,911$ |
| 3 | $1,998,940$ | 162,673 | $1,836,267$ |
| 4 | 376,646 | 51,554 | 325,092 |
| 5 | $1,071,771$ | 234,536 | 837,235 |
| 6 | 170,505 | 12,680 | 157,825 |
| 7 | 866,725 | 108,371 | 758,354 |
| 8 | 865,120 | 78,082 | 787,038 |
| 9 | 764,736 | 14,299 | 750,437 |
| 10 | $1,300,446$ | 35,198 | $1,265,248$ |
| 11 | 979,385 | 212,674 | 766,711 |
| 12 | 924,095 | 34,225 | 889,870 |
| 13 | 509,002 | 92,828 | 416,174 |
| 14 | 511,787 | 256,469 | 255,318 |
|  |  |  |  |

$1_{\text {Projected }}$
${ }^{2}$ Statistics Canada, Census of Agriculture 1976

This range of production represents the maximum level of adjustment allowed to farmers producing each commodity. The actual level of production of various crops may undergo changes more than those specified in the maximum and minimum constraints. However, information obtained through the model would show the direction of changes in the production of various crops. The maximum and minimum level of production of wheat, oats, barley and flaxseed for different crop districts, over 1962-75 is given in Table 6. Since no data were available for other crops according to crop districts, the following steps were taken in establishing maximum and minimum levels of production constraints for these crops for each crop district:

Firstly, production of wheat was projected to determine the "normal" production for each crop district and for Manitoba as a whole for 1975 by using data from the Yearbook of Manitoba Agriculture, Table 2 in the Appendix C. The word normal is used to mean the trend level of of production rather than actual production. Due to various types of uncertainties, the normal level of production may not be the same as the aggregate output of all firms determined under equilibrium where they were using their resources efficiently. Normal production is assumed to include the effect of all variables which could influence production. The normal level of production was selected because it was assumed that the decision about the total production of commodities by farmers was not influenced by weather conditions. Normal production thus eliminated the effect of favourable and unfavourable weather and indicated long run production trends. Another reason for using normal production was to include the effect of technological change which is occurring over time.

| 886 | $\angle \varepsilon 1$ | 265＇2 | 981 | $99 \chi^{\prime} \varepsilon$ | $989{ }^{\circ} \mathrm{L}$ | $\angle \angle 6^{\prime} \mathrm{Z}$ | tLl | カ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 811 | $L 2$ | 811＇s | ち29＇1 | $891 \times \varepsilon$ | 821 ＇l | 990＇b | ） 28 | $\varepsilon 1$ |
| 609 | 切し | 962 「 $\varepsilon$ | 822 | 681 ＇$\varepsilon$ | 090＾1 | とが「て | 48 | 21 |
| 206 | 621 | 62t＇し | £81＇1 | 966＇9 | $179^{\prime} \varepsilon$ | $026{ }^{\circ} \mathrm{L}$ | $296{ }^{\text {c }}$ | 11 |
| £81＇ 1 | 812 | 862＇で | 011＇t | 201＇L | L88．$\varepsilon$ | เع8＇11 | $9 \angle \downarrow^{\prime}$ ¢ | 02 |
| เย8 | 812 | 282＇b | $8 \varepsilon L$ | 2996 | 88t＇て | ＋80＇9 | 96L＇${ }^{\text {c }}$ | 6 |
| 896 | ¢\＆2 | 891＇L | ¢¢¢ | 199＊8 | £ટて＇$\varepsilon$ | $\rightarrow+0^{\circ} \mathrm{L}$ | เsでて | 8 |
| £L8 | $6 \downarrow 2$ | $891 . L$ | 628 | 62て＇9 | $688^{\circ} \varepsilon$ | เદ์＇9 | 08b：て | $L$ |
| 891 | $0 \varepsilon$ | LLL | 08 | 19L＇l | て1¢ | $2 \angle 8$ | ¢\＆ | 9 |
| LLl＇l | GIE | 0LE＇8 | 188 | $6 \pm$ く＇しl | $108^{\prime} \downarrow$ | 2ヵ\＆¢ 8 | 219｀て | ¢ |
| LOE | 221 | LOE＇$\dagger$ | $0<\varepsilon$ | 9¢！${ }^{\text {b }}$ | L89 ${ }^{\circ} \mathrm{l}$ | $66 \varepsilon^{\prime} \mathrm{Z}$ | 999 | $\dagger$ |
| 690＇s | 692＇L | 990＇61 | เยガし | $\angle 29 \times 11$ | 切¢ 9 | $\checkmark 1 \varepsilon \times 81$ | ヤLL＇g | $\varepsilon$ |
| LEt＇し | 96t | $689{ }^{\circ} \mathrm{ZL}$ | 191 | 919＊6 | $6 \varepsilon 9 \times \varepsilon$ | 96て「し1 | $186{ }^{\text {¢ }}$ ¢ | 2 |
| $220 \times 2$ | ヤ0L | 69\％＇L | 668 | ع96＇g | $8<\varepsilon^{\prime}$ 乙 | 698｀8 | $L 26^{\prime} 2$ | 1 |
| －－－－－－－－－－－－－－－－－－－－－－－－s spusnq to spuesnouz－ |  |  |  |  |  |  |  |  |
| $\stackrel{\times \mathrm{xew}}{\text { pazsx }}$ | $\cdot u!w$ <br> 11 | ${ }^{\text {xew }} \text { אəLue }$ |  | $\cdot{ }^{\circ \mathrm{x}} \mathrm{~N}_{\text {s7e }}$ | －u！w | －$\times$ W | －u！w | $73!475!0$ dodj |

$9378 \forall 1$

Use of normal production thus included the effect of technological change which is continuous. The following equation was used to estimate normal production:

$$
P R_{i w t}=a_{i w}+b_{i w} X_{T}
$$

Where:

```
\(P R_{i w t}=\) Production of wheat in the \(i-t h\) region in period \(t\),
    \(\mathrm{a}_{\mathrm{iw}}=\) Intercept for wheat for the \(\mathbf{i - t h}\) region,
    \(b_{i w}=\) Regression coefficent showing the annual change in
        wheat production in i-th region,
    \(X_{t}=\) Trend variable such that
        \(X_{t}=1\) for 1962
        \(x_{t+1}=2\) for 1963
        \(x+12=13\) for 1974
        t
```

Secondly, production of rye and rapeseed was projected for 1975 by using the aforementioned equation for Manitoba ${ }^{75}$.

Thirdly, normal production for rye and rapeseed for each crop district as given in Table 7 for 1975 was determined by distributing the normal production of these crops amoung crop districts in the same proportion as the normal wheat production was distributed. Wheat was used for apportioning the normal production of these crops because it was the most important crop in Manitoba and shared about 50 percent of the area of crops considered in this study. For this purpose, the following formula was used -

[^14]
$$
(k=5,6, \ldots 9)
$$

Where:
$\hat{Y}_{i k}=$ The projected production of the $k$-th crop (i.e., rye or rapeseed) in the i-th crop district for 1975,
$\hat{Y}_{w i}=$ The projected production of wheat for the $i$-the crop district for 1975,
$\hat{Y}_{m}=$ The projected production of wheat for Manitoba for 1975,
$\hat{Y}_{m k}=$ The projected production for the $k-t h$ crop (rye or rapeseed) for Manitoba for 1975.

Finally, maximum and minimum level of production restraint for rye and rapeseed for each crop district were arrived at by using the following formula:

$$
\begin{equation*}
\operatorname{MAXP}_{k i}=\frac{\operatorname{MAXW}_{i}}{\bar{Y}_{w i}^{\Lambda}} \quad \hat{Y}_{i k} \tag{k=5,6}
\end{equation*}
$$

Where:

$$
\begin{aligned}
\operatorname{MAXP}_{k i}= & \text { The maximum production level of crop } k \text { (i.e. rye or } \\
& \text { rapeseed) over 1962-1975 in region } i, \\
\operatorname{MAXW}_{i}= & \text { The maximum production level of wheat in the i-th crop } \\
& \text { district over 1962-75, } \\
\Lambda_{W i}= & \text { as defined earlier, } \\
\Lambda_{i k}= & \text { as defined earlier. }
\end{aligned}
$$

By following similar steps, one can establish the minimum production restraints for rye and rapeseed for each crop district. The maximum and minimum level of production of these crops is given in Table 8.

TABLE 8
ESTIMATED MAXIMUM AND MINIMUM PRODUCTION OF RYE AND RAPESEED IN DIFFERENT CROP DISTRICTS OF MANITOBA

| Crop District | Rye |  | Rapeseed |  |
| :---: | :---: | :---: | :---: | :---: |
|  | Maximum | Minimum | Maximum | Minimum |
|  |  | usands of | ushels- |  |
| 1 | 372.285 | 123.002 | 1231.520 | 406.892 |
| 2 | 472.594 | 167.295 | 1563.344 | 553.412 |
| 3 | 769.615 | 242.643 | 2545.889 | 802.663 |
| 4 | 100.814 | 27.945 | 333.493 | 92.444 |
| 5 | 350.558 | 109.765 | 1159.649 | 363.103 |
| 6 | 36.640 | 9.874 | 1212.529 | 326.771 |
| 7 | 259.269 | 101.562 | 880.093 | 344.753 |
| 8 | 296.012 | 94.594 | 979.210 | 312.919 |
| 9 | 255.670 | 75.432 | 845.757 | 249.529 |
| 10 | 497.178 | 146.031 | 1644.667 | 483.071 |
| 11 | 332.825 | 82.450 | 1100.984 | 272.744 |
| 12 | 102.663 | 20.339 | 339.610 | 67.283 |
| 13 | 170.825 | 34.627 | 565.088 | 114.547 |
| 14 | 125.103 | 30.005 | 413.842 | 99.255 |

$1_{\text {Minimum }}$ level of production of rye and rapeseed for each crop district was determined by applying the formula as discussed in Text. Similar formula was used in estimating the minimum levels of production of these crops at the crop district levels. Data used was taken from: Department of Agriculture, Yearbook of Manitoba Agriculture, Queen's Printers, 1960-74.

Production of sunflowers, sugarbeets and potatoes was constrained to specific crop districts as these crops were not grown in some crop districts in 1976. Sunflowers production was allowed in crop district $1-5,7,8,11$, and 13. Sugarbeets production was constrained to crop districts 2-5 and 9-11. Potatoes were grown in all crop districts with the exception of crop district 1, 5, 6, 13 and 14. The normal production of these crops as shown in Table 9 was determined for Manitoba in order to allocate this production to different crop districts according to the proportionate share of each crop sown in different crop districts in 1976. 76 Maximum and minimum production restraints as depicted in Table 11 were arrived at by increasing or decreasing the normal production in each crop district by an amount equal to the percentage increase or decrease of the actual maximum or minimum production over the normal production (Table 10) of each crop for Manitoba over the period 1962-75.

Minimum Feed Demand Constraints for Crop Districts
Minimum demand constraints for metabolizable energy for each crop district were established by using the following formula:

$$
\mathrm{MER}_{i}=\sum_{s=1}^{3} \mathrm{NREQ}_{s} \quad \times A U_{i} \times \mathrm{MEAB}_{s}
$$

Where:

$$
\begin{aligned}
\text { MER }_{i}= & \text { Metabolized energy required for livestock in the } i \text {-th } \\
& \text { crop district, } \\
\mathrm{NREQ}_{S}= & \text { Normal requirement per animal unit for the s-th commodity } \\
& \text { in bushels, } \\
A U_{i}= & \text { Animal units in the } i \text {-th crop district, }
\end{aligned}
$$

${ }^{76}$ See Appendix C Table 3.
Printer, Winnipeg, 1976.



TABiE 10.
NORMAL PRODUCTION OF SUGARBEETS, SUNFLOWERS AND POTATOES
IN DIFFERENT CROP DISTRICTS IN $1976{ }^{1}$

| Crop District | Sunflowers | Potatoes | Sugarbeets |
| :---: | :---: | :---: | :---: |
|  | (000 pounds) | (000 bushels) | (Tons) |
| 1 | 5,418 | -- | -- |
| 2 | 37,008 | 3,134 | 228,800 |
| 3 | 2,118 | 67 | 43,782 |
| 4 | 4,000 | 470 | 38,045 |
| 5 | 7,300 | -- | -- |
| 6 | -- | -- | -- |
| 7 | 18,008 | 1,259 | -- |
| 8 | 14,609 | 2,180 | -- |
| 9 | -- | 154 | 6,462 |
| 10 | -- | 267 | 9,594 |
| 11 | 636 | 200 | 3,000 |
| 12 | -- | 26 | -- |
| 13 | 1,809 | -- | -- |
| 14 | -- | -- | -- |
| Manitoba | 90,906 | 7,758 | 329,683 |

1 Normal production of these crops for each crop district was determined by allocating the normal llanitoba production of these crops according to the proportionate share of the area sown in each crop district in 1976. Area sown to each crop in various crop district was obtained from Statistics Canada, Census of Canada, Agriculture, 1976.

TABLE 11
MAXImUM AND MINImUM PRODUCTION
OF SUNFLOWERS, SUGARBEETS AND POTATOES ${ }^{1}$

| id District | Sunflowers |  | Potatoes |  | Sugarbeets |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Maximum | Minimum | Maximum | Minimum | Maximum | Minimum |
|  | (000 pounds) |  | (000 bushels) |  | (Tons) |  |
| 1 | 9,059 | 916 | -- | -- | -- | -- |
| 2 | 61,887 | 6,254 | 3,299 | 1,400 | 247,972 | 136,524 |
| 3 | 3,542 | 358 | 71 | 30 | 52,617 | 26,124 |
| 4 | 6,688 | 676 | 495 | 210 | 45,722 | 22,701 |
| 5 | 12,206 | 1,234 | -- | -- | -- | -- |
| 6 | -- | -- | -- | -- | -- | -- |
| 7 | 30,111 | 3,043 | 1,325 | 562 | -- | -- |
| 8 | 24,428 | 2,469 | 2,295 | 974 | -- | -- |
| 9 | -- | -- | 162 | 69 | 7,766 | 3,856 |
| 10 | -- | -- | 281 | 119 | 11,530 | 5,725 |
| 11 | 1,063 | 107 | 211 | 89 | 3,605 | 1,790 |
| 12 | -- | -- | 27 | 12 | -- | -- |
| 13 | 3,024 | 306 | -- | -- | -- | -- |
| 14 | -- | -- | -- | -- | -- | -- |
|  | 152,002 | 15,363 | 8,166 | 3,495 | 396,212 | 196,720 |

${ }^{1}$ Maximum and minimum production of these crops in each crop district was obtained by increasing or decreasing the normal production given in Table 10 by the percent increase or decrease of actual production over 1962-75 over normal production as shown in Table 9.

MEAB ${ }_{s}=$ Metabolized energy provided per bushel of commodity $s$,

$$
s=1-\text { wheat, } s=2-\text { oats, } s=3-\text { barley. }
$$

Normal requirement per animal unit for each commodity was determined by using the data for Canada as the feed data were not available for Manitoba. The following steps were involved in finding the values of $\mathrm{MER}_{\mathrm{i}}$.

1. Total annual requirements for wheat, oats and barley as feed were projected to 1976 by using the following equation:

$$
\mathrm{FED}_{s t}=a_{s}+b_{s} X_{t},
$$

Where:
$\mathrm{FED}_{\text {st }}=$ Use of $s$-th commodity as feed in year $t$ in Canada $s=1-$ wheat, $s=2-$ oats, $s=3-$ barley,
$a_{s}=$ Intercept of the equation for the $s-t h$ commodity, $b_{s}=$ Regression co-efficient indicating the annual change in feed use for the s-th commodity,
$x_{t}=$ Trend variable such that $x_{t}=1$ for $1960, x_{t+1}=2$ for 1961, . . . , $x_{t+14}=15$ for 1974.
The projected figures 77 are as in Table 12, while the data used are given in Appendix C, Table 4.
2. Total number of units of livestock of various categories for Canada were projected to 1976 by using data from various sources shown in Appendix C, Table 5. A linear equation of the following form was used for projection: ${ }^{78}$

770 verall regressions and regression coefficients were significant for these crops.

78
Overall regression equations and regression coefficients were highly significant for various kinds of animals with the exception of bulls.

$$
\mathrm{ANL}_{i t}=a_{i}+b_{i} X_{t},
$$

Where:

$$
\begin{aligned}
& A N L_{i t}=\text { Number of animals of } i-t h \text { kind in year } t \text { in Canada, } \\
& \mathbf{i}=1 \text { - bulls, } \mathbf{i}=2-\text { milk cows, } \mathbf{i}=3 \text { - beef cows, } \\
& \mathfrak{i}=4 \text { - dairy yearling heifers, } \mathbf{i}=5 \text { - beef yearling } \\
& \text { heifers, } \mathbf{i}=6 \text { - steers, } \mathbf{i}=7 \text { - calves, } \mathbf{i}=8 \text { - hogs, } \\
& i=9-\text { sheep and lamb, } i=10 \text { - horses, } i=11 \text { - hens } \\
& \text { and pullets, } \\
& a_{i}=\text { Intercept of the equation for the } k \text {-th kind of animals, } \\
& b_{i}=\text { Regression coefficient showing the annual change in } \\
& \text { number of animals of } i \text {-th kind, } \\
& x_{t}=1 \text { for 1963, } x_{t+1}=2 \text { for } 1964, \cdots, x_{t}+12=13 \text { for } \\
& 1975 .
\end{aligned}
$$

The projected figures for sheep and lambs were divided into sheep units and lamb units on the basis of total number of these animals in Manitoba in 1974. Similarly, the projected number of hogs were further divided into pigs over six months and pigs under six months on the basis of total number of hogs in Manitoba in 1975. These animal numbers were divided into two categories in order to apply the appropriate conversion factors. The projected number of animals of various categories are depicted in Table 13.
3. Different kinds of animals are fed various levels of nutrient. Therefore projected number of animals in Canada were translated into units of animals by using the conversion factors or weights shown in Table 14.





4. Normal requirements of feed per animal unit were determined by dividing the projected feed requirements of wheat, oats and barley by the total number of animal units in Canada. These are as shown in Table 15.
5. For each crop district total number of animals of various categories were estimated to 1976 by taking data from the Manitoba Yearbook ${ }^{79}$ and using linear equation as used for projecting the number of animals for Canada. The projected number of animals of each category in each crop district are shown in Table $16^{80}$ Animal units were formed by using conversion factors already given.
6. Normal requirements for each crop district were determined by multiplying the requirement per animal unit by the number of animal units.
7. In order to allow the substitution of metabolizable energy coming from wheat, oats and barley, the normal feed requirements were converted to MCAL from these crops for each crop district by multiplying the metabolizable energy available from one bushel of each of these commodities. 81 The total metabolized energy required for livestock for each crop district is given in Table 17.
${ }^{79}$ See Appendix C, Table 6-20.
${ }^{80}$ About 77 percent of the regression equations and regression coefficients were significant.
${ }^{81}$ Metabolized energy provided by one pound of wheat $=1.29 \mathrm{MCAL}$, one pound of oats $=1.11 \mathrm{MCAL}$, one pound of barley $=1.22 \mathrm{MCAL}$. See Faculty of Agriculture. Principles and Practices of Commercial Farming, University of Manitoba.


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| \％es＇Ez！ | $116 \cdot 24$ | 615 | ¢29 | 185＇\％ | 505＇8 | 121469 | $98 c^{\circ} \mathrm{s}$ ： | 998＇nt | $926 \cdot 1$ | 41909 | ctictic | ${ }_{\text {cse }}$ | \＆！ |
| 01s＇06 | 529．88 | 259 ${ }^{\circ}$ | £25 ${ }^{\circ}$ | 862＇90 | ${ }_{0} 566^{6} 6$ | saz＇re | 27900 | $80 s^{\prime} 16$ | ， | 259＊C\％ | 20：${ }^{\text {c }}$ | \％ 5812 | 21 |
| 590\％ 0.1 | $16 \varepsilon^{\prime} 68$ | 291 | ع 25 | ร¢く＇ช¢ | 815 ＇ 21 | O64＇88 | ¢ $22 \cdot \%$ | 0¢9＇21 | 223 | $276 C^{\circ} \mathrm{Cb}$ |  |  | 11 |
| 688＇ 92 | $165 ' \varepsilon 9^{\prime}$ | 18 | £ 2 | ${ }_{\text {¢ } 22}{ }^{\prime \prime} 69$ | $982^{\prime} \varepsilon 1$ | ¢26＇22 | 2036 | ع29＇s | ع2\％ | 188＇08 |  |  | 01 |
| 001416 | 608＇002 | $808^{\circ} 1$ | 120.2 | 691.95 | $0 \times 0$ ¢ $¢$ ： | $212 \times 62$ | 591＇81 | 888 ＇6 | $805^{\circ}$ ！ |  |  |  | 6 |
| 529＇56 | $228 \times 51$ | 888 | 916 | 6s¢＇18 | Onz＇al | 189＇88 | żE＇$n$ | 188 ＇ 1 | ¢¢\％＇\％ | てい「 | $880 \%$ | ${ }_{850}{ }^{\circ}$ | 8 |
| 199＇z\％ | H11＇2nt | 69 | OSt | 998＇21 | ${ }_{585}{ }^{\circ} \mathrm{\varepsilon}$ | se5 ${ }^{\circ} 01$ | 961 ＇$\varepsilon$ | ع29｀$\varepsilon$ | 883 | 809.11 | $0 \leq 0{ }^{\circ}$ | ¢Sct | － |
| Sstect | $4120^{\circ}: 199^{\circ} \mathrm{t}$ | 8276 | 619.1 | 81＇sst | ع68＇\％ | $635^{\prime} 22$ | เ21＇$¢ 1$ | 298＇6 | ع21\％ | $188^{\prime} / 1$ | $180 \cdot 12$ | ${ }_{595}{ }^{\circ}$ | $\stackrel{9}{5}$ |
| $986{ }^{6} 6$ | 0 0．111 | ELL | $801 \%$ | ¢ع8＇2\％ | 681.01 | を＜2＇ 21 | 189＇9 | 29s＇\％ | 2：9＇1 | ¢18＇$\varepsilon$ ！ | 41499 |  | 5 |
| 988.521 | $012 \times 66{ }^{\prime} \backslash$ | ع08＇ | $592 \%$ | 888＇ร51 | 649＇9\％ | 825 ＇$\Sigma 2$ | 952‘91 | 9898 | OS8＇2 | 0s1＇zz | $981{ }^{\circ} 11$ | 569 | 8 |
| 281641 | $201 / 21$ | －－ | os | $148 \cdot 201$ | $0 ¢ 8 \times \varepsilon$ | $215 \cdot \varepsilon \varepsilon$ | 994．4 | \＄59＇11 | ose | $126^{\circ} 6 \varepsilon$ | boc＇s | ＜18 ${ }^{\circ}$ ！ | $\varepsilon$ |
| 075＇86 | $915 \%$ | 698 | $t 02$ | 259＇32 | 882 ＇s | su＇z¢ | S18＇¢1 | ¢ $25^{\prime} 8$ | 882 | 888＇¢¢ | Osi＇z | \％99 ${ }^{\text {2 }}$ | $\stackrel{2}{1}$ |
| $\begin{aligned} & \text { spuen } \\ & \text { ceuluoy } \end{aligned}$ |  |  | $\begin{aligned} & \text { nog } \\ & \text { dat } \\ & \text { dian } \end{aligned}$ |  |  | Sentes | 53.235 |  |  |  |  | sling | 0 |

TABLE 17
METABOLIZABLE ENERGY REQUIRED IN DIFFERENT CROP DISTRICTS

| Crop District | Wheat | Oats | Barley | Total |
| :---: | :---: | :---: | :---: | :---: |
| 1 | $38,157,560$ | $65,491,360$ | $116,398,300$ | $220,047,200$ |
| 2 | $57,903,150$ | $99,381,420$ | $176,631,400$ | $333,915,900$ |
| 3 | $60,898,080$ | $104,521,600$ | $185,767,200$ | $351,186,900$ |
| 4 | $24,037,180$ | $41,255,930$ | $73,324,540$ | $138,617,600$ |
| 5 | $64,691,840$ | $111,033,000$ | $197,340,000$ | $373,064,700$ |
| 6 | $15,862,970$ | $27,226,240$ | $48,389,400$ | $91,478,600$ |
| 7 | $46,482,560$ | $79,779,790$ | $141,793,300$ | $268,055,600$ |
| 8 | $44,294,080$ | $76,023,640$ | $135,117,400$ | $255,435,200$ |
| 10 | $36,354,840$ | $62,397,240$ | $110,899,100$ | $209,651,200$ |
| 11 | $50,559,050$ | $86,776,440$ | $154,228,500$ | $291,564,000$ |
| 12 | $43,973,580$ | $75,473,500$ | $134,139,700$ | $253,586,800$ |
| 13 | $29,993,580$ | $102,965,500$ | $183,008,300$ | $345,967,300$ |
| 14 | $44,644,920$ | $76,625,740$ | $136,187,500$ | $257,458,200$ |

${ }^{\text {I }}$ Calculated by using the procedure discussed under minimum feed demand constraints.

Minimum Provincial Demand Constraint
Minimum provincial demand constraints were established by adding the human food demand, industrial demand and export demand to the livestock requirement for Manitoba. Expressed in equation form the relationship was

$$
D_{K}=P_{H} b_{H K}+L_{K}+I_{K}+E_{K},
$$

Where:
$D_{k}=$ Demand for the $k-t h$ commodity for the province,
$P_{H}=$ Human population in Manitoba,
$\mathrm{b}_{\mathrm{HK}}=$ Per capita human consumption for the $k$-th commodity,
$L_{K}=$ Livestock requirement for Manitoba,
$I_{k}=$ Industrial normal requirement for the $k$-th commodity for Manitoba, $\mathrm{E}_{\mathrm{k}}=$ Normal export requirement for the $k$-th commodity for Manitoba.

Human food demand. ${ }^{82}$ The method used for estimating human requirement involved the following steps.
(i) Total consumption of each commodity was projected ${ }^{83}$ for 1976 for Canada by using the following equation and data from Grain Trade of Canada presented in Appendix C, Table 21.

$$
\begin{aligned}
P_{k t} & =a_{k}+b_{k} T_{t} \quad(k=1,2,3,5,6), \\
P_{k t} & =\text { Total consumption of commodity } k \text { for period } t, \\
k & =1 \text { - wheat, } k=2-\text { oats, } k=3 \text { - barley, } k=4-\text { flaxseed, } \\
k & =5 \text { - rye, }
\end{aligned}
$$

82
Food uses as estimated by Grain Trade of Canada are as follows: wheat-wheat flour and breakfast food; barley--pot and pearl barley and and breakfast foods; rye--rye flour and breakfast foods; and flaxseed-breakfast foods.
${ }^{83}$ Overall regressions and regression coefficients were significant for all crops.

```
a}k= Intercept for commodity k
b}k=\mathrm{ Regression coefficient showing the annual change in the
    consumption of commodity k,
T
    T
    Tt}+1=2\mathrm{ for 1963,
    Tt}+13=14 for 1975
```

(ii) Total projected consumption shown in Table 18 for 1976 was divided by the Canadian population (i.e. $23,086,100)^{84}$ to determine the per capita consumption.
(iii) Per capita consumption also shown in Table 18 was multiplied by the Manitoba population of $1,011,900^{85}$ to determine the human food demand for Manitoba.

Industrial demand. ${ }^{86}$ It was assumed that industrial demand for oats is zero, because oats have not been used for industrial purposes since 1961.
${ }^{84}$ Statistics Canada, Population Projections for Canada and Provinces 1972-2001, Cat. No. 91-514, p. 61.

85 Ibid., p. 61.

86
Industrial uses as estimated by Grain Trade of Canada are as follows: wheat--distilling and alcohol industries; wheat flour--feed, starch adhesives, miscellaneous chemicals, explosives and pulp and paper industries; barley--malting and brewing; flaxseed and rapeseed for crushing includes seed crushed for subsequent export as oil and oil meals; rye-distilling.

$$
\begin{array}{lcc}
\hline \text { Name of Commodity } & \text { Total Consumption } & \text { Per Capita Consumption } \\
\hline \text { Wheat } & 69,752,200 & 3.0213938 \\
\text { Oats } & 4,312,830 & 0.1868150 \\
\text { Barley } & 102,162 & 0.00442526 \\
\text { Rye } & 524,627 & 0.02272479 \\
\text { Flaxsēed } & 1,650.77 & 0.00007150 \\
\hline \hline
\end{array}
$$


,Following steps were followed in calculating the industrial demand for other commodities.
(i) Total industrial demand for Canada for each commodity was projected ${ }^{87}$ to 1976 using data from Grain Trade of Canada for Canada. ${ }^{88}$ The projected figures are given in Table 19.
(ii) Total production of each commodity for Canada was projected to 1976. The results are shown on Table 20. The data are given in Table 23 of the Appendix $C$.
(iii) Industrial demand projected for 1976 as percent of total projected production was calculated.
(iv) It was assumed that the industrial demand for each commodity for each crop district was a constant proportion of total production equivalent to the percent of total production used for industrial purposes for Canada.

Export demand. Export demand was calculated by following the identical procedure used for industrial demand. Export data are given in Appendix C, Table 24; while the projected figures for Canada are given in Table 21.

Livestock demand. Normal demand for livestock for Manitoba in terms of commodities as discussed already was used in this study. Total
${ }^{87}$ Regression equations and regression coefficients were significant for wheat, barley, flaxseed and rapeseed, and nonsignificant for rye.

88
See Appendix C, Table 22.



$$
6137841
$$

$$
\begin{array}{lc}
\hline \text { Name of Crop } & \text { Production } \\
\text { Wheat } & 563,359,030 \\
\text { Oats } & 288,343,410 \\
\text { Barley } & 570,972,100 . \\
\text { Flaxseed } & 23,524,545 \\
\text { Rapeseed } & 80,105,520 \\
\text { Rye } & 19,554,007 \\
\hline
\end{array}
$$



demand, arrived at by adding the four components of demand for different commodities, is given in Table 22.

Minimum quantity of sunflowers, potatoes and sugarbeets demanded for the province, was set at the minimum level of production of those commodities over 1962-75.

## COST OF PRODUCTION

Cost of production of all crops for 1976 was based on the study conducted by Framingham et al. ${ }^{89}$ They have reported the different components of total cost of production per acre of different commodities according to soil type and farm size for each crop district. Cost estimates were made specific for identified components of each crop reported by large size for 1976.

The total cost of production of each crop is reported under eight components by Framingham et al. 90 : labor, machinery, fertilizer, chemicals, seed cleaning and treatment, investment in land and buildings, taxes, and overhead. Since the authors have reported per acre cost of production for 1971, adjustments were made to arrive at costs for 1976. The method used for adjustments for each component is outlined below.

## Labor

It was assumed that labor requirements per acre for different crops were the same in 1976 as in 1971 for large farms ( 760 acres and over). Adjustment was made for the change in wage rates by applying

89
Framingham, Craddock and Baker, op. cit.
${ }^{90}$ Ibid.

$22378 \forall 1$
the following formula for each crop in each crop district. ${ }^{91}$
$L A B_{i j k}^{1976}=L A B_{i j k}^{1971} \times \frac{\operatorname{LIN}^{1976}}{1971}$,
LIN
Where:
LAB ${ }_{i j k}^{1976}=$ Labor cost for the $k$-th commodity in the $i$-th region for $j$-th soil in 1976 , 1971 = Labor cost for the $k$ th commodity in the ith region
$L A B_{i j k}=$ Labor cost for the $k$-th commodity in the $i-t h$ region for the $j$-th soil in 1971,
$\operatorname{LIN}^{1976}=$ The hired labor wage index for 1976,
LIN $^{1971}=$ The hired labor wage index for 1971.

Machinery
Like labor, it was assumed that the machinery requirements per acre for different crops in different crop districts for two types of soils were the same in 1976 and 1971. A machinery price index ${ }^{92}$ was used to determine the cost for 1976.

## Fertilizer

It was assumed that efficient farm firms apply fertilizer at optimum levels. Average recommended levels of fertilizer given in "Field Crop Recommendations for Manitoba" for different crops grown on stubbles were used as given in Table 23. This was done because the
${ }^{91}$ For hired wage price index see Statistics Canada, Farm Input Price Index, Catalogue No. 62-004, March 1977 and May 1972.
${ }^{92}$ Ibid.

| Crop | Nitrogen |  | Phosphate |  |
| :---: | :---: | :---: | :---: | :---: |
|  | Actual ${ }^{\text {a }}$ | Recommended ${ }^{\text {b }}$ | Actual ${ }^{\text {a }}$ | Recommended ${ }^{\text {b }}$ |
|  |  | -pound |  |  |
| Wheat | 28.45 | 50 | 25.75 | 25 |
| Oats | 26.35 | 50 | 21.59 | 25 |
| Barley | 34.62 | 50 | 24.82 | 25 |
| Flaxseed | 32.75 | 50 | 20.60 | -- |
| Rapeseed | 37.27 | 50 | 23.99 | 25 |
| Rye | 20.01 | 75 | 23.17 | 10 |
| Sunflower | 43.38 | 50 | 26.21 | 25 |
| Potatoes | n/a | 50 | n/a | 40 |
| Sugarbeet |  | 75 | n/a | 60 |
| ${ }^{2}$ Calculated from Manitoba Crop Insurance Data <br> BManitoba Department of Agriculture, Field Crop Recommendations for Manitoba, 1976. |  |  |  |  |
| $n / a_{\text {not }}$ a | available |  |  |  |

[^15]Mariitoba Crop Insurance Corporation data collected by the Department of agricultural economics, University of Manitoba, indicated that almost 100 percent of each crop was sown on stubble and the area sown on summerfallow was negligible in 1976. These levels of fertilizer were assumed to be the same on both types of soils except that potash fertilizer was also applied on sandy soils as it was recommended in "Field Crop Recommendations."93

The levels of fertilizer obtained were multiplied by the price per pound of each type of fertilizer to get the cost per acre for each crop for both clay and sandy soils.

## Chemicals

Recommended levels of herbicide and cost per acre were obtained from the Farm Data Handbook 974. 94 It was assumed that the rate of application per acre was the same in 1976 as it was in 1974. The cost reported per acre was adjusted by using the appropriate price index.

Seed Cleaning and Treatment Cost
Cost per bushel of cleaning and cost per bushel of treatment used in this study are given in Table 26 . The cost of seed for sunflowers, potatoes and sugarbeets was also included in their respective total production cost as these seeds are normally purchased by farmers. The seed requirement per acre of other crops were deducted from their yields.
${ }^{93}$ See Table 24.
${ }^{94}$ See Table 25.

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เ2 37841


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| :---: | :---: | :---: | :---: | :---: |
| $12^{\prime} 1$ | 91.0 | $00 \cdot 8$ | $G \angle E \cdot G$ | pazsadey |
| 9 | $02^{\circ} \mathrm{L}$ | - | G2l'G | ə¢Y |
| $\dagger$ | $09^{\circ}$ | - | 0.9 | Xe! |
| $\varepsilon L$ | $09^{\circ} \mathrm{L}$ | 07 | $G L E \cdot G$ | Kəpleg |
| 21 | $0 \varepsilon^{\circ} \mathrm{Z}$ | - | 0.9 | S7e0 |
| 89 | $00^{1} 1$ | 07 | $G^{\circ} \mathrm{G}$ | 72,4m |
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Investment in Land and Building
Land is treated as a type of capital which could be leased, bought or sold in the market. ${ }^{95}$ Return on the capital value of investment in land is considered as cost in this study. The annual cost of land and buildings for crop production was calculated by multiplying an interest rate of nine percent ${ }^{96}$ times the projected value of farm land per acre as shown in Table 27 for 1976 by using the data given in Table 11 of the Appendix $C$.

## Overhead

Overhead costs exclusive of house expenses were defined as the sum of hydro, telephone, taxes on land and buildings, fire insurance and miscellaneous expenses such as bank charges. ${ }^{97}$ Overhead cost for 1976 was determined by using the total farm input price index for 1976 and 1971 along with the cost reported per acre for different crops by Framingham et al. ${ }^{98}$
$O H C_{k}^{1976}=O H C_{k}^{1971} x \cdot \frac{F_{I I}^{1976}}{\text { FII } 1971}$,

Where:
$\mathrm{OHC}_{k} 1976=$ Overhead cost per acre for crop $k$ in year 1976,
OHC ${ }^{1971}=$ Overhead cost per acre for crop $k$ in year 1971,
${ }^{95}$ See Raleigh Barlowe, Land Resource Economics, The Economics of Real Property, Second Edition, Prentice Hall, Inc., Englewood CTiffs, 'N.J., 1972, p. 172.
${ }^{96}$ Information obtained from the Agricultural Credit Eorporation Office.
${ }^{97}$ C.F. Framingham, W.J. Craddock, L.B.B. Baker, op. cit.
${ }^{98}$ Ibid.


FII ${ }^{1976}=$ Total farm input price index for 1976,
FII ${ }^{1971}=$ Total farm input price for 1971.

Taxes
Tax cost was determined by using the property tax index. The procedure applied using the Framingham et al ${ }^{99}$ study data was similar to that for overhead.

Total cost of production in various crop districts arrived at by using the above procedure for different crops on various soil types is given in Table 28.

## YIELD ESTIMATION

It was assumed that fertilizers were applied at recommended rates. Therefore, the average yields obtained in Manitoba with recommended levels of fertilizers over the period 1966-74 were used in the study. It was assumed that the yields per acre were the same on both types of soils. ${ }^{100}$ Yields for Manitoba for 1976 at the recommended levels of fertilizer were obtained by applying the following formula:

$$
Y^{1976}=\frac{N Y_{k m}^{1976}}{A Y_{k m}} \times \text { YRF }_{k},
$$

${ }^{99}$ Ibid.
${ }^{100}$ Discussion with R.A. Hedlin, Professor and Head, Soil Science Dept, and with K.M. McGill, Director, Soil Testing Laboratory, University of Manitoba, indicated that yield per acre of different crops is the same for both types of soil. However, they suggested that potash at the recommended level would be used on sandy soil which is not required on clay soil.
lcalculated by using the procedure discussed in Text.

| -- | $\because$ | $\because$ | 20\% 43 | 69:95 | 99:2\% | 14.95 |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| -. |  | $\bigcirc$ | 90.60 | 4.69 | ${ }^{21} \times 2 \cdot 5$ |  | ${ }^{89} 6.54$ | ${ }^{81} 8.09$ | $\frac{1}{2}$ |  | $\rightarrow$ |
| -- | - | ${ }_{16 \cdot 95}^{16.89}$ | ${ }_{69} 68$ | $45 \cdot 09$ | 25.96 | ${ }_{86} 6.09$ | $2 \mathrm{c} \cdot 15$ | $25^{\circ} \mathrm{OS}$ | 1 |  | $\varepsilon$ |
| -- | 81.0b2 | $\cdots$ | 62.93 | 11.59 | ${ }^{+5} \cdot 0 \cdot 0$ | ${ }^{99} \cdot{ }^{\circ}$ ¢ 4 | ${ }^{96}$ 96.93 | $8{ }^{56} \cdot 6$ |  |  |  |
|  | £6.092 | $\cdots$ |  | 292.69 | 40. 4.8 | ${ }^{02}$ | 60.65 81.89 | ${ }^{80}{ }^{0.09}$ | 1 |  | 2l |
| 88.182 | 99.Ebz | ${ }^{86} \cdot 6$ | (6) ${ }^{\circ} 9$ | $4{ }^{4} 5$ | $02 \cdot 8$ |  | $01.8 \%$ | 20.68 |  |  |  |
| 88.182 | ${ }_{99} 9.6 \mathrm{Cbz}$ | 86.19 | ${ }^{69} 98$ | 28.09 |  | - 60.09 |  | 62.09 <br> 09 <br> 8.80 | 2 |  | 11 |
| c¢ 92.182 |  | $\because$ | ${ }_{9}^{92} \times 2.85$ | 29.99 |  | ${ }_{66} 68.65$ | ${ }^{60} 80$ | 80.09 | 1 |  | 01 |
| ${ }_{81}{ }^{92} \cdot 2828$ |  | -- | $81 . \angle 6$ | ${ }_{89} 999$ | $\varepsilon_{\varepsilon ¢} ¢$ | 28. 6 | 29.87 | 88.8\% | 2 |  |  |
| $81 \cdot 282$ | $95 \cdot 8 p{ }^{\text {a }}$ |  | $99.8 \%$ | ${ }^{99} 969$ | 00.96 |  | 82.09 | ${ }^{61.09}$ | $\frac{1}{2}$ |  | 6 |
| -- | ${ }^{69} 9.682$. | 20.69 | ${ }^{+7 L}$ | 02. 69 | 61. 69 | 29.6\% | ${ }_{80}{ }^{6}$ | 88.69 | ? |  | 8 |
|  | 60. $¢ \mathfrak{y}$ | 25.19 | 96.9\% | 16.09 | 02\% | c2.9b | $96 \cdot 97$ | .86.96 | 2 |  |  |
| -- | ¢0. $¢ 62$ | $2 t \cdot 6$ |  | $68^{68} \cdot 15$ | 99.ç | $16^{\circ} \cdot 6$ | ${ }_{96} 98$ | \&ع. $8 \%$ | 1 |  | 6 |
| $\because$ | -- | $\cdots$ | 88. $2 \cdot 6$ | -98. 9.6 | - 96.6 | 4. ${ }^{1}$ | 4.09 | ${ }_{19} 19$ |  |  | 9 |
| -- | -- | $8 \%$ ¢9 | ${ }_{89}{ }^{\text {c }}$ ¢ | $14 \cdot 19$ | 00. 6 | ${ }_{9} \times$ ¢ $¢$ | . $88 \cdot \varepsilon$ | ¢6. $¢ 9$ | 2 |  |  |
| - | $\cdots$ | $88^{8} \cdot \underline{\text { c }}$ |  | 95.59 |  | \%8.95 | - 8.959 | \%6.959 | $\frac{1}{2}$ |  | s |
| $68 \cdot 982$ | 41.882 | ${ }_{59} 59.29$ |  | 28.09 | 65.95 08.65 |  | ¢ ${ }^{98}$ | ${ }_{\text {c }}^{82}$ | ? |  | \% |
| 68.982 99.682 | 21.882 | ¢99.29 | ${ }^{86}$ 82 69 | 28: 29 | 28.8b |  | 06 | 0.596 | 2 |  |  |
| ¢9\%:82 | ${ }^{26} 6.662$ | 08.59 | \%2.95 | L5.99 | ¢¢ $¢$ | ${ }^{18} 8.59$ | ${ }^{92} 96.95$ | ¢ 9.95 | $\frac{1}{2}$ |  | $\varepsilon$ |
|  |  | 80.09 80.09 |  | ${ }_{90}^{21.09}$ |  | - 61.89 | 45.09 | 26.09 | $t$ |  | 2 |
| 2 ¢ '¢82 | 04's.92 | ${ }^{89}$ 899 | -90. 6 | 12.99 | 88.2 | 99\% $\angle 6$ | $6 \%$ \% | 18.85 | 2 |  |  |
|  |  | 0999 | 89:88 |  | pr'sp | 926 | 2109 | 9206 | 1 |  | 1 |
| 2099480ns | sporbiod | damolyuns | ${ }^{\text {a }}$ ¢ | peasadey | x ¢ $^{\text {d }}$ |  | S720 | 78944 |  | 723175 | 10 dod |
|  |  |  |  |  |  |  |  |  |  |  |  |
| 82 37881 |  |  |  |  |  |  |  |  |  |  |  |

Where:
$Y_{k m}^{1976}=$ Yield for $k$-th crop for Manitoba at the recommended level of fertilization in 1976,
NY ${ }_{\mathrm{km}}^{1976}=$ Normal yield for Manitoba for $k$-th crop in 1976,
Ay $1976=$ Average yield of the $k$-th crop over 1966-74,
YRF $k$ = Average yield for the $k$-th crop when recommended levels of fertilizers were applied over 1966-74.

Normal yield for Manitoba for the k-th crop were obtained by using the following form of equation and the data in Appendix $C$, Table 26. The projected yields are given in Table 30.

$$
y_{k t}=a_{k}+b_{k} \top_{t},
$$

Where:

$$
\begin{aligned}
Y_{k t} & =\text { Yield of the } k-t h \text { crop for the } t-t h \text { period, } \\
a_{k} & =\text { Intercept for the } k-t h \text { crop, } \\
b_{k} & =\text { Regression coefficient for the } k \text {-th crop, } \\
T_{t} & =\text { Trend variable such that, } \\
& T_{t}=1 \text { for } 1962, \\
T_{t}+1 & =2 \text { for } 1963, \\
& \quad . \\
& T_{t}+12=13 \text { for } 1974,
\end{aligned}
$$

Yield of different crops for each crop district was obtained by using the following formula:

$$
Y_{i k}^{1976}=\frac{N Y_{i k}^{1976}}{N Y_{k}^{1976}} \times Y_{k m}^{1976}
$$



$$
62379 \forall 1
$$

Where:
$Y_{i k}^{1976}=$ Yield of the $k$-th crop in the $i$-th crop district in 1976,
NY ${ }_{i k}^{1976}=$ Normal yield for the $k$-th crop in the $i-t h$ crop district 102 in 1976. Data used are in Table 27 to 40 of the Appendix C,
$\mathrm{Ny}_{k}^{1976}=$ Normal yield for $k$-th crop for Manitoba in 1976,
$Y_{\mathrm{km}}^{1976}=$ Yield for the $k$ th crop for Manitoba at the recommended level of fertilization in 1976.

Since the yield per acre for rye, rapeseed, sunflowers, : sugarbeets and potatoes were not available for different crop districts over time, the following formula was used for determining the yield per acre for the various crop districts.

$$
Q_{i k}^{1976}=\frac{Q W H_{i}^{1976}}{Q W H^{1976}} \quad Q M_{k}^{1976}, \quad(k=5,6, . . .9)
$$

Where:
$Q_{i k}^{1976}=$ the yield per acre of the $k$-th $\operatorname{crop}(k=5,6, \ldots 9)$ in the i-th crop district for 1976 with recommended level of fertilizer,
$Q W_{i}^{1976}=$ the yield per acre of wheat for the $i$-th crop district in 1976 with recommended level of fertilizer,
${ }^{102}$ Projected normal yield of wheat, oats, barley and flax are given in Table 31. The results of overall regression equations and regression coefficients varied from nonsignificant to highly significant levels for these crops in different crop districts.

## TABLE 31

PROJECTED YIELD OF WHEAT, OATS, BARLEY AND FLAX IN DIFFERENT CROP DISTRICTS IN 1976

|  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: |
| Crop District | Wheat | 0ats | Barley | Flax |
| 1 | 25.35 | 46.56 | 39.53 | 10.30 |
| 2 | 26.61 | 48.47 | 40.70 | 11.95 |
| 3 | 25.56 | 48.08 | 39.80 | 9.88 |
| 4 | 26.93 | 43.13 | 37.40 | 11.45 |
| 5 | 23.18 | 43.81 | 33.42 | 10.58 |
| 6 | 24.03 | 36.79 | 37.57 | 11.74 |
| 7 | 25.01 | 44.98 | 38.69 | 11.28 |
| 8 | 27.29 | 50.39 | 44.14 | 13.32 |
| 9 | 24.07 | 41.76 | 36.01 | 11.25 |
| 10 | 26.20 | 45.79 | 43.40 | 11.99 |
| 11 | 24.00 | 40.57 | 33.25 | 10.29 |
| 12 | 25.22 | 41.33 | 33.92 | 12.53 |
| 13 | 27.91 | 43.53 | 33.87 | 15.59 |
| 14 | 24.18 | 40.21 | 33.14 | 10.05 |

${ }^{1}$ Data used are given in Appendix C, Table 27 to 40.

$$
\begin{aligned}
\mathrm{QWH}^{1976}= & \text { the projected yield per acre for wheat for Manitoba in } \\
& 1976, \\
\mathrm{QM}_{k}^{1976=}= & \text { the projected yield for the } k \text {-th crop }(k=5,6, \ldots, 9) \\
& \text { for Manitoba for } 1976 .
\end{aligned}
$$

From the projected yields, at the recommended levels of fertilizers shown in Table 32, the average seed requirements per acre (Table 26) were deducted to get the net yield for wheat, oats, barley, flax, rye and rapeseed. ${ }^{103}$ cost of seed of other crops was included in their cost of production and thus seed was not deducted from gross yield. Their yields are given in Table 34.

## SELLING PRICES

Since at the time of making land allocation decisions, farmers do not know the price at which the crop will be sold, they commonly use the preceding year's price as a basis to allocate acreage among crops. So prices for 1974-75 for different commodities were used in this analysis as these were also the most recent available. Since there were a number of grades for each commodity, a number of prices prevailed for each crop. In order to arrive at a particular price for each crop, average percentage distribution of grades of each commodity for the period 1972-75 and their respective prices for 1974-75 were taken into account. 104 Different grades of various commodities constituted 63-97 percent of the total quantity of grain inspected in Western divisions. ${ }^{105}$ An arithmetic mean of the resulting percentage

[^16]${ }^{104}$ This procedure is identical to the one used by Framingham et al. ${ }^{105}$ See Table 35 and 36 .

## TABLE 32

YIELD PER ACRE OF DIFFERENT CROPS IN VARIOUS CROP DISTRICTS GIVEN RECOMMENDED LEVEL OF FERTILIZER USE ${ }^{1}$

|  |  |  |  |  |  |  |
| :---: | :--- | :--- | :--- | :--- | :--- | :--- |
| p District | Wheat | Oats | Barley | Flax | Rye | Rapeseed |
| 1 | 31.37 | 63.03 | 50.92 | 13.97 | 29.31 | 22.83 |
| 2 | 32.93 | 65.62 | 52.43 | 16.21 | 30.77 | 23.96 |
| 3 | 31.63 | 65.09 | 51.27 | 13.40 | 29.55 | 23.02 |
| 4 | 33.32 | 58.39 | 48.18 | 15.53 | 31.13 | 24.25 |
| 5 | 28.68 | 59.31 | 43.05 | 14.35 | 26.80 | 20.87 |
| 6 | 29.73 | 49.81 | 48.40 | 15.92 | 27.78 | 21.63 |
| 7 | 30.95 | 60.89 | 49.84 | 15.30 | 28.92 | 22.52 |
| 8 | 33.77 | 68.22 | 56.86 | 18.07 | 31.55 | 24.57 |
| 9 | 29.78 | 56.54 | 46.39 | 15.26 | 27.83 | 21.67 |
| 10 | 32.42 | 61.99 | 55.91 | 16.26 | 30.29 | 23.59 |
| 11 | 29.70 | 54.92 | 42.83 | 13.96 | 27.75 | 21.61 |
| 12 | 31.21 | 55.95 | 43.70 | 17.00 | 29.16 | 22.71 |
| 13 | 34.53 | 58.93 | 43.63 | 21.15 | 32.26 | 25.13 |
| 14 | 29.92 | 54.44 | 42.69 | 13.63 | 27.96 | 21.77 |

${ }^{7}$ Calculated by applying the formula given on page 104

| Crop District | Wheat | Oats | Barley | Flax | Rye | Rapeseed |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | bushels |  |  |  |  |  |
| 1 | 29.87 | 60.73 | 49.32 | 13.37 | 28.11 | 22.68 |
| 2 | 31.43 | 63.32 | 50.83 | 15.61 | 29.57 | 23.81 |
| 3 | 30.13 | 62.79 | 49.67 | 12.80 | 28.35 | 22.87 |
| 4 | 31.82 | 56.09 | 46.58 | 14.93 | 29.93 | 24.10 |
| 5 | 27.18 | 57.01 | 41.45 | 13.75 | 25.60 | 20.72 |
| 6 | 28.23 | 47.57 | 46.80 | 15.32 | 26.58 | 21.48 |
| 7 | 29.45 | 58.59 | 48.24 | 14.70 | 27.72 | 22.37 |
| 8 | 32.27 | 65.92 | 55.26 | 17.47 | 30.35 | 24.42 |
| 9 - | 28.28 | -54.24 | 44.79 | 14.66 | 26.63 | 21.52 |
| 10 | 30.92 | 59.79 | 54.31 | 15.66 | 29.09 | 23.44 |
| 11 | 28.20 | 52.62 | 41.23 | 13.36 | 26.55 | 21.46 |
| 12 | 29.71 | 53.65 | 42.10 | 16.40 | 27.96 | 22.56 |
| 13 | 33.03 | 56.63 | 42.03 | 20.55 | 31.06 | 24.98 |
| 14 | 28.42 | 52.14 | 47.09 | 13.03 | 26.76 | 21.62 |




figures is depicted in Table 35 and 36 and the resulting total of different grades of each commodity is as follows:

| Wheat: Red Spring \& Canada Utility | $82.6 \%$ |  |
| :--- | :--- | :--- |
|  | Durum | $95.3 \%$ |
| Oats | $72.5 \%$ |  |
| Barley | $78.3 \%$ |  |
| Rye | $94.5 \%$ |  |
| Flaxseed | $95.7 \%$ |  |
| Rapeseed | $96.0 \%$ |  |

These percentages of different grades of each commodity were then expanded in order to reach $100 \%$. The percentages were then multiplied with the respective prices in Table 37 and 38 in order to get the weighted price. The respective prices of different grades of different commodities were the total payment received by farmers basis in store Thunder Bay. In order to get the prices of various commodities in various crop district, freight rates per bushel and handling and storage cost from each crop district to Thuder Bay were deducted. Since the freight rates were the same in 1974-75 as they were in 1971-72, the freight rate used in this study are the same as 106 were used by Framingham et al. The resulting prices are given in Table 39 to 44. For sunflowers, potatoes and sugarbeets, prices were taken from the Manitoba Agriculture Yearbook ${ }^{107}$ for 1975 and were:

| Sunflower | $\$ .095$ per pound |
| :--- | :---: | :--- |
| Potatoes | $\$ 2.33$ per bushel |

106
Framingham, Craddock and Baker op. cit.
107
Manitoba Department of Agriculture, op. cit., 1975

| $9268 \square^{\circ} 2$ |  | $000^{\circ} 001$ | $92^{\circ} 8 L$ | 6！．91 | 70.94 | $09^{\circ} 28$ |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 68620 0 | 9v2sz＇z | S2E．1 | LEO＇l | $06^{\circ} \mathrm{L}$ | 2LO | $66^{\circ} 0$ | рəa』 $\mathcal{L}$ |
| 66ごってio | EEGIE＇Z | $960^{\circ} \mathrm{OL}$ | $\varepsilon し \chi^{\circ} 8$ | 26：21 | $6 \varepsilon^{*} 9$ | $\varepsilon E^{\circ} \mathrm{G}$ | pəaj 2 |
| 6ヵLLLil | ELOEE＇ 2 | $900^{\circ} 9$ | ع8が6S | 6ヵ！95 | $S S^{\circ} \angle S$ | 16＊g9 | paz」 l |
| 68L00＇0 | 809ヶて＇${ }^{\circ}$ | とヵて＇0 | 61.0 | to 0 | $08^{\circ} 0$ | Eて＊0 | MOX－OM1 MJ L |
| G26LE． 0 | 198）${ }^{\circ} \mathrm{E}$ | 269＊11 | 91.6 | $28^{\circ} \mathrm{S}$ | $98^{\circ} \mathrm{OL}$ | $\angle L^{\circ} \mathrm{OL}$ | MOy－XIS MJ Z |
| 08L00 0 | L9E92＇${ }^{\prime}$ | $68^{\circ} 0$ | L81．0 | $20^{\circ} 0$ | $22^{\circ} 0$ | $2 \varepsilon^{\circ} 0$ | $M O X-X \left\lvert\, \frac{S M J 1}{\text { KJIUEG }}\right.$ |
| $10169^{\circ} \mathrm{L}$ |  | 000.001 | 229＇2L | O2．89 | $08^{\circ} \mathrm{E}$ L | $\frac{95 \cdot 08}{8 \cdot 0}$ |  |
| 62680 0 | L1929 ${ }^{\circ}$ | LLZ＇G |  | 20.9 | $00^{\circ} 7$ | E6\％ | pard 2 |
| $60678^{\circ} 0$ | LlS59： | $662^{*} 19$ | ع02＊ 18 | $\varepsilon 8^{\circ} 67$ | $00^{\circ} \mathrm{LS}$ | $81^{\circ} \downarrow$ | paoj 1 |
| $6 L 919^{\circ} 0$ | L1919 ${ }^{\circ}$ | $098{ }^{\circ} \mathrm{OE}$ | عLE・てZ | $90^{\circ} \mathrm{L}$ | ct＇ll | $16^{\circ} 87$ | pazj 1 enfxz |
| 89802．0 | 29201＂ | $\varepsilon 89^{\circ} 11$ | $\varepsilon L \nabla^{*} 8$ | $22^{\circ} 0$ | $\square 6^{\circ} 0$ | $92^{\circ} \downarrow 2$ | MJ E E17x3 |
| $29010^{\circ} 0$ | 2SL9 ${ }^{\circ} 1$ | $\angle 28^{\circ} 0$ | $09^{\circ} 0$ | 60．0 | $1 \varepsilon^{\circ} 0$ | カ＊＊ | M） 2 |
| $61200^{\circ} 0$ | 2SL9 ${ }^{\prime \prime}$ ！ | 勺21．0 | $60^{\circ} 0$ | E0． 0 | － | ゅで0 | MO L |
|  |  |  |  |  |  |  | \＄790 |
| 96S1E＇9 |  | $000 \cdot 001$ | LOE＇96 | $20^{\circ} 26$ | $18^{\circ} 96$ | $\underline{80} 16$ |  |
| tobll | $98682^{\circ} 9$ | 062＇$\varepsilon$ | E98＊9 | $19^{\circ} \mathrm{Dl}$ | LS． | $8 \varepsilon^{\circ} L$ | undng dzquy MJ S |
| $18019^{\circ} 0$ | 20081．9 | $\varepsilon \varepsilon \varepsilon \cdot 8$ | $\angle 28^{\circ} \mathrm{DL}$ | $\nabla 0^{\circ} \mathrm{E} 2$ | 28．0l | て1•1！ | wning daquy MJ b |
| ELOLGO | 9EL61．9 | $6 ち て .8$ | $\angle L 9^{\circ}$ D | $\triangleright 9^{\circ}$ ！ | $6 \varepsilon^{\circ} 91$ | 00＇91 | windino |
|  |  |  |  |  |  |  | dכqur MJ $\downarrow$ Eifx |
| $99676^{\circ} 0$ | 2LO91＊9 | $\varepsilon L V^{\circ} \mathrm{Gl}$ | をてがして | $20^{\circ} 61$ | $\pm 1 \cdot 2 \varepsilon$ | 11.18 | MJ E |
| 62S16．0 | 9としてこ「9 | こしでも | LLL．92 | 80.81 | $09^{\circ} 62$ | 98＊08 | undng dəqu＊MJ 2 |
| 0ャてこで0 | 9\＆1عて＇9 | $699^{\circ} \mathrm{E}$ | \＆9＇9 | E9＊9 | $58^{\circ} 9$ | $\angle G^{\circ} 9$ | unang dəquiv MJ l |
|  |  |  |  | 乙 $\varepsilon^{\circ}$ 2L | ع9＊${ }^{\circ}$ | $00^{* 06}$ |  |
| $98010^{\circ} 0$ | 89 $4 \triangleright 9^{\circ} \mathrm{C}$ | $626^{\circ} 1$ | $\varepsilon \varepsilon \square^{*} \varepsilon$ | E1．6 | $29^{\circ} 0$ | $99^{\circ} 0$ | K7！117n epeueg $\varepsilon$ |
| $69200^{\circ} 0$ | 1ヵ69で＊ | $\varepsilon 90^{\circ} 0$ | 11.0 | $0 \varepsilon^{\circ} 0$ | $20^{\circ} 0$ | $10^{\circ} 0$ | K7！1！7n epeueg 2 |
| $28600^{\circ} 0$ | $1.7692^{\circ}$ | $0 \varepsilon Z^{\circ} 0$ | Li＇0 | $86^{\circ} 0$ | $\varepsilon \chi^{\circ} 0$ | $20^{\circ} 0$ | K71117n epeuej |
| 98ヤLて＇0 | 60292＇力 | $170^{\circ} \mathrm{G}$ | L6．8 | $29^{\circ}+1$ | $\varepsilon 6^{\circ} \mathrm{E}$ | $90^{\circ} 8$ | Gutudspay MJ E |
| 1L6Eか＇0 | 万290E＊${ }^{\circ}$ | $11 Z^{\circ} 01$ | L91＊81 | 01．91 | $1 L^{\circ} \mathrm{LZ}$ | ع9．91 | Gutudspay MJ Z |
| 1 $196 Z^{\prime} 1$ | カレヤくガカ | 096.82 | $\angle 29^{\circ} 15$ | $67^{\circ} 1 \varepsilon$ | 91．85 | عL＇G9 | Gu！udspay MJ |
|  |  |  |  |  |  |  |  |
| SL－t 661 | GL－-261 |  |  |  |  |  |  |
| 2כ！dd | － $20!4 \mathrm{~d}$ | quวつudd | $G L-2<61$ | $9 L-7 L 6$ | $b<-\varepsilon<6$ | $\varepsilon L-2<6$ |  |
| рa746！əM | poz！Leวy | paq46！2M | วБedont |  |  |  |  |

 $98378 * 1$

| 28969＇2 |  | 00.001 | ع9\％＊＊ | 10.06 | $80^{\circ} 96$ | 06． 26 |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 09＜10＇0 | ャع＇て | 2cl ${ }^{\circ} 0$ | 12.0 | 10.0 | 120 | $9 \varepsilon^{\circ} 1$ | K706ג3 |
| E9890．0 | $6 \varepsilon^{\prime}$ 2 | ESt ${ }^{\text {c }}$ | Lİ＇Z | $89^{\prime} 2$ | $25^{\circ} \mathrm{Z}$ | $9 L^{\circ} \cdot$ |  |
| 8¢¢ち8．0 | $\angle 9^{\circ}$ | $668^{\circ}$ て¢ | $\varepsilon \angle 0^{\circ} \mathrm{L}$ | $\angle c^{\circ} 91$ | 8L＇E | L8＊如 | －${ }^{\circ} \cdot \mathrm{J}$ |
| L $2 \downarrow \angle 99^{\circ}$ ！ | $29^{\circ}$ | $106 . \varepsilon 9$ | ع98．09 | $69^{\circ} 0 \mathrm{~L}$ | く＊＊9 | ع6＊6t |  |
|  |  |  |  |  |  |  | $\overline{\text { axy }}$ |
| 2くもこでく |  | $00 \cdot 001$ | 010．96 | $\angle 9.96$ | $68^{\circ} 16$ | $\angle)^{\circ} \mathrm{E}$ |  |
| $\begin{aligned} & \forall 乙 \varepsilon \varepsilon \overbrace{}^{\circ} 0 \\ & 8 \forall 166^{\circ} \cdot 9 \end{aligned}$ | L0． 2 | $662^{\circ} \mathrm{\varepsilon}$ | $\angle 91{ }^{\circ} \mathrm{E}$ | $88^{\circ} \mathrm{b}$ | 91.2 | $9 \overbrace{}^{\circ} \mathrm{E}$ | epeuej 2 |
|  | $\varepsilon 2^{\circ}\llcorner$ | 10L．96 | \＆¢ ${ }^{\prime} 26$ | 6L＇16 | $\varepsilon L^{\prime} 96$ | $10^{\circ} 16$ | epeuej 1 |
|  |  |  |  |  |  |  | pazsadey |
| $60029 \cdot 6$ |  | 000\％001 | 89.96 | 68．05 | 0186 | 90．86 |  |
|  | 01.8 | 950． 1 | 10.1 | $19^{\circ} 1$ | $\begin{aligned} & G L \cdot 0 \\ & 69 \cdot L \\ & 9 L \cdot 96 \end{aligned}$ | $\begin{aligned} & \angle 9.0 \\ & \angle C . \\ & \angle O^{\circ} 96 \end{aligned}$ |  |
| $\begin{aligned} & \text { BYY } \\ & \text { gLLE.0 } \\ & \text { OZE } 1.6 \end{aligned}$ | $15^{\circ} 6$ | $\varepsilon เ \varepsilon \cdot \varepsilon$ | $\angle 1 \cdot \varepsilon$ | $12 \cdot 9$ |  |  |  |
|  | 加 6 | $1 \varepsilon 9 \cdot 96$ | OG． 16 | L0＇$\varepsilon 8$ |  |  |  |
|  |  |  |  |  |  |  | parsxels |
| －－－－－－12usn8／\＄－－．－－－ |  | －－－－－－－－－－－－－－－－－－и0！7nq！175！0 7иวコ」əд－－－－－－－－－－－－－－－－－－－ |  |  |  |  |  |
| $\begin{gathered} G L-b L 6 L \\ \partial \partial!l_{d} \end{gathered}$ | $\begin{gathered} 9 L-\theta L \sigma L \\ \partial כ!\Lambda d \end{gathered}$ | 7uәすへəd | GL－EL5 | $9 く-\downarrow<6 \downarrow$ | $\nabla<-\varepsilon \angle 61$ | とく－z＜0L |  |
| ратч6！．am | paz！leay | ра74б！aн | әбеиәлу |  |  |  |  |

TABLE 37
TOTAL PAYMENTS RECEIVED BY PRODUCERS FOR PRINCIPAL GRADES OF DIFFERENT CROPS BASIS IN STORE THUNDERBAY OR VANCOUVER 1974-75.

| Grade | Total Payment |
| :---: | :---: |
| \$/Bushel |  |

Wheat
Red Spring Wheat Grades
No. 1 Canada Western Red Spring 4.47414
No. 2 Canada Western Red Spring 4.30624
No. 3 Canada Western Red Spring 4.26209
No. 1 Canada Utility 4.26941
No. 2 Canada Utility 4.26941
No. 3 Canada Utility 3.64768
Amber Durum Wheat Grades
No. 1 Canada Western Amber Durum
6.23136

No. 2 Canada Western Amber Durum
6.22136

No. 3 Canada Western Amber Durum
6.16072

Extra No. 4 Canada Western Amber Durum
6.19136

No. 4 Canada Western Amber Durum
6.13002

No. 5 Canada Western Amber Durum
5.28985

Oats
No. 1 Canada Western
1.76752

No. 2 Canada Western
1.76752

Extra No. 3 Canada Western
1.74252

Extra No. 1 Feed
1.67517

No. 1 Feed
1.65517

No. 2 Feed
1.62517

## Barley

| No. 1 Canada Western Six Row | 3.26367 |
| :--- | :--- | :--- |
| No. 2 Canada Western Six Row | 3.24367 |
| No. 2 Canada Western Two Row | 3.24608 |
| No. 1 Feed | 2.33073 |
| No. 2 Feed | 2.31533 |
| No. 3 Feed | 2.25245 |

Source; The Canadian Wheat Board, Annual Report, 1974-75, pp. 55-57.

## TABLE 38

> WINNIPEG COMMODITY EXCHANGE CLOSING CASH PRICES FOR RYE, FLAXSEED AND RAPESEED BASIS IN STORE THUNDERBAY $1974-75$

| Grade | Price |
| :--- | :---: |
| Flaxseed | $\$ /$ Bushel |
| I.C.W. - 1.0.C. | 9.54 |
| 2.C.W. - 2.0.C. | 9.41 |
| 3.C.W. - 3.0.C. | 8.10 |
| Rapeseed |  |
| 1 Canada | 7.23 |
| 2 Canada | 7.07 |
| Rye |  |
| 2.C.W. - 2.0.C. | 2.62 |
| 3.C.W. - 3.0.C. | 2.57 |
| 4.C.W. - 4.0.C. | 2.39 |
| Ergoty | 2.34 |
|  |  |

Source, Statistics Canada, Quarterly Bulletin of Agricultural Statistics, Cat. No. 21-003, 1974-75.

TABLE 39
REALIZED PRICE OF WHEAT BY CROP DISTRICT
AFTER DEDUCTING FREIGHT RATES, HANDI ING AND OTHER CHARGES

| Crop District | Freight Rates ${ }^{\text {a }}$ To ThunderBay $\$$ per bushel | Handling and ${ }^{b}$ Other Charges \$ per bushel | Realized ${ }^{c}$ Price <br> $\$$ per bushel |
| :---: | :---: | :---: | :---: |
| 1 | 0.108 | 0.178 | 5.03 |
| 2 | 0.096 | 0.178 | 5.04 |
| 3 | 0.090 | 0.178 | 5.05 |
| 4 | 0.090 | 0.178 | 5.05 |
| 5 | 0.090 | 0.178 | 5.05 |
| 6 | 0.084 | 0.178 | 5.05 |
| 7 | 0.108 | 0.178 | 5.03 |
| 8 | 0.096 | 0.178 | 5.04 |
| 9 | 0.096 | 0.178 | 5.04 |
| 10 | 0.108 | 0.178 | 5.03 |
| 11 | 0.108 | 0.178 | 5.03 |
| 12 | 0.096 | 0.178 | 5.04 |
| 13 | 0.108 | 0.178 | 5.03 |
| 14 | 0.096 | 0.178 | 5.04 |

${ }^{\text {a }}$ Crows Hest Pass rates expressed in cents per 100 pounds, are converted here to dollars per bushel.
$b_{\text {Handling }}$ and other charges (i.e. custom cleaning, storage cost, etc.) for 1976 were obtained from George McLaughlin, Canadian Grain Cormission, Winnipeg.
$C_{\text {Pealized price }}$ is the price of wheat ( $\$ 5.316$ per bushel in Table 35 ) minus freight rates, handling and other charges.

TABLE 40
REALIZED PRICE OF OATS BY CROP DISTRICT
AFTER DEDUCTING FREIGHT RATES,
AND HANDLING AND OTHER CHARGES

| Crop District | ```Freight Rates }\mp@subsup{}{}{a To ThunderBay $ per bushel-``` | Handling and ${ }^{\text {b }}$ Other Charges \$ per bushel | Realized ${ }^{\text {c }}$ Price <br> \$ per bushel |
| :---: | :---: | :---: | :---: |
| 1 | 0.061 | 0.110 | 1.50 |
| 2 | 0.055 | 0.110 | 1.51 |
| 3 | 0.051 | 0.110 | 1.51 |
| 4 | 0.051 | 0.110 | 1.51 |
| 5 | 0.051 | 0.110 | 1.51 |
| 6 | 0.048 | 0.110 | 1.51 |
| 7 | 0.061 | 0.110 | 1.50 |
| 8 | 0.054 | 0.110 | 1.51 |
| 9 | 0.054 | 0.110 | 1.51 |
| 10 | 0.061 | 0.110 | 1.50 |
| 11 | 0.061 | 0.110 | 1.50 |
| 12 | 0.054 | 0.110 | 1.51 |
| 13 | 0.061 | 0.110 | 1.50 |
| 14 | 0.054 | 0.110 | 1.51 |

${ }^{\text {a }}$ Crows Nest Pass rates expressed in cents per 100 pounds are converted here to dollars per bushel.
bhanding, and other charges (i.e. custom cleaning, storage cost, etc.) for 1976 were obtained from George McLaughlin, Canadian Grain Commission, Winnipeg.
${ }^{\text {C Realized }}$ price is the price of oats ( $\$ 1.671$ per busnel in Table 35) minus freight rates, handling and other charges.

TABLE 41
REALIZED PRICE OF BARLEY BY CROP DISTRICT
AFTER DEDUCTING FREIGHT RATES,
HANDLING AND UTHER CHARGES

|  | Freight Rates <br> to ThunderBay <br> \$per bushel | Handling and ${ }^{\mathrm{b}}$ <br> Other Charges <br> \$per bushel | Realized <br> Price <br> per bushel |
| :---: | :---: | :---: | :---: |
| 1 | 0.086 | 0.176 | 2.18 |
| 2 | 0.077 | 0.176 | 2.19 |
| 3 | 0.072 | 0.176 | 2.19 |
| 4 | 0.072 | 0.176 | 2.19 |
| 5 | 0.072 | 0.176 | 2.19 |
| 6 | 0.067 | 0.176 | 2.20 |
| 7 | 0.086 | 0.176 | 2.18 |
| 8 | 0.077 | 0.176 | 2.19 |
| 9 | 0.077 | 0.176 | 2.19 |
| 10 | 0.086 | 0.176 | 2.18 |
| 11 | 0.086 | 0.176 | 2.18 |
| 12 | 0.077 | 0.176 | 2.19 |
| 13 | 0.086 | 0.176 | 2.18 |
| 14 | 0.077 | 0.176 | 2.19 |

${ }^{\text {a }}$ Crows Nest Pass rates expressed in cents per 100 pounds are converted here to dollars per bushel.
bhandling and other charges (i.e. custom cleaning, storage costs, etc.) for 1976 were obtained from George McLaughlin, Canadian Grain Commission, Winnipeg.
${ }^{\text {C Realized }}$ price is the price of barley ( $\$ 2.439$ per bushel in Table 35) minus freight rates, handling and other charges.

## TABLE 42

REALIZED PRICE OF FLAXSEED BY CRUP DISTRICT
AFTER DEDUCTING FREIGHT.RATES, HANDLING AND OTHER CHARGES

|  | Freight Rates <br> to ThunderBay <br> \$per bushel | Handing and ${ }^{\mathrm{b}}$ <br> Other Charges <br> Sper bushel | Realized ${ }^{\mathrm{c}}$ <br> Price <br> per bushel |
| :---: | :---: | :---: | :---: |
| 1 | 0.109 | 0.256 | 9.16 |
| 2 | 0.098 | 0.256 | 9.17 |
| 3 | 0.092 | 0.256 | 9.17 |
| 4 | 0.092 | 0.256 | 9.17 |
| 5 | 0.092 | 0.256 | 9.17 |
| 6 | 0.092 | 0.256 | 9.17 |
| 7 | 0.109 | 0.256 | 9.16 |
| 8 | 0.098 | 0.256 | 9.17 |
| 9 | 0.098 | 0.256 | 9.17 |
| 10 | 0.109 | 0.256 | 9.16 |
| 11 | 0.109 | 0.256 | 9.16 |
| 12 | 0.098 | 0.256 | 9.17 |
| 13 | 0.109 | 0.256 | 9.16 |
| 14 | 0.098 | 0.256 | 9.17 |

aCrows Nest Pass rates expressed in cents per 100 pounds are converted here to dollars per bushel.
bHandling and other charges (i.e. custom cleaning, storage cost, etc.) for 1976 were obtained fron George Mclaughlin, Canadian Grain Conmission, Winnipeg.
$\mathrm{C}_{\text {Realized }}$ price is the price ( $\$ 9.52$ per bushel in Table 36 ) minus freight rates, handling and other charges.

TABLE 43

## REALIZED PRICE OF RAPESEED BY CROP DISTRICT AFTER DEDUCTING FREIGHT RATES, HANDLING AND OTHER CHARGES

| Crod District | Freight Rates ${ }^{\text {a }}$ to ThunderBay $\$$ per bushel | Handling and ${ }^{\text {b }}$ Other Charges $\$$ per bushel | Realized ${ }^{c}$ Price $\$$ per bushel |
| :---: | :---: | :---: | :---: |
| 1 | 0.098 | 0.239 | 6.89 |
| 2 | 0.088 | 0.239 | 6.90 |
| 3 | 0.083 | 0.239 | 6.90 |
| 4 | 0.083 | 0.239 | 6.90 |
| 5 | 0.083 | 0.239 | 6.90 |
| 6 | 0.083 | 0.239 | 6.90 |
| 7 | 0.098 | 0.239 | 6.89 |
| 8 | 0.088 | 0.239 | 6.90 |
| 9 | 0.088 | 0.239 | 6.90 |
| 10 | 0.098 | 0.239 | 6.89 |
| 11 | 0.098 | 0.239 | 6.89 |
| 12 | 0.088 | 0.239 | 6.90 |
| 13 | 0.098 | 0.239 | 6.89 |
| 14 | 0.088 | 0.239 | 6.90 |

${ }^{a}$ Crows Nest Pass rates expressed in cents per 100 pounds are converted here to dollars per bushel.
$\mathrm{b}_{\text {Handling and }}$ other charges (I.e. custom cleaning, storage cost, etc.) for 1976 were obtained from George McLauglin, Canadian Grain Commission, Winnipeg.
${ }^{\text {C Realized }}$ price is the price ( $\$ 7.229$ per bushel in Table 36) minus freight rates, handling and other charges.

## TABLE 44

## REALIZED PRICE OF RYE BY.CROP DISTRICT AFTER DEDUCTING FREIGHT RATES, HRNDLING AND OTHER CHARGES

| $1 p$ District | Freight Rates ${ }^{\text {a }}$ to ThunderBay $\$$ per bushel | Handling and ${ }^{\text {b }}$ 0 ther Charges $\$$ per bushel | ```Realized}\mp@subsup{}{}{C Price $ per bushel``` |
| :---: | :---: | :---: | :---: |
| 1 | 0.101 | 0.174 | 2.32 |
| 2 | 0.090 | 0.174 | 2.33 |
| 3 | 0.084 | 0.174 | 2.34 |
| 4 | 0.084 | 0.174 | 2.34 |
| 5 | 0.084 | 0.174 | 2.34 |
| 6 | 0.084 | 0.174 | 2.34 |
| 7 | 0.101 | 0.174 | 2.32 |
| 8 | 0.090 | 0.174 | 2.33 |
| 9 | 0.090 | 0.174 | 2.33 |
| 10 | 0.101 | 0.174 | 2.32 |
| 11 | 0.101 | 0.174 | 2.32 |
| 12 | 0.090 | 0.174 | 2.33 |
| 13 | 0.100 | 0.174 | 2.32 |
| 14 | 0.090 | 0.174 | 2.33 |

${ }^{\text {d Crows Nest Pass rates expressed in cents per } 100 \text { pounds are converted here }}$ dollars per bushel.
bHandling and other charges (i.e. custom cleaning, storage cost, etc.) for 5 were obtained from George Hiclauglin, Canadian Grain Commission, Winnipeg.

CRealized price is the price ( $\$ 2.596$ per bushel in Table 36 ) minus freight js, handling and other charges.

## NET INCOME

Given the yields, prices and cost of production of various crops on different soil types for each region, net income per acre was determined by deducting the cost of production from the gross income. 1976 net income per acre from sunflowers, potatoes, and sugarbeets is given in Appendix C, Tables 41 to 43 while the net income from other crops is depicted in Table 45. 1971 net income for all crops is shown in Appendix C, Table 44.

TABLE 45
NET INCOME PER ACRE FROM VARIOUS CROPS ON DIFFERENT SOII. TYPES IN 1976

|  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |

## CHAPTER V

## INTERPRETATION OF RESULTS

This chapter is concerned with the description of results obtained by applying the model to the data. Two optimal solutions were obtained in this study. Both the solutions used the same model and same data except that for solution one 1974-75 prices were used, whereas for the second solution 1971 prices were used. The objective of finding the second solution using 1971 prices was to see the workability of the model at other price levels. For this reason, only selected results of the second solution are compared with the results of solution one. The results of solution one are presented and compared in detail with the actual and/or normal situation of 1976 wherever possible. One should use caution in interpreting results in this chapter. The solution provides the optimal production plan for Manitoba crop production for the currently economical efficient farm firms.

The results were presented for the five agricultural regions and for Manitoba in this discussion. However, anyone interested in the optimal crop acreage results for each crop district, is referred to Table 47 and Table 49 of Appendix $C$. The crop districts were allocated to the five regions by taking the information from the Framingham et al ${ }^{108}$ study, which is given in Table 46. In the following sections optimal crop acreage, optimal production levels of various crops, the employment of labor,

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Framingham, Craddock and Baker op. cit.
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\end{aligned}
$$

value of optimal crop production and net income in various regions are discussed.

Optima1 Crop Acreage
The optimal crop acreage allocated to each crop in each crop district was arrived at by dividing the optimal total production of each crop by the appropriate yield. The resulting acreage figures were then summed to find the results for different regions and for Manitoba. The optimal acreage figures of solution one and actual 1976 acreage for the province as a whole are presented in Table 47. Total optimal acreage. in solution one allocated to crops was higher by 20.57 percent than the actual acreage in 1976. The increase in cropped acreage came through a decrease in summerfallow area. This substitution of cropped area for the summerfallow area is consistent with the trend in land use in Manitoba: In the present study summerfallow area contributed about 17 percent to the total area available for crops, where as it constituted about 30 percent of the total cultivated area (i.e. cropped area and summerfallow) in 1961 which dropped to 23 percent in 1971. ${ }^{109}$ Similar trend about the decrease in summerfallow acreage is reported in other studies.

109
Calculated from Dominion Bureau of Statistics, Census of Canada, Agriculture, Manitoba, op. cit. 1963 and Statistics Canada, Census of Canada, Agriculture, Manitoba, op. cit. 1973.

110
Hedlin R.A."The Place of Summerfallow in Manitoba Agriculture" paper presented at Soils and Fertilizer Conference, Winnipeg and Brandon, February 20 and 21, 1975.

TABLE 47

ACTUAL AND OPTIMAL ACREAGE IN SOLUTION ONE ALLOCATED TO VARIOUS CROPS AND PERCENT INCREASE IN OPTIMAL ACREAGE OVER ACTUAL ACREAGE IN MANITOBA

| Crop | Optimal Acreage Under Solution 1 | Actual ${ }^{1}$ Acreage | Percent Change in Optimal Acreage Over Actual Acreage |
| :---: | :---: | :---: | :---: |
|  | ----Acres------ | -----Acres----- | -----Percent------- |
| Wheat | 3,297,346 | 3,798,098 | $-13.18$ |
| Oats | 1,611,676 | 1,218,209 | +32.80 |
| Barley | 2,147,705 | 1,638,042 | +31.11 |
| Flaxseed | 1,143,730 | 521,212 | +119.44 |
| Rapeseed | 654,561 | 224,056 | +192.14 |
| Rye | 134,034 | 90,969 | +47.34 |
| Sunflower | 129,607 | 49,591 | +161.35 |
| Potatoes | 27,632 | 34,504 | -19.92 |
| Sugarbeets | 26,490 | 32,936 | -19.57 |
| Total | 9,172,781 | 7,607,617 | +20.57 |

TStatistics Canada, Census of Agriculture, Ottawa, 1976.

Optimal acreage allocated to wheat, potatoes and sugarbeets was lower by 13.18 percent, 19.92 percent and 19.57 percent respectively than the actual acreage in Manitoba. Low acreage of these crops as compared with the actual acreage might be due to the realization of relatively higher net income from these crops over the previous years because of higher prices and the expectations of the farmers that net income from these crops would remain high for 1976.

The optimal acreage allocated to other crops was substantially higher than the actual acreage in 1976. For example, optimal acreage in solution one occupied by rapeseed, sunflower and flaxseed was higher by 192.14 percent, 161.35 percent and 119.44 percent, respectively, than the actual acreage. Similarly for oats, barley and rye, optimal acreage was higher by 32.8 percent, 31.11 percent and 47.34 percent, respectively, than the actual acreage in Manitoba. From this one can conclude that an efficient organization of agriculture practised on optimum sized farms not only would lead to an increase in the total cropped area but also would substantially change the pattern of land use in Manitoba. Crops like rapeseed and flaxseed would become more important, while the share of wheat would decline in the total cropped area.

Comparison of solution two with solution one optimal acreage indicated that the total cropped area in solution two was lower by 32.65 percent than in solution one for the province. The percent decrease in the cropped area of each crop in solution two over solution one is shown in Table 48. All the crops with the exception of sunflower and potatoes experienced a decrease in cropped area in solution two as compared with solution one. This was the result of lower and negative net income per acre due to low prices associated with almost all the crops

TABLE 48
PERCENT DECREASE IN AREA IN SOLUTION TWO OVER SOLUTION ONE FOR DIFFERENT CROPS

| Crop | Percent Decrease |
| :--- | :---: |
| Wheat | 6.39 |
| Oats | 52.92 |
| Barley | 33.75 |
| Flaxseed | 73.24 |
| Rapeseed | 43.58 |
| Rye | 60.74 |
| Sunflower | -- |
| Potatoes | 8.49 |
| Sugarbeet | 32.65 |
| Total |  |

${ }^{1}$ Calculated from the results of solution one and solution two obtained through the application of the model.
in various crop districts in solution two as shown in Table 44 of the Appendix C compared to solution one, where the net income per acre was positive for all the crops. There was no decrease in cropped area for sunflowers and potatoes in solution two over solution one due to the fact that net income per acre from these crops was positive under both solutions in almost all crop districts, where the crops were grown. The optimal acreages allocated to various crops in solution two is given in Table 45 of the Appendix $C$.

## Crop Production

Actual and normal production in 1976 and optimal production in solution one of different crops for the province is presented in Table 49. The total quantity of each crop produced was higher in the optimal solution one as compared to the actual production in 1976 with the exception of wheat and sugarbeets. Optimal level of wheat and sugarbeets production was lower by 4.1 percent and 3.38 percent respectively than the actual production. This was due to less acres allocated to these crops in the optimal solution as compared to the actual acreage. Low optimal acreage as compared with the actual acreage might be due to higher prices from these crops over previous years which resulted in higher net income and the expectation of the farmers that prices and net income per acre of these commodities remain high for 1976. The production of other crops was higher from 16.7 to 267.3 percent in our solution as compared to the actual production levels as shown in Table 50. This was caused by either one of two factors or both:

1. higher levels of acres occupied by crops under the optimal

TABLE 49

OPTIMUM SOLUTION ONE, ACTUAL AND NORMAL PRODUCTION OF VARIOUS CROPS IN MANITOBA IN 1976

| Crop | Optimun ${ }^{\text {T }}$ Production | Actual ${ }^{\text {b }}$ Production | $\begin{aligned} & \text { Normalc } \\ & \text { Production } \end{aligned}$ |
| :---: | :---: | :---: | :---: |
| Wheat | 98,726,972 | $\begin{aligned} & \text {-bushels-- } \\ & 101,615,200 \end{aligned}$ | 65,551,720 |
| Oats | 94,752,449 | 57,052,560 | 50,857,000 |
| Barley | 102,514,424 | 64,159,600 | 83,245,740 |
| Flaxseed | 16,029,994 | 6,177,548 | 7,312,097 |
| Rapeseed | 14,815,667 | 4,033,006 | 9,787,491 |
| Rye | 3,806,158 | 2,583,516 | 2,622,411 |
| Sunflowers | 141,029,962 ${ }^{\text {d }}$ | $52,566,410^{\text {d }}$ | 90,897, $880{ }^{\text {d }}$ |
| Potatoes | 8,165,996 | 6,993,952 | 7,758,400 |
| Sugarbeets | 396,211 ${ }^{\text {e }}$ | 410,053 ${ }^{\text {e }}$ | 329,682 ${ }^{\text {e }}$ |

$\mathrm{a}_{\text {Based on }}$ the model
${ }^{b}$ Total production of each crop was obtained by multiplying the yield per acre with the area of each respective crop. For this purpose, area of various crops in different crop districts was obtained from Statistics Canada, Census of Canada, Agriculture, 1976. Yield per acre of wheat, oats, barley and flax was taken from Manitoba Department of Agriculture, Manitoba Agriculture Yearbook, Queen's Printer, Winnipeg, 1976. Due to the unavailability of yield per acre of other crops at crop district level, it was assumed that their yield per acre were the same in all crop districts. Their yields were also taken from Manitoba Department of Agriculture Yearbook, Queen's Printer, Winnipeg, 1976.
cProjected production for 1976 using time as independent variable.
dpounds
$\mathrm{e}_{\text {tons }}$

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solution one, as compared to the actual acreage because of higher net income associated with these crops and due to the substitution of the area by these crops for wheat, potatoes and sugarbeets, and
2. higher yield per acre of different crops in our model as compared to the actual yield.

Since the actual production is greatly influenced by weather and other conditions, a comparison was made of optimal production levels of solution one with the normal production levels. Optimal production was higher than normal production by 5.3 percent to 119.2 percent for different crops. Higher production levels of various crops were caused by:

1. higher net income per acre from various crops due to higher prices of different commodities and higher yields per acre which were obtained at the recommended level practices, and
2. due to optimal organization which emphasized the concentration of crops in different regions according to their comparative advantage.

The increase in production which resulted from higher prices and due to the optimal organization of crop production could not be separated because of the nature of the model. Since the percentage increase in optimal production over the normal production for various crops was different, so it can be concluded that an efficient organization of agriculture would have a disproportionate effect on the production of various crops.

Optimal level of production of various crops in solution two was lower than the solution one by more or less the same percentage as the optimal acreages were lower, i.e. optimal level of wheat was lower by 5.80 percent, oats 52.46 percent, barley 30.55 percent, flaxseed
73.22 percent, rapeseed 42.26 percent, rye 60.51 percent and sugarbeets 8.13 percent. Optimal production levels of sunflowers and potatoes were the same under both solutions. Decreased production of most of the crops was caused by the low and negative net income per acre from most of the crops due to lower prices in solution two as compared with solution one which in turn resulted in low acreage allocation. Sunflowers and potatoes experienced the same level of production in solution one and solution two because there was no change in area occupied by these crops due to positive net income per acre from these crops under both solutions. Absolute level of production of various crops in solution two is given in Table 46 of the Appendix $C$.

## Distribution of Optimal Acreage Among Regions

The optimal acreage figures of solution one for each agricultural region are presented in Table 51, while the results for each crop district are shown in Table 47 of the Appendix C. The actual acreage in 1976 allocated to different crops in various regions is shown in Table 52, while the percentage increase or decrease in acreage in the optimal solution one over the actual acreage is shown in Table 53. Central and South-West regions were the most important in terms of the increase in crop acreage. In these two regions crop acreage increased by 65.52 percent and 53.78 percent, respectively, over the actual acreage in 1976. This was the result of higher net income per acre of most crops in these regions. In both the Eastern and North-West regions, optimal crop acreage decreased by about 23 percent as compared to the actual acreage. This was because of low net income per acre for most of the crops in those regions due to lower yield per acre. There was almost no change in
lased on the model．

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solution one acreage and the actual crop acreage in 1976 in Interlake area. This brings us to the conclusion that certain interregional adjustments would be needed if the agricultural industry is to be organized efficiently. The Eastern and North-West regions would become less important in terms of their share to total cropped area, while the contribution of the Central and South-West regions would increase. Thus the competitive position of Eastern and North-West regions declines as compared to the Central and South-West regions with an efficient organization of crop production. This was caused by higher yields of most of the crops in the Central and South-West regions as compared to the Eastern and North-West regions. Thus the proper utilization of land in Manitoba would require that the East and NorthWest regions should persumable engage increasingly in pastoral farming, while the Central and Southwest regions should concentrate moe in crop production at the expense of summerfallow average.

The percentage decrease of total optimal acreage in solution two over solution one indicated that the South-West and Central regions experienced the least decrease in optimal acreage as compared to other regions, i.e. total optimal acreage decreased by 19.19 percent and 28.86 percent respectively, in solution two over solution one as shown in Table 48, Appendix C. This was the result of less loss or higher net income per acre associated with most of these crops in each region. In the North-West, Interlake and Eastern regions total optimal acreage was lower by 37.32 percent, 52.06 percent and 68.48 percent, respectively, in solution two over solution one. This was due to lower net income per acre for most crops in these regions. The optimal acreage allocated to the various crops in different crop districts in solution two is given in Table 49 of the Appendix C.

The percentage increase or decrease in the optimal acreage in solution one for each crop as compared to the actual acreage showed a wide deviation of the optimal acreage from the actual acreage in different regions. For example, rapeseed occupied a 470.56 percent higher area in the Central region as compared with the actual one, while the wheat crop occupied 48.10 percent less area in the optimal solution as compared with the actual area in the Eastern-region. These two figures show the range by which the optimal acreage of different crops was higher or lower than the actual acreage. The increase in the optimal acreage of wheat in the Central and South-West regions over the actual acreage was the result of higher yield and consequently higher net income per acre in these regions. Similarly, the increased concentration of rapeseed acreage in the optimal solution in the Central region was the result of higher yield and resulting higher net income per acre from this crop in this region as compared to other regions. Again, consider the oat crop. Oat acreage decreased compared to actual acreage in the North-West region because of low yield in the region as compared to other regions. The Central and South-West regions experienced an increase of 72.63 percent and 61.61 percent due to the fact that these regions ranked first and second in terms of yield per acre.

The percentage distribution of total optimal acreage in solution one, for each crop among regions, is shown in Table 54.

The Central and South-West regions were the most important in terms of their contribution to total optimal acreage. Individually both regions contributed about one-third of the total optimal crop acreage. The North-West region was next in importance followed by the Eastern region. The Interlake region contributed only 6.7 percent of the total

| Crop | Interlake | Eastern | Central | South West | North West | Province |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Wheat | 5.38 | 9.65 | 32.14 | 34.93 | 17.90 | 100.00 |
| Oats | 9.01 | 12.84 | 31.31 | 30.98 | 15.86 | 100.00 |
| Barley | 8.55 | 9.57 | 37.30 | 31.56 | 19.02 | 100.00 |
| Flaxseed | 4.99 | 7.87 | 45.00 | 31.30 | 10.84 | 100.00 |
| Rapeseed | 4.96 | 16.63 | 29.67 | 32.24 | 16.50 | 100.00 |
| Rye | 5.46 | 4.02 | 34.66 | 38.20 | 17.66 | 100.00 |
| Sunflower | 4.58 | 0.91 | 41.02 | 50.71 | 2.78 | 100.00 |
| Potatoes | 6.29 | 0.00 | 42.69 | 47.19 | 3.83 | 100.00 |
| Sugarbeets | 11.32 | 0.00 | 62.64 | 24.17 | 1.87 | 100.00 |
|  | 5.69 | 10.20 | 33.51 | 33.08 | 16.52 | 100.00 |


optimal acreage. In comparison with the actual percentage distribution of total cropped acreage among regions given in Table 55, the Central and South-West regions shared substantially more, while the other regions shared proportionately less of the total optimal acreage compared with actual acreage. The reasons for these results are as already explained in the previous discussion. This indicates the potential for development of the Central and South-West region as compared with the other regions.

With regard to the percentage contribution of each region towards the optimum acreage as compared with the actual one, it varied from crop to crop. An important observation which can be made was that the Central and South-West regions were the most important for almost all the crops in solution one as compared with the actual situation. This was the result of higher yields and net income for most of the crops in those two regions. Thus the competitive position of the Central and South-West regions would increase with an efficient organization of crop production.

Comparison of the percent distribution of total optimal acreage in the two solutions indicated that the percent contributions of the South-West and Central regions were higher in solution two as shown in Table 50 of the Appendix $C$ as compared to solution one, while the percentage share of the other regions were lower in solution two than in solution one. This was due to the fact that South-West and Central regions had less loss or higher net income from most of the crops as compared to the other regions.



Competitiveness Between Crops
The percentage of the optimal and actual total cropped area occupied by different crops in various regions and in Manitoba is given in Table 56 and Table 57. Important changes in the cropping pattern for the province as a whole under the optimal solution as compared with the actual one include a decrease in the percentage area occupied by wheat and an increase in the relative area allocated to flaxseed and rapeseed. This leads to the conclusion that with an efficient organization of agriculture the relative importance of wheat would decrease while flaxseed and rapeseed would become more important in terms of their contribution to total cropped area. Thus the competitive acreage of wheat would decline, while that of flaxseed and rapeseed would increase with an efficient organization of crop production. This might be due to the fact that differences in crop prices were more in the model than the actual differences in prices in 1975.

## Distribution of Production Among Regions

The distribution of optimal production in solution one for different crops in various regions is depicted in Table 58. The Central and South-West regions were the most important in terms of contribution towards total production of all crops. The share of these regions ranged from 60.03 percent for rapeseed to 91.48 percent for sunflower relative to total production in Manitoba. This can be explained by two factors:

1. these two regions collectively contributed 66.59 percent of the total land used for all cultivated crops in Manitoba, and


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| Crop | Interlake | Eastern | Central | South West | North West | Province |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | ----P | -- |  | ------ |
| Wheat | 50.61 | 50.52 | 52.88 | 46.81 | 49.68 | 49.92 |
| Oats | 16.83 | 14.20 | 15.74 | 15.70 | 17.46 | 16.01 |
| Barley | 18.36 | 18.33 | 19.87 | 22.43 | 25.17 | 21.53 |
| Flaxseed | 9.42 | 9.79 | 5.80 | 8.56 | 3.50 | 6.85 |
| Rapeseed | 2.56 | 4.42 | 1.83 | 2.86 | 3.29 | 2.95 |
| Rye | 0.84 | 2.43 | 0.93 | 1.24 | 0.74 | 1.20 |
| Sunflower | 0.40 | 0.31 | 1.03 | 1.16 | 0.07 | 0.65 |
| Potatoes | 0.36 | 0.00 | 0.80 | 0.82 | 0.06 | 0.45 |
| Sugarbeets | 0.63 | 0.00 | 1.11 | 0.40 | 0.03 | 0.43 |
| Total | 100.00 | 100.00 | 100.00 | 100.00 | 100.00 | 100.00 |

** in tons
2. the higher level of yield per acre of most crops in the two regions as compared to other regions. The north-West region contributed 1.75 to 17.72 percent for different crops to the total production of the province. The contributions of Interlake and Eastern regions were much lower as compared to the Central and South-West regions. This was due to lower yield per acre of most crops and less acres allocated to various crops. In order to make the distributional comparison with the optimal production of solution one and normal and actual production among regions is given in Table 59 while that of actual production is shown in Table 60. For ease of comparison, percentages are also given in these Tables in order to compare with the percentage optimal production data shown in Table 58. Production was mostly apportioned among regions in the same manner under the optimal and normal production conditions. Some of the important deviations between the optimal and normal productions are:

1. Production of flaxseed was heavily concentrated in the central region in the optimal solution as compared with the normal production, while the results were opposite for the South-West region.
2. Percentage share of rapeseed production of the Eastern region in the optimal solution was higher than in the normal production case. There was a lessor share of this crop in the Central region in the optimal solution as compared with normal production.
3. For rye, the South-West and North-West regions contributed more to total production in the optimal solution than in normal production, while the Eastern region shared considerable less in solution one than under normal conditions.

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4. The Eastern region shared less and Central and South-West regions contributed more to sunflowers in solution one as compared with normal production.

Comparison of the optimal production of solution one and actual production indicated that the production of all crops with the exception of sunflowers, potatoes and sugarbeets was heavily concentrated in the Central and South-West regions in the optimal solution as compared with the actual production distribution. For example, Central and SouthWest regions collectively shared 68.04 percent of the total production of wheat under the optimal solution as compared to the 47.35 percent under the actual production. Similarly, Central and South-West regions contributed 75.8 percent of the total flaxseed production in the optimal solution as compared to 51.83 percent under the actual production. Percentage share in the production of sunflowers, potatoes and sugarbeets was the same under the optimal solution one and the actual production in various regions. In the production of almost all other crops, Interlake, Eastern and North-West regions experienced a much lower share of the optimal solution as compared to the actual production.

The percentage increase or decrease in the optimal production in solution one over the normal production for each crop in each region was also calculated and is given in Table 61. It is clear from the table that with the exception of sunflowers and rye production in the Eastern region, optimal production of all crops in all regions was higher than the normal production. Low production of rye and sunflowers in the Eastern region occurred because of low net income per acre associated with low yields in this region as compared to other regions. This caused a comparative disadvantage in the production of these crops in the region as is discussed in the next section. Flaxseed was the crop whose production
Calculated from Table 58 and 59
showed the greatest increase over normal production. This was followed by oats. Potatoes realized the least percentage increase in production in solution one in various regions. Higher levels of production of each crop in each region can be explained in the same way as the higher level of optimal production over the actual production for the province.

It can be observed from Table 62 that all the crops with the exception of wheat and sugarbeets observed an increase in production in solution one over the actual production in the Central and South-West regions. This was caused by either higher yield or more acreage or both the factors in these regions. Interlake, South-West and North-West regions experienced an increase in production of some of the crops and a decrease in other crops in the optimal solution as compared to the actual production. Lower levels of production of crops in these regions were the result of less number of acres allocated to these crops in optimal solution one as compared to the actual acreage. Flaxseed observed the highest increase in production in optimal solution one (i.e. 119.23 percent) over the normal production. However, rapeseed ranked first in experiencing an increase (i.e. 267.36 percent) in production in optimal solution one over the actual production. Much higher levels of production of most of the crops specifically those of oilseeds in the optimal solution as compared to the actual production levels might be the result of:

1. relatively higher prices of oilseeds in the model as compared to the relative prices realized by farmers over previous years as compared to the prices of grains and,
2. higher yields of different crops due to the use of efficient methods of production in the optimal solution as compared to the actual conditions.
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[^17]Comparative Advantage in Production of Various Crops in Different Regions

In order to see the comparative advantage in the production of various crops in different regions, a comparison of the percent contrbution of regions towards the total production was made with the availability of land. That is, if a particular region contributes $P$ percent towards the total production of a particular crop and if the land available to this region is greater than $P$ percent, then this region has comparative disadvantage in the production of this crop. Conversely, if a particular region allocates less than $P$ percent, then that region have a comparative advantage in the production of the crop.

Using this criterion, comparative advantage and disadvantage which different regions enjoyed was determined. Land area available figures given in Table 63 were compared with the percentage contribution of different regions towards total production from Table 58.

For the wheat and barley crop it was found that the Central and North-West regions have a comparative advantage and the Interlake region a comparative disadvantage. The Eastern and South-West regions have neither comparative advantage nor comparative disadvantage in their production.

The Eastern and Central regions have comparative advantage in the production of oats, while a comparative disadvantage was experienced in the Interlake and South-West regions.

The Central region has a comparative advantage in the production flaxseed, while the Interlake, South-West and North-West have a
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comparative disadvantage.
Production of rapeseed has neither comparative advantage nor disadvantage in the Central, South-West and North-West regions, while it has a heavy comparative advantage in the in the Eastern region and a comparative disadvantage in the Interlake region.

Production of rye has a comparative disadvantage in the Interlake and Eastern regions and a comparative advantage in the Central, South-West and North-West regions.

A heavy comparative advantage is associated with the production of sunflowers and potatoes in the Central and South-West regions, and a comparative disadvantage in the Interlake, Eastern and North-West regions.

Production of sugarbeets has comparative advantage in the Central region and a comparative disadvantage in the Eastern, North-West and South-West regions, while the Interlake regions have neither comparative advantage nor disadvantage.

Distribution of Employment Among Regions
The geographical distribution of total employment in solution one is shown in Table 64. The amount of labor employed was calculated by dividing the number of hours required in different regions by the standard working hours per man year. Since a laborer is entitled to two weeks vacation 111 and the General Holidays 112 amount to two weeks,
${ }^{111}$ See "The Vacation With Pay Act", S.M., 1966, c.70, S.1, Section 5(1).
${ }^{112}$ Susan Walters, Canadian Almanac and Directory, Copp. Clark PubPublishing, Torontol977, p. 25.



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there are 48 working weeks. These weeks were multiplied with the standard 40 hours of work per week. 113
used as one man year. In solution one, total employment of labor for crop production came to 8,964 laborers. Among regions, the Central region had total employment of 3,143 or 35.06 percent of the total employment in the crop sector. The South-West region was the next in importance with employment of 2,719 or 30.33 percent of total employment. The North-West region provided only half as much employment as South West region. The total labor requirement in the Eastern region came to 1,001 or 11.17 percent of total employment. The Interlake region was the least important in terms of labor provision with 674 laborers or 7.52 percent of the total. The various levels of employment by regions can be explained in terms of the total acreage allocated to different crops and the labor requirement per cropped acre. The Central region with the highest employment also contributed the most towards the total cropped area in Manitoba. Contrary to this, the percentage contribution of the Interlake area to the Manitoba crop acreage was lowest.

Actual labor requirement for crop production for 1976 came to 8,609 man years as shown in Table 67 which was lower by 3.96 percent than the labor estimated in solution one. This was due to the fact that the actual acreage allocated to crops was lower as compared to the optimal solution one acreage. If actual acreage allocated to crops had been as much as the optimal acreage, then the actual labor required for

[^19]TABLE 67
ACTUAL LABOR REQUIREMENT FOR DIFFERENT
REGIONS AND FOR MANITOBAI
(In Man Years)

| Region | Labor Required <br> (In Man Years) | Percent of Total |
| :--- | :---: | :---: |
| Interlake | 756 | 8.78 |
| Eastern | 1,335 | 15.51 |
| Central | 2,268 | 26.34 |
| South West | 2,170 | 25.21 |
| North West | 2,080 | 24.16 |
| Province | 8,609 | 100.00 |

$l_{\text {Actual }}$ labor requirement was estimated by projecting the farm area from census reports for 1970 that would lie in three farm sizes (i.e. under 240 acres, 240 to 759 acres, and over 759 acres). This was done because the labor needed per acre varied on various sized farms and due to the availability of labor data per acre for different crops for these three sizes. These three sizes constituted 3.61 percent, 37.95 percent and 58.44 percent of the farm area in 1976 . Area of each crop on each size and soil type in various crop districts was determined by weighing according to the percent area lying in various sizes and according to the percent distribution of land in two soil types. Labor needed per acre according to the size and soil type was determined from Framingham, Craddock and Baker op. cit.
crop production for 1976 would have been higher by 15.80 percent. Distribution of optimal labor requirement was more concentrated in the Central and South-West regions as compared to the actual labor requirement distribution. This was the result of more concentration of cropped acreage under the optimal solution one as compared to the actual acreage.

In order to determine the total employment in the agriculture sector, labor requirements for livestock and poultry were estimated. For livestock and poultry, employment amounted to $23,335,564$ hours or 12,154 man years as shown in Table 68. Thus the total employment of labor needed for the agriculture sector came to 21,118 laborers with an efficient organization of crop production. The total amount of employment projected for the agriculture sector in Manitoba was 42,000 for 1976.114 Thus the total labor which would be released from agriculture sector amounted to 20,882 . Out-migration of labor from the agriculture sector over time could be partly explained due to the redundancy of labor as the optimal and actual requirements were more or less the same.

Comparison of the total labor required for the two solutions indicated that total employment in solution two was lower by 35.82 percent as compared to solution one. Like the acreage, Central and SouthWest regions contributed more while the other regions shared less of the total employment in solution two as shown in Table 69, as compared to solution one.

114
One could object the validity of this projected figure, but it was used because of unavailability from some other source for comparison. It was taken from: Manitoba Department of Industry and Commerce, Manpower and Employment Outlook for Manitoba, 1975-77; September 15, 1977, p. 27.

TABLE 68
.TOTAL LABOR REQUIRED FOR LIVESTOCK AND POULTRY

| Kind of Livestock <br> or Poultry | Labor Required <br> Per Unit in Hrs. | Total Units <br> in $1976^{\mathrm{a}}$ | Labor Required <br> in Hrs. |
| :--- | :--- | :--- | :--- |
| Dairy Cow | $60.000^{\mathrm{b}}$ | $102,076^{\mathrm{h}}$ | $6,124,560$ |
| Beef Cow | $15.200^{\mathrm{c}}$ | $440,924^{\mathrm{h}}$ | $6,702,045$ |
| Heifer | $5.956^{\mathrm{c}}$ | 154,000 | 917,224 |
| Calf | $7.637^{\mathrm{c}}$ | 387,000 | $2,955,519$ |
| Steer | $8.538^{\mathrm{d}}$ | 172,000 | $1,468,536$ |
| Hog | $4.6^{\mathrm{e}}$ | 247,500 | $2,277,000$ |
| Sheep | $2.02^{\mathrm{f}}$ | 19,000 | 38,380 |
| Poultry | 1.10 | $2,593,000$ | $2,852,300$ |
| Total |  |  | $23,335,564$ |

${ }^{\text {a }}$ Source: Manitoba Department of Agriculture, Manitoba Agriculture Yearbook, Queen's Printer, Winnipeg, 1976.
${ }^{\text {b }}$ Manitoba Department of Agriculture, Farm Data Handbook, Economics Branch, 1972, III 22.
${ }^{\text {c The }}$ average amount of labor required for the low and high mechanization, See Ibid., IV 23.
${ }^{d}$ It was assumed that the labor requirement of Steer was the same as of long fed yearlings, see Ibid. IV 23.
e This figure is based on number of hogs produced and includes maintenance of breeding herd. Since it is possible to have two litters in one year, the number is multiplied by two to determine the total labor required for hog production. See: John R. Stephen, Swine Production in Ontario, Conventional Enterprises, Costs, Returns and Management, Farm Economics, Cooperatives and Statistics Branch, Ontario, Department of Agriculture and Food, 1966, p. 30.
fsee V.M. Gleddie, Sheep Production Budgets 1970, Alberta Department of Agriculture, paper presented at the First Annual Sheep Symposium, 01ds, Alberta, January 16-18, 1969.

SManitoba Department of Agriculture, Farm Data Handbook, op. cit. VIII 28.
$h_{\text {Total }}$ number of bulls in Manitoba were divided into two categories on the basis of number of dairy cows and beef cows. These bull figures were included in the respective cow categories. It was assumed that the labor requirement for bulls were the same as for cows.

Farm Crop Income and Distribution
Total gross crop farm income under the optimal solution one, actual and normal conditions with the same prices is given in Table 70. Value of optimal crop production totalled 1,170 million dollars, where as it came to 857 million dollars under actual production conditions and 768 million dollars under normal production. ${ }^{115}$ In other words, total crop production value was higher by 36.52 percent and 52.31 percent as compared with the actual and normal conditions. Since the prices used for different crops in finding the value were the same under all conditions, the percentage by which the optimal production value of each crop would be higher or lower than the actual or normal production would be the same as those given in production Table 50 . The value of optimal crop production in various regions and in Manitoba is shown in Table 71 and the percentage contribution of different regions towards the total value of production in Manitoba is depicted in Table 72. Comparison of these figures with the percentage figures for land used given in Table 73 , indicates that the percentage contribution towards the total value of crops produced is slightly greater for Central and South-West regions and slightly lower for other regions as compared to the percentage share of land used in these regions.

The total value of crop production decreased by 77.74 percent under solution two as compared to solution one for the province. The total value of production was lower by 73.09 percent for wheat, 82.37 percent for oats, 77.17 percent for barley, 93.93 percent for flaxseed,

[^20]TABLE 70
VALUE OF OPTIMAL SOLUTION ONE, ACTUAL AND NORMAL PRODUCTION, OF VARIOUS CROPS IN MANITOBA ${ }^{1}$

| Crop | Optimal Production <br> Value | Actual Production <br> Value | Normal Production <br> Value |
| :--- | :---: | :---: | :---: |
| Wheat | $-197,583,872$ | $512,146,400$ | $330,376,700$ |
| 0ats | $143,076,208$ | $85,924,810$ | $76,628,970$ |
| Barley | $224,506,544$ | $140,254,300$ | $181,997,200$ |
| Flaxseed | $146,995,040$ | $56,627,370$ | $67,025,680$ |
| Rapeseed | $102,228,096$ | $27,811,630$ | $67,497,900$ |
| Rye | $8,868,348$ | $6,025,484$ | $6,110,059$ |
| Sunflower | $13,397,850$ | $3,153,985$ | $8,635,302$ |
| Potatoes | $19,026,768$ | $13,148,630$ | $18,077,040$ |
| Sugarbeets | $13,867,397$ | $12,301,590$ | $11,538,870$ |
|  |  | $857,392,800$ | $767,886,500$ |
| Total | $1,169,550,210$ |  |  |

The same prices were used for calculating the actual and normal production values, as were used in determining the production values in solution one.
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83.34 percent for rapeseed, 89.83 percent for rye, 36.84 percent for sunflowers, 54.51 percent for potatoes and 49.92 percent for sugarbeets in solution two than in solution one. Lower value of production of each crop was the result of lower prices and less acres allocated to most of the crops in solution two. All the regions also experienced a decrease in the total value of crops produced in solution two as compared to solution one. For example, total value of crops produced was lower by 82.21 percent in Interlake area, 90.21 percent in the Eastern region, 76.40 percent in the Central region, 74.01 percent in the South-West region and 79.90 percent in the North-West region in solution two. The South-West and Central regions observed the least decrease in the total value of crops as compared to the other regions due to the fact that optimal acreage also experienced the least decrease in these regions. The value of production of different crops in various regions in solution two is shown in Appendix C Table 51.

The value of net income in the analysis for 1976 in solution one came to $\$ 689$ million, whereas net income from crop production amounted to $\$ 459$ million under the actual conditions. In other words optimal level of net income in solution one was higher by 50.29 percent than the actual net income. The total number of farms in Manitoba was $32,106^{116}$ in 1976. With that number of farms, average size of farm was 402 improved acres and average net income per farm came to $\$ 14,288.52$. Under optimum solution one: conditions with farms of 760 improved acres, total number of farms came to 16,981 and average net incomer per farm amounted to $\$ 40,621.11$.

Net income per farm was higher under the optimal solution one as compared with the actual income because of the use of better production techniques, higher yields and reduced farm numbers.

Average net income per farm depends not only on the level of total net income, but also on the number of farms. A decrease in farm numbers causes average net farm income to increase even though the total net income was constant in Manitoba. If it was assumed that the efficient farms were of size 760 acres of improved land, then the efficient farm size was higher by 89.05 percent than the actual farm size in 1976. However, net income on these efficient farms was higher by 184.29 percent as compared to the actual average farm. This points out that net income per farm increases proportionately more than the increase in farm size under the 1976 conditions. This argument is dependent on and "efficient" size of 760 acres. Thus one can conclude that Manitoba agriculture has the potential to substantially increase the net earnings of the farmers if the farms were of economically efficient size and used the techniques employed by 760 and larger average farms in 1976. Although the aggregate income would increase substantially, but it would be shared by fewer farms.

Contribution of different regions towards the total net income is given in Table 74. This shows that Sout-West and Central regions were the most important in terms of their contribution to net income in optimal solution one. Individually, both of these regions contributed more than one-third of the total net income. The North-West region was next in importance followed by Eastern region. The Interlake region
shared only 6.12 percent of the total net income. This indicates that the contribution of different regions is more or less in the same proportion, as the total value of crop production shared among regions. In comparison with the actual percentage distribution of net income among regions as shown in Table 75, the Central and South-West regions contributed substantially more, while the other regions contributed proportionately less of the total net income in optimal solution one as compared with the actual net income.

The value of objective function in solution two was minus 62,329,818 dollars indicating the loss to the agriculture sector that would result if 1971 prices were used, even if the industry was organized efficiently. This was because of negative net income per acre associated with the production of most of the crops.

TABLE 75
ACTUAL CONTRIBUTION OF DIFFERENT
REGIONS TOWARDS THE TOTAL NET INCOME

|  |  |  |
| :--- | :---: | :---: |
| Region | Net Income in <br> $\$$ | Percent of Total |
| Interlake | $34,400,180$ | 7.50 |
| Eastern | $70,104,820$ | 15.28 |
| Central | $112,350,300$ | 24.49 |
| South West | $124,169,600$ | 27.07 |
| North West | $117,722,460$ | 25.66 |
| Total | $458,757,360$ | 100.00 |

$1_{\text {Method of }}$ calculating the gross income is already discussed under Table 50. Actual cost of production of different crops was estimated by projecting the farm area from census reports for 1976 that would lie in three farm sizes (i.e. under 240 acre, 240 to 759 acres and over 759 acres). This was done because the cost of different components of production varied on various sized farms and due to the availability of cost data for these three sizes. Area of each crop on each size and soil type in 1976 in various crop districts was determined by weighing according to the percent area lying in various sizes and according to the percent distribution of land in two soil types. Cost per acre of different components with the exception of fertilizer and pesticides was determined as discussed in Chapter IV. For fertilizer and pesticide, cost per acre was taken from Framingham, Craddock and Baker op. cit. and then adjustment was done by their price indexes and by taking the increase in fertilizer sale and increase in cropped area treated.

## CHAPTER VI

## SUMMARY OF RESULTS AND CONCLUSIONS

As was mentioned in previous chapter, the second solution was obtained to see the workability and results of the model at other prices. For this reason, this chapter summarizes the results of solution one and the conclusions which can be drawn therefrom. This is followed by the implications of results for Manitoba. Finally the limitations of the present study and suggestions for future research are described.

## Summary of Results

The optimal results of solution one obtained by applying the model to the data were compare with the actual and/or normal situations wherever possible. The results were discussed for the five agricultural regions and for Manitoba. For the province as a whole, total acres allocated to crops in the solution one were higher by 21 percent as compared to the actual acreage. Area occupied by wheat, potatoes and sugarbeets was lower in solution one than the actual acreage because of relatively high net income per acre from these crops over the previous years due to higher prices. The area allocated to rapeseed, sunflowers, and flaxseed was substantially higher than the actual acreage. Area occupied by oats, barley and rye was higher from 31.11 percent to 47.36 percent over the actual acreage. This was caused by the higher yields per acre used in this study than the actual yield and the substitution of area occupied by other crops for wheat, potatoes and sugarbeets.

At the regional level, the Central and South-West regions took
the lead in the cropped acreage increase, where the total area occupied by crops was higher by 65.52 percent and 53.78 percent respectively over the actual acreage. As was explained in Chapter $V$, this was the result of higher net income per acre from most of the crops in these regions. In the Interlake area total optimal acreage was more or less the same as the actual acreage. A decrease in cropped area was experienced in the Eastern and North-West regions, where the solution one acreage was lower by about 23 percent as compared to the actual acreage in both regions. This was caused by the low net income per acre associated with most of the crops.

Total optimal acreage like the actual acreage, was not equally distributed among regions. The Central and South-West regions were the most important in terms of their contribution toward total optimal acreage in solution one. Individually both regions shared about onethird of the total optimal acreage, whereas they occupied 24.41 percent and 25.94 percent of the actual acreage. The North-West, Eastern and Interlake regions contributed less towards the total optimal acreage as compared to their contribution in the actual acreage. This was the result of high net income per acre from most of the crops in the Central and South-West regions, and low net income per acre in the other regions.

A comparison of the optimal solution one cropping pattern with the actual one indicated a significant difference. The percentage area occupied by wheat decreased considerably, while the relative area allocated to flaxseed, rapeseed and barley increased for the province. A similar trend was observed for each region.

It was observed that the optimum levels of production in solution one for all crops were higher than the actual and/or normal levels of production, with the exception of wheat and sugarbeets, whose optimum levels were lower than the actual levels. Low production of these crops was caused by the lessor number of acres allocated in the optimal sized farms solution. Higher levels of production of other crops as explained in Chapter $V$ was caused by two factors:

1. more acres allocated to crops under the optimal solution, and
2. higher yield per acre of different crops in the model as compared to actual yield.

Considering the distribution of optimal production of crops among regions in solution one it was observed that the Central and South-West regions were making maximum contribution towards the total production of each crop. Collectively, both regions shared 60.03 percent to 91.48 percent of the total production of different crops. The Northwest region contributed 1.75 percent to 17.72 percent of the total production of various crops. The Eastern and Interlake regions were the least important in terms of contribution towards total production. More concentration of the total production of various crops in the Central and SouthWest regions was the result of higher net income per acre associated with most of the crops in these regions. The percentage distribution of optimal and normal production of wheat, oats, barley, potatoes and sugarbeets among regions was more or less the same, while the optimal production of other crops was more concentrated in some regions and less concentrated in others. The percentage distribution of all crops with the exception of sunflowers, potatoes and sugarbeets was heavily
concentrated in the Central and South-West regions in the optimal solution as compared with the actual production distribution.

Different regions have comparative advantage and disadvantage in the production of various crops as shown in Table 76.

The impact of efficient organization on the total labor requirement was also determined. Our model estimated total crop employment of 8,964 man years. The total employment was distributed among regions in more or less the same proportion as the distribution of total optimal acreage. Slight variations were caused by the difference in labor requirement of various crops.

The actual labor employment was more or less the same as under optimal solution one. The actual labor requirement would have been higher by 16 percent than the optimal solution one employment if the actual cropped acreage had been the same as optimal cropped acreage. However, both the optimal solution one and actual employment were substantially lower than the projected employment by the Manitoba Department of Industry and Commerce. 117 The distribution of employment was more concentrated in the Central and South-West regions in the optimal solution one where they contributed 35.06 percent and 30.33 percent of the total employment as compared to the actual distribution where they shared 26.34 percent and 25.21 percent, respectively. The North-West, Eastern and Interlake regions contributed less towards total optimal

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Manitoba Department of Industry and Commerce op. cit., p. 27. Also see Footnote 114.

TABLE 76
COMPARATIVE ADVANTAGE AND DISADVANTAGE
in the production of different
CROPS IN VARIOUS REGIONS

|  | Comparative <br> Advantage | Comparative <br> Disadvantage |
| :--- | :--- | :--- |
| Interlake | Wheat, oats, barley, <br> flax, rapeseed, rye, <br> sunflower, potatoes |  |
| Eastern | Oats, rapeseed <br> rye, sunflower, potatoes, <br> sugarbeets |  |
| South Weat, oats, barley, |  |  |
| flax, rye, sunflower, |  |  |
| potatoes, sugarbeets |  |  |$\quad$| rye, sunflower, |
| :--- |
| potatoes |
| wheat, barley, rye |$\quad$| oats, flax, sugarbeets |
| :--- |
| North West |

employment as compared to their contribution in the actual employment.
Optimal organization in solution one resulted in a total crop income of 1,170 million dollars which was higher by 36.52 percent and 52.31 percent as compared to the actual and normal income. The Central and South-West regions contributed individually more than 34 percent towards the total crop income, while the North-West, Eastern and Interlake regions contributed 15.64 percent, 9.22 percent and 6.35 percent respectively. Net income from the model amounted to about 690 million dollars which was higher by 50.29 percent than the actual level of income. The distribution of net income among regions was more or less in the same proportion as the total value of crop production among regions. With "efficient" farms of an average size of 760 acres, the net income per farm was higher by 184.29 percent than the actual average farm size, while the efficient farm size was greater by 89.05 percent than the actual farm size in 1976. Thus the net income per farm increased proportionately more than the increase in farm size. The Central and South-West regions were the most important in terms of their contribution toward net income in solution one. Individually both regions contributed more than one-third of the total net income, whereas they shared 24.49 percent and 27.07 percent of the actual net income. The NorthWest, Eastern and Interlake regions contributed less towards the total optimal net income as compared to their contribution in the actual net income. This was caused by higher net income per acre from most of the crops and more acreage cropped in the Central and South-West regions, and low net income per acre and lesser acreage in other regions.

## Conclusions

A number of conclusions can be drawn from the result of this study. Some of the important conclusions are discussed here.

The first conclusion concerns the effect of optimal organization on the total cropped area and on the cropping pattern. The study indicated that the total cropped area was higher by 21 percent as compared to the actual area. Our model also showed a change in the cropping pattern, i.e. a decrease in the area devoted to wheat, potatoes and sugarbeet and an increase in the area allocated to other crops. Thus one could conclude that efficient organization would lead to not only an increase in the cropped area but would also substantially change the pattern of land use in Manitoba.

The increase in cropped area in the Central and South-West regions was so strong that it not only compensated for the decrease in area in Eastern and North-West regions, but also resulted in increasing total cropped area in Manitoba. From this it can be concluded that an optimal organization of the agriculture industry in Manitoba would require certain interregional adjustments in land use. The Central and South-w'est regions would become more important in terms of their contribution to total cropped area, while the share of the Eastern and North-west regions would decline.

Our results indicated that production of almost all the crops would increase with optimal organization. However this increase over the actual and normal production would not be proportionately the same for all crops. Production of certain crops would increase substantially more than other crops. This brings us to the conclusion that an
efficient organization would lead to a disproportionate change in the production of crops.

The Central and South-West regions were the most important in terms of the area occupied by various crops. Correspondingly, these were also the most important in sharing the total production of various crops. Thus we could expect that although the contribution of these regions was already quite high in the actual production of various crops, they would contribute more towards the output of different crops in Manitoba with the optimal organization of agriculture. Other regions would experience an increase in the absolute production of most of the crops, but their share of total production would decline with efficient organization of agriculture because of the relative increase in the Central and South-West regions.

The optimal employment was more or less the same as the actual one. However, Central and South-West regions contributed considerably more towards total employment with optimal organization than with the actual one. This leads to the conclusion that Central and South-West regions would become more important in terms of their contribution to total employment, while the share of other regions would decline.

The results also indicated that the optimal organization of crop production along with the estimated requirement of livestock and poultry labor would need 21,118 man years which is much lower than the projected labor employment of 42,000 by the Department of Industry and Commerce. This suggest that an efficient organization of agriculture would lead to the reduction of total amount of labor employment in crop production.

Finally the results show that net income from crop production was greater by 50 percent when agriculture is organized efficiently in solution one as compared to the actual net income. This leads to the conclusion that an efficient agricultural industry using the best techniques of production would increase the net income of the farmers considerably.

The results also indicated that the contribution of Central and South-West regions towards the total net income was higher with the optimal organization as compared to the actual one. Thus one could expect that Central and South-West regions would experience an increase and other regions a decrease in sharing the total net income with an efficient organization.

## Policy Implications

The cropping and production patterns specified for agriculture in solution one were optimal only under the conditions specified in the model. The study was concerned only with the economic analysis and did not say anything on social side. A number of policy implications can be derived from the results of this study ignoring the dangers associated with social aspect. Foremost among these is the great potential for increased output and net income from the crop production sector. Our results showed that net income from the crop production was higher by 50 percent han the actual net income. This result holds when crop production is organized on the optimum farms which are using the best techniques of production known in 1976. Profit per farm increased substantially because of reduced farm numbers and due to the efficient methods of production.

Given the objectives of Manitoba agriculture as specified in Chapter One, and the increased net income resulting from efficient organization of agriculture on the optimum sized farms, a basic question is, whether policies should be framed to convert the small farms into optimum units? Some will argue that an increase in net income from crop production is the only legitimate goal in measuring the benefits that will flow from an efficient organization of agriculture practised on the optimum sized farms. This group favors policies which would increase the total income from the agriculture sector. Others will argue the goal of maximization of positive utility of rural life on the family farms. They also advocate that the amalgamation of family farms into optimum sized farms leads to very high social cost and destroys the human values associated with them. This group favors farm policies which would increase the viability of small and medium farms. Thus the above two objectives which emphasize on the one hand an increase in total income from agriculture and on the other hand enhance the economic viability of low and middle income farmers are in direct conflict with each other. Neither of the objectives can have dominance over the other because the society'spreference funciton is not linear and after achievement of one particular goal its further attainment involves diminishing utility relative to other goal. Expression of quantification of society' preference function is difficult especially with regard to an increase in income resulting from efficient use of resources in agriculture on the optimum sized farms and the existence of small family farms. Thus the decision about the extent to which the efficiency in use of resources in agriculture can be traded with the extent of existence of small family farms
can be left ot politicians. Assuming that the Manitobans decide on an efficient use of resources in agriculture industry which could be practised on the optimum sized farms, then one could suggest the following-

1. Efficient use of resources requires an adjustment of farms towards optimum size. This size among other things is influenced by the government policies. The government policies which are conducive towards the viability of small farms would result in greater inefficiency in the agriculture sector. If there are no programs which support small farms and the economic forces in agriculture are allowed to work with little government interference, the farm numbers would decline rapidly and there would be an adjustment towardss the optimum farm size. Changes in government policies which favour the maintenance of small farms would be needed in order to achieve the necessary adjustments in farm size.
2. Co-operative farming would be offered by some as another possible approach. Small farmers which may not be able to justify the use of heavy machinery due to higher cost to individual farmers, may take advantage of the modern, large scale methods through co-operative farming and at the same time preserve the traditional values associated with the family farms. Through co-operative ownership of machinery, small farmers my realize economies of size and lower cost per unit of output and be able to compete with the large optimum sized farms. Reduced labor demand resulting from co-operative farming could be used for livestock operations or for some other industry. The government could provide necessary technical information and credit facilities to farmers who are interested in co-operative farming.
3. In case the government is concerned with the efficiency goal along with maintaining the family farms of optimum size, then the government should attempt to fashion two or more small undersized and inadequate family units into one large and more efficient unit, as land became available (rather than to add a small unit to an already large one). Institutions like Manitoba Agricultural Credit Corporation should be strengthened. A typical arrangement will be that as land comes into the market when the operator dies, retires or migrates, the Manitoba Agricultural Credit Corporation purchases it. The land so obtained can be sold to an operator of a smaller unit who is able to fashion a larger and more efficient unit through special credit arrangements. This will make a non-optimum sized farm into an optimum unit, rather than an increment to an already very large operation. Under this arrangement, the process of converting small farms into optimum units isvery slow and gradual. If the Manitoba Agricultural Credit Corporation can pay higher price than the market, more farmers would like to move from farms to other industries. If in turn, the Manitoba Agricultural Credit Corporation can sell land below the market price and extend credit for a long term at a low interest rate, it can increase the demand by small farmers for land which would result in farm enlargement. The speed and effectiveness of this policy and its cost depends on the amount of public funds and assistance made available. If little emphasis is on the family farms then the Manitoba Agricultural Credit Corporation can sell small units to already large ones through special credit arrangements. This would assist and accelerate the process of enlargement by the absorption of those farms which are not of optimum size.
4. Optimum sized farms in Manitoba agriculture are of 760 acres and over, require machinery which is larger in size as compared to the machinery used by many farms today. This points out the adjustments which would be needed in the production of machinery in order to meet the demand on optimum sized farms.
5. In order to use the resources efficiently, optimum sized farms must use not only the better techniques of production but must also follow the cropping patterns which are most profitable to that region. These would require that necessary information about the profitability of crops and better techniques of production be provided to farmers through agricultural extension service.
6. Optimal organization of agriculture industry would result in
(a) increasing the production of all crops in all regions, and
(b) increasing the concentration of acreage and production in the Central and South-West regions as compared to other regions.

This provides us the information about the adjustment that should be made by agriculture if the net income from crop production is to be maximized. An increase and change in the distribution of acreage and production of various crops in different regions necessitates adjustments in the business serving agriculture.
7. The results indicated that the total cropped area would increase substantially in South-West and Central regions, while it would decline in the Eastern and North-West regions with an optimal organization of crop production. This would necessitate an adjustment in the cropped area. Retirement of land from crops in the North-West and Eastern regions would require the formulation of certain land diversion programs. This would
provincial industry strategy may wish to emphasize those regions more where there would not be sufficient employment opportunities and where more labor would be displaced with efficient organization of agriculture. Provision of employment opportunities at the regional level through industrialization could prevent the economic and social problems from falling particularly heavily on Winnipeg.
10. Due to seasonal nature of employment in crop production, total labor required in Central and South-West regions may exceed the labor available because of increase in crop acreage. This may require the movement of labor from other regions to Central and South-West regions. It would require that necessary incentives for migration of labor such as provision of moving expenses and better housing, education and health facilities be provided in the Central and South West regions by the government.

## Limitations and Suggestions for Further Research

Our model can be used in a number of situations. Its ability to determine the efficient organization could also be improved in a number of ways. Its uses and ways of improvement are discussed here.

In the present study, we were concerned only with the determination of efficient organization of the important crops; we ignored some of the crops like tame hay, mixed grains, etc. Similarly, livestock production activities were omitted. Since the ignored activities are also users of the land resource in Manitoba, these activities should also be included in the determination of efficient organization on optimum sized farms in future studies. Inclusion of these activities would give
precise information about the optimal organization of agriculture in Manitoba.

The model can also be used with variable demand restraints. Using various levels of demand restraints, one can determine the optimal solution. This can provide us the answer to what should be the optimal organization of agriculture with a change in projected demand.

The model could also be extended to all the provinces or the prairie provinces of Canada, which have comparative advantages in the production of various crops and/or livestock activities. Application of the model at the national level or to the prairie provinces could suggest how the use of resources should be shifted if the agriculture industry is primarily concerned with the maximization of its profits.

In this study complete certainty about the yields of crops was assumed. This was necessary because of small numbers of observations about the yields of crops at the recommended levels of fertilizer over time. Since the yields are greatly influenced by weather conditions, it is necessary to incorporate the risk associated with weather, while determining the efficient organization. This would be possible in the next few years, when more yield data with recommended levels of fertilizers under various weather conditons become available.

Efficient organizations with linear programming partial equilibrium model were determined under two price levels. Use of other prices could indicate the changes in optimal organization which would result from different levels of prices.

The optimum farm size determined by using the survivor approach, was assumed to be an efficient farm size for the present study. But the
size optimum now may be non-optimal fifteen years later because of changes in technology, changes in resource avallabilities and the like. When changes occur over time, their impact may be so strong that they may alter the optimum farm size. Determination of optimal organization of agriculture over time on efficient sized farms through the introduction of time element may be necessary in order to cover this dynamic aspect.

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APPENDIX A
MARGINAL ANALYSIS

## MARGINAL ANALYSIS

This analysis assumes that all functions have first and second partial derivatives. Considering the case where there are $n$ products and $m$ inputs, the production function can be stated in its implicit form as

$$
\begin{equation*}
F\left(y_{1}, y_{2} \ldots . . y_{n} ; x_{1}, x_{2} \ldots . x_{m}\right)=0 \tag{1}
\end{equation*}
$$

WHERE $y_{j} \geqslant 0(j=1,2,3 \ldots n)$ and
$x_{i} \geqslant 0 \quad(i=1,2$. . $m)$
WHERE $y_{j}$ denotes the quantity of $j$ th product produced and
$x_{i}$, the quantity of $i$ th input used.
The gross revenue can be given as
$R=\sum_{j=1}^{n} p_{j} y_{j}$
WHERE $p_{j}$ is the price per unit of commodity $j$.
The total cost can be given as

119 See: (1) Ralph W. Pfouts; "The Theory of Costs and Production in the Multiproduct Firm". Econometrica, Vol. 29, No. 4, October 1961, pp. 650-658.
(2) Thomas H. Naylor; "A Kuhn-Tucker Model of the Multiproduct Multifactor Firm". Southern Economic Journal, Vol. 31, No. 4, April 1965, pp. 324-330.
(3) Thomas H. Naylor; "The Theory of the Firm. A Comparison of Marginal Analysis and Linear Programming". Southern Economic Journal, Vol. 32, No. 3, January 1966, pp. 263-274.
(4) Thomas H. Naylor and John M. Vernon; Microeconomics and Decision Models of the Firm. New York, Harcourt, Brace \& Norld In, 1969, pp. 146-205.
(5) Ching-Won Kwong and Yuan-Li-Ha; Mathematical Programming and Economic Analysis of the Firm. Seranton, Intext Educational Publishers, 1971, pp. 345-77.
$C=\sum_{i=1}^{m} \quad v_{i} x_{i}+b$
WHERE vi is the price of $i$-th input and $b$ is the fixed cost.
Profit can be defined as

$$
\pi=R-C
$$

The Lagrangian method can be used to find the sets of $y_{j}$ and $x_{j}$ which maximize profit subject to the given production function. To do so form the function

$$
\begin{equation*}
L=\sum_{j=1}^{n} p_{j} y_{j}-\sum_{i=1}^{m} v_{i} x_{i}-b+h F\left(y_{1}, y_{2} \ldots . y_{n} ; x_{1}, x_{2} . x_{m}\right) \tag{3}
\end{equation*}
$$

WHERE $L$ is a function of all inputs and output regarded as independent variables and $K$ is a Lagrangian multiplier.

Using a single subscript of $L, F, R$ and $C$ to denote partial differentiation, the necessary conditions for profit maximization (i.e. $n+m=k+1$ partial derivatives) are given by the following.

$$
\begin{align*}
& L_{j}=R_{j}+\lambda F_{j}=0 \quad(j=1,2, \ldots n)  \tag{4}\\
& L_{i}=-C_{i}+\lambda F_{i}=0(i=1,2 \ldots m)  \tag{5}\\
& L_{k}=F\left(y_{1}, y_{2} \cdot \cdots y_{n} ; x_{1}, x_{2} \cdot . . x_{m}\right)=0 \tag{6}
\end{align*}
$$

Taking any two equations (e.g. a and b) from among the $n$ equations of (4) and solving for $K$, we get

$$
\begin{aligned}
& K=-\frac{R_{a}}{F_{a}} \\
& K=-\frac{R_{b}}{F_{b}}
\end{aligned}
$$

equating these two expressions we get

$$
\begin{equation*}
\frac{R_{a}}{R_{b}}=\frac{F_{a}}{F_{b}}=-\frac{\partial y_{b}}{\partial y_{a}} \tag{7}
\end{equation*}
$$

This equation states that when optimum quantities of $a$ and $b$ are being produced the ratio of their marginal revenues must be equal to the physical rate of substitution between the two products.

If we select two equations from (5), among the. m equations, we get

$$
\begin{aligned}
& K=\frac{C_{a}}{F_{a}} \quad \text { and } \\
& K=\frac{C_{b}}{F_{b}}
\end{aligned}
$$

Equating these two expressions we get

$$
\begin{equation*}
\frac{c_{a}}{C_{b}}=\frac{F_{a}}{F_{b}}=-\frac{\partial x_{b}}{\partial x_{a}} \tag{8}
\end{equation*}
$$

This equation states that when optimum quantities of $a$ and $b$ are used in production, the ratio of their marginal costs must be equal to their rate of technical substitution.

Finally if we select one equation from the $n$ equations in (4) and one equation from the $m$ equations in (5) we get

$$
\begin{equation*}
c_{a}=R_{b} \frac{\partial y_{b}}{\partial x_{a}} \tag{9}
\end{equation*}
$$

which states that optimum quantity of factor a requires that the marginal factor cost of factor $a$ to be equal to the marginal revenue product of $b$ with respect to a.

Deriving the level of input and output by solving the first order conditions does not guarantee that the profit of the firm would be maximum. The same first order conditions will also satisfy a local minimum or a stationary value. The second order conditions for profit maximization requires that the bordered Hessian determinant alternate in sign:
$\left|\begin{array}{ccc}h F_{11} & h F_{12} & F_{1} \\ \lambda F_{21} & \lambda F_{22} & F_{2} \\ F_{1} & F_{2} & 0\end{array}\right|>0 \cdots \cdots(-1)^{k}\left|\begin{array}{cccc}\lambda F_{11} & h F_{12} & h F_{1 k} & F_{1} \\ \lambda F_{21} & h F_{22} & \lambda F_{2 k} & F_{2} \\ \lambda F_{K 1} & h F_{K 2} & \lambda F_{k k} & F_{k} \\ F_{1} & F_{2} & F_{k} & 0\end{array}\right|>0$

The most compact statement of the complete conditions for an optimal production schedule has been given by Hicks:
"If the prices of all products and all factors are given to the enterprise, the quantities of factors it will employ, and products it will produce, will be given by the condition that surplus is maximum. This implies that it cannot be increased by any type of variation. We shall thus have the following conditions of equilibrium.

1. Corresponding to the condition Price = Marginal Cost, we have three conditions:
(a) The price ratio between any two factors must equal their marginal rate of substitution.
(b) The price ratio between any two products must equal the marginal rate of substitution between the two products.
(c) The price ratio between any factor and any product must equal the marginal rate of transformation between the factor and the product.
2. Next there are the stability conditions. For the transformation of a factor into a product we shall have the condition of diminishing marginal rate of transformation or diminishing marginal product. For the substitution of one product for another we shall have a condition of increasing marginal rate of substitution, that is to say, increasing marginal cost in terms of the other product (marginal opportunity cost). For the substitution of one factor for another diminishing marginal rate of substitution." 120

The above quotation summarizes the results of the marginal analysis of the firm's production problem. The whole analysis depends on differentiating the production, revenue and cost functions with respect to each input and output independently, a mathematical procedure which has operational significance only when corresponding changes of values are possible.

120
J.R. Hicks, Value and Capital, Oxford University Press, 1941,pp. 86-87.

APPENDIX B OPTIMALITY CONDITIONS OF LINEAR PROGRAMMING

## OPTIMALITY CONDItions of Linear programming ${ }^{121}$

Our problem which is concerned with the maximization of income of farmers from the limited resources can be formulated in terms of linear programming. Like the marginal analysis, consider the situation where a firm employs $m$ variable factors and $r$ fixed factors in the production of $n$ independent activities. Then the firm's profit function can be given as

$$
\pi^{\prime}=\sum_{j=1}^{n} p_{j} y_{j}-\sum_{i=1}^{m} \sum_{j=1}^{n} a_{i} x_{i j}-\sum_{v=1}^{r} \sum_{j=1}^{n} M_{v j} F_{v j}
$$

WHERE

$$
\begin{aligned}
& \pi^{\prime}=\text { Profit } \\
& p_{j}=\text { The price of jth activity }(j=1,2, \ldots, \cdot n) \\
& y_{j}=\text { The level of the jth activity }(j=1,2, \ldots, n)
\end{aligned}
$$

(1) Robert Dorfman "Mathematical or 'Linear' programming. A nonmathematical exposition". The American Economic Review, Vol. 43, No. 5, Part 1; Dec. 1953, p. 797-825.
(2) Robert Dorfman; Application of Linear Programming to the Theory of Firm. A publication of the Bureau of Business and Economic Research, University of California, Published by University of California Press, Berkley and Los Angelos, 1951.
(3) Kenneth E. Boulding and Allen W. Spivey; Linear Programming and Theory of Firms. The Macmillan Company, New York, 1961.
(4) William J. Baumel; Economic Theory and Operations Analysis Parentice-Hall, Inc., Englewood Cliffs, New Jersey, 1972.
(5) William J. Banmel; "Activity Analysis in One Lesson". The American Economic Review, Vo7. 43, No. 5, Dec. 1958, p. 837-873.
(6) Thomas H. Naylor; "The Theory of Firm. A Comparison of Marginal Analysis and Linear Programming". The Southern Economic Journal Vol. 32, No. 3, January 1966, p. 263-274.
(7) James M. Henderson and Richard E. Quandt; Micro-Economic Theory: A Mathematical Approach. McGraw-Hill Book Company Inc., New York.
$a_{i}=$ The price of the $i$ th variable input ( $i=1,2, \ldots m$ )
$\begin{aligned} & X_{i j}=\text { Quantity of the } i \text { th variable input used by the } j \text { th activity } \\ &(i=1.2 . . . m ; j=1.2 . . . n)\end{aligned}$
$M_{v j}=$ The cost of transfering one unit of $v$ th fixed far use in $j$ th activity $(v=1,2, \cdots \cdot r ; j=1,2, \cdot \cdot \cdot n)^{122}$
$F_{v j}=$ The quantity of $v$ th fixed factor used in j.th activity $(v=1,2, \ldots . r ; j=1,2, \ldots . n)$

Since an activity requires factors in certain proportion so the following constraints are imposed.

$$
\begin{align*}
& x_{i j}=\dot{a}_{i j} y_{j} \quad(i=1,2, \ldots m ; j=1,2, \ldots n)  \tag{2}\\
& F_{v j}=b_{v j} y_{j} \quad(v=1,2, \ldots r ; j=1,2, \ldots n) \tag{.3}
\end{align*}
$$

$b_{v j}$ is the quantity of the $v$ th fixed factor used by one unit of j.th activity

The activity levels are also constrained by the availability of fixed resources, i.e.

$$
\begin{equation*}
\sum_{j=1}^{n} F_{v j} \leqslant F_{v} \quad(v=1,2, \ldots . r) \tag{4}
\end{equation*}
$$

The Kuhn-Tucker Theorum could be used to describe the optimality conditions of functions constrained by equalities and inequalities. In order to apply the theorum, it is necessary that the objective function and constraints are concave. Since the objective function (1) and constraints $(2,3)$ are linear, the concavity requirements are fulv filled. The restraints in (4) are linear and may be considered as

Pfouts has suggested that, "transferring units of fixed factors from the production of one product to that of another ordinarily entails a cost". This type of cost does not fall either the category of variable costs or fixed costs, for "these costs do not change continuously with the output of a particular product, but they do not change as the product mix of the firm is changed." Pfouts, op. cit., pp. 652-653.
both convex and concave. Hence the concavity requirements of the theorem are satisfied. The Lagrangian function of the firm's profit maximization can be given as

$$
\begin{aligned}
L= & \sum_{j=1}^{n} p_{j} y_{j}-\sum_{i=1}^{m} \sum_{j=1}^{n} a_{i} x_{i j}-\sum_{v=1}^{r} \sum_{j=1}^{n} M_{v j} F_{v j}+\sum_{v=1}^{r} \bigwedge_{v}\left(F_{v}-\sum_{j=1}^{n} F_{v j}\right) \\
& +\sum_{i=1}^{m} \sum_{j=1}^{n} u_{i j}\left(x_{i j}-a_{i j} y_{j}\right)+\sum_{v=1}^{r} \sum_{j=1}^{n} \sigma_{i j}\left(F_{v j}-b_{v j} y_{j}\right) \quad(2)
\end{aligned}
$$

Following are the Kuhn-Tucker necessary and sufficient conditions for constrained maximum at $y_{j}^{*}, X_{i j}^{*}, F_{v j}^{*}, \star_{j}, u_{i j}^{*}$ and $\delta_{v j}^{*}$.

$$
\frac{\partial L}{\partial y_{j}}=P_{j}-\sum_{i=1}^{m} u_{i j} a_{i j}-\sum_{v=1}^{r} \delta_{v j} b_{v j} \leqslant 0
$$

or

$$
\begin{aligned}
& P_{j} \leqslant \sum_{i=1}^{m} u_{i j} a_{i j}+\sum_{v=1}^{r} \delta_{v j} b_{v j} \quad(j=1,2, \ldots, n) \\
& \frac{\partial L}{\partial X_{i j}}=-a_{i}+u_{i j} \leqslant 0
\end{aligned}
$$

or

$$
\begin{equation*}
-a_{i} \leqslant-u_{i j} \quad(i=1,2, \ldots m ; j=1,2 \ldots n) \tag{.4}
\end{equation*}
$$

$$
\frac{\partial L}{\partial F_{v j}}=-M_{v j}-h_{v}+\sigma_{v j} \leqslant 0
$$

$$
\begin{align*}
& \text { or } \sigma_{v j}-M_{v j} \leqslant K_{v} \quad(v=1,2 \ldots r ; j=1,2 \ldots n) \\
& \left(P_{j}-\sum_{i=1}^{m} u_{i j} a_{i j}-\sum_{v=1}^{r} \delta_{v j} b_{v j}\right) y_{j}^{*}+\left(-a_{i}+u_{i j}\right) x_{i j}^{*}+\left(\mathcal{E}_{v j}-M_{v j}-K_{j}\right)  \tag{5}\\
& F_{v j}^{*}=0
\end{align*}
$$

$$
\begin{align*}
& X_{i j}^{*} \geqslant 0 \quad(i=1,2 \ldots m ; j=1,2 \ldots n)  \tag{11}\\
& F_{v j}^{\star} \geqslant 0 \quad(v=1,2 \ldots r ; j=1,2 \ldots n)  \tag{12}\\
& \frac{\partial L_{L}}{\partial X_{v}}=F_{v}-\sum_{j=1}^{n} F_{v j} \geqslant 0
\end{align*}
$$

or

$$
\begin{align*}
& F_{v} \geqslant \sum_{j=1}^{n} F_{v j} \quad(j=1,2 \ldots n)  \tag{13}\\
& \frac{\partial L}{\partial \mu_{i j}}=x_{i j}-a_{i j} y_{i j} \geqslant 0
\end{align*}
$$

or

$$
\begin{aligned}
& x_{i j} \geqslant a_{i j} y_{i j}(i=1,2 \ldots m ; j=1,2 \ldots n) \\
& \frac{\partial L}{\partial \delta_{v j}}=F_{v j}-b_{v j} y_{j} \geqslant 0
\end{aligned}
$$

or

$$
\begin{gathered}
F_{v j} \geqslant b_{v j} y_{j} \quad(v=1,2 \ldots r ; j=1,2 \ldots n) \\
\left(F_{v}-\sum_{j=1}^{n} F_{v j}\right) x_{j}^{*}+\left(x_{i j}-a_{i j} y_{j}\right)_{k i j}^{*}+\left(F_{v j}-b_{v j} y_{j}\right){ }_{v j}^{*}=0
\end{gathered}
$$

or

$$
\begin{equation*}
\sum_{v=1}^{r} \dot{v}_{v}^{*} F_{v}=\sum_{v=1}^{r} \sum_{j=1}^{n} \beta_{v}^{*} F_{v j}^{*} \tag{16}
\end{equation*}
$$

$$
\begin{equation*}
\dot{\lambda}_{j} \geqslant 0 \quad(j=1,2 \ldots n) \tag{17}
\end{equation*}
$$

$$
\begin{equation*}
\mu^{*} i j \geqslant 0 \quad(i=1,2 \ldots m ; j=1,2 \ldots n) \tag{18}
\end{equation*}
$$

$$
\begin{equation*}
\delta_{v j} \geqslant 0 \quad(v=1,2 \ldots r ; j=1,2 \ldots n) \tag{19}
\end{equation*}
$$

In equation (5) $\quad \hat{V}, u_{i j}$ and $\delta_{i j}$ are the Lagrangian multipliers. These are the prices imputed to factors of production. i.e. the prices the fin a would be willing to pay for the marginal unit of a particular
factor. The marginal value imputed to the $i$-th variable input used in the $j$-th activity is shown by $u_{i j}$. The marginal value imputed to the $v$-th fixed factor is denoted by $\mathcal{K}_{v}$. The marginal value imputed to the $v$-th fixed factor used in the $j$-th activity is denoted by $\delta_{v j}^{123}$

Equation (6) states that the price per unit of the $j$-th activity should be less than or equal to the sum of the imputed costs of the fixed and variable factors used in the production of one unit of $j$-th activity. If the market price of the $j$-th activity is less than the imputed costs of fixed and variable factors used per unit then that activity will not be used. If an activity is profitable, i.e. when the market price is greater than the imputed costs, then the linear programming solution will not be optimal and the profitable activity will be increased into the solution. If the market price of the $j$-th activity is equal to the imputed price of the fixed and variable factors used in production, then the $j$-th activity would be at the optimum level. Equation (6) corresponds to the marginal analysis in which optimality requires that marginal revenue be equated with marginal cost. If one could associate products with different activities, then one could find the rate of product transformation and marginal rate of substitution which are needed in finding the optimum quantities in marginal analysis.

Equation (7) states that the price of the $i$-th variable should be less than or equal to the marginal value imputed to the $i$-th variable factor used in the $j$-th activity. If the price of the $i$-th factor is greater than the marginal value imputed to the $i$-th variable factor used

Naylor, op. cit., p. 270.
in $j$-th activity, the factor will not be utilized by the $j$-th activity. If the price of the $i$-th factor is less than the marginal value imputed to the $j$-th variable factor used in $j$-th activity, then the level of usage of factor $i$ in activity $j$ should be increased. Variable factor $i$ will be used at an optimum level in the $j$-th activity when the price of the $i-$ th factor would be equal to the marginal value imputed to the $i$-th variable factor. This condition corresponds to marginal analysis which requires that the use of variable input should be increased to the point where value of the MP is equal to the price of the factor.

Condition (8) states that the marginal value imputed to the $v$-th fixed factor used in the $j$-th activity minus the cost of converting one unit of the $v$-th fixed factor for use in $j$-th activity should be less than or equal to the marginal value imputed to one unit of the $v$-th fixed factor. If the inequality holds, then the $v$-th fixed factor will not be used in the j-th activity. If equality holds, then the fixed factor is being used at an optimum level with regards to the $j$-th activity. If excess capacity exists in the $v$-th fixed factor, then $S_{v j}-v_{v j}=00^{124}$ Equation (9) simply states that the firms profit after paying the imputed cost of factors must be zero.

Equations (10), (11) and (12) state that these terms cannot be negative. According to conditin (13) the total usage of v-th fixed factor cannot exceed the amount available. The equalities will hold for (14) and (15), since we defined them accordingly. Equation (16) states that the value imputed to the scarce resources available must be equal to total value of scarce resources used in the activities.

## APPENDIX C

DATA AND SOME RESULTS
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$\lfloor\exists 78 \forall 1$.

TABLE 2
Production of Different Crops
in Manitoba Over Time

| Year | Wheat | Rye | Rapeseed |
| :---: | :---: | :---: | :---: |
|  | ----- | and bus |  |
| 1960 | 66,000 | 1,660 | 477 |
| 1961 | 34,000 | 886 | 360 |
| 1962 | 80,000 | 3,000 | 580 |
| 1963 | 61,000 | 2,128 | 760 |
| 1964 | 85,000 | 2,766 | 1,470 |
| 1965 | 79,000 | 2,992 | 2,407 |
| 1966 | 79,000 | 2,400 | 2,150 |
| 1967 | 90,000 | 2,667 | 2,300 |
| 1968 | 91,000 | 2,500 | 1,900 |
| 1969 | 64,000 | 3,358 | 3,500 |
| 1970 | 30,500 | 4,177 | 7,200 |
| 1971 | 74,000 | 3,280 | 12,000 |
| 1972 | 69,000 | 1,830 | 8,500 |
| 1973 | 80,000 | 2,145 | 7,700 |
| 1974 | 59,000 | 2,200 | 8,500 |

Source; Department of Agriculture, Yearbook of Manitoba Agriculture, Queen's Printer, Winnipeg, 1960-74.

TABLE 3
Acres Allocated to Sugarbeets, Sunflowers and Potatoes in Specific Crop Districts in 1976

| Crop District | Sugarbeet | Sunflower | Potatoes |
| :---: | :---: | :---: | :---: |
| 1 | -- | 2,955 | -- |
| 2 | 22,858 | 20,187 | 13,941 |
| 3 | 4,373 | 1,154 | 30.1 |
| 4 | 3,802 | 2,181 | 2,091 |
| 5 | -- | 3,984 | -- |
| 6 | -- | -- | -- |
| 7 | -- | 9,823 | 5,601 |
| 8 | -- | 7,969 | 9,697 |
| 9 | 645 | -- | 682 |
| 10 | 958 | -- | 1,187 |
| 11 | 300 | 349 | 891 |
| 12 | -- | -- | 113 |
| 13 | -- | 989 | -- |
| 14 | -- | -- | -- |

Source; Statistics Canada, Census of Agriculture 1976.

TABLE 4
Use of Wheat, Oats and Barley as Feed in Canada

|  |  |  |  |
| :---: | :---: | :---: | :---: |
| Year | Wheat | 0ats | Barley |
| 1960 | $62,293,272$ | $349,160,228$ | $138,023,756$ |
| 1961 | $44,149,625$ | $289,373,696$ | $101,289,500$ |
| 1962 | $44,203,777$ | $370,184,798$ | $92,826,824$ |
| 1963 | $53,769,269$ | $369,651,689$ | $121,300,173$ |
| 1964 | $46,878,730$ | $352,989,816$ | $134,360,316$ |
| 1965 | $50,166,395$ | $360,554,774$ | $142,893,820$ |
| 1966 | $52,789,047$ | $361,980,456$ | $177,486,047$ |
| 1967 | $53,687,000$ | $305,908,000$ | $180,143,000$ |
| 1968 | $64,197,000$ | $282,639,000$ | $199,449,000$ |
| 1969 | $84,803,000$ | $307,312,000$ | $240,562,000$ |
| 1970 | $79,203,000$ | $340,412,000$ | $247,999,000$ |
| 1971 | $81,181,000$ | $338,918,000$ | $298,096,000$ |
| 1972 | $75,721,000$ | $309,399,000$ | $297,211,000$ |
| 1973 | $70,479,000$ | $315,383,000$ | $288,260,000$ |
| 1974 | $62,440,000$ | $239,301,000$ | $244,283,000$ |
|  |  |  |  |

Source; Statistics Canada, Grain Trade of Canada, Cat. No. 22-201, 1966-75.
${ }^{\text {d Statistics Canada Cat. No. 23-202. }}$
${ }^{\text {c Statistics Canada, Quarteriy Bulletin Agr. Statistics, Cat. 21-003, Jan. -March } 1976}$





$9379 \forall 1$




| Year | Bulls | Milk Cows \& Helfers Over 2 yr . | $\begin{aligned} & \text { Beef Cows } \\ & \text { 3 Heffers } \\ & \text { Over } 2 \text { yr. } \end{aligned}$ | $\begin{aligned} & \text { Milk } \\ & \text { He } 1 \text { fers } \\ & 1-2 \text { yr. } \end{aligned}$ | $\begin{aligned} & \text { Beef } \\ & \text { Heffers } \\ & 1-2 \text { yr. } \end{aligned}$ | Steers | Calves | $\begin{aligned} & 6 \mathrm{mo} .8 \\ & 01 \mathrm{der} \end{aligned}$ | Under 5 mo. | $\begin{aligned} & \text { Over } \\ & 1 \mathrm{Yr} . \end{aligned}$ | Under |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1963 | 1.800 | 19,800 | 18.900 | 5,100 | 5,400 | 15,000 | 26,000 | 21,000 | 62.000 | 2,300 | 3.100 |
| 1964 | 1,800 | 19,300 | 20,300 | 5,100 | 5,700 | 15,000 | 25,000 | 24,000 | 71,000 | 2.400 | 2,800 |
| 1965 | 2,100 | 18,700 | 20,700 | 4,100 | 5,600 | 13,400 | 24,800 | 24,500 | 65.500 | 1.900 | 2.000 |
| 1966 | 2,100 | 16,200 | 18.100 | 3.400 | 4,600 | 16,000 | 22,200 | 27,300 | 73.700 | 1,300 | 1.600 |
| 1967 | 1,400 | 15,600 | 18,200 | 3,300 | 7,000 | 11,500 | 20.000 | 39.000 | 103,000 | 1,600 | 1,700 |
| 1968 | 1,200 | 14,500 | 17,000 | 3,400 | 4,700 | 12.000 | 20.500 | 30,000 | 90,000 | 1,500 | 1,500 |
| 1969 | 1,300 | 13,600 | 16,500 | 3,000 | 5.900 | 15.000 | 18,000 | 36,000 | 94,000 | 1,400 | 1,300 |
| 1970 | 1,400 | 13,400 | 19,000 | 2.700 | 8,100 | 20,000 | 19,000 | 43,000 | 135,000 | 1,600 | 1.400 |
| 1971 | 1,200 | 13,400 | 23,000 | 2,500 | 9.000 | 20.500 | 21,000 | 35,000 | 100,000 | 2,100 | 2,100 |
| 1972 | 1,400 | 13,500 | 20,500 | 3,500 | 7.600 | 16,000 | 24,000 | 46,000 | 144,000 | 2,800 | 1,800 |
| 1973 | 1,500 | 13,000 | 21,000 | 3,600 | 7.500 | 12,500 | 24,000 | 42,000 | 145,000 | 2,800 | 1.900 |
| 1974 | 1,800 | 13,300 | 24,000 | 3,600 | 7,300 | 13,500 | 27.000 | 28,000 | 117,000 | 2,300 | 1,600 |
| 1975 | 1,800 | 13,300 | 24,000 | 3,700 | 7,900 | 14,000 | 28,000 |  |  | 2,000 | 1,500 |



| Year | Bulls |  | $\begin{aligned} & \text { Beef Cows } \\ & 8 \text { Heifers } \\ & \text { Over } 2 \text { yr. } \end{aligned}$ | $\begin{aligned} & M 11 k \\ & \text { Hief } \\ & \text { Heif } \\ & 1-2 \text { yr. } \\ & \hline \end{aligned}$ | $\begin{aligned} & \text { Beef } \\ & \text { Beif } \\ & \text { Helfrs. } \\ & 1-2 y \text { yr. } \end{aligned}$ | steers | Calves | $\begin{aligned} & 8 \text { goi hogs } \\ & 8 \text { Oider } \end{aligned}$ | $\begin{aligned} & \text { Under } \\ & \substack{\text { mo. }} \end{aligned}$ | $\begin{gathered} \text { over } \\ \substack{\text { yr. }} \\ \hline \text { sh } \end{gathered}$ | ${ }^{\rho}$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1963 | 500 | 8.300 | 6,000 | 2,800 | 3,500 | 3.400 | 9,200 | 11,800 | 15,600 | 700 | 900 |
| 1964 | 600 | 8.000 | 7,800 | 3,500 | 2,000 | 5,000 | 10,000 | 11,000 | 14,00 | 500 | 600 |
| 1965 | 200 | 8,000 | 7,400 | 3,400 | 1.400 | 3,300 | 10,800 | 12,000 | 13,000 | 300 | 300 |
| 1965 | 900 | 7,400 | 8,100 | 3,400 | 1,200 | 4,100 | 9,000 | 18,000 | 11,000 | 300 | 300 |
| 1967 | 600 | 8,550 | 9,500 | 2,200 | 3,800 | 5,700 | 9,800 | 8,000 | 22,000 | 800 | 700 |
| 1963 | 500 | 7,700 | 10,000 | 1,800 | 3,600 | 4.400 | 9,500 | 8.000 | 18,000 | 900 | 700 |
| 1969 | 400 | 7,400 | 8,000 | 1,500 | 4,000 | 4.400 | 10,000 | 10,000 | 23,000 | 1,000 | 800 |
| 1970 | 500 | ,800 | 9,000 | 1.400 | 4,000 | 6,000 | 11,000 | 10,000 | 25,000 | 1,200 | 800 |
| 1971 | 600 | 9.000 | 11,000 | 1,200 | 3,200 | 5,600 | 12,000 | 11.000 | 26,000 | 1,200 | 1.300 |
| 1972 | 500 | 7.000 | 10,500 | 2.40 | 4,200 | 5,800 | 9,000 | 12,000 | 38,000 | 1,100 | 700 |
| 1973 | 600 | 7.000 | 12,000 | 2.400 | 3,800 | 5,500 | 11,000 | 12,000 | 39,000 | 1,000 | 800 |
| 1974 | 600 | 6,900 | 13.000 | 2,400 | 4,000 | 6,500 | 13,000 | 10,000 | 38,000 | 800 | 600 |
| 1975 | 500 | 6,200 | 13,000 | 2,100 | 4,300 | 6,000 | 13,000 |  |  | 700 | 500 |








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| cer |  |  |  |  |  |  |  |  |  |  |
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| 00E | 009 |  |  | $000^{\prime} \varepsilon \tau$ | $000^{\circ} \mathrm{Zl}$ | $000{ }^{\circ} \mathrm{L}$ | － 008 | 000،62 | 001＇s | 00＊＊ 1 | S 661 |
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| 006 | 009 | 000＇ 26 | $000 \cdot 181$ | $000{ }^{\circ} \mathrm{\varepsilon}$ \％ | $000^{\circ} 11$ | 009＇9 | 008 | $000 \cdot 1 \varepsilon$ | $008^{\circ} \mathrm{b}$ | 008.1 | －661 |
| 009 | 002 | 000＇gb | $000 \cdot 11$ | 000 ＇sz | $000{ }^{\prime} 8$ | 009＇s | 008 | $000{ }^{\circ} 08$ | $008^{\prime \prime}$ | $002{ }^{\circ} \mathrm{L}$ | EL61 |
| 009 | 002 | 00s＇$\square^{\circ}$ | 009＇11 | $00{ }^{\prime}$ ¢ $\varepsilon$ | 00¢ ${ }^{6}$ | 008＇s | 008 | $000{ }^{\circ} 82$ | 0096 | $002 \cdot 1$ | 2661 |
| Oos＇l | 006． 6 | 000＇09 | $000{ }^{\circ} \mathrm{Sl}$ | $000 \times 22$ | 000＇8 | 000＇9 | ． 008 | $000 \times \mathrm{gz}$ | 008＇s | $008^{\circ}!$ | 1661 |
| OOE 1 | $009^{\circ} 1$ | 000＇ss | 000＇01 | $009^{\prime} 61$ | $000 \cdot 8$ | 00L＇s | 002 | $000{ }^{\prime} \varepsilon 2^{\circ}$ | 006＇s | $000 \% 1$ | 0＜61 |
| $001{ }^{\circ} 1$ | 001.1 | 000.62 | 000.8 | 005181 | 009.1 | 009＇s | 006 | $000 \times 22$ | 00L＇s | 001.1 | 6961 |
| 00111 | $001 \%$ | 000＇12 | $000 \cdot 6$ | 002＇61 | $000 \cdot 9$ | 000＇9 | 002＇t | 000＇22 | 000＇9 | 000＇1 | 8966 |
| $002^{\prime} 1$ | ，001＊ | 000.52 | $000 \cdot 6$ | $000{ }^{\prime} 22$ | 008＇8 | 009＇s | 008＇！ | 009． 62 | 000.1 | 001＇1 | C961 |
| $000 \cdot 2$ | 009＇！ | 000＇¢ 2 | 000＇ 11 | $000^{\prime} 22$ | $008^{\prime} 8$ | $006{ }^{\text {s }}$ S | 009.1 | 00212 | $00{ }^{\text {c }} \mathrm{L}$ | 002＇1 | 9961 |
| $002 \cdot 2$ | $000 \cdot 2$ | 009.12 | 009＇8 | 001 ＇$\downarrow$ \％ | $008^{\circ} \mathrm{L}$ | 008． 2 | $009 \cdot 1$ | 009＇$\varepsilon 2$ | 00912 | $009{ }^{\prime}$ l | 9961 |
| $008^{\prime} 2$ | $008^{\prime} 2$ | 009．02 | 009＇8 | 00962 | 009＇01 | $009^{\circ} \mathrm{L}$ | $006{ }^{1}$ | 000＇22 | 009＇8 | $009{ }^{\circ} \mathrm{l}$ | \＄966 |
| 00812 | 009.2 | 004＇41 | 006＇8 | 001002 | 002‘01 | 001 ＇8 | 006.1 | 002＇6！ | $009^{\prime} 8$ | OOE＇！ | E961 |
| $\cdot \perp \mathcal{L}$ <br> גəpun | dәғ4s <br>  | －ow 9 dopun |  | sasiej | 542045 |  | $-76 z-1$ <br>  xllW |  S」əよ！əम 8 smoj faəg | －2К そ ләло <br>  smaj yliw | sling | 1821 |


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| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 009 | 002 |  |  | 000'68. | $000{ }^{\circ} 1$ | 001'11 | 008 | $000{ }^{\circ} \stackrel{ }{\circ}$ | 009'9 | $000{ }^{\circ} \varepsilon$ | sc6t |
| 009 | 008 | 000'02 | $000 \%$ | 000'68 | 009'z1 | 008.01 | $000{ }^{\circ} 1$ | 000'8b | 008.9 | 008.2 | - 61 |
| 001'! | $008^{\prime} 1$ | $000 \times \varepsilon$ | $000 \% 01$ | 000' 18 | 009'21 | $000 \cdot 11$ | 0016 | $000{ }^{\text {c g }}$ | 00t'9 | 009.2 | £L6t |
| 001'1 | 008.1 | $000 \times 2 \Sigma$ | $000 \cdot 01$ | $000 \times ¢ \varepsilon$ | 009'0 | 008.11 | 001' | 000 \% 6 | 006 | 008 ' 2 | 2261 |
| 008'z | 00s' 2 | $000{ }^{\circ} 8$ | 000't | 009'88 | $000 \times 1$ | 001' 11 | 002't | 000 '2b | 009.8 | $000{ }^{\circ} \mathrm{z}$ | 1661 |
| $008{ }^{\circ} \mathrm{\varepsilon}$ | $000 \%$ | 000'66 | $000 \times 12$ | 000'98 | 009'91 | $009 \cdot 11$ | $000{ }^{\circ}$ ! | $000 \times 88$ | $000 \%$ | $006{ }^{\prime}$ | 0261 |
| 008'! | 009.1 | 000'08 | $000 \times 01$ | 009' $\varepsilon \varepsilon$ | $000{ }^{\circ} 21$ | 000'06 | 009'1 | $000{ }^{\prime} \varepsilon \varepsilon$ | 009.8 | 001 'z | 6961 |
| 005 1 | $009^{1}$ | $000 \cdot 12$ | $000 \%$ | $000{ }^{\circ} \mathrm{L}$ | 002'8 | $00 \varepsilon^{\prime} 8$ | 009.1 | $000 ' ¢ ¢$ | 0096 | $000{ }^{\prime} 2$ | 8961 |
| 009'! | $00{ }^{\prime} 1$ | $000 \cdot 12$ | $000 \cdot 9$ | $000 \cdot \varepsilon \varepsilon$ | 000111 | 008.6 | $009^{1} 1$ | $009 \times ¢$ | :08'8 | 0012 | 1961 |
| 006'2 | $000 \cdot 2$ | 009'91 | $006^{\prime} \mathrm{L}$ | 009'08 | $000{ }^{\circ} \varepsilon 1$ | $006{ }^{\circ} \mathrm{L}$ | 001 'z | $000{ }^{\circ} 28$ | $009^{4} 11$ | $000^{\circ} 2$ | 9961 |
| $001 \times 2$ | $002 \%$ | 000'91 | 000'9 | 000'98 | $000 \cdot \varepsilon 1$ | $000{ }^{\circ} 6$ | $002^{\prime} 2$ | 009' 18 | $000 \cdot 11$ | $008^{\prime} 2$ | 5961 |
| $008 \times 2$ | $002 \times 2$ | 009.61 | 009' 2 | $000{ }^{\circ} \mathrm{D}$ | 008.11 | $008 \cdot 01$ | 006 ' 2 | 001 's $\varepsilon$ | 008 '21 | $00 s^{\prime} 2$ | 7961 |
| 008'2 | 008.2 | 000'96 | 002'9 | 009' $\varepsilon \varepsilon$ | 009'01 | 009'8 | $006^{\prime 2}$ | $00{ }^{\prime} 28$ | 008 ' $\varepsilon 6$ | 002'z | E961 |
| $\begin{aligned} & \cdot \mu \mathrm{dap} \\ & \text { dapunt } \end{aligned}$ |  | $\begin{aligned} & \text { оши } 9 \\ & \text { depun } \end{aligned}$ |  | ร20183 | 5ג2315 |  |  |  |  | stın | 2831 |



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| Year | Bulls | Milk Cows \& Heffers Over 2 yr. | Beef Cows \& Heifers Over 2 yr. | Milk Heifers $1-2 \mathrm{yr}$. | Beef Heifers 1-2 yr. | Steers | Caives | $\begin{aligned} & \text { Hogs } \\ & 6 \text { mo. } \\ & \& \text { Older } \end{aligned}$ | Under <br> 6 mo . | ```Over lyr. Sheep``` | Under 1 yr. |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1963 | 2,100 | 20,800 | 31,000 | 6,000 | 6,600 | 12,700 | 28,500 | 3,000 | 12,900 | 3,600 | 3,900 |
| 1964 | 2,400 | 22,200 | 34,900 | 5,200 | 7.400 | 14,000 | 32,000 | 3.000 | 13.000 | 3,200 | 3,300 |
| 1965 | 2,500 | 21,400 | 37,600 | 4,900 | 7.900 | 14,500 | 35,200 | 4,000 | 10,000 | 2,900 | 2,800 |
| 1956 | 2,400 | 19,300 | 38,000 | 5,400 | 7,500 | 14.700 | 35,700 | 3,400 | 12,600 | 2,200 | 1,800 |
| 1967 | 2,200 | 17,000 | 42,500 | 4,000 | 10,100 | 19,000 | 36,000 | 5,000 | 15,000 | 1.800 | 1,700 |
| 1968 | 2,100 | 17,000 | 39,500 | 3,200 | 10,000 | 19,500 | 33,500 | 4,000 | 16,000 | 1.400 | 1,300 |
| 1969 | 2,100 | 15,900 | 40,000 | 2,900 | 9,000 | 16,000 | 33,000 | 4,000 | 14,000 | 1.400 | 1,300 |
| 1970 | 2,100 | 14.400 | 42,000 | 3,500 | 11,100 | 21,000 | 36,500 | 8,000 | 18,000 | 1.700 | 2,000 |
| 1971 | 2,200 | 14,500 | 46,000 | 3.800 | 12,200 | 18,000 | 38,000 | 8,000 | 16,000 | - 2,200 | 2,200 |
| 1972 | 2.300 | 10,700 | 50,000 | 2,500 | 13,000 | 13,700 | 42,000 | 7,000 | 22,500 | 1,600 | 1,500 |
| 1973 | 2,200 | 10,000 | 54,000 | 2,600 | 12,000 | 11,000 | 44,000 | 8,000 | 26,000 | 1,600 | 1,500 |
| 1974 | 2.400 | 9.900 | 60,000 | 2,600 | 13,500 | 13,500 | 50,000 | 6,500 | 21,500 | 1.100 | 800 |
| 1975 | 2.700 | 10,000 | 62,000 | 2,400 | .14,600 | 15,000 | 53,000 |  |  | 800 | 700 |


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| Year | Bulls | Milk Cows \& Heifers over 2 yr. | Beef Cows \& Heifers Over 2 yr. | Milk Heifers 1-2 yr. | Beef Heifers 1-2 yr. | Steers. | Calves | 6 mo. <br> Hogs <br> $\&$ Older | Under 6 mo. | Over 1 yr . | Under 1 yr . |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 1963 | 1,100 | 9,800 | 19,600 | 3,000 | 4,400 | 7.100 | 21,100 | 5.100 | 5,300 | 3.700 | 4,200 |
| 1904 | 1.300 | 10,400 | 20,300 | 3,500 | 5,200 | 10,000 | 21,500 | 5.500 | 6,500 | 3,700 | 4,000 |
| 1965 | 1,400 | 9,500 | 23,700 | 3,100 | 5.100 | 9,200 | 25,000 | 4,000 | 5,000 | 3.100 | 3,300 |
| 1966 | 1,300 | 9.200 | 22,000 | 2,600 | 4,100 | 7,300 | 25,500 | 5,000 | 7,000 | 2,200 | 1,500 |
| 1967 | 1.400 | 7,500 | 35,000 | 1.500 | 7.300 | 7.700 | 29,000 | 4,000 | 8,500 | 4,500 | 4,600 |
| 1968 | 1,200 | 7.700 | 33,000 | 1.100 | 6,000 | 5,500 | 26.200 | 3.500 | 8,000 | 4,800 | 4.700 |
| 1969 | 1,200 | 6,600 | 33,000 | 600 | 6,400 | 5,000 | 29,000 | 6,500 | 18,500 | 4,600 | 4,100 |
| 1970 | 1,200 | 5,400 | 36,000 | 400 | 7,700 | 10,000 | 29,500 | 10,000 | 30,000 | 4,600 | 2,200 |
| 1971 | 1,400 | 4,900 | 43,000 | 300 | 8.700 | 8,000 | 29.500 | 8,000 | 22,000 | 4,400 | 4.000 |
| 1972 | 1,800 | 4,000 | 41,000 | 800 | 9,500 | 7.500 | 32.000 | 6,500 | 8.500 | 3.300 | 2,100 |
| 1973 | 1,700 | 4,200 | 44,000 | 800 | 9,000 | 7,500 | 34,000 | 6,800 | 10,200 | 3,200 | 2,100 |
| 1974 | 2,000 | 4,000 | 47,000 | 900 | 10,000 | 8.500 | 38,000 | 2.200 | 6,800 | 3,000 | 2.000 |
| 1975 | 2,100 | 4,600 | 47,000 | 700 | 10,800 | 10,000 | 40,000 |  |  | 2,900 | 2.000 |


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Source；Manitoba Department of Agriculture Manitoba Agriculture Yearbook，
Winnipeg，Queen＇s Printer， $1963-75$.

| $6 \varepsilon$ | 96 | 9b | 0.89 | 8＇9L | 08 | $0 L$ | 211 | ¢¢L | gll | 016 | O\＆L | 921 | 911 | $\downarrow$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 2¢ | $6 \varepsilon$ | ct | $0 \cdot 29$ | 6．0L | 98 | SL | £6 | 016 | 921 | Obl | 081 | 09.1 | 9tl | \＆1 |
| 096 | 9 41 | £91 | $0 \cdot 202$ | 1＇922 | 902 | 991 | 902 | 002 | 012 | 581 | $0 ¢ 2$ | 002 | G61 | て1 |
| GL | 86 | 68 | $0 \times 811$ | 2＇Ebl | 981 | 091 | $\varepsilon เ 乙$ |  | 02¢ | 562 | 018 | 062 | 092 | 11 |
| 19 | EL | 96 | $0 \cdot \mathrm{El}$ | 6．6El | 0 Gl | 921 | 681 | 922 | ¢¢ | $59 \%$ | 082 | 062 | 022 | 01 |
| 026 | 061 | bll | $0 \cdot 261$ | て＇Gして | Gl2 | $9 ¢ 2$ | $\varepsilon<2$ | $01 \varepsilon$ | SI2 | 012 | $9 L 2$ | 092 | 052 | 6 |
| 961 | 261 | 002 | 0＇b⿰z | $\varepsilon \cdot \downarrow<Z$ | 092 | 912 | 908 | ¢1E | 0 O2 | 072 | 018 | 092 | 092 | 8 |
| 28 | 88 | $\checkmark 6$ | 0.021 | － 6 ¢ $\downarrow$ | $0 \rightarrow 1$ | 021 | bst | 091 | 061 | 961 | 061 | 981 | 002 | $L$ |
| 002 | 961 | 如 | $0 \cdot 9 L 2$ | $1 \cdot 662$ | ¢¢E | 082 | L0E | 082 | 0bE | OE¢ | GIE | 992 | $0 \downarrow 2$ | 9 |
| 如で！ | 016＇1 | ＜6t＇l | 0．819＇6 | 2．099＇1 | clt ${ }^{\text {c }}$ | $001 \times 2$ | $16 \varepsilon^{\prime} 2$ | 062＇r | 016．${ }^{\text {b }}$ | 969＇ 1 | 088＇${ }^{\text {b }}$ | Oss＇l | S09＇1 | g |
| Gll | 41. | 6 6L | $0 \cdot 091$ | 2．291 | 002 | $0<1$ | 8 8ะ | 062 | 002 | 012 | 092 | 092 | O¢Z | $\checkmark$ |
| －61＇1 | $0 \bullet 2 \cdot 1$ | $842{ }^{\text {a }}$ | 0． $262^{\prime} 1$ | E． $600^{\prime} \mathrm{l}$ | Ot9＇1 | s2t＇ 1 | L6才＇し | 98E＇ 1 | 068＇1 | 988 ${ }^{\text {b }}$ | S0t＇ 1 | OSt＇ 1 ． | 02E＇i | $\varepsilon$ |
| 961 | 902 | 902 | 0． $2 \varepsilon 乙$ | 8.092 | 022 | $9 ¢ 2$ | SIE | ¢9¢ | ¢¢E | 098 | 92E | G¢E | ¢ ${ }^{\text {¢ }}$ ¢ | 2 |
| \％ | 80 | 19 | 0.62 | 96 | 08 | 99 | 18 | 96 | 901 | 016 | 021 | OEL | OE！ | 1 |
| G＜61 | －661 | £ 61 | 2161 | 1661 | 0L6L | 6961 | 8961 | ＜961 | 9961 | 9961 | 7961 | £96！ | 2961 | 70.29510 dodj |
|  |  |  |  |  |  |  |  |  |  |  |  |  |  |  |
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TABLE 21
Food Consumption of Various Commodities in Canada Over Time

| Year | Wheat | Oats | Barley | Flaxseed | Rye |
| :---: | :---: | :---: | :---: | :---: | :---: |
|  |  |  | ushels |  |  |
| 1960 | 56,265,000 | 5,203,000 | 196,000 | 1,000 | 446,000 |
| 1961 | 58,924,000 | 5,148,000 | 193,000 | 1,000 | 414,000 |
| 1962 | 53,038,000 | 5,292,000 | 188,000 | 300 | 431,000 |
| 1963 | 59,079,000 | 5,714,000 | 212,000 | 300 | 468,000 |
| 1964 | 57,507,000 | 5,816,000 | 208,000 | 1,000 | 454,000 |
| 1965 | 60,943,000 | 5,534,000 | 156,000 | 800 | 451,000 |
| 1966 | 59,006,000 | 5,533,000 | 145,000 | 1,000 | 439,000 |
| 1967 | 60,463,000 | 5,221,000 | 133,000 | 1,000 | 423,000 |
| 1968 | 61,397,000 | 4,571,000 | 164,000 | 1,000 | 450,000 |
| 1969 | 64,627,000 | 4,786,000 | 108,000 | 2,000 | 465,000 |
| 1970 | 64,361,000 | 4,814,000 | 126,000 | 1,000 | 458,000 |
| 1971 | 65,426,000 | 4,986,000 | 119,000 | 1,000 | 509,000 |
| 1972 | 64,685,000 | 5,000,000 | 116,000 | 1,000 | 505,000 |
| 1973 | 66,781,000 | 3,947,000 | 149,000 | 2,000 | 497,000 |
| 1974 | 69,945,000 | 4,321,000 | 141,000 |  | 500,000 |

Source, Statistics Canada, Grain Trade of Canada, Cat. No. 22-201, 1966-75.

TABLE 22
Use of Various Commodities for Industrial
Purposes in Canada

| Year | Wheat | Barley | Flaxseed | Rapeseed | Rye |
| :--- | :---: | :---: | :---: | :---: | :---: |
| 1960 | $1,468,086$ | $14,608,876$ | $2,916,230$ |  | $1,229,514$ |
| 1961 | $1,473,097$ | $14,107,501$ | $2,464,829$ |  | $1,219,695$ |
| 1962 | $1,528,718$ | $15,633,134$ | $2,529,185$ |  | $1,287,611$ |
| 1963 | $1,541,700$ | $14,553,524$ | $2,750,118$ |  | $1,379,691$ |
| 1964 | $1,711,146$ | $16,208,666$ | $2,901,402$ |  | $1,686,432$ |
| 1965 | $1,859,765$ | $16,018,163$ | $2,630,729$ | $3,745,507$ | $1,798,327$ |
| 1966 | $1,900,000$ | $17,684,163$ | $2,542,947$ | $4,963,009$ | $1,804,000$ |
| 1967 | $2,397,000$ | $16,921,000$ | $2,266,000$ | $5,159,000$ | $2,605,000$ |
| 1968 | $1,146,000$ | $17,312,000$ | $2,085,000$ | $6,934,000$ | $2,244,000$ |
| 1969 | 461,000 | $18,400,000$ | $2,490,000$ | $7,768,000$ | $2,844,000$ |
| 1970 | 517,000 | $18,065,000$ | $2,827,000$ | $8,575,000$ | $2,881,000$ |
| 1971 | 315,000 | $20,921,000$ | $3,101,000$ | $12,050,000$ | $2,800,000$ |
| 1972 | 500,000 | $18,706,000$ | $2,633,000$ | $15,572,000$ | $2,795,000$ |
| 1973 | 806,000 | $18,908,000$ | 762,000 | $14,745,000$ | $3,800,000$ |
| 1974 | 800,000 | $22,048,000$ |  | $12,168,000$ | $3,200,000$ |

Source, Statistics Canada, Grain Trade of Canada, Cat. No. 22-201, 1966-75.

TABLE 23
Total Production of Various Commodities In Canada Over Time

| ear | Wheat | Oats | Barley | Flaxseed | Rapeseed | Rye |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 960 | 518,379 | 398,505 | 193,473 | bushels-- 22,571 |  | 10,221 |
| 961 | 283,394 | 283,965 | 112,640 | 14,478 |  | 6,519 |
| 962 | 565,585 | 492,610 | 165,872 | 16,065 |  | 12,251 |
| 963 | 723,500 | 445,877 | 221,235 | 21,116 |  | 13,760 |
| 964 | 600,726 | 347,006 | 168,463 | 20,305 |  | 12,345 |
| 965 | 649,412 | 399,983 | 218,300 | 29,176 | 22,600 | 17,834 |
| 966 | 827,338 | 370,678 | 296,235 | 22,520 | 25,800 | 17,220 |
| 967 | 592,948 | 301,772 | 252,867 | 9,378 | 24,700 | 11,967 |
| 968 | 649,950 | 356,700 | 326,045 | 19,666 | 19,400 | 13,024 |
| 969 | 671,212 | 354,895 | 371,288 | 28,048 | 33,400 | 15,155 |
| 970 | 331,579 | 353,073 | 408,287 | 47,966 | 72,200 | 18,905 |
| 971 | 529,552 | 363,479 | 601,628 | 22,387 | 95,000 | 21,915 |
| 972 | 533,288 | 300,208 | 518,316 | 17,617 | 57,300 | 13,524 |
| 973 | 593,738 | 326,880 | 469,570 | 19,400 | 53,200 | 14,282 |
| 974 | 488,513 | 254,745 | 404,286 | 13,800 | 51,300 | 18,914 |

;ource; Statistics Canada, Grain Trade of Canada, Cat. No. 22-201, 1966-75.

TABLE 24
Export of Various Commodities From Canada Over Time

| r | Wheat | 0ats | Barley | Flax | Rapeseed | Rye |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| 0 | 353,249,439 | 2,679,652 | 47,178,102 | 13,603,333 |  | 2,613,234 |
| 1 | 358,021,822 | 3,454,261 | 42,909,063 | 11,987,594 |  | 4,362,748 |
| 2 | 331,367,218 | 21,700,158 | 15,376,964 | 12,565,941 |  | 7,309,825 |
| 3 | 594,547,631 | 18,758,927 | 46,935,184 | 13,638,472 |  | 5,501,099 |
| 4 | 399,594,316 | 15,551,136 | 37,032,119 | 14,346,118 |  | 4,857,951 |
| 5 | 584,905,946 | 15,921,687 | 38,028,594 | 18,935,830 | 13,632,267 | 8,050,040 |
| 6 | 515,306,608 | 4,802,891 | 58,541,846 | 16,568,065 | 13,817,739 | 9,962,942 |
| 7 | 336,010,000 | 3,545,000 | 41,405,000 | 12,611,000 | 12,309,000 | 4,760,000 |
| 8 | 305,838,000 | 2,723,000 | 26,407,000 | 13,421,000 | 14,311,000 | 4,248,000 |
| 9 | 346,498,000 | 5,165,000 | 88,313,000 | 18,611,000 | 22,213,000 | 3,829,000 |
| 0 | 435,257,000 | 13,366,000 | 179,595,000 | 21,194,000 | 46,811,000 | 8,917,000 |
| 1 | 503,764,000 | 10,454,000 | 230,558,000 | 25,741,000 | 42,603,000 | 10,757,000 |
| 2 | 576,594,000 | 6,925,000 | 165,248,000 | 19,640,000 | 54,059,000 | 8,236,000 |
| 3 | 419,387,000 | 838,000 | 127,480,000 | 15,503,000 | 39,184,000 | 4,584,000 |
| 4 | 394,594,000 | 1,415,000 | 138,393,000 | 10,519,000 | 26,145,000 | 4,843,000 |

Statistics Canada, Grain Trade of Canada, Cat. No. 22-201, 1966-75.

TABLE 25
Values of Farm Lands per Acre Including Buildings in Different Crop Districts Over Time

| Year | Crop District |  |  |  |  |  |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 | 11 | 12 | 13 | 14 |
|  |  |  |  |  |  |  |  | dlar | per | cre- |  |  |  | 16 |
| 1961 | 31 | 44 | 71 | 52 | 68 | 29 | 29 | 36 | 31 | 31 | 30 | 19 | 37 50 | 16 30 |
| 1962 | 42 | 56 | 89 | 70 | 66 | 43 | 36 | 56 | 47 | 42 | 42 | 35 | 50 | 30 |
| 1963 | 46 | 59 | 90 | 70 | 68 | 41 | 39 | 60 | 49 | 46 | 45 | 35 | 54 | 31 |
| 1964 | 53 | 67 | 101 | 76 | 73 | 44 | 49 | 76 | 57 | 57 | 45 | 36 | 68 | 37 |
| 1965 | 64 | 74 | 113 | 80 | 83 | 47 | 56 | 83 | 65 | 64 | 53 | 43 | 80 | 37 |
| 1966 | 73 | 83 | 124 | 94 | 86 | 52 | 70 | 94 | 74 | 77 | 63 | 48 | 80 | 40 |
| 1967 | 91 | 100 | 140 | 108 | 95 | 58 | 76 | 95 | 76 | 85 | 72 | 50 | 87 | 49 |
| 1968 | 99 | 110 | 150 | 119 | 104 | 63 | 78 | 99 | 81 | 88 | 82 | 56 | 97 | 52 |
| 1969 | 81 | 103 | 135 | 109 | 102 | 63 | 66 | 96 | 73 | 74 | 74 | 60 | 96 | 53 |
| 1970 | 73 | 95 | 120 | 88 | 97 | 57 | 58 | 91 | 71 | 71 | 72 | 59 | 81 | 43 |
| 1971 | 76 | 89 | 117 | 106 | 110 | 65 | 70 | 88 | 73 | 71 | 71 | 65 | 91 | 52 |
| 1972 | 80 | 91 | 112 | 114 | 118 | 60 | 63 | 85 | 80 | 70 | 74 | 62 | 95 | 56 |
| 1973 | 84 | 103 | 149 | 132 | 119 | 66 | 71 | 101 | 100 | 78 | 95 | 54 | 88 | 72 |
| 1974 | 108 | 126 | 197 | 198 | 185 | 83 | 81 | 120 | 121 | 97 | 110 | 60 | 105 | 83 |
| 1975 | 132 | 157 | 244 | 221 | 202 | 98 | 96 | 126 | 138 | 111 | 110 | 63 | 129 | 86 |

Source, Manitoba Department of Agriculture, Manitoba Agriculture Yearbook, Queen's Printer, Winnipeg, 1963-75.


| で・で | ャ६乙 | ¢901 | 6．91 | $9 . ⿰ 丿 ㇄$ | でい | $0 \cdot \downarrow \varepsilon$ | G．9b | て＇G2 | 9 661 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| £で8 | \＆દ乙 | $\angle 98$ | $0 \cdot \angle 1$ | $6 \cdot \varepsilon z$ | ${ }^{\circ} 6$ | $\rightarrow \cdot 62$ | 8．9¢ | $1 \times 12$ | t／61 |
| くがてい | カヤて | 002 | 2＇61 | で92 | L． 21 | $\mathrm{G} \cdot 6 \varepsilon$ | c．8b | 8.92 | عL6L |
| LL゚い | 681 | 008 | 1•81 | 9． 22 | $8 \cdot 11$ | g．0t | で8 | 9．92 | 2L61 |
| $9 L^{\circ} 11$ | 602 | OGL | L02 | 9．92 | －0．01 | 8．9b | c．ts | ＊＊62 | 1261 |
| $6 \varepsilon^{\circ} 6$ | L81 | 008 | $0 \cdot 81$ | 9．LZ | 6.01 | $0 \cdot \downarrow \varepsilon$ | 1•2t | 8＊ 12. | 0261 |
| 90． 11 | 812 | 802 | 6.21 | $\varepsilon \cdot 81$ | $\varepsilon \cdot 6$ | $0 \cdot 9 \varepsilon$ | $1 \cdot 9 \downarrow$ | $9 \cdot 92$ | 6961 |
| 92.01 | 681 | 099 | 6.02 | 8.02 | L．21 | 8．98 | $\varepsilon \cdot 19$ | $8 \cdot 92$ | 8961 |
| \＆ャ・8 | 281 | 008 | 6.91 | 6．81 | 9.8 | $0 \cdot \downarrow \varepsilon$ | ごし | $9 \cdot 92$ | L961 |
| 19.01 | 802 | ¢69 | －て | $6 \cdot \varepsilon 乙$ | 0.6 | $0 \cdot 2 \varepsilon$ | でし | $\varepsilon \cdot \downarrow て$ | 9961 |
| 21.01 | 961 | OGg | 9.91 | G． 22 | $0 \cdot 21$ | 9＇98 | 9.87 | がわて | 9961 |
| ¢s＊ 6 | 002 | 929 | 9.41 | $8 \cdot 02$ | ع．OL | でてを | $9 \cdot$ 加 | $1 \times 92$ | t961 |
| $9 \varepsilon^{\prime 2} 2$ | gll | 096 | 6.91 | － 22 | $\varepsilon \cdot \square$ | がLて | $\varepsilon \cdot 8 \varepsilon$ | ع＇61 | E961 |
| $\begin{array}{r} 21.6 \\ \text { suof } \\ \hline \end{array}$ | ${ }^{001}$ | $\begin{array}{r} 0 g L \\ \cdot \mathrm{sql} \end{array}$ | $0 \cdot 81$ | て＇92 | $\begin{array}{r} 611 \\ --512 y \\ \hline \end{array}$ |  | 906 | ع．92 | 2961 |
| 7әәque6ns | spoze70d | ләмо LJuns | pəasədey | ว＾¢ | xeL」 | кəlueg | s7e0 | 7834 M | 1e2d |

TABLE 27
Average Yield of Wheat, Oats, Barley and Flaxseed In Crop District 1 Over Time

|  |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- |
|  | Wheat | Oats | Barley | Flax |
| Y ear | 26.2 |  | 34.4 | 11.7 |
| 1962 | 19.1 | 28.3 | 10.8 |  |
| 1963 | 24.5 | 48.6 | 32.8 | 10.5 |
| 1964 | 24.0 | 47.9 | 37.1 | 12.5 |
| 1965 | 23.9 | 42.0 | 34.9 | 9.2 |
| 1966 | 17.1 | 27.7 | 23.9 | 5.5 |
| 1967 | 24.5 | 49.9 | 33.9 | 13.2 |
| 1968 | 28.3 | 53.0 | 42.7 | 10.9 |
| 1969 | 21.4 | 45.6 | 34.7 | 11.0 |
| 1970 | 28.3 | 50.7 | 45.0 | 8.2 |
| 1971 | 25.5 | 53.6 | 43.4 | 12.0 |
| 1972 | 27.4 | 52.1 | 44.9 | 12.4 |
| 1973 | 21.5 | 33.0 | 27.8 | 8.7 |
| 1974 | 24.6 | 45.4 | 34.4 | 10.7 |
| 1975 |  |  |  |  |
|  |  |  |  |  |

Source; Manitoba Department of Agriculture, Manitoba Agriculture Yearbook, Queen's Printer, Winnipeg, 1963-75.

TABLE 28
Average Yield of Wheat, Oats, Barley and Flaxseed in Crop District 2 Over Time

|  | Wheat | Oats | Barley | Flax |
| :--- | :--- | :--- | :---: | :---: |
| Year | 26.5 |  | 34.8 | 12.3 |
|  | 18.5 |  | 26.2 | 12.1 |
| 1962 | 27.2 | 50.6 | 31.9 | 10.8 |
| 1963 | 25.2 | 49.9 | 38.1 | 12.2 |
| 1964 | 25.5 | 42.0 | 34.2 | 9.5 |
| 1965 | 25.0 | 38.7 | 31.7 | 7.5 |
| 1968 | 30.2 | 60.2 | 41.7 | 14.8 |
| 1967 | 26.8 | 49.0 | 37.9 | 11.9 |
| 1968 | 23.3 | 45.8 | 37.2 | 11.9 |
| 1969 | 30.8 | 59.4 | 49.0 | 11.6 |
| 1970 | 27.7 | 51.4 | 43.7 | 13.6 |
| 1971 | 27.7 | 54.3 | 43.4 | 13.8 |
| 1972 | 20.5 | 35.7 | 26.0 | 9.4 |
| 1973 | 25.7 | 48.0 | 36.5 | 11.6 |
| 1974 |  |  |  |  |
| 1975 |  |  |  |  |

Source; Manitoba Department of Agriculture, Manitoba Agriculture Yearbook, Queen's Printer, Hinnipeg, 1963-75.

TABLE 29
Average Yield of Wheat, Oats, Barley and Flaxseed in Crop District 3 Over Time

|  |  |  |  |  |
| :--- | :---: | :---: | :---: | ---: |
| Year | Wheat | Oats | Barley | Flax |
| 1962 | 24.4 |  | 28.3 | 11.9 |
| 1963 | 14.1 | 48.6 | 19.9 | 11.5 |
| 1964 | 23.4 | 51.1 | 30.6 | 9.6 |
| 1965 | 26.8 | 39.2 | 38.2 | 11.5 |
| 1966 | 20.3 | 49.6 | 26.8 | 8.0 |
| 1967 | 27.2 | 55.1 | 36.8 | 9.4 |
| 1968 | 27.3 | 38.6 | 35.7 | 13.5 |
| 1969 | 18.5 | 39.1 | 25.9 | 7.7 |
| 1970 | 19.4 | 57.5 | 29.8 | 8.3 |
| 1971 | 29.0 | 48.0 | 46.6 | 9.9 |
| 1972 | 25.9 | 53.7 | 42.6 | 10.3 |
| 1973 | 25.6 | 38.0 | 28.0 | 12.2 |
| 1974 | 19.9 |  |  | 38.1 |

Source; Manitoba Department of Agriculture, Manitoba Agriculture Yearbook, Queen's Printer, Winnipeg, 1963-75.

TABLE 30
Average Yield of Wheat, Oats, Barley and Flaxseed in Crop District 4 Over Time

|  |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- |
| Year | Wheat | Oats | Barley | Flax |
| 1962 | 24.2 |  | 23.9 | 10.2 |
| 1963 | 11.0 | 47.1 | 14.8 | 10.2 |
| 1964 | 26.9 | 50.1 | 35.0 | 11.8 |
| 1965 | 27.6 | 43.5 | 36.1 | 11.3 |
| 1966 | 25.8 | 46.1 | 31.5 | 10.0 |
| 1967 | 29.6 | 56.2 | 40.1 | 11.2 |
| 1968 | 29.1 | 32.7 | 38.7 | 13.1 |
| 1969 | 19.2 | 37.3 | 21.2 | 9.0 |
| 1970 | 20.8 | 52.4 | 29.0 | 10.0 |
| 1971 | 29.8 | 47.2 | 44.4 | 11.4 |
| 1972 | 28.1 | 50.0 | 41.0 | 11.7 |
| 1973 | 26.6 | 36.6 | 37.0 | 12.8 |
| 1974 | 20.7 | 45.2 | 26.6 | 9.6 |
| 1975 | 27.3 |  | 32.7 | 11.9 |

Source; Manitoba Department of Agriculture, Manitoba Agriculture Yearbook, Queen's Printer, Winnipeg, 1963-75.

TABLE 31
Average Yield of Wheat, Oats, Barley and Flaxseed in Crop District 5 Over Time

| Year | Wheat | 0ats | Barley | Flax |
| :---: | :---: | :---: | :---: | :---: |
| 1962 | ----- | -bus | 26.7 | 10.2 |
| 1963 | 11.4 |  | 16.9 | 11.3 |
| 1964 | 20.9 | 38.7 | 28.4 | 10.1 |
| 1965 | 25.8 | 41.8 | 34.7 | 10.5 |
| 1966 | 18.6 | 35.2 | 21.3 | 7.9 |
| 1967 | 25.4 | 29.9 | 34.3 | 10.3 |
| 1968 | 26.4 | 40.7 | 33.1 | 12.8 |
| 1969 | 17.2 | 36.3 | 24.4 | 8.1 |
| 1970 | 17.0 | 33.6 | $\cdot 24.5$ | 8.6 |
| 1971 | 27.2 | 53.4 | 43.6 | 11.5 |
| 1972 | 27.5 | 45.7 | 39.0 | 12.0 |
| 1973 | 23.7 | 46.4 | 32.3 | 12.3 |
| 1974 | 17.6 | 32.8 | 23.3 | 8.8 |
| 1975 | 22.6 | 44.2 | 29.2 | 10.4 |

Source; Manitoba Department of Agriculture, Manitoba Agriculture Yearbook, Queen's Printer, Winnipeg, 1963-75.

TABLE 32
Average Yield of Wheat, Oats, Barley and Flaxseed in Crop District 6 Over Time

|  |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- |
| Year | Wheat | Oats | Barley | Flax |
| 1962 | 21.0 |  | 10.0 |  |
| 1963 | 11.1 |  | 13.3 | 10.0 |
| 1964 | 20.3 | 38.7 | 23.5 | 10.2 |
| 1965 | 25.5 | 48.8 | 36.7 | 10.9 |
| 1966 | 17.5 | 25.3 | 21.4 | 12.2 |
| 1967 | 25.9 | 39.9 | 32.3 | 8.2 |
| 1968 | 27.2 | 39.5 | 37.0 | 11.9 |
| 1969 | 20.7 | 37.6 | 35.0 | 12.3 |
| 1970 | 18.1 | 28.8 | 25.6 | 13.3 |
| 1971 | 28.1 | 47.6 | 43.7 | 12.2 |
| 1972 | 24.6 | 42.2 | 40.2 | 13.0 |
| 1973 | 25.9 | 40.2 | 38.8 | 12.6 |
| 1974 | 16.9 | 28.4 | 22.1 | 12.1 |
| 1975 | 21.6 | 38.6 | 29.6 | 8.9 |
|  |  |  |  | 10.2 |

Source; Manitoba Department of Agriculture, Manitoba Agriculture Yearbook, Queen's Printer, Winnipeg, 1963-75.

## TABLE 33

Average Yield of Wheat, Oats, Barley and Flaxseed in Crop District 7 Over Time

|  |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- |
| Year | Wheat | Oats | Barley | Flax |
| 1962 | 25.8 |  |  | 36.0 |
| 1963 | 22.5 |  | 30.2 | 11.3 |
| 1964 | 24.2 | 51.8 | 33.8 | 11.7 |
| 1965 | 24.2 | 39.8 | 37.4 | 10.7 |
| 1966 | 23.4 | 33.9 | 33.9 | 12.5 |
| 1967 | 23.4 | 45.4 | 29.9 | 9.2 |
| 1968 | 22.2 | 51.1 | 34.7 | 7.3 |
| 1969 | 28.4 | 42.2 | 41.6 | 8.8 |
| 1970 | 22.5 | 49.0 | 35.2 | 12.0 |
| 1971 | 27.6 | 49.6 | 44.8 | 11.8 |
| 1972 | 24.6 | 48.3 | 39.7 | 9.7 |
| 1973 | 25.7 | 39.4 | 43.4 | 11.2 |
| 1974 | 22.3 | 44.6 | 30.5 | 12.8 |
| 1975 | 25.3 |  | 34.0 | 10.6 |
|  |  |  |  | 12.0 |

Source; Manitoba Department of Agriculture, Manitoba Department Yearbook, Queen's Printer, Winnipeg, 1963-75.

## TABLE 34

Average Yield of Wheat, Oats, Barley and Flaxseed in Crop District 8 Over Time

|  |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- |
| Year | Wheat | Oats | Barley | Flax |
| 1962 | 26.8 |  | 35.2 | 11.9 |
| 1963 | 19.5 | 47.0 | 26.7 | 10.7 |
| 1964 | 27.6 | 47.5 | 35.5 | 11.9 |
| 1965 | 26.0 | 44.7 | 37.3 | 12.1 |
| 1966 | 25.8 | 41.6 | 35.0 | 9.0 |
| 1967 | 26.7 | 59.2 | 34.5 | 8.7 |
| 1968 | 28.7 | 49.4 | 43.5 | 13.0 |
| 1969 | 27.3 | 48.0 | 37.6 | 12.6 |
| 1970 | 23.2 | 60.1 | 49.0 | 12.8 |
| 1971 | 31.3 | 53.3 | 47.1 | 12.4 |
| 1972 | 28.7 | 52.2 | 46.0 | 13.6 |
| 1973 | 26.4 | 39.3 | 33.5 | 14.6 |
| 1974 | 22.2 | 48.2 | 37.5 | 11.1 |
| 1975 | 27.5 |  |  | 13.0 |
|  |  |  |  |  |

Source, Manitoba Department of Agriculture, Manitoba Agriculture Yearbook, Queen's Printer, Winnipeg, 1963-75.

TABLE 35
Average Yield of Wheat, Oats, Barley and Flaxseed in Crop District 9 Over Time

|  |  |  |  |  |
| :--- | :--- | :--- | :--- | :--- |
|  | Wheat | Oats | Barley | Flax |
| Year | 26.9 |  | 34.9 | 11.5 |
| 1962 | 19.8 |  | 24.1 | 10.1 |
| 1963 | 26.0 | 45.7 | 31.8 | 11.5 |
| 1964 | 22.7 | 46.4 | 35.7 | 11.2 |
| 1965 | 23.3 | 39.2 | 33.8 | 8.8 |
| 1966 | 27.0 | 37.0 | 33.8 | 9.0 |
| 1967 | 28.1 | 54.8 | 37.1 | 11.9 |
| 1968 | 23.5 | 43.1 | 33.3 | 10.5 |
| 1969 | 25.0 | 44.3 | 34.9 | 12.1 |
| 1970 | 26.8 | 49.0 | 39.0 | 9.9 |
| 1971 | 24.0 | 44.2 | 41.2 | 11.0 |
| 1972 | 21.7 | 35.4 | 34.9 | 12.9 |
| 1973 | 23.3 | 40.1 | 31.3 | 10.6 |
| 1974 |  |  | 30.9 | 11.0 |
| 1975 |  |  |  |  |

Source; Manitoba Department of Agriculture, Manitoba Agriculture Yearbook, Queen's Printer, Winnipeg, 1963-75.

TABLE 36
Average Yield of Wheat, Oats, Barley and Flaxseed in Crop District 10 Over Time

| Year | Wheat | Oats | Barley | Flax |
| :---: | :---: | :---: | :---: | :---: |
| 1962 | 28.2 | ---b | $\begin{aligned} & \text { acre-- } \\ & 34.4 \end{aligned}$ | 12.8 |
| 1963 | 30.1 |  | 38.1 | 13.4 |
| 1964 | 30.0 | 60.3 | 36.3 | 12.5 |
| 1965 | 26.6 | 54.8 | 39.2 | 12.8 |
| 1966 | 28.3 | 53.6 | 39.7 | 12.2 |
| 1967 | 28.5 | 42.3 | 37.6 | 9.4 |
| 1968 | 25.9 | 50.0 | 39.5 | 9.5 |
| 1969 | 32.1 | 59.1 | 46.4 | 14.1 |
| 1970 | 26.3 | 53.4 | 42.0 | 14.4 |
| 1971 | 32.4 | 57.3 | 50.0 | 13.7 |
| 1972 | 26.5 | 51.3 | 42.7 | 12.4 |
| 1973 | 25.7 | 46.2 | 41.6 | 12.7 |
| 1974 | 25.0 | 42.5 | 40.6 | 11.3 |
| 1975 | 25.8 | 46.8 | 35.8 | 11.1 |

Source; Manitoba Department of Agriculture, Manitoba Agriculture Yearbook,
Queen's Printer, Winnipeg, 1963-75.

TABLE 37
Average Yield of Wheat, Oats, Barley and Flaxseed in Crop District 11 Over Time

| Year | Wheat | Oats | Barley | Flax |
| :---: | :---: | :---: | :---: | :---: |
| 1962 | 27.3 | -bush | acre-- | 12.1 |
| 1963 | 26.3 |  | 28.2 | 12.9 |
| 1964 | 23.4 | 38.6 | 28.6 | 10.8 |
| 1965 | 28.3 | 53.5 | 36.3 | 12.6 |
| 1966 | 27.4 | 44.7 | 33.6 | 11.1 |
| 1967 | 27.0 | 45.2 | 32.3 | 10.4 |
| 1968 | 23.9 | 47.9 | 31.4 | 11.0 |
| 1969 | 30.6 | 51.7 | 37.4 | 13.9 |
| 1970 | 23.9 | 44.4 | 36.3 | 14.1 |
| 1971 | 29.7 | 53.8 | 42.7 | 11.8 |
| 1972 | 25.1 | 42.3 | 34.4 | 10.8 |
| 1973 | 25.4 | 41.2 | 31.9 | 10.5 |
| 1974 | 19.8 | 33.4 | 26.4 | 9.2 |
| 1975 | 23.8 | 42.6 | 30.5 | 9.5 |

Source; Manitoba Department of Agriculture, Manitoba Agriculture Yearbook, Queen's Printer, Hinnipeg, 1963-75.

TABLE 38
Average Yield of Wheat, Oats, Barley and Flaxseed in Crop District 12 Over Time

|  |  |  |  |  |
| :--- | :--- | :--- | :---: | :---: |
|  | Wheat | Oats | Barley | Flax |
| 1962 | 25.7 |  | 32.7 | 11.4 |
| 1963 | 11.0 |  | 13.4 | 8.4 |
| 1964 | 21.6 | 35.2 | 28.1 | 11.3 |
| 1965 | 26.0 | 48.9 | 31.1 | 9.0 |
| 1966 | 26.4 | 42.4 | 34.4 | 12.6 |
| 1967 | 27.0 | 43.0 | 35.6 | 12.6 |
| 1968 | 28.4 | 46.4 | 37.1 | 13.1 |
| 1969 | 26.0 | 49.4 | 35.3 | 12.1 |
| 1970 | 23.0 | 41.6 | 33.5 | 12.5 |
| 1971 | 32.6 | 55.9 | 47.7 | 14.8 |
| 1972 | 28.7 | 46.8 | 38.8 | 14.3 |
| 1973 | 27.1 | 54.2 | 33.8 | 13.3 |
| 1974 | 16.0 | 27.8 | 21.4 | 8.3 |
| 1975 | 19.6 | 32.1 | 23.0 | 10.3 |
|  |  |  |  |  |

$\begin{aligned} \text { Source; } & \begin{array}{l}\text { Manitoba Department of Agriculture, Manitoba Agriculture } \\ \text { Yearbook, Queen's Printer, Winnipeg, 1963-75. }\end{array}\end{aligned}$

TABLE 39
Average Yield of Wheat, Oats, Barley and Flaxseed in Crop District 13 Over Time

| Year | Wheat | 0ats | Barley | Flax |
| :---: | :---: | :---: | :---: | :---: |
| 1962 | 30.8 . | -bush | $37.4$ | 13.5 |
| 1963 | 29.4 |  | 31.8 | 14.2 |
| 1964 | 28.5 | 45.7 | 31.6 | 12.0 |
| 1965 | 27.6 | 48.8 | 34.1 | 10.7 |
| 1966 | 32.6 | 52.1 | 36.1 | 12.5 |
| 1967 | 30.6 | 46.6 | 35.1 | 13.3 |
| 1968 | 29.5 | 55.8 | 36.3 | 12.5 |
| 1969 | 32.9 | 53.3 | 39.6 | 14.3 |
| 1970 | 28.4 | 46.0 | 35.5 | 15.8 |
| 1971 | 32.5 | 61.6 | 44.5 | 15.6 |
| 1972 | 28.5 | 37.6 | 37.5 | 12.9 |
| 1973 | 26.3 | 45.2 | 29.2 | 15.3 |
| 1974 | 25.7 | 36.6 | 29.6 | 14.5 |
| 1975 | 28.3 | 45.7 | 30.6 | 16.2 |

Source; Manitoba Department of Agriculture, Manitoba Agriculture Yearbook, Queen's Printer, Hinnipeg, 1963-75.

TABLE 40
Average Yield of Wheat, Oats, Barley and Flaxseed in Crop District 14 Over Time

| Year | Wheat | 0ats | Barley | Flax |
| :--- | :--- | :--- | ---: | ---: |
| 1962 | -26.5 |  | 34.1 | 10.7 |
| 1963 | 17.2 | 28.7 | 21.5 | 9.1 |
| 1964 | 18.2 | 34.1 | 25.5 | 8.5 |
| 1965 | 21.5 | 38.0 | 29.7 | 11.2 |
| 1966 | 21.5 | 35.8 | 30.7 | 8.8 |
| 1967 | 22.1 | 49.5 | 27.6 | 8.4 |
| 1968 | 28.4 | 41.0 | 35.3 | 11.6 |
| 1969 | 25.7 | 40.1 | 33.0 | 9.3 |
| 1970 | 21.6 | 42.3 | 29.3 | 10.2 |
| 1971 | 24.0 | 42.9 | 36.0 | 9.7 |
| 1972 | 25.7 | 40.1 | 33.6 | 9.4 |
| 1973 | 25.7 | 30.7 | 38.8 | 11.2 |
| 1974 | 20.9 |  | 28.0 | 9.1 |
| 1975 |  |  |  |  |
|  |  |  |  | 10.3 |

Source; Manitoba Department of Agriculture, Manitoba Agriculture, Manitoba Agriculture Yearbook, Queen's Printer, Winnipeg, 1963-75.
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\begin{aligned}
& \text { TGross income per acre was determined by multiplying the yield per acre given } \\
& \text { in Table } 32 \text { (b) by the price per bushel. Seed cost reported by Framingham, craddock } \\
& \text { and Baker op. cit. was ad-sting by using the farm input index. Storage cost included } \\
& \text { in the total cost was also adjusted by using the farm input index. Total cost was } \\
& \text { obtained by using the procedure discussed in Chapter IV. No transportation cost was }
\end{aligned}
$$

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* in pounds
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| $99^{\circ} 2 \varepsilon$ | 2¢＇LE | 61.61 | 98.82 | $8 t \cdot 89$ | $90^{\circ} 29$ | 12701 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| $60^{\circ} 8$ | L2•89 | $19^{\circ} \mathrm{Z}$ | $69^{\circ} 11$ | －－ | －－ | sqəaque6ns |
| －－ | －－ | －－ | －－ | －－ | －－ | s207e70d |
| －－ | －－ | －－ | －－ | －－ | －－ | dәMOLJuns |
| tL｀09 |  | $99^{\prime}$ ¢9 | 8L｀¢9 | 89＊81 | $\varepsilon \xi^{\circ} \varepsilon L$ | əRy |
| $89^{\circ} \mathrm{E}$ b | 6l＊8t | $19^{\circ} 0 \varepsilon$ | 08＊9b | 96．0L | $\angle 9^{\circ} \mathrm{L}$ | peasədey |
| $\triangleright Z^{\prime} \varepsilon L$ | 60＊18 | $\square G^{\circ} 0 L$ | ZL＇$¢ L$ | $10^{\circ} \mathrm{\nabla L}$ | ¢G＊99 | pazsxely |
| $9 L \times \varepsilon \varepsilon$ | 18＊ 19 | －－ | $9 \varepsilon^{\prime} 91$ | 9で28 | $66^{\circ} 16$ | Kolueg |
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| －－ | －－ | LSG＇2 | 009＇G | 229＊22 | $\rightarrow 1$ cl | $6 \varepsilon 9 \times 8 \varepsilon$ | $616^{\circ} 61$ | OLO＇EてL | $\varepsilon \backslash$ |
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| 282 | 109 | －－ | $\varepsilon \varepsilon 8^{\prime}$ て | 969＊ 11 | OL8＂カL | 209＊96 | 0L8＇gt |  | 6 |
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| － | 62L＇b | LLE＇82 | $799^{\prime} \varepsilon$ | GLl＇LZ | 686＇91 | 069＇8ヤb | $\varepsilon 29.99$ | GL6＇tl | $L$ |
| －－ | －－ | －－ | 1LE | $\varepsilon \backslash Z^{\prime} \mathrm{Gl}$ | 896＇1 | 209＊91 | L99＇9 | 688＊ 0 ع | 9 |
| －－ | －－ | 99261 | $88 Z^{\prime \prime}$ b | $\square 29^{\circ} \mathrm{LL}$ | $606{ }^{\prime} 22$ | ccで1て | Eかticl | 001＇96 | $G$ |
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| \＄08 ${ }^{1}$ | $8 \bullet 2$ | $69 Z^{\prime} \varepsilon$ | 6S9＇8 | $\angle 60^{\circ} \mathrm{SE}$ | しが「66 | くてがく8て | SEO＇101 | عย8＇109 | $\varepsilon$ |
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1 Based on the model.



[^0]:    1W.M. Drummond, W.J. Anderson and T.C. Kerr, A Review of Agricultural Policy in Canada, Agricultural Economics Research Council of Canada, June 1966, p. 67.

    2W.J. Anderson, "Agricultural Policy in Prespective", Agricultural Economics Research Council of Canada, 1967, p. 10.
    ${ }^{3}$ Ibid. . p. 10.

[^1]:    ${ }^{4}$ The Province of Manitoba, Guidelines for the Seventies, Introduction and Economic Analysis, March 1973, pp. 83-84.
    ${ }^{5}$ Ibid., p. 85.
    ${ }^{6}$ Drummond, Anderson and Kerr, op. cit., pp. 79-80.
    ${ }^{7}$ Ibid., pp. 76-77.

[^2]:    ${ }^{8}$ ARDA Manitoba/Canada, Agricultural and Rural Development Act, Description and Progress Report, 19/2-73, p. 11.
    ${ }^{9}$ Agriculture Canada, Policies and Programs for Agriculture, Western Provinces, 1976, M 55, p. 2.

    10Ibid., M 17, p. 6.
    ${ }^{11}$ See Agricultural Rural Development Act (ARDA), 1966-67, C 11, S 2, Chapter A-4 and Jack Giles, ARDA in Manitoba, Province of Manitoba, Jan. 1968, p. 6.
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    $13^{H}$.W. Leggett, "Causes, Costs and Cares of Instability in Canadian Agriculture" in New Developments in Agricultural Stabilization: Proceedings of 1976 Workshop of Canadian Agricultural Economic Society', March 1976, p. 41.

[^3]:    ${ }^{18}$ A. Gordon Ball and Ear1 0. Heady, Size, Structure and Future of Farms, Ames, Iowa State University Press, 1972, p. 53.

[^4]:    ${ }^{19}$ Elvin C. Egbert and Earl 0. Heady, Regional Adjustment in Grain Production, A Linear Programming Analysis; Iowa Agri. and Home Economics Experiment Station, lowa State College, Ames, Iowa, Technical Bulletin 1241, June 1961.

[^5]:    ${ }^{22}$ Ray F. Brokken and Earl 0. Heady, "Adjustment in Crop and Livestock Production" in Spatial Sector Programming Models in Agriculture, eds. Earl 0. Heady and U.K. Srivastava, Iowa State University Press, 1975, pp. 156-200.

[^6]:    23Roger K. Eyvindson, " A Model of Interregional Competition in Agriculture Incorporating Consuming Regions, Producing Areas, Farm Size Group and Land Classes". Unpublished Ph.D. thesis, Iowa State University, Ames, Iowa, 1970.
    ${ }^{24}$ W. J. Craddock, Interregional Competition in Canadian Cereal Production. Special Study No. 12, Economic Council Of Canada, The Queen's Printer, Ottawa, 1970.
    ${ }^{25}$ Charles F. Framingham, W.J. Craddock and L.B.B. Baker, Alternative Futures for Manitoba Agriculture, A Linear Programming Analysis of Agriculture Income, Employment, Price, Production and Farm Size Policy ATternatives, Department of Agriculture Economics and Farm Management, University of Manitoba, Winnipeg. Draft publication under review.
    ${ }^{26}$ Eyvindson op. cit.

[^7]:    ${ }^{28}$ Framingham, Craddock, Baker op. cit.

[^8]:    ${ }^{35}$ Robert and Schulze, op. cit., p. 282.

[^9]:    ${ }^{47}$ Efficient or optimum size refers to the range over which average total costs, as defined by the long run average cost, are at a minimum.

[^10]:    ${ }^{53}$ See R.G. Bressler Jr., "Research Determination of Economies of Scale", Journal of Farm Economics, Vol. 27, No. 3, 1945, pp. 526-539.

    54 Sheldon W. Will iams and James W. Grubele, "Estimating Optimum Size of Food Processing Plants by Using Survivor Analysis." American Journal of Agricultural Economics, Vol. 58, No. 4, Nov. 1976, pp. 740744 .

[^11]:    ${ }^{62}$ Stigler, op. cit.

[^12]:    67J.R. Anderson, "An Overview of Modelling in Agricultural Management." Review of Marketing and Agricultural Economics, Vol. 40, No. 3, Sept. 1972, pp. IT1-121.

[^13]:    ${ }^{68}$ Profit is defined as the difference between the total revenue and total cost, $C$ of the firm. Total revenue of a firm operating under perfectly competitive market can be given as the number of units of product sold, $q$, multiplied by the unit price, $P$ received. Thusi $=P q-C$ and profit equals net revenue.
    ${ }^{69}$ Earl 0. Heady and Harold R. Jensen, Farm Management Economics Prentice Hall, Inc., Englewood Cliff, N.J., 1954, pp. 8-9.

    70 James V. Knoh, Industrial Organization and Prices, Prentice Hall Inc., Englewood, New Jersey, 1974, pp. 16-21.
    ${ }^{71}$ Donald S. Watson, Price Theory and It's Uses, Second Edition, Houghton Mifflin Co., Boston, 1968, p. 117.

[^14]:    750 verall regression equations and regressions coefficients were significant for rapeseed and nonsignificant for rye.

[^15]:    

[^16]:    103
    See Table 33.

[^17]:    
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[^18]:    

[^19]:    113"The Employment Standards Act" S.M.; 1957, c.20, s.l, Section 31 (1).

[^20]:    ${ }^{115}$ See Table 71.

[^21]:    

